

Introduction to Data Science Course

Evaluation

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Assessment

- Accuracy: The predicate capability of the classifier
- Effectiveness:

 - Cost to create the model chi phi train
 Cost to use the model chi phi chay
- Robustness: ability to solve noise or missing value
- O Scale: Efficiency with Big Data wstomize, the chinh, fix buy
- Understandable
- Other properties: Tree size, number of laws, quality of law...

Accuracy

- The dataset is divided into two completely independent 7 Trainal y parts.
 - Training set
 - Test set
- Measures to evaluate accuracy: confusion matrix, fault rate,...
- The method of estimating the accuracy of the classifier:
 - Holdout method, Random Subsampling
 - **Cross-validation**
 - Bootstrap

Some concepts (1/2)

- O Let's:
 - Positive tuples are samples belonging to a major class that is concerned
 - Negative tuples are the models that belong to the remaining classes
- P is the number of positive sample, N is number of negative samples in the test set.
- TP (True Positives): number of positive samples are classified correctly
- TN (True Negatives): number of negative samples are classified correctly

Some concepts (2/2)

- Propositives of negative samples are classified incorrectly to positive samples
- FN (False Negatives): number of positive samples are classified incorrectly to negative samples.

Predicted class

Actual class

	+	_	Total
+	TP	FN	P
-	FP	TN	N
Total	P'	N'	P+N

Confusion Matrix

Confusion Matrix

A∖P	C	ç	
C	TP	FN	P
٦	FP	TN	2
	Ρ'	Ñ	All

Data in computer store, positive samples P are samples with buys_computer = yes

Actual class\Predicted	buy_computer	buy_computer	Total
class	= yes	= no	
buy_computer = yes	6954	46	7000
buy_computer = no	412	2588	3000
Total	7366	2634	10000

- O Determine TP, TN, FP, FN?
- Ideally, the sub diagonal should be 0 or approximately 0

Accuracy

Accuracy: sample rate in test set is classified correctly.

$$accuracy = \frac{TP + TN}{P + N}$$

- © Example:
 - accuracy = (6954 + 2588)/10000 = 0.95

Actual class\Predicted class	buy_computer = yes	buy_computer = no	Total
buy_computer = yes	6954	46	7000
buy_computer = no	412	2588	3000
Total	7366	2634	10000

Error Rate

 Error Rate: The sample rate was incorrectly classified in the test set (= 1 - accuracy)

$$error\ rate = \frac{FP + FN}{P + N}$$

- Example:
 - \circ error rate = (412 + 46)/10000 = 0.05

Actual class\Predicted	buy_computer	buy_computer	Total
class	= yes	= no	
buy_computer = yes	6954	46	7000
buy_computer = no	412	2588	3000
Total	7366	2634	10000

Class imbalance (1/2)

- Classes of interest can be rare compared to other classes
- Example:
 - In the phishing detection application, the class of interest is "fraud" but occurs much less than those of the class "Nonfraudulant".
 - In diagnosis, the class of interest is "cancer", the sample rate is labeled "yes" much lower than the label "no".



Class imbalance (2/2)

 Classifier is correct in negative samples but completely incorrect in positive samples

Example:

- A classifier of accuracy 99% shows a very high probability of prediction. However, if the wrong 1% belongs to the positive sample, 99% becomes pointless
- → Resolution by measure sensitivity and specificity



Sensitivity và Specificity

Sensitivity: correct positive sample recognition ratio

$$sensitivity = \frac{TP}{P}$$

Specificity: correct negative sample recognition ratio

$$specificty = \frac{TN}{N}$$

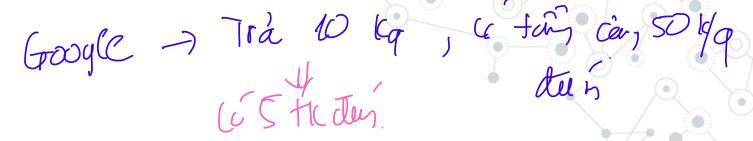


Sensitivity vs. Specificity

- The classifier has a high accuracy of 96.40%.
- However, the ability to identify positive samples is quite low because of low sensitivity.

Classes	yes	по	Total	Recognition (%)
yes	90	210	300	30.00
no	140	9560	9700	98.56
Total	230	9770	10,000	96.40

Precision vs. Recall



Precision: is the proportion of the class that assigns a label to positive is actually positive.

$$precision = \frac{TP}{TP + FP} = \frac{1}{5 + 5}$$

Recall: is the positive sample rate assigned by the classifier.

$$recall = \frac{TP}{TP + FN} = \frac{TP}{P} - \frac{5}{50} = \frac{4}{10}$$

Precision and Recall

- \bigcirc Precision(yes) = 90/230 = 39.13%
- \bigcirc Recall(yes) = 90/300 = 30.00%

Classes	yes	по	Total
yes	90	210	300
no	140	9560	9700
Total	230	9770	10,000



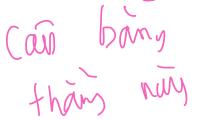
Precision and Recall

- Highest precision is 1.0:
 - Showing each sample that the marking class belongs to the positive is actually positive.
 - Unable to show the number of positive samples is classified incorrectly
- O Highest recall is 1.0:
 - Showing all positive samples is labeled properly.
 - Unable to present how many other samples are mislabeled in the positive.

F-Score

F-score: A combination of precision and recall

$$F = \frac{2 \times precision \times recall}{precision + recall}$$



- F-score is harmonic mean between precision and recall
- \odot Equally weighted between precision and recall (β =1)
- \odot If you want to one over another, you can set β =2, β =0.5

$$F_{\beta} = \frac{(1 + \beta^2) \times precision \times recall}{\beta^2 \times precision + recall}$$

Example

classes	buy_computer =	buy_computer =	total	recognition(%)
	yes	no		
buy_computer = yes	6954	46	7000	99.34
buy_computer = no	412	2588	3000	86.27
total	7366	2634	10000	95.42

F-measure(B-Yes)= 96.81%



Summary of the measurements

A\P	С	¬0	
U	TP	FN	P
٦	FP	TN	2
	P	Ź	All

Measure	Formula
accuracy, recognition rate	$\frac{TP+TN}{P+N}$
error rate, misclassification rate	$\frac{FP+FN}{P+N}$
sensitivity, true positive rate, recall	$\frac{TP}{P}$
specificity, true negative rate	$\frac{TN}{N}$
precision	$TP \over TP + FP$
<i>F</i> , <i>F</i> ₁ , <i>F</i> -score, harmonic mean of precision and recall	$\frac{2 \times precision \times recall}{precision + recall}$
F_{β} , where β is a non-negative real number	$\frac{(1+\beta^2) \times precision \times recall}{\beta^2 \times precision + recall}$

Exercise 3

Data relating to the customer classification is deceptive or nondeceptive by a bank before lending:

Predict

Actual

Class	Deceptive	Non-deceptive	Total
Deceptive	44	15	59
Non-deceptive	20	146	166
Tổng	64	161	225

- Suppose the class of interest is deceptive, create confusion matrix
- Calculating the measurements accuracy, error rate, sensitivity, specificity, precision, F-Score

- Accuracy:
$$\frac{4h + 1hb}{225} = \sqrt{\frac{20 + 15}{225}}$$

- Error rat = $\frac{20 + 15}{225}$

- Sensitivity = $\frac{44}{59}$

- specificaty = $\frac{1hb}{166}$

Estimation methods



Reliability when estimating

- Whether the figures are calculated from the measurements that are reliable?
 - Depends on the type of data
 - Depend on how the data is collected
 - Depends on how to divide data into training and test episodes.
 - 0 ...
- → Method is required to reliably estimate the accuracy



Holdout Method

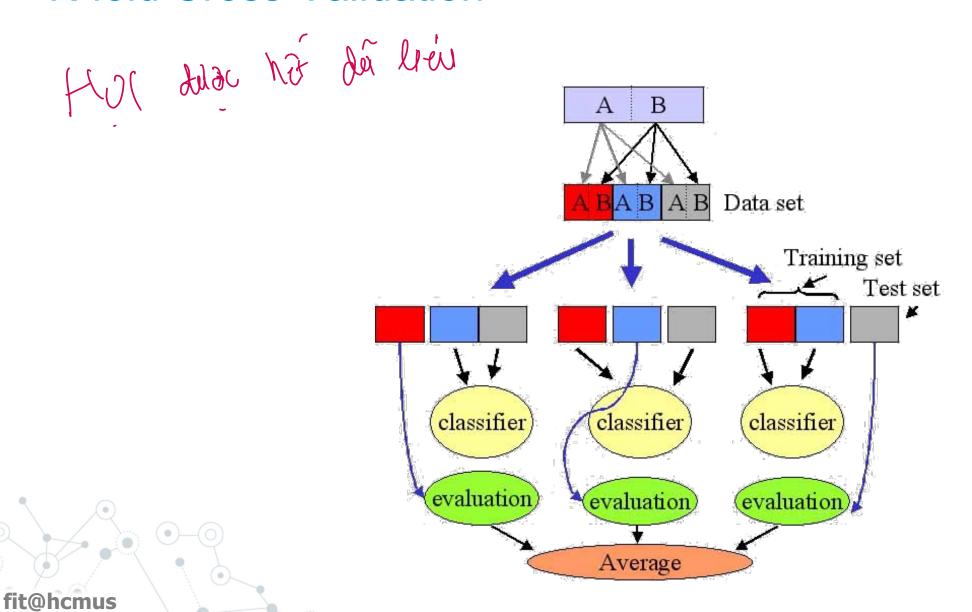
- Data is randomly divided into 2 independent sections
 - Training set up 2/3 to draw the model
 - Test set accounted for 1/3 to estimate accuracy
- → Samples may not represent all data, missing class in the experiment set
- Random sampling: is the variant of holdout
 - Repeat holdout k times, the accuracy is the average of all times.



K-fold Cross-Validation

- Randomly divide the data into K-independent and roughly equal size. D={D1, D2, ..., Dk}
 - Perform k evaluation.
 - For the time i, the Di episode was used as a test, the rest of the training
 - K = 10 commonly used
- Leave-one-out: is k fold with K is the number of samples (only applies when the data size is small)
- Stratified cross-validation: Distributing the classes of samples in each fold is roughly the same as the original data

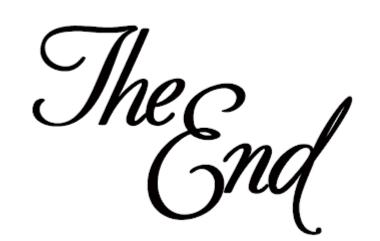
K-fold Cross-Validation



Bootstrap cho du lieu gan nho

- Usually apply to small datasets
- Each time a sample is selected, it is likely to be picked again and added to the training set
- There are a few bootstrap methods, which are common .632 Bootstrap
 - The d-size dataset will be sampled Bootstrap d times. So training set has d samples. Samples that do not include the training will be used to test. About 63.2% of data fall into training assignments and 36.8% for test episodes (because according to probability (1-1/d) d \approx e⁻¹ = 0.368)
 - Repeats the sampling k times and the accuracy:

$$Acc(M) = \frac{1}{k} \sum_{i=1}^{k} (0.632 \times Acc(M_i)_{test_set} + 0.368 \times Acc(M_i)_{train_set})$$





ODP, Sol tou lieu giodi - BT: thon's kê Tiên xi ly Virsualizh
Linear, quy trinh Mary no run