

Los valores de las constantes son:

```
In[1]:=  $\rho = -0.9$ 
 $s_0 = 14.515 / 14.515$ 
 $\sigma = .38009407863480477$ 
 $r = 0.18$ 
 $t_0 = 1$ 
```

```
Out[1]= -0.9
```

```
Out[2]= 1.
```

```
Out[3]= 0.380094
```

```
Out[4]= 0.18
```

```
Out[5]= 1
```

Como podemos observar coincide con el u_0 de ADM.

```
In[6]:=  $u_0[x_, t_] := -0.009389370985559907 + 15.894150659220383 * x$ 
```

```
In[7]:=  $u_0[x, t]$ 
```

```
Out[7]= -0.00938937 + 15.8942 x
```

```
In[8]:=  $u_0[s_0, 1]$ 
```

```
Out[8]= 15.8848
```

```
In[9]:=  $A_0[s_, t_] := (D[D[u_0[s, t], s], s])^2$ 
```

```
In[10]:=  $A_0[s, t]$ 
```

```
Out[10]= 0
```

```
In[11]:=  $a_0[s_, t_] := 0$ 
```

```
In[12]:=  $a_0[s_0, t_0]$ 
```

```
Out[12]= 0
```

```
In[13]:=  $u_1[s_, t_] :=$ 

$$- \text{Integrate}[-1/2 * \sigma^2 * S^2 * D[D[u_0[s, t], s], s] + r * S * D[u_0[s, t], s] - r, t] -$$


$$\rho * \sigma^2 * (\text{Integrate}[-S^3 * A_0[s, t], t])$$

```

```
In[14]:=  $u_1[s, t]$ 
```

```
Out[14]= 0. - (-0.18 + 2.86095 S) t
```

```
In[15]:=  $U_1[s_, t_] := 0. - (-0.18 + 2.8609471186596687 S) t$ 
```

```
In[16]:=  $U_1[s_0, t_0]$ 
```

```
Out[16]= -2.68095
```

```
In[17]:=  $A_1[s, t] := 2 * (D[D[u_0[s, t], s], s]) * (D[D[u_1[s, t], s], s])$ 
```

```
In[18]:= A1[S, t]
```

```
Out[18]= 0
```

```
In[19]:= a1[S_, t_] := 0
```

```
In[20]:= a1[S0, t0]
```

```
Out[20]= 0
```

```
In[21]:= u2[S_, t_] :=  
-Integrate[-1/2 * σ^2 * S^2 * D[D[u1[S, t], S], S] + r * S * D[u1[S, t], S] - r, t] -  
ρ * σ^2 * (Integrate[-S^3 * A1[S, t], t])
```

```
In[22]:= u2[S, t]
```

```
Out[22]= 0. + 0.18 t + 0.257485 S t^2
```

```
In[23]:= U2[S_, t_] := 0. + 0.18 t + 0.2574852406793702 S t^2
```

```
In[24]:= U2[S0, t0]
```

```
Out[24]= 0.437485
```

```
In[25]:= u[S_, t_] := u0[S, 0] + u1[S, t] + u2[S, t]
```

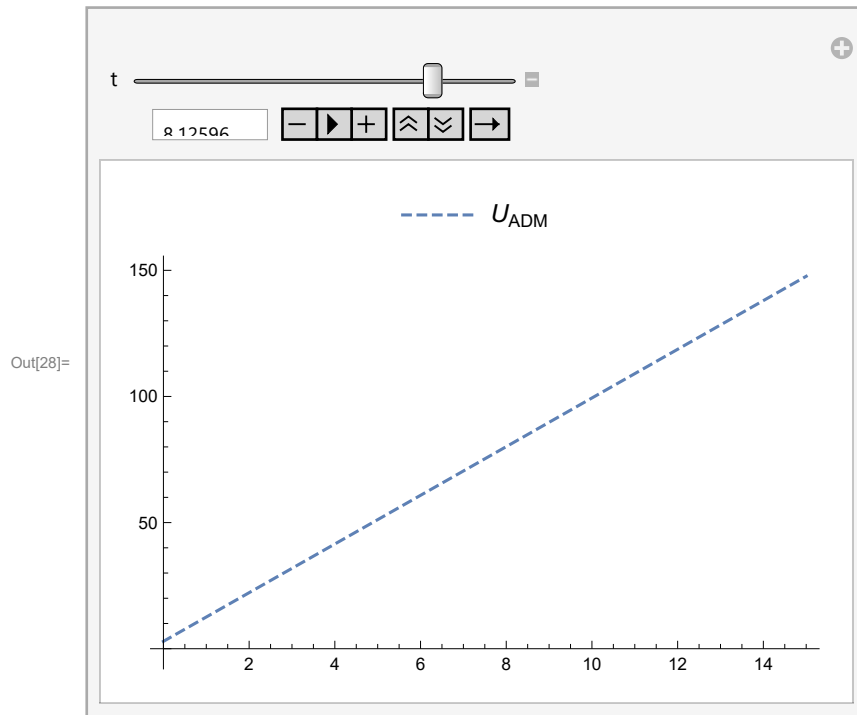
```
In[26]:= u[S, t]
```

```
Out[26]= -0.00938937 + 15.8942 S + 0.18 t - (-0.18 + 2.86095 S) t + 0.257485 S t^2
```

```
In[27]:=
```

```
U[S_, t_] := -0.009389370985559907 + 15.894150659220383 S +  
0.18 t - (-0.18 + 2.8609471186596687 S) t + 0.2574852406793702 S t^2
```

```
In[28]:= Manipulate[Plot[{U[S, t]}, {S, 0, 15}, PlotLegends → Placed[{"UADM"}, Above],
  PlotStyle → {Triangle, Dashed}, AxesOrigin → {0, 0}], {t, 0, 10}]
```



```
In[29]:= U[1, 1]
```

```
Out[29]= 13.6413
```

```
(U[S0, .5] / 14.515 - 1) * 100
```

```
Out[30]= 1.26531
```