A tale of two primes

Bert

November 30, 2025

Article

Some text about the article.

Definition

This is a definition.

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Example

This is an example of a block.

Some text about the article.

Definition

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Example

This is an example of a block.

Euclid's theorem

This is a theorem.

Title

1. Element

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2. Element

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3. Element

Sets

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Mathematica

A helpful tool for mathematicians.