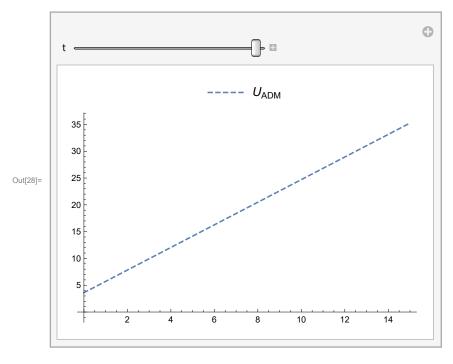
```
Los valores de las constantes son:
 ln[1] = \rho = 0.9
     S0 = 2.637 / 2.637
     \sigma = 0.03165594360356522
     r = 0.18
     t0 = 1
Out[1]= 0.9
Out[2]= 1.
Out[3]= 0.0316559
Out[4]= 0.18
Out[5]= 1
     Como podemos observar coinside con el u0 de ADM.
 ln[7] = u0[x, t]
Out[7]= 0.00951667 + 2.57304 x
 ln[8]:= u0[S0, 1]
Out[8]= 2.58256
 ln[9]:= A0[S_, t_] := (D[D[u0[S, t], S], S])^2
In[10]:=
     A0[S, t]
Out[10]= 0
ln[11] = a0[S_, t_] := \{(4.894795283664987^+7606.728690945833^S)^2\}
In[12]:= a0[S0, t0]
Out[12]= \{5.79368 \times 10^7\}
In[13]:= u1[S_, t_] :=
      -Integrate [-1/2*\sigma^2*S^2*D[D[u0[S, t], S], S] + r*S*D[u0[S, t], S] - r, t] -
        \rho * \sigma^2 * (Integrate[-S^3 * A0[S, t], t])
In[14]:= u1[S, t]
Out[14]= 0. - (-0.18 + 0.463148 S) t
```

 $(-0.08^{-125.1878846165614} s^{2} (4.894795283664987 + 7606.728690945833 s) + 0.08 s (-0.04328399294027511 + 4.894795283664987 s + 3803.3643454729163 s^{2}) t$ 

```
In[16]:= U1[S0, t0]
Out[16]= \{-1.44107 \times 10^8\}
\label{eq:definition} \mbox{ln[17]:= A1[S, t] := 2*(D[D[u0[S, t], S], S])*(D[D[u1[S, t], S], S])}
In[18]:= A1[S, t]
Out[18]= 0
In[19]:= a1[S_, t_] := 0
In[20]:= a1[S0, t0]
Out[20]= 0
In[21]:= u2[S_, t_] :=
       \rho * \sigma^2 * (Integrate[-S^3 * A1[S, t], t])
In[22]:= u2[S, t]
Out[22]= 0. + 0.18 t + 0.0416833 S t^2
ln[23]:= U2[S_, t_] := 0.\ + 0.18\ t + 0.2574852406793702\ S t^2
In[24]:= U2[S0, t0]
Out[24]= 0.437485
ln[25]:= u[S_, t_] := u0[S, 0] + u1[S, t] + u2[S, t]
In[26]:= u[S, t]
Out[26] = 0.00951667 + 2.57304 S + 0.18 t - (-0.18 + 0.463148 S) t + 0.0416833 S t^{2}
In[27]:=
     U[S_, t_] := 0.009516666666666734` + 2.5730444444444434` S +
        0.18 t - (-0.18 + 0.4631479999999998 s) t + 0.04168331999999998 s t<sup>2</sup>
```

 ${\tt PlotStyle} \rightarrow {\tt Triangle}, \, {\tt Dashed} \}, \, {\tt AxesOrigin} \rightarrow {\tt \{0, 0\}]} \,, \, {\tt \{t, 0, 10\}]}$ 



In[36]:= **U[1, 10 / 12]** 

Out[36]= 2.52555

ln[38] = (U[S0, 10/12]/2.637-1)\*100

Out[38]= -4.22635