พายใสภณ ลุบลมบุรณ์ 6201011631188 Sec. 1 Comm Math (PSV) (3) Mula Pu Xet, Wil Random Process As Joint paf Xctp & Xct2) 130 ty # to 615 $f_{xct_{p} \times (t_{2})}(x_{1}, x_{2}) = \begin{cases} c; t_{1} \leq x_{1} \leq t_{1} + 4; t_{2} \leq x_{2} \leq t_{2} + 4 \\ o; delevanise \end{cases}$ 5.1) goman c t,+4 t,+4 55 fxct,1xct2) dx2 dx1 = 1 t,+4 t2+4 $\int \int c dx_2 dx_1 = 1$ c (t+4-t2) (t+4-t1)=1 .. C= 1/16

5.2)
$$\mu_{x}(t) = E[X(t)]$$

$$= \begin{cases} x_{1b} & dx_{1} \\ t_{1b} & dx_{1} \end{cases} \begin{bmatrix} \frac{1}{16}(t_{1}+4)^{2} - t_{1}^{2} \\ \frac{1}{16}(t_{1}+4)^{2} - t_{1}^{2} \end{bmatrix}$$

$$= \begin{cases} x_{1b} & x_{1} \\ t_{1b} & t_{1} \end{cases}$$

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5.3 auto correlation

$$R_{x}ct, \alpha = E[xct) \times (t_{1}\alpha)$$

$$R_{x}ct, \alpha = \begin{cases} E[xct)]E[xct+\alpha] ; & \alpha \neq 0 \end{cases}, \alpha \Rightarrow -t$$

$$R_{x}ct, \alpha = \begin{cases} E[x^{2}ct] & \alpha \neq 0 \end{cases}$$

$$= \begin{cases} (S_{1}^{2}x^{2}ct) & \alpha \neq 0$$

5.A autocovariance

$$C_{x,ct,z} = R_{x,ct,z} - M_{x,ct} M_{x,ct+z}$$