```
\{P\} \equiv \{ n \ge 0 \}
\{P'\} \equiv \{2 = 2\}
\{P''\} \equiv \{ 2 = 2^{n-n+1} \}
          p = n
\{R1\} \equiv \{ 2 = 2^{n-p+1} \}
\{R1'\} \equiv \{ 2 = 2^{n-p+1} \land True \}
\{R1''\} \equiv \{ 2 = 2^{n-p+1} \land (p \neq 0 \lor True) \}
\{R1'''\} \equiv \{1+1 = 2^{n-p+1} \land (p \neq 0 \lor 1 = 1)\}
          b = 1
\{R2\} \equiv \{b+1 = 2^{n-p+1} \land (p \neq 0 \lor b = 1)\}
\{INV\} \equiv \{b+r = 2^{n-p+1} \land (p \neq 0 \lor b = r)\}
          while p != 0:
          \{INV \land B\} \equiv \{b+r = 2^{n-p+1} \land p \neq 0\}
                     if b == 0:
                     \{INV \land B \land C\} \equiv \{I1\} \equiv \{b+r = 2^{n-p+1} \land p \neq 0 \land b = 0\}
                     \{I1'\} \equiv \{ r = 2^{n-p+1} \land p \neq 0 \land b = 0 \}
                     \{I1"\} \equiv \{ r = 2^{n-p-1} \land p-1 \neq 0 \}
                     \{11""\} \equiv \{ 2r = 2^{n-p} \land p-1 \neq 0 \}
                                p = p-1
                     \{S1\} \equiv \{\; r + r = 2^{n \text{-} p + 1} \; \land \; p \neq 0 \; \}
                                b = r
                     \{INV'\} \equiv \{b+r = 2^{n-p+1} \land p \neq 0\}
                     else:
                     \{INV \land B \land \neg C\} \equiv \{I2\} \equiv \{b+r = 2^{n-p+1} \land p \neq 0 \land b \neq 0\}
                     \{12'\} \equiv \{b+r = 2^{n-p+1} \land p \neq 0\}
                     \{12"\} \equiv \{ b-1+r+1 = 2^{n-p+1} \land p \neq 0 \}
                                r = r+1
                     \{S2\} \equiv \{ b-1+r = 2^{n-p+1} \land p \neq 0 \}
                                b = b-1
                     \{INV'\} \equiv \{\ b{+}r = 2^{n{\text -}p{+}1} \ \land \ p \neq 0\ \}
          \{INV'\} \equiv \{b+r = 2^{n-p+1} \land p \neq 0\}
          \{INV\} \equiv \{b+r = 2^{n-p+1} \land (p \neq 0 \lor b = r)\}
\{INV \land \neg B\} \equiv \{b+r = 2^{n-p+1} \land (p \neq 0 \lor b = r) \land p = 0\}
\{Q''\} \equiv \{b+r = 2^{n-p+1} \land b = r \land p = 0\}
\{Q'\} \equiv \{ 2r = 2^{n+1} \}
\{Q\} \equiv \{r = 2^n\}
      return r
```

$$\{P\} \Longrightarrow \{P'\}$$
 Kosequenzregel

$$\{P'\} \equiv \{P''\}$$

$$\{P''\} \Longrightarrow \{R1\}$$
 Zuweisungsaxiom

$$\{R1\} \equiv \{R1'\} \equiv \{R1''\} \equiv \{R1'''\}$$

$$\{R1'''\} \Longrightarrow \{R2\}$$
 Zuweisungsaxiom

$$\{R2\} \Longrightarrow \{INV\}$$
 Zuweisungsaxiom

$$\{INV \land B \land C\} \equiv \{I1\} \equiv \{I1'\}$$

$$\{I1"\} \equiv \{I1"'\}$$

$$\{I1'''\} \Longrightarrow \{S1\}$$
 Zuweisungsaxiom

$${S1} \Longrightarrow {INV'}$$
 Zuweisungsaxiom

$${INV \land B \land \neg C} \equiv {I2}$$

$$\{I2\} \Rightarrow \{I2'\}$$
 Kosequenzregel

$$\{I2'\} \equiv \{I2''\}$$

$$\{I2"\} \Rightarrow \{S2\}$$
 Zuweisungsaxiom

Bedingungsregel:

$${INV \land B}/{INV \land B} \Longrightarrow {INV'}$$

While-Regel:

$$\{INV\} \Longrightarrow \{INV \land \neg B\}$$

$$\{INV \land \neg B\} \equiv \{Q''\}$$

$$\{Q''\} \Longrightarrow \{Q'\}$$
 Kosequenzregel

$$\{Q'\} \equiv \{Q\}$$

Sequenzregeln:

$${P} => {Q}$$