End-Semester Examination (Autumn 2022) Student's name: Vimla Rathor Roll No: 201951164 Time Duration: 3 hours

Degree Program: B.Tech (CS) (VII Sem)

Course Title: Matural Language Processing Date of Examination: 14 November, 2022.

Total Mark: 65

This exam consists of 4 questions. Before answering, ensure that all the questions are present. Instructions:

(a) What does the term "exploding gradients" refer to? What circumstances lead to "exploding gradients" (b) Why are "vanishing gradients" a more common problem in basic RNNs compared to feed forward networks?

(c) Name two methods for alleviating the vanishing gradient problem and explain why they work.

(d) Consider a recurrent neural network with a single hidden unit and a sigmoid activation,  $h_m = \frac{\partial h_{m+k}}{\partial h_m + k}$  goes to zero as  $k \to \infty$ . Consider a recurrent neural network with a single hidden unit and a sigmoid activation,  $\frac{\partial h_{m+k}}{\partial h_m} \text{ goes to zero as } k \to \infty.$   $\sigma\left(\theta h_{m-1} + x_m\right). \text{ Prove that if } |\theta| < 1, \text{ then the gradient } \frac{\partial h_{m+k}}{\partial h_m} \text{ goes to zero as } k \to \infty.$ 

Q.2 Consider the function:

Frove that if 
$$f(x, y, z, v) = \exp(y^{-x} - \log(z)) + (y - z)^2 \cdot \log(v)$$

where log is the natural logarithm.

2. Evaluate the computational graph from (1) at the point (0,1,2,3). Fill in all intermediate

3. Apply backpropagation to the computational graph from (2): Fill in all intermediate values. Apply packpropagation to the computational graph from forward propagation in (2). Fill in all intermediate values use of the values obtained from forward propagation in (2). Compute  $\nabla f = \begin{bmatrix} \frac{\partial f}{\partial x}, \frac{\partial f}{\partial y}, \frac{\partial f}{\partial z}, \frac{\partial f}{\partial v} \end{bmatrix}$  with symbolic differentiation. How many computations are compute  $\nabla f = \begin{bmatrix} \frac{\partial f}{\partial x}, \frac{\partial f}{\partial y}, \frac{\partial f}{\partial z}, \frac{\partial f}{\partial v} \end{bmatrix}$  with symbolic differentiation. How many computations are computed when using this many computations are  $20~\mathrm{marks}$ 

Low, oy, oz, ov or calculating  $\nabla f$ ?

following architectures:

det ls Q.3 Describe

(a) Saip-gram

100

 Consider the following training	
training	data

10 marks

 $\langle s \rangle$  am Sam  $\langle /s \rangle$ 

 $\langle s \rangle$  Sam I am  $\langle /s \rangle$ 

 $\langle s \rangle$  Sam I like  $\langle /s \rangle$ 

 $\langle s \rangle$  Sam I do like  $\langle /s \rangle$ 

 $\langle s \rangle$  do I like Sam  $\langle /s \rangle$ 

Assume that we use a bigram language model based on the above training data.

1. What is the most probable next word predicted by the model for the following word sequences?

(a)  $\langle s \rangle$  Sam ...

- (b) (s) Sam I do ... 5 {
- (c) (s) Sam I am Sam ...
- (d)  $\langle s \rangle$  do I like ...



12 marks

2. Which of the following sentences is better, i.e., gets a higher probability with this model?

(a) (s) Sam I do I like (/s)  $\pm x$ 

(b) (s) Sam I am (/s)

9 marks

(c)  $\langle s \rangle \underline{I} \underline{do} \underline{like} \underline{Sam} \underline{I} \underline{am} \langle /s \rangle \underline{\frac{1}{5}} \times \underline{\frac{1}{5}} \underline{\frac{2}{5}}$ 

3. Consider again the same training data and the same bigram model. Compute the perplexity

(s) I do like Sam

4 marks

1 x 3