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- Matrix operations
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Numpy

- Numpy is a Python package
- It stands for 'Numerical Python'
- It is a library consisting of multidimensional array objects and a collection of routines for processing of array

Using Numpy, a developer can perform the following operations:

- o Mathematical and logical operations on arrays
- o Fourier transforms
- o Operations related to linear algebra





Numpy array

An ordered collection of basic data types of given length

Code

```
import numpy as np
x = np.array([2,3,4,5])
print(type(x))
print(x)
```

```
In [5]: import numpy as np
In [6]: x = np.array([2,3,4,5])
In [7]: print(type(x))
<class 'numpy.ndarray'>
In [8]: print(x)
[2 3 4 5]
```



Trying coercions on arrays

Code

```
print ('numpy can handle different catagorical entities ... \n')
import numpy as np
x = np.array([2,3,'n',5])
print(type(x))
print(x)
```

Console Output

```
In [9]: x = np.array([2,3,'n',5])
In [10]: print(type(x))
<class 'numpy.ndarray'>
In [11]: print(x)
['2' '3' 'n' '5']
```

All elements are coerced to same data type



Numpy - Statistical functions

Code

```
import numpy as np
a = np.array([[1,2,3],[3,4,5],[4,5,6]])
print('Our array is:\n',a)
```

Console Output

```
Our array is:
[[1 2 3]
[3 4 5]
[4 5 6]]
```

Finding the sum:

Finding the sum:
(along axis = 0)

Finding the sum:
(along axis = 1)

a.sum()
np.sum(a)
33

np.sum(a, axis = 0) array([8, 11, 14])

np.sum(a, axis = 1) array([6, 12, 15]) Entire array is summed

sum of the entries across the rows

sum of the entries across the columns



Other functions

Please try other statistical functions such as:

- Mean mean()
- Variance var()
- Standard deviation std()



Matrices

- Rectangular arrangement of numbers in rows and columns
- Rows run horizontally and columns run vertically

$$\begin{bmatrix}
 1 & 5 & 3 \\
 4 & 9 & 2 \\
 5 & 6 & 7
 \end{bmatrix}
 \begin{bmatrix}
 1 \\
 2 \\
 \hline
 3
 \end{bmatrix}
 \begin{bmatrix}
 1 \\
 2 \\
 \hline
 3
 \end{bmatrix}$$



Matrices

Creating a matrix

Code

```
import numpy as np
m1 = np.matrix("1,2,3;4,5,6;7,8,9")
print(m1)
```

```
In [1]: import numpy as np
In [2]: m1 = np.matrix("1,2,3;4,5,6;7,8,9")
In [3]: print(m1)
[[1 2 3]
  [4 5 6]
  [7 8 9]]
```



Matrices

Size of Matrix

IN THE EXAMPLE: CONTINUE FROM PREVIOUS CODE

<u>Code</u>

```
# Information from matrix
# Dimension of matrix
m1.shape
# No. of elements in matrix
m1.size
# To find the rows and columns
m1.shape[0]
m1.shape[1]
```

```
m1.shape
(3, 3)
m1.size
m1.shape[0]
3
m1.shape[1]
```



Inserting row/column to a matrix

Code

```
import numpy as np
T = np.matrix(np.arange(0,20)).reshape(5,4)
print(T)
```

```
[[ 0 1 2 3]
[ 4 5 6 7]
[ 8 9 10 11]
[12 13 14 15]
[16 17 18 19]]
```





Creating values for a new column

Code

c = np.matrix("3,9,0,8,8")
print(c)

Console Output

[[3 9 0 8 8]]

Creating values for a new row

Code

```
r = np.matrix("7,9,8,9")
print(r)
```

Console Output

[[7 9 8 9]]

Inserting row/column to a matrix



Adding a new column

Code

np.insert(T,0,c,axis = 1)

Console Output

Adding a new row

Code

np.insert(T,0,r,axis = 0)



Matrix operations

Matrix operations in python

- Addition
- o subtraction
- Matrix Multiplication
- Matrix Division
- Matrix operations

Matrices – Arithmetic operations - I



Create matrix n1 & n2

$$n1 = \begin{bmatrix} 1 & 2 & 3 \\ 4 & 5 & 6 \\ 8 & 9 & 1 \end{bmatrix}_{3 \times 3}$$

$$n2 = \begin{bmatrix} 3 & 1 & 3 \\ 4 & 2 & 1 \\ 5 & 1 & 2 \end{bmatrix}_{3\times 3}$$

Matrix addition

```
print(np.add(n1,n2))
[[ 4  3  6]
  [ 8  7  7]
  [13  10  3]]
```

Matrix subtraction

print(np.subtract(n1,n2))



Matrix - Arithmetic operations - II

$$n1 = \begin{bmatrix} 1 & 2 & 3 \\ 4 & 5 & 6 \\ 8 & 9 & 1 \end{bmatrix}_{3 \times 3}$$

$$n2 = \begin{bmatrix} 3 & 1 & 3 \\ 4 & 2 & 1 \\ 5 & 1 & 2 \end{bmatrix}_{3 \times 3}$$

Matrix multiplication

print(np.dot(n1,n2))
[[26 8 11]
 [62 20 29]
 [65 27 35]]

Matrix division

print(np.divide(n1,n2))

[[0.33333333	2.	1.]
[1.	2.5	6.]
[1.6	9.	0.5]]

Matrix operations



Accessing and editing Matrices

Convention:

- ☐ Array/value before "," for accessing rows
- ☐ Array/value after "," for accessing columns
- ☐ Use of numpy's delete command for removing rows/columns

$$m1 = \begin{bmatrix} 1 & 2 & 3 \\ 4 & 5 & 6 \\ 7 & 8 & 9 \end{bmatrix}_{3 \times 3}$$



Accessing data in matrices

$$m1 = \begin{bmatrix} 1 & 2 & 3 \\ 4 & 5 & 6 \\ 7 & 8 & 9 \end{bmatrix}_{3\times3}$$

$$print(m1[1,:])$$

$$print(m1[1,2])$$

$$print(m1[1,2])$$

$$print(m1[1,2])$$

$$print(m1[1,2])$$

$$print(m1[1,2])$$

$$print(m1[1,2])$$

$$print(m1[1,2])$$

$$print(m1[1,2])$$

$$print(m1[1,2])$$



Editing matrices

$$m1 = \begin{bmatrix} 1 & 2 & 3 \\ 4 & 5 & 6 \\ 7 & 8 & 9 \end{bmatrix}_{3 \times 3}$$

Code





Linear algebra operations in Python: -

- Determinant of matrix
- Rank of matrix
- Eigen values & vectors
- Solving system of equations
- Inverse of matrix



Matrix - Linear algebra

Code

```
import numpy as np
m1 = np.matrix("0,1,2;3,4,5;6,7,8")
print(m1)
```

Determinant of matrix

```
det_matrix = np.linalg.det(m1)
print('\n',"Determinent of matrix m1:",det_matrix)
```

Console Output

Determinent of matrix m1: 0.0

Rank of matrix

Rank of the matrix m1: 2



Matrix - Linear algebra

Eigen values and vectors of matrix

Eigen values only

```
In [4]: Value1 = np.linalg.eigvals(m1) # to find the
values only
In [5]: print(Value1)
[ 1.33484692e+01 -1.34846923e+00 -1.15433316e-15]
```





Solving a system of equations

$$\bullet \ 3x + y + 2z = 2$$

$$-3x + 2y + 5z = -1$$

$$6x + 7y + 8z = 3$$



Matrix – Linear algebra

Code

```
import numpy as np
M = np.matrix("3,1,2;3,2,5;6,7,8")
print(M)
```

```
B = np.matrix("2,-1,3").transpose()
print(B)
```

```
solve = np.linalg.solve(M,B)
print(solve)
```

```
[[3 1 2]
[3 2 5]
[6 7 8]]
```



Matrix – Linear algebra

<u>Code</u>

```
import numpy as np
M = np.matrix("3,1,2;3,2,5;6,7,8")
print(M)
```

Console Output

```
[[3 1 2]
[3 2 5]
[6 7 8]]
```

Inverse of matrix

```
# Inverse of a matrix
Inv = np.linalg.inv(M)
print(Inv)
```



Eigenvalue decomposition

- Matrix decompositions are a useful tool for reducing a range of complex operations.
- Commonly used decomposition method is the eigen decomposition that decomposes a matrix into eigenvectors and eigenvalues.
- This decomposition plays a role in machine learning such as in the Principal Component Analysis(PCA).



Eigenvalue decomposition - I

Console Output Code import numpy as np [[1 2 3] A = np.matrix([[1, 2, 3],[4 5 6] [4, 5, 6],[7, 8, 9]]) [7 8 9]] print(A) values, vectors = np.linalg.eig(A) print(values) --- [1.61168440e+01 -1.11684397e+00 -9.75918483e-16] [[-0.23197069 -0.78583024 0.40824829]

[-0.8186735 0.61232756 0.40824829]]



Eigenvalue decomposition - II

Code

```
Q = vectors

print(Q)

[[-0.23197069 -0.78583024 0.40824829]

[-0.52532209 -0.08675134 -0.81649658]

[-0.8186735 0.61232756 0.40824829]]
```

```
R = np.linalg.inv(Q)
print(R)
```

```
[[-0.48295226 -0.59340999 -0.70386772]
[-0.91788599 -0.24901003 0.41986593]
[ 0.40824829 -0.81649658 0.40824829]]
```



Eigenvalue decomposition - III

Code

```
L = np.diag(values)

print(L) [ 1.61168440e+01  0.00000000e+00  0.00000000e+00]

[ 0.00000000e+00  -1.11684397e+00  0.00000000e+00]

[ 0.00000000e+00  0.00000000e+00  -9.75918483e-16]]
```

```
B = Q.dot(L).dot(R)
print(B)
```

```
[[ 1. 2. 3.]
[ 4. 5. 6.]
[ 7. 8. 9.]]
```

```
peration == "MIRROR_X":
            ...object
mirror_mod.use_x = True
mirror_mod.use_y = False
mirror_mod.use_z = False
 operation == "MIRROR_Y"|
lrror_mod.use_x = False
lrror_mod.use_y = True
mirror_mod.use_z = False
  operation == "MIRROR_Z"
  rror_mod.use_x = False
  Lrror mod.use y = False
  Irror mod.use z = True
  er ob.select=1
   ntext.scene.objects.activ
  "Selected" + str(modifie
  bpy.context.seleTHANK YOU
```

