Trạng thái	Đã xong
Bắt đầu vào lúc	Thứ Bảy, 23 tháng 11 2024, 9:03 PM
Kết thúc lúc	Thứ Ba, 3 tháng 12 2024, 6:07 PM
Thời gian thực hiện	9 Các ngày 21 giờ
Điểm	10.00 trên 10.00 (100 %)

```
Câu hởi 1
Đúng
Đạt điểm 1,00 trên 1,00
```

Template class DGraph representing a directed graph with type T with the initialized frame. It has attribute VertexNode* nodeList, which is the head of a singly linked list, representing a list of vertex of this graph.

This class inloudes 2 classes: VertexNode and Edge.

- Class VertexNode representing a vertex in graph. It has some attributes:
 - + T vertex: the vertex's value.
 - + Edge* adList: a singly linked list representing the adjacent edges that have this vertex as their starting vertex (from).
- Class Edge representing an edge in graph. It has some attributes:
 - + VertexNode* fromNode VertexNode* toNode: represents the starting vertex (from) and ending vertex (to) of this edge.
 - + float weight: edge's weight.

Requirements: In class **VertexNode**, implement methods **getEdge**, **connectTo**, **addAdjacentEdge**, and **removeTo**.

Descriptions for each method are provided below. Ensure that all four methods are fully implemented before checking.

```
template <class T>
class DGraph {
public:
   class VertexNode; // Forward declaration
   class Edge; // Forward declaration
   VertexNode* nodeList; //list of vertexNode of DGraph
   int countVertex;
   int countEdge;
public:
   DGraph() {
     this->nodeList = nullptr;
     this->countEdge = 0;
     this->countVertex = 0;
   }
   ~DGraph() {};
   VertexNode* getVertexNode(T vertex);
   void add(T vertex);
   void connect(T from, T to, float weight=0);
   void removeVertex(T removeVertex);
   bool removeEdge(T from, T to);
   string shape();
   bool empty();
   void clear();
   void printGraph();
public:
   class VertexNode {
   private:
     T vertex;
     Edge* adList; //list of adjacent edge of this vertex
     VertexNode* next;
      friend class Edge;
      friend class DGraph;
```

```
public:
     VertexNode(T vertex, Edge* adList = nullptr, VertexNode* next = nullptr) {
        this->vertex = vertex;
        this->adList = adList;
        this->next = next;
    }
     string toString();
     void addAdjacentEdge(Edge* newEdge);
     bool connectTo(VertexNode* toNode, float weight = 0);
     bool removeTo(VertexNode* toNode);
     Edge* getEdge(VertexNode* toNode);
  };
  class Edge {
  private:
     VertexNode* fromNode;
     VertexNode* toNode;
     float weight;
     Edge* next;
     friend class VertexNode;
     friend class DGraph;
   public:
     Edge(VertexNode* fromNode, VertexNode* toNode, float weight = 0.0, Edge* next = nullptr) {
        this->fromNode = fromNode;
        this->toNode = toNode;
        this->weight = weight;
        this->next = next;
     string toString();
  };
};
```

For example:

Test	Result
DGraph <int>::VertexNode* node0 = new DGraph<int>::VertexNode(0);</int></int>	E(0,1,12.3)
<pre>DGraph<int>::VertexNode* node1 = new DGraph<int>::VertexNode(1);</int></int></pre>	E(1,3,176)
<pre>DGraph<int>::VertexNode* node2 = new DGraph<int>::VertexNode(2);</int></int></pre>	
<pre>DGraph<int>::VertexNode* node3 = new DGraph<int>::VertexNode(3);</int></int></pre>	
<pre>node0->connectTo(node1, 12.3);</pre>	
<pre>node0->connectTo(node2, 13.3);</pre>	
<pre>node0->connectTo(node3, 14);</pre>	
node1->connectTo(node3, 176);	
<pre>cout << node0->getEdge(node1)->toString() << end1;</pre>	
<pre>cout << node1->getEdge(node3)->toString() << endl;</pre>	
delete node0;	
delete node1;	
delete node2;	
delete node3;	

Answer: (penalty regime: 0 %)

Reset answer

Ace editor not ready. Perhaps reload page?

Falling back to raw text area.

```
template<class T>
typename DGraph<T>::Edge* DGraph<T>::VertexNode::getEdge(VertexNode* toNode) {
   Edge* current = this->adList;
    while (current != nullptr) {
        if (current->toNode == toNode) {
           return current;
        current = current->next;
   return nullptr;
template<class T>
void DGraph<T>::VertexNode::addAdjacentEdge(Edge* newEdge) {
   newEdge->next = this->adList;
   this->adList = newEdge;
template<class T>
bool DGraph<T>::VertexNode::connectTo(VertexNode* toNode, float weight) {
    Edge* existingEdge = getEdge(toNode);
   if (existingEdge == nullptr) {
        Edge* newEdge = new Edge(this, toNode, weight);
        addAdjacentEdge(newEdge);
        return true;
    } else {
        existingEdge->weight = weight;
        return false;
template<class T>
bool DGraph<T>::VertexNode::removeTo(VertexNode* toNode) {
   Edge* current = this->adList;
   Edge* prev = nullptr;
    while (current != nullptr) {
       if (current->toNode == toNode) {
            if (prev == nullptr) {
                this->adList = current->next;
            } else {
```

	Test	Expected	Got	
/	DGraph <int>::VertexNode* node0 = new DGraph<int>::VertexNode(0); DGraph<int>::VertexNode* node1 = new DGraph<int>::VertexNode(1); DGraph<int>::VertexNode* node2 = new DGraph<int>::VertexNode(2); DGraph<int>::VertexNode* node3 = new DGraph<int>::VertexNode(3);</int></int></int></int></int></int></int></int>	E(0,1,12.3) E(1,3,176)	E(0,1,12.3) E(1,3,176)	~
	<pre>node0->connectTo(node1, 12.3);</pre>			
	<pre>node0->connectTo(node2, 13.3);</pre>			
	<pre>node0->connectTo(node3, 14);</pre>			
	<pre>node1->connectTo(node3, 176);</pre>			
	<pre>cout << node0->getEdge(node1)->toString() << endl; cout << node1->getEdge(node3)->toString() << endl;</pre>			
	delete node0;			
	delete node1;			
	delete node2;			
	delete node3;			
/	DGraph <char>::VertexNode* nodeA = new DGraph<char>::VertexNode('A');</char></char>	E(E,A,0)	E(E,A,0)	~
	<pre>DGraph<char>::VertexNode* nodeB = new DGraph<char>::VertexNode('B');</char></char></pre>	E(C,C,0.54)	E(C,C,0.54)	
	<pre>DGraph<char>::VertexNode* nodeC = new DGraph<char>::VertexNode('C');</char></char></pre>	E(A,B,0)	E(A,B,0)	
	<pre>DGraph<char>::VertexNode* nodeD = new DGraph<char>::VertexNode('D');</char></char></pre>	E(A,C,29.4)	E(A,C,29.4)	
	<pre>DGraph<char>::VertexNode* nodeE = new DGraph<char>::VertexNode('E');</char></char></pre>	Edge doesn't exist!	Edge doesn't exist!	
	<pre>nodeA->connectTo(nodeB);</pre>	Edge doesn't	Edge doesn't	
	<pre>nodeA->connectTo(nodeC, 29.4);</pre>	exist!	exist!	
	<pre>nodeA->connectTo(nodeD, 30.4);</pre>			
	<pre>nodeB->connectTo(nodeD, 19.75);</pre>			
	<pre>nodeC->connectTo(nodeC, 0.54);</pre>			
	<pre>nodeE->connectTo(nodeA);</pre>			
	<pre>cout << (nodeE->getEdge(nodeA) ? nodeE->getEdge(nodeA)->toString() : "Edge doesn't exist!") << endl;</pre>			
	<pre>cout << (nodeC->getEdge(nodeC) ? nodeC->getEdge(nodeC)->toString() :</pre>			
	"Edge doesn't exist!") << endl;			
	<pre>nodeE->removeTo(nodeA);</pre>			
	<pre>nodeC->removeTo(nodeC);</pre>			
	<pre>cout << (nodeA->getEdge(nodeB) ? nodeA->getEdge(nodeB)->toString() :</pre>			
	"Edge doesn't exist!") << endl;			
	<pre>cout << (nodeA->getEdge(nodeC) ? nodeA->getEdge(nodeC)->toString() :</pre>			
	"Edge doesn't exist!") << endl;			
	<pre>cout << (nodeE->getEdge(nodeA) ? nodeE->getEdge(nodeA)->toString() :</pre>			
	"Edge doesn't exist!") << endl;			
	<pre>cout << (nodeC->getEdge(nodeC) ? nodeC->getEdge(nodeC)->toString() : "Edge doesn't exist!") << endl;</pre>			
	delete nodeA;			
	delete nodeB;			
	delete nodeC;			
	delete nodeD;			
	delete nodeE;			



```
Câu hởi 2
Đúng
Đạt điểm 1,00 trên 1,00
```

Template class DGraph representing a directed graph with type T with the initialized frame. It has attribute VertexNode* nodeList, which is the head of a singly linked list, representing list of vertex of this graph.

This class inloudes 2 classes: VertexNode and Edge.

- Class VertexNode representing a vertex in graph. It has some attributes:
 - + T vertex: the vertex's value.
 - + Edge* adList: a singly linked list representing the adjacent edges that have this vertex as their starting vertex (from).
- Class Edge representing an edge in graph. It has some attributes:
 - + VertexNode* fromNode VertexNode* toNode: represents the starting vertex (from) and ending vertex (to) of this edge.
 - + float weight: edge's weight.

Requirements: In class **DGraph**, implement methods **getVertexNode**, **add** and **connect**. Descriptions for each method are provided below. Ensure that all three methods are fully implemented before checking.

Notes: You can use the methods from the previous exercises without needing to implement them again.

```
template <class T>
class DGraph {
public:
   class VertexNode; // Forward declaration
   class Edge; // Forward declaration
protected:
   VertexNode* nodeList; //list of vertexNode of DGraph
  int countVertex;
  int countEdge;
public:
   DGraph() {
     this->nodeList = nullptr;
     this->countEdge = 0;
     this->countVertex = 0;
   }
   ~DGraph() {};
   VertexNode* getVertexNode(T vertex);
   void add(T vertex);
   void connect(T from, T to, float weight=0);
   void removeVertex(T removeVertex);
   bool removeEdge(T from, T to);
   string shape();
   bool empty();
   void clear();
   void printGraph();
public:
   class VertexNode {
   private:
     T vertex:
     Edge* adList; //list of adjacent edge of this vertex
      VertexNode* next;
      friend class Edge;
```

```
friend class DGraph;
   public:
     VertexNode(T vertex, Edge* adList = nullptr, VertexNode* next = nullptr) {
        this->vertex = vertex;
        this->adList = adList;
        this->next = next;
     string toString();
     void addAdjacentEdge(Edge* newEdge);
     bool connectTo(VertexNode* toNode, float weight = 0);
     bool removeTo(VertexNode* toNode);
     Edge* getEdge(VertexNode* toNode);
  };
  class Edge {
  private:
     VertexNode* fromNode;
     VertexNode* toNode;
     float weight;
     Edge* next;
     friend class VertexNode;
     friend class DGraph;
   public:
     Edge(VertexNode* fromNode, VertexNode* toNode, float weight = 0.0, Edge* next = nullptr) {
        this->fromNode = fromNode;
        this->toNode = toNode;
        this->weight = weight;
        this->next = next;
     string toString();
  };
};
```

For example:

Test	Result
DGraph <int> graph;</int>	
for(int i = 0; i < 6; i++) graph.add(i);	Number of vertices: 6
<pre>graph.printGraph();</pre>	V(0)
	V(1)
	V(2)
	V(3)
	V(4)
	V(5)
	Number of edges: 0

Test	Result
DGraph <int> graph;</int>	
<pre>for(int i = 0; i < 6; i++) graph.add(i);</pre>	Number of vertices: 6
	V(0)
<pre>graph.connect(1, 2, 40);</pre>	V(1)
<pre>graph.connect(1, 3, 6.9);</pre>	V(2)
<pre>graph.connect(4, 5, 27);</pre>	V(3)
<pre>graph.connect(3, 2, 2.1);</pre>	V(4)
<pre>graph.connect(0, 2, 11.2);</pre>	V(5)
<pre>graph.connect(0, 5, 67);</pre>	
graph.connect(2, 1, 19.75);	Number of edges: 7
	E(0,2,11.2)
<pre>graph.printGraph();</pre>	E(0,5,67)
	E(1,2,40)
	E(1,3,6.9)
	E(2,1,19.75)
	E(3,2,2.1)
	E(4,5,27)

Answer: (penalty regime: 0 %)

Reset answer

```
template<class T>
typename DGraph<T>::VertexNode* DGraph<T>::getVertexNode(T vertex) {
   VertexNode* current = this->nodeList;
   while (current != nullptr) {
       if (current->vertex == vertex) {
           return current;
       current = current->next;
   return nullptr;
template<class T>
void DGraph<T>::add(T vertex) {
   if (getVertexNode(vertex) != nullptr) {
       return; // Vertex already exists, do not add it again
   VertexNode* newNode = new VertexNode(vertex);
   if (this->nodeList == nullptr) {
       this->nodeList = newNode;
   } else {
       VertexNode* current = this->nodeList;
       while (current->next != nullptr) {
          current = current->next;
       current->next = newNode;
   this->countVertex++;
template <class T>
void DGraph<T>::connect(T from, T to, float weight) {
   VertexNode* fromNode = getVertexNode(from);
   VertexNode* toNode = getVertexNode(to);
   if (fromNode == nullptr || toNode == nullptr) {
       throw VertexNotFoundException("Vertex doesn't exist!");
   if (fromNode == toNode) {
       throw std::runtime error("Self-loops are not allowed!");
```

	Test	Expected	Got
~	DGraph <int> graph;</int>		
	for(int i = 0; i <	Number of vertices: 6	Number of vertices: 6
	6; i++)	V(0)	V(0)
	<pre>graph.add(i);</pre>	V(1)	V(1)
	<pre>graph.printGraph();</pre>	V(2)	V(2)
		V(3)	V(3)
		V(4)	V(4)
		V(5)	V(5)
		Number of edges: 0	Number of edges: 0
			=======================================

	Test	Expected	Got
~	DGraph <int> graph;</int>		
	for(int i = 0; i <	Number of vertices: 6	Number of vertices: 6
	6; i++)	V(0)	V(0)
	<pre>graph.add(i);</pre>	V(1)	V(1)
		V(2)	V(2)
	<pre>graph.connect(1, 2,</pre>	V(3)	V(3)
	40);	V(4)	V(4)
	<pre>graph.connect(1, 3,</pre>	V(5)	V(5)
	6.9);		
	graph.connect(4, 5,	Number of edges: 7	Number of edges: 7
	27);	E(0,2,11.2)	E(0,2,11.2)
	graph.connect(3, 2,	E(0,5,67)	E(0,5,67)
	2.1);	E(1,2,40)	E(1,2,40)
	graph.connect(0, 2,	E(1,3,6.9)	E(1,3,6.9)
	11.2);	E(2,1,19.75)	E(2,1,19.75)
	graph.connect(0, 5,	E(3,2,2.1)	E(3,2,2.1)
	67);	E(4,5,27)	E(4,5,27)
	graph.connect(2, 1,		
	19.75);		
	<pre>graph.printGraph();</pre>		



```
Câu hỏi 3
Đúng
Đạt điểm 1,00 trên 1,00
```

Template class DGraph representing a directed graph with type T with the initialized frame. It has attribute VertexNode* nodeList, which is the head of a singly linked list, representing list of vertex of this graph.

This class inloudes 2 classes: VertexNode and Edge.

- Class VertexNode representing a vertex in graph. It has some attributes:
 - + T vertex: the vertex's value.
 - + Edge* adList: a singly linked list representing the adjacent edges that have this vertex as their starting vertex (from).
- Class Edge representing an edge in graph. It has some attributes:
 - + VertexNode* fromNode VertexNode* toNode: represents the starting vertex (from) and ending vertex (to) of this edge.
 - + float weight: edge's weight.

Requirements: Implement methods removeEdge and removeVertex. Descriptions for each method are provided below.

Notes

- The removeTo method is used to delete an edge that ends at the vertex "toNode" from the adjacency list of the current vertex. Students should use this method when implementing removeEdge and removeVertex.
- You can use the methods from the previous exercises without needing to implement them again.

```
template <class T>
class DGraph {
public:
   class VertexNode; // Forward declaration
  class Edge; // Forward declaration
protected:
   VertexNode* nodeList; //list of vertexNode of DGraph
   int countVertex;
   int countEdge;
public:
   DGraph() {
     this->nodeList = nullptr;
     this->countEdge = 0;
     this->countVertex = 0;
   ~DGraph() {};
   VertexNode* getVertexNode(T vertex);
   void add(T vertex);
   void connect(T from, T to, float weight=0);
   void removeVertex(T removeVertex);
   bool removeEdge(T from, T to);
   string shape();
   bool empty();
   void clear();
   void printGraph();
public:
   class VertexNode {
   private:
     T vertex:
      Edge* adList; //list of adjacent edge of this vertex
```

```
VertexNode* next;
     friend class Edge;
     friend class DGraph;
  public:
     VertexNode(T vertex, Edge* adList = nullptr, VertexNode* next = nullptr) {
        this->vertex = vertex;
        this->adList = adList;
        this->next = next;
     string toString();
     void addAdjacentEdge(Edge* newEdge);
     bool connectTo(VertexNode* toNode, float weight = 0);
     bool removeTo(VertexNode* toNode);
     Edge* getEdge(VertexNode* toNode);
  };
  class Edge {
  private:
     VertexNode* fromNode;
     VertexNode* toNode;
     float weight;
     Edge* next;
     friend class VertexNode;
     friend class DGraph;
  public:
     Edge(VertexNode* fromNode, VertexNode* toNode, float weight = 0.0, Edge* next = nullptr) {
        this->fromNode = fromNode;
        this->toNode = toNode;
        this->weight = weight;
        this->next = next;
     string toString();
  };
};
```

For example:

Test	Result
DGraph <int> graph;</int>	
	Number of vertices: 6
<pre>for(int i = 0; i < 6; i++) graph.add(i);</pre>	V(0)
	V(1)
<pre>graph.connect(1, 2, 40);</pre>	V(2)
<pre>graph.connect(1, 3, 6.9);</pre>	V(3)
<pre>graph.connect(4, 5, 27);</pre>	V(4)
<pre>graph.connect(3, 2, 2.1);</pre>	V(5)
<pre>graph.connect(1, 2, 11.2);</pre>	
<pre>graph.connect(1, 3, 67);</pre>	Number of edges: 1
	E(3,2,2.1)
<pre>graph.removeEdge(1, 2);</pre>	
<pre>graph.removeEdge(4, 5);</pre>	
<pre>graph.removeEdge(1, 3);</pre>	
<pre>graph.printGraph();</pre>	

Test	Result
DGraph <int> graph;</int>	
	Number of vertices: 5
for(int i = 0; i < 6; i++) graph.add(i);	V(0)
	V(1)
graph.connect(1, 2, 40);	V(3)
graph.connect(1, 3, 6.9);	V(4)
graph.connect(4, 5, 27);	V(5)
graph.connect(3, 2, 2.1);	
graph.connect(1, 2, 11.2);	Number of edges: 2
	E(1,3,6.9)
<pre>graph.removeVertex(2);</pre>	E(4,5,27)
<pre>graph.printGraph();</pre>	

Answer: (penalty regime: 0 %)

Reset answer

```
template <class T>
bool DGraph<T>::removeEdge(T from, T to) {
   VertexNode* fromNode = getVertexNode(from);
    VertexNode* toNode = getVertexNode(to);
   if (!fromNode || !toNode) {
        throw VertexNotFoundException("Vertex doesn't exist!");
   if (fromNode->removeTo(toNode)) {
       countEdge--;
       return true;
   return false;
template <class T>
void DGraph<T>::removeVertex(T removeVertex) {
VertexNode* removeNode = getVertexNode(removeVertex);
   if (removeNode == nullptr) {
       throw VertexNotFoundException("Vertex doesn't exist!");
   VertexNode* current = nodeList;
    while (current != nullptr) {
       if (current->removeTo(removeNode)) {
           countEdge--;
        if (removeNode->removeTo(current)) {
           countEdge--;
        current = current->next;
   if (this->nodeList == removeNode) nodeList = nodeList->next;
       VertexNode* previous = nullptr;
       current = this->nodeList;
       while (current != removeNode) {
           previous = current;
```

Test	Expected	Got
<pre> ✓ DGraph<int> graph; for(int i = 0; i < 6; i++) graph.add(i); graph.connect(1, 2, 40); graph.connect(1, 3, 6.9); graph.connect(4, 5, 27); graph.connect(3, 2, 2.1); graph.connect(1, 2, 11.2); graph.connect(1, 3, 67); graph.removeEdge(1, 2); graph.removeEdge(4, 5); graph.removeEdge(1, 3); graph.printGraph(); </int></pre>	======================================	======================================
✓ DGraph <int> graph; for(int i = 0; i < 6; i++) graph.add(i); graph.connect(1, 2, 40); graph.connect(1, 3, 6.9); graph.connect(4, 5, 27); graph.connect(3, 2, 2.1); graph.connect(1, 2, 11.2); graph.removeVertex(2); graph.printGraph();</int>	Number of vertices: 5 V(0) V(1) V(3) V(4) V(5) Number of edges: 2 E(1,3,6.9) E(4,5,27) ====================================	Number of vertices: 5 V(0) V(1) V(3) V(4) V(5)

Đúng

```
Câu hỏi 4
Đúng
Đạt điểm 1,00 trên 1,00
```

Template class DGraph representing a directed graph with type T with the initialized frame. It has attribute VertexNode* nodeList, which is the head of a singly linked list, representing list of vertex of this graph.

This class inloudes 2 classes: VertexNode and Edge.

- Class VertexNode representing a vertex in graph. It has some attributes:
 - + T vertex: the vertex's value.
 - + Edge* adList: a singly linked list representing the adjacent edges that have this vertex as their starting vertex (from).
- Class Edge representing an edge in graph. It has some attributes:
 - + VertexNode* fromNode VertexNode* toNode: represents the starting vertex (from) and ending vertex (to) of this edge.
 - + float weight: edge's weight.

Requirements: Implement methods shape, empty and clear. Descriptions for each method are provided below.

Notes: You can use the methods from the previous exercises without needing to implement them again.

```
template <class T>
class DGraph {
public:
  class VertexNode; // Forward declaration
   class Edge; // Forward declaration
protected:
   VertexNode* nodeList; //list of vertexNode of DGraph
   int countVertex;
  int countEdge;
public:
  DGraph() {
     this->nodeList = nullptr;
     this->countEdge = 0;
     this->countVertex = 0;
   ~DGraph() {};
   VertexNode* getVertexNode(T vertex);
   void add(T vertex);
   void connect(T from, T to, float weight=0);
   void removeVertex(T removeVertex);
   bool removeEdge(T from, T to);
   string shape();
   bool empty();
   void clear();
   void printGraph();
public:
   class VertexNode {
   private:
     T vertex;
     Edge* adList; //list of adjacent edge of this vertex
     VertexNode* next;
      friend class Edge;
      friend class DGraph;
```

```
public:
     VertexNode(T vertex, Edge* adList = nullptr, VertexNode* next = nullptr) {
        this->vertex = vertex;
        this->adList = adList;
        this->next = next;
     }
     string toString();
     void addAdjacentEdge(Edge* newEdge);
     bool connectTo(VertexNode* toNode, float weight = 0);
     bool removeTo(VertexNode* toNode);
     Edge* getEdge(VertexNode* toNode);
  };
  class Edge {
  private:
     VertexNode* fromNode;
     VertexNode* toNode;
     float weight;
     Edge* next;
     friend class VertexNode;
     friend class DGraph;
  public:
     Edge(VertexNode* fromNode, VertexNode* toNode, float weight = 0.0, Edge* next = nullptr) {
        this->fromNode = fromNode;
        this->toNode = toNode;
        this->weight = weight;
        this->next = next;
     string toString();
  };
};
```

For example:

Test	Result
DGraph <int> graph;</int>	[Vertices: 6, Edges: 2]
for(int i = 0; i < 6; i++) graph.add(i);	
graph.connect(1, 2, 40);	
graph.connect(1, 3, 6.9);	
graph.connect(4, 5, 27);	
graph.connect(3, 2, 2.1);	
graph.connect(1, 2, 11.2);	
<pre>graph.connect(1, 3, 67);</pre>	
<pre>graph.removeEdge(1, 2);</pre>	
<pre>graph.removeEdge(4, 5);</pre>	
<pre>cout << graph.shape() << endl;</pre>	

Test	Result
<pre>DGraph<int> graph; for(int i = 0; i < 6; i++) graph.add(i);</int></pre>	[Vertices: 0, Edges: 0] Graph is empty!
<pre>graph.connect(1, 2, 40); graph.connect(1, 3, 6.9); graph.connect(4, 5, 27); graph.connect(3, 2, 2.1); graph.connect(1, 2, 11.2); graph.connect(1, 3, 67);</pre>	
<pre>graph.clear(); cout << graph.shape() << endl; cout << (graph.empty() ? "Graph is empty!" : "Graph is not empty!") << endl;</pre>	

Answer: (penalty regime: 0 %)

Reset answer

```
template<class T>
string DGraph<T>::shape() {
   return "[Vertices: " + to_string(this->countVertex) + ", Edges: " + to_string(this->countEdge)
+ "]";
template<class T>
bool DGraph<T>::empty() {
   return this->countVertex == 0 && this->countEdge == 0;
template<class T>
void DGraph<T>::clear() {
   VertexNode* current = this->nodeList;
   while (current != nullptr) {
      VertexNode* temp = current;
       current = current->next;
       delete temp;
   this->nodeList = nullptr;
   this->countVertex = 0;
   this->countEdge = 0;
```

	Test	Expected	Got	
~	DGraph <int> graph;</int>	[Vertices: 6, Edges: 2]	[Vertices: 6, Edges: 2]	~
	for(int i = 0; i < 6; i++) graph.add(i);			
	<pre>graph.connect(1, 2, 40);</pre>			
	graph.connect(1, 3, 6.9);			
	graph.connect(4, 5, 27);			
	graph.connect(3, 2, 2.1);			
	graph.connect(1, 2, 11.2);			
	<pre>graph.connect(1, 3, 67);</pre>			
	<pre>graph.removeEdge(1, 2);</pre>			
	<pre>graph.removeEdge(4, 5);</pre>			
	<pre>cout << graph.shape() << endl;</pre>			

	Test	Expected	Got	
~	DGraph <int> graph;</int>	[Vertices: 0, Edges: 0]	[Vertices: 0, Edges: 0]	~
	<pre>for(int i = 0; i < 6; i++) graph.add(i);</pre>	Graph is empty!	Graph is empty!	
	<pre>graph.connect(1, 2, 40);</pre>			
	graph.connect(1, 3, 6.9);			
	<pre>graph.connect(4, 5, 27);</pre>			
	graph.connect(3, 2, 2.1);			
	graph.connect(1, 2, 11.2);			
	<pre>graph.connect(1, 3, 67);</pre>			
	<pre>graph.clear();</pre>			
	<pre>cout << graph.shape() << endl;</pre>			
	<pre>cout << (graph.empty() ? "Graph is empty!" : "Graph is not</pre>			
	<pre>empty!") << endl;</pre>			



```
Câu hỏi 5
Đúng
Đạt điểm 1,00 trên 1,00
```

Implement Breadth-first search

```
Adjacency *BFS(int v);
```

where Adjacency is a structure to store list of number.

```
#include <iostream>
#include <list>
using namespace std;
class Adjacency
private:
        list<int> adjList;
        int size;
public:
        Adjacency() {}
        Adjacency(int V) {}
        void push(int data)
        {
                adjList.push_back(data);
                size++;
        void print()
        {
                for (auto const &i : adjList)
                        cout << " -> " << i;
        void printArray()
        {
                for (auto const &i : adjList)
                        cout << i << " ";
        }
        int getSize() { return adjList.size(); }
        int getElement(int idx)
        {
                auto it = adjList.begin();
                advance(it, idx);
                return *it;
        }
};
```

And Graph is a structure to store a graph (see in your answer box)

For example:

```
Result
Test
int V = 6;
                                                                         0 1 2 3 4 5
int visited = 0;
Graph g(V);
Adjacency* arr = new Adjacency(V);
int edge[][2] = \{\{0,1\},\{0,2\},\{1,3\},\{1,4\},\{2,4\},\{3,4\},\{3,5\},\{4,5\}\};
for(int i = 0; i < 8; i++)
    g.addEdge(edge[i][0], edge[i][1]);
}
arr = g.BFS(visited);
arr->printArray();
delete arr;
int V = 6;
                                                                         2 0 4 1 3 5
int visited = 2;
Graph g(V);
Adjacency* arr = new Adjacency(V);
int edge[][2] = \{\{0,1\},\{0,2\},\{1,3\},\{1,4\},\{2,4\},\{3,4\},\{3,5\},\{4,5\}\};
for(int i = 0; i < 8; i++)
    g.addEdge(edge[i][0], edge[i][1]);
}
arr = g.BFS(visited);
arr->printArray();
delete arr;
```

Answer: (penalty regime: 0 %)

Reset answer

```
#include <queue>
class Graph
private:
       int V;
       Adjacency *adj;
public:
        Graph(int V)
        {
               this->V = V;
                adj = new Adjacency[V];
       void addEdge(int v, int w)
                adj[v].push(w);
               adj[w].push(v);
        }
    void printGraph()
        {
                for (int v = 0; v < V; ++v)
                        cout << "\nAdjacency list of vertex " << v << "\nhead ";</pre>
                        adj[v].print();
       Adjacency *BFS(int v)
       bool *visited = new bool[V];
        for (int i = 0; i < V; i++)
           visited[i] = false;
        queue<int> queue;
        Adjacency *bfsResult = new Adjacency();
        visited[v] = true;
        queue.push(v);
```

	Test	Expected	Got	
/	int V = 6;	0 1 2 3 4 5	012345	
	<pre>int visited = 0;</pre>			
	Graph g(V);			
	Adjacency* arr = new Adjacency(V);			
	int edge[][2] = {{0,1},{0,2},{1,3},{1,4},{2,4},{3,4},{3,5},{4,5}};			
	for(int i = 0; i < 8; i++)			
	{			
	<pre>g.addEdge(edge[i][0], edge[i][1]);</pre>			
	}			
	<pre>arr = g.BFS(visited);</pre>			
	<pre>arr->printArray();</pre>			
	delete arr;			

	Test	Expected	Got	
~	<pre>int V = 6; int visited = 2;</pre>	2 0 4 1 3 5	2 0 4 1 3 5	~
	Graph g(V); Adjacency* arr = new Adjacency(V); int edge[][2] = {{0,1},{0,2},{1,3},{1,4},{2,4},{3,4},{3,5},{4,5}};			
	<pre>for(int i = 0; i < 8; i++) {</pre>			
	<pre>g.addEdge(edge[i][0], edge[i][1]); }</pre>			
	<pre>arr = g.BFS(visited); arr->printArray(); delete arr;</pre>			
~	<pre>int V = 8, visited = 5;</pre>	5 2 0 1 6 3 4	5 2 0 1 6 3 4	~
	Graph g(V);	,		
	Adjacency *arr; int edge[][2] = {{0,1}, {0,2}, {0,3}, {0,4}, {1,2}, {2,5}, {2,6}, {4,6},			
	{6,7}};			
	for(int i = 0; i < 9; i++) {			
	<pre>\tg.addEdge(edge[i][0], edge[i][1]);</pre>			
	}			
	<pre>// g.printGraph();</pre>			
	// cout << endl;			
	<pre>arr = g.BFS(visited); arr->printArray();</pre>			
	delete arr;			

Đúng

```
Câu hỏi 6
Đúng
Đạt điểm 1,00 trên 1,00
```

Implement Depth-first search

```
Adjacency *DFS(int v);
```

where Adjacency is a structure to store list of number.

```
#include <iostream>
#include <list>
using namespace std;
class Adjacency
private:
        list<int> adjList;
        int size;
public:
        Adjacency() {}
        Adjacency(int V) {}
        void push(int data)
        {
                adjList.push_back(data);
                size++;
        }
        void print()
        {
                for (auto const &i : adjList)
                        cout << " -> " << i;
        }
        void printArray()
        {
                for (auto const &i : adjList)
                        cout << i << " ";
        int getSize() { return adjList.size(); }
        int getElement(int idx)
                auto it = adjList.begin();
                advance(it, idx);
                return *it;
        }
};
```

And Graph is a structure to store a graph (see in your answer box)

For example:

```
Test
                                                                                         Result
int V = 8, visited = 0;
                                                                                         0 1 2 5 6 4 7 3
Graph g(V);
Adjacency *arr;
int edge[][2] = \{\{0,1\}, \{0,2\}, \{0,3\}, \{0,4\}, \{1,2\}, \{2,5\}, \{2,6\}, \{4,6\}, \{6,7\}\};
for(int i = 0; i < 9; i++)
{
        g.addEdge(edge[i][0], edge[i][1]);
}
// g.printGraph();
// cout << endl;</pre>
arr = g.DFS(visited);
arr->printArray();
delete arr;
```

Answer: (penalty regime: 0 %)

Reset answer

```
#include <stack>
class Graph
private:
       int V;
       Adjacency *adj;
public:
        Graph(int V)
        {
               this->V = V;
                adj = new Adjacency[V];
        void addEdge(int v, int w)
                adj[v].push(w);
               adj[w].push(v);
        }
    void printGraph()
        {
                for (int v = 0; v < V; ++v)
                        cout << "\nAdjacency list of vertex " << v << "\nhead ";</pre>
                        adj[v].print();
       Adjacency *DFS(int v)
       bool *visited = new bool[V];
        for (int i = 0; i < V; i++)
          visited[i] = false;
        stack<int> stack;
        Adjacency *result = new Adjacency();
        stack.push(v);
        while (!stack.empty())
            v = stack.top();
           stack.pop();
            if (!visited[v])
               result->push(v);
               visited[v] = true;
            }
```

```
Test
                                                                                  Expected
                                                                                                    Got
int V = 8, visited = 0;
                                                                                  0 1 2 5 6 4 7
                                                                                                    0 1 2 5 6 4 7
Graph g(V);
Adjacency *arr;
int edge[][2] = \{\{0,1\}, \{0,2\}, \{0,3\}, \{0,4\}, \{1,2\}, \{2,5\}, \{2,6\}, \{4,6\},
for(int i = 0; i < 9; i++)
\tg.addEdge(edge[i][0], edge[i][1]);
// g.printGraph();
// cout << endl;</pre>
arr = g.DFS(visited);
arr->printArray();
delete arr;
```



```
Câu hỏi 7
Đúng
Đạt điểm 1,00 trên 1,00
```

The relationship between a group of people is represented by an adjacency-list friends. If friends[u] contains v, u and v are friends. Friendship is a two-way relationship. Two people are in a friend group as long as there is some path of mutual friends connecting them.

Request: Implement function:

int numberOfFriendGroups(vector<vector<int>>& friends);

Where friends is the adjacency-list representing the friendship (this list has between 0 and 1000 lists). This function returns the number of friend groups.

Example:

```
Given a adjacency-list: [[1], [0, 2], [1], [4], [3], []]
There are 3 friend groups: [0, 1, 2], [3, 4], [5]
```

Note:

In this exercise, the libraries iostream, string, cstring, climits, utility, vector, list, stack, queue, map, unordered_map, set, unordered_set, functional, algorithm have been included and namespace std is used. You can write helper functions and class. Importing other libraries is allowed, but not encouraged.

For example:

Test	Result
<pre>vector<vector<int>> graph {</vector<int></pre>	3
{1},	
{0, 2},	
{1},	
{4},	
{3},	
{}	
};	
<pre>cout << numberOfFriendGroups(graph);</pre>	

Answer: (penalty regime: 0 %)

Reset answer

```
int numberOfFriendGroups(vector<vector<int>>& friends) {
   int n = friends.size();
   vector<bool> visited(n, false);
   int friendGroups = 0;

function<void(int)> dfs = [&](int node) {
     visited[node] = true;
     for (int neighbor : friends[node]) {
        if (!visited[neighbor]) {
            dfs(neighbor);
        }
    }
   };

for (int i = 0; i < n; ++i) {
    if (!visited[i]) {
        ++friendGroups;
        dfs(i);</pre>
```

	Test	Expected	Got	
~	vector <vector<int>> graph {</vector<int>	3	3	~
	\t{1},			
	\t{0, 2},			
	\t{1},			
	\t{4},			
	\t{3},			
	};			
	<pre>cout << numberOfFriendGroups(graph);</pre>			
~	vector <vector<int>> graph {</vector<int>	0	0	~
	};			
	<pre>cout << numberOfFriendGroups(graph);</pre>			



```
Câu hỏi 8
Đúng
Đạt điểm 1,00 trên 1,00
```

Implement function to detect a cyclic in Graph

```
bool isCyclic();
```

Graph structure is defined in the initial code.

For example:

Test	Result
DirectedGraph g(8); int edege[][2] = $\{\{0,6\}, \{1,2\}, \{1,4\}, \{1,6\}, \{3,0\}, \{3,4\}, \{5,1\}, \{7,0\}, \{7,1\}\};$	Graph doesn't contain cycle
<pre>for(int i = 0; i < 9; i++) g.addEdge(edege[i][0], edege[i][1]);</pre>	
<pre>if(g.isCyclic()) cout << "Graph contains cycle"; else</pre>	
<pre>cout << "Graph doesn't contain cycle";</pre>	

Answer: (penalty regime: 0 %)

Reset answer

```
#include <iostream>
#include <vector>
#include <list>
using namespace std;
class DirectedGraph
        int V;
        vector<list<int>> adj;
public:
        DirectedGraph(int V)
                this->V = V;
                adj = vector<list<int>>(V, list<int>());
        void addEdge(int v, int w)
                adj[v].push back(w);
        bool isCyclic()
            vector<bool> visited(V, false);
        vector<bool> recStack(V, false);
        for (int i = 0; i < V; i++)
           if (isCyclicUtil(i, visited, recStack))
                return true;
        return false;
private:
    bool isCyclicUtil(int v, vector<bool> &visited, vector<bool> &recStack)
        if(!visited[v])
            visited[v] = true;
            recStack[v] = true;
            for(auto i = adj[v].begin(); i != adj[v].end(); ++i)
                if (!visited[*i] && isCyclicUtil(*i, visited, recStack))
                    return true;
                else if (recStack[*i])
                   return true;
            }
        recStack[v] = false;
        return false;
```

	Test	Expected	Got	
~	DirectedGraph g(8); int edege[][2] = {{0,6}, {1,2}, {1,4}, {1,6}, {3,0}, {3,4}, {5,1}, {7,0}, {7,1}};	Graph doesn't contain cycle	Graph doesn't contain cycle	~
	<pre>for(int i = 0; i < 9; i++) \tg.addEdge(edege[i][0], edege[i][1]);</pre>			
	<pre>if(g.isCyclic()) \tcout << "Graph contains cycle"; else \tcout << "Graph doesn't contain cycle";</pre>			



```
Câu hỏi 9
Đúng
Đạt điểm 1,00 trên 1,00
```

Implement topologicalSort function on a graph. (Ref here)

```
void topologicalSort();
```

where Adjacency is a structure to store list of number. Note that, the vertex index starts from 0. To match the given answer, please always traverse from 0 when performing the sorting.

```
#include <iostream>
#include <list>
using namespace std;
class Adjacency
private:
        list<int> adjList;
        int size;
public:
        Adjacency() {}
        Adjacency(int V) {}
        void push(int data)
        {
                adjList.push_back(data);
                size++;
        }
        void print()
        {
                for (auto const &i : adjList)
                        cout << " -> " << i;
        }
        void printArray()
        {
                for (auto const &i : adjList)
                        cout << i << " ";
        int getSize() { return adjList.size(); }
        int getElement(int idx)
                auto it = adjList.begin();
                advance(it, idx);
                return *it;
        }
};
```

And Graph is a structure to store a graph (see in your answer box). You could write one or more helping functions.

For example:

Test	Result					
Graph g(6); g.addEdge(5, 2); g.addEdge(5, 0); g.addEdge(4, 0); g.addEdge(4, 1); g.addEdge(2, 3); g.addEdge(3, 1);	5	4	2	3	1	0
<pre>g.topologicalSort();</pre>						

Answer: (penalty regime: 0 %)

Reset answer

```
class Graph {
   int V;
    Adjacency* adj;
public:
   Graph(int V) {
       this->V = V;
       adj = new Adjacency[V];
   void addEdge(int v, int w){
       adj[v].push(w);
   void topologicalSort() {
       stack<int> Stack;
       bool *visited = new bool[V];
        for (int i = 0; i < V; i++)
            visited[i] = false;
        for (int i = 0; i < V; i++)
            if (visited[i] == false)
                topologicalSortUtil(i, visited, Stack);
        while (!Stack.empty()) {
           cout << Stack.top() << " ";
            Stack.pop();
        delete[] visited;
    void topologicalSortUtil(int v, bool visited[], stack<int> &Stack) {
        visited[v] = true;
        for (int i = 0; i < adj[v].getSize(); ++i) {</pre>
           int adjVertex = adj[v].getElement(i);
           if (!visited[adjVertex])
                topologicalSortUtil(adjVertex, visited, Stack);
        Stack.push(v);
```

	Test	Expected	Got	
~	Graph g(6); g.addEdge(5, 2); g.addEdge(5, 0); g.addEdge(4, 0); g.addEdge(4, 1); g.addEdge(2, 3); g.addEdge(3, 1); g.topologicalSort();	5 4 2 3 1 0	5 4 2 3 1 0	~



```
Câu hởi 10
Đúng
Đạt điểm 1,00 trên 1,00
```

Given a graph and a source vertex in the graph, find shortest paths from source to destination vertice in the given graph using Dijsktra's algorithm.

Following libraries are included: iostream, vector, algorithm, climits, queue

For example:

Test	Result
<pre>int n = 6; int init[6][6] = {</pre>	10
{0, 10, 33, 20, 0, 1}, {0, 0, 0, 2, 1, 0} }; int** graph = new int*[n];	
for (int i = 0; i < n; ++i) { graph[i] = init[i]; }	
cout << Dijkstra(graph, 0, 1);	

Answer: (penalty regime: 0 %)

Reset answer

```
// Some helping functions
int Dijkstra(int** graph, int src, int dst) {
        int n = 6; // Assuming the graph has 6 vertices
        vector<int> dist(n, INT_MAX);
        vector<bool> visited(n, false);
        dist[src] = 0;
        for (int i = 0; i < n - 1; ++i) {
                int minDist = INT MAX, u = -1;
                for (int v = 0; v < n; ++v) {
                        if (!visited[v] && dist[v] < minDist) {</pre>
                               minDist = dist[v];
                               u = v;
                        }
                if (u == -1) break;
                visited[u] = true;
                for (int v = 0; v < n; ++v) {
                        if (!visited[v] && graph[u][v] && dist[u] != INT MAX && dist[u] +
graph[u][v] < dist[v]) {</pre>
                               dist[v] = dist[u] + graph[u][v];
              }
        return dist[dst];
```

	Test	Expected	Got	
~	<pre>int n = 6; int init[6][6] = { \t{0, 10, 20, 0, 0, 0}, \t{10, 0, 0, 50, 10, 0}, \t{20, 0, 0, 20, 33, 0}, \t{0, 50, 20, 0, 20, 2}, \t{0, 10, 33, 20, 0, 1}, \t{0, 0, 0, 2, 1, 0} }; int** graph = new int*[n];</pre>	10	10	~
	<pre>for (int i = 0; i < n; ++i) { \tgraph[i] = init[i]; } cout << Dijkstra(graph, 0, 1);</pre>			

Đúng