

# Computer Vision

Class 01



Raquel Frizera Vassallo

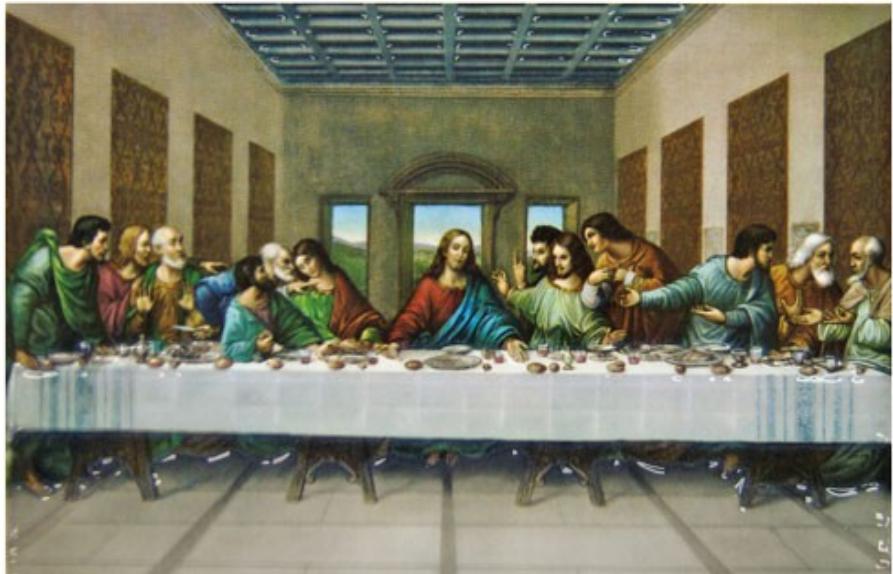
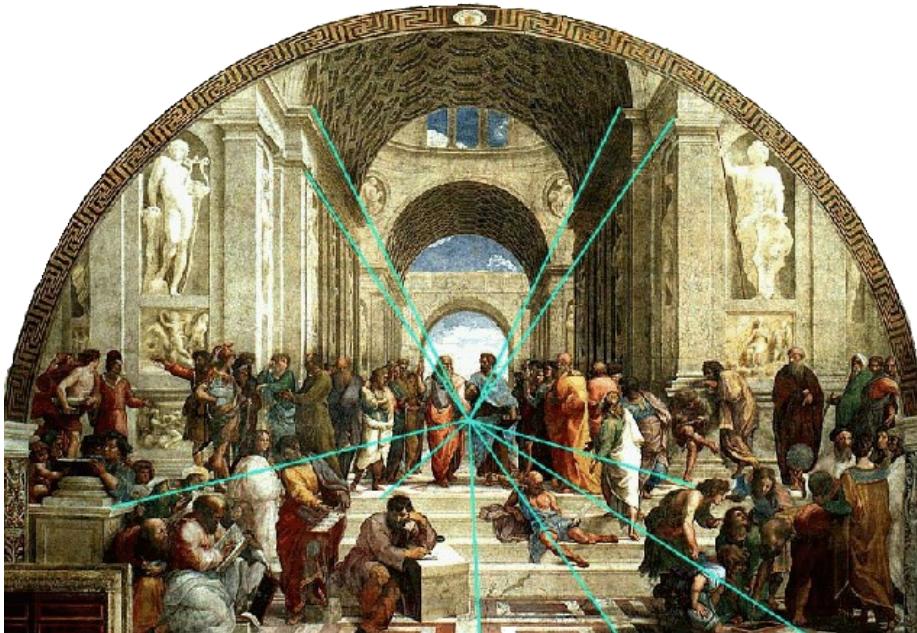
# Introduction



# Perspective



# Perspective



# Perspective



# 3D Reconstruction

- Input: correspondent features on different images.
- Output: camera's position and orientation, camera calibration, 3D structure of the scene.



# Some interesting videos

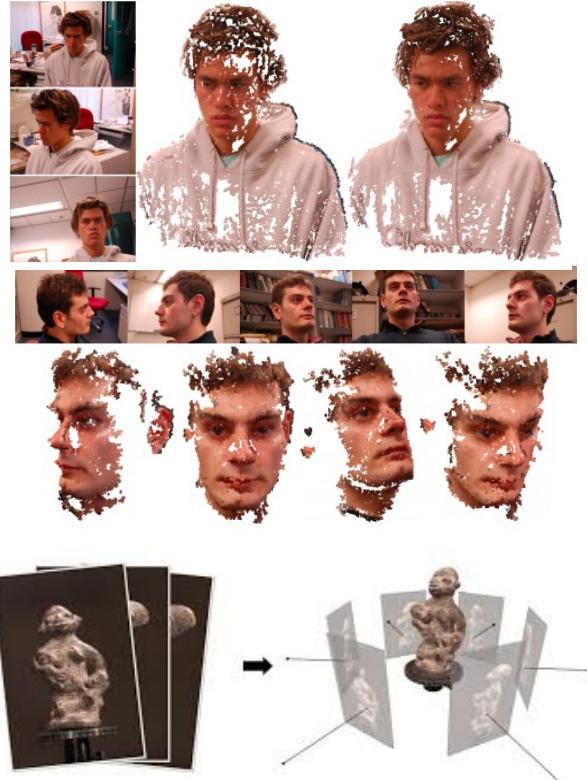
- Stereoscopic Vision - Brain Games  
<https://www.youtube.com/watch?v=nKdUD8lIGJY>
- What is Stereoscopy?  
<https://www.youtube.com/watch?v=AN34QUEayzQ>
- How does Stereo Vision work?  
<https://www.youtube.com/watch?v=yfjMJfXMBcY>

# Some Applications



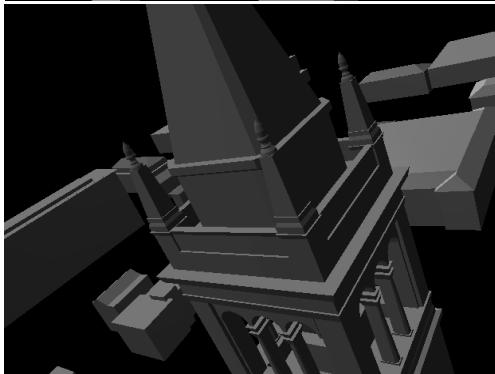
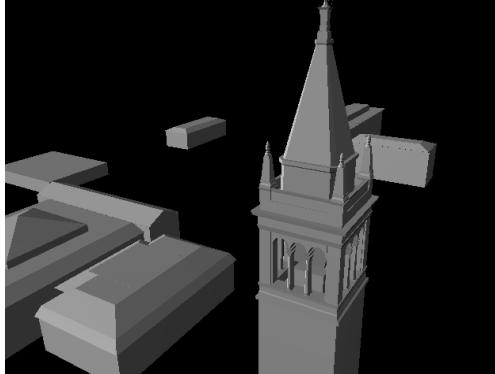
# Aplications

- 3D Reconstruction



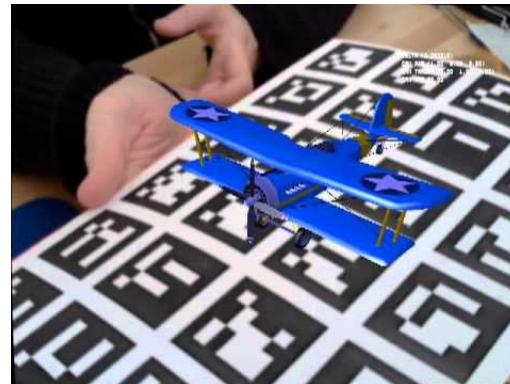
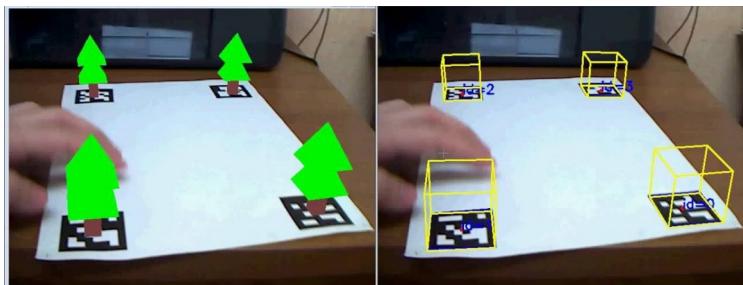
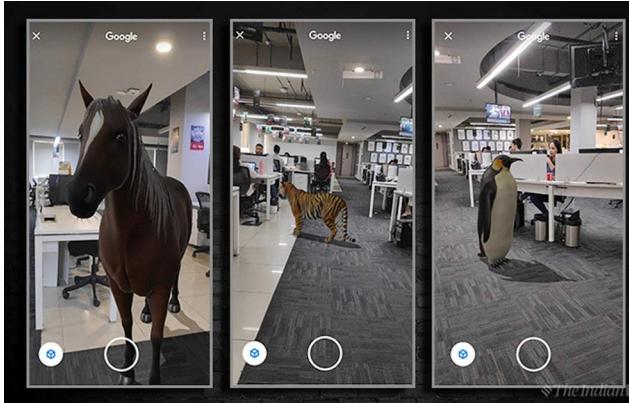
# Aplications

- Creation of 3D Models



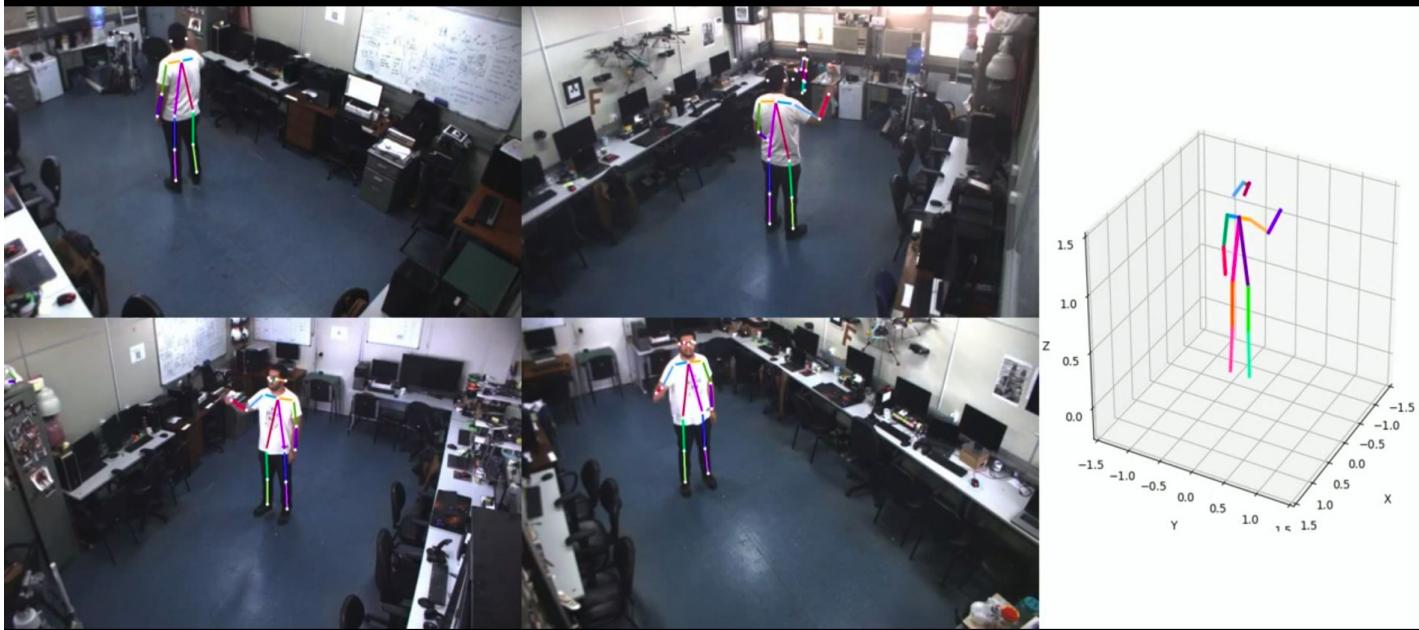
# Applications

- Inserting virtual objects, augmented reality



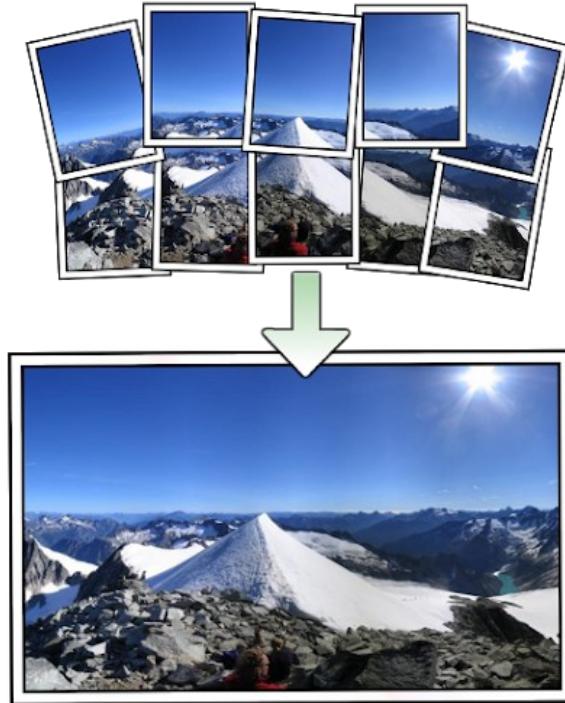
# Applications

- Recovering pose and orientation of objects or people



# Aplications

- Image stitching and mosaics



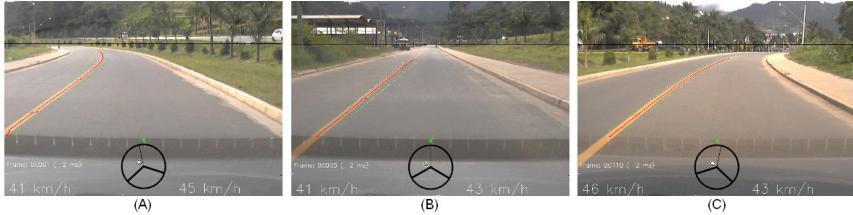
# Applications

- Virtual publicity and virtual checking

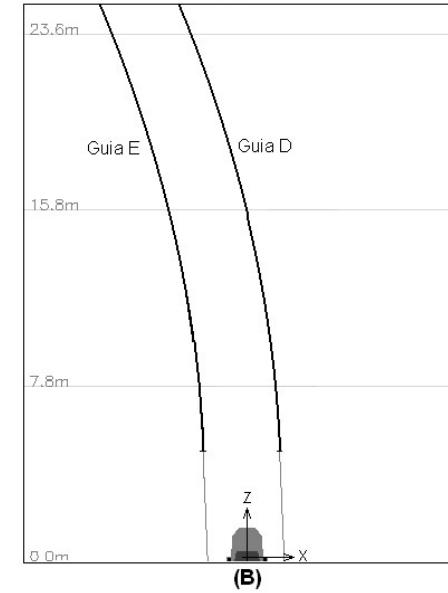
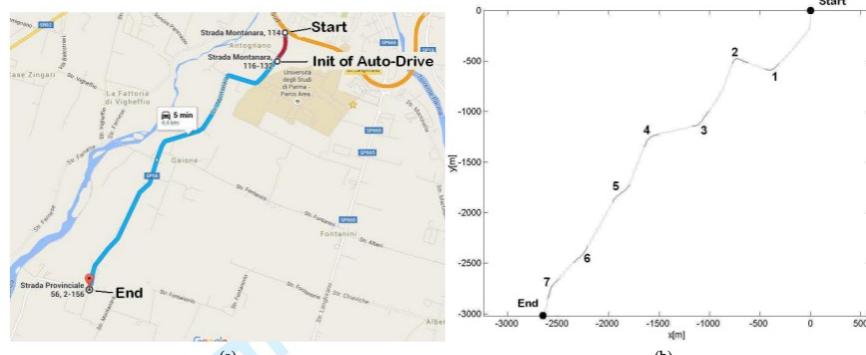


# Applications

- Autonomous vehicles



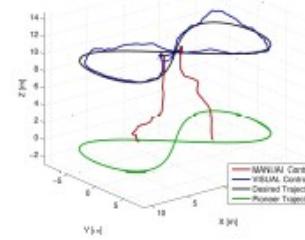
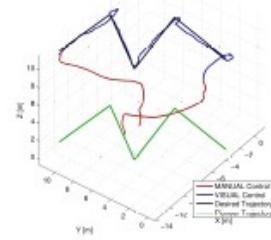
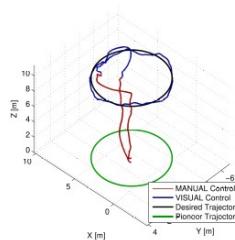
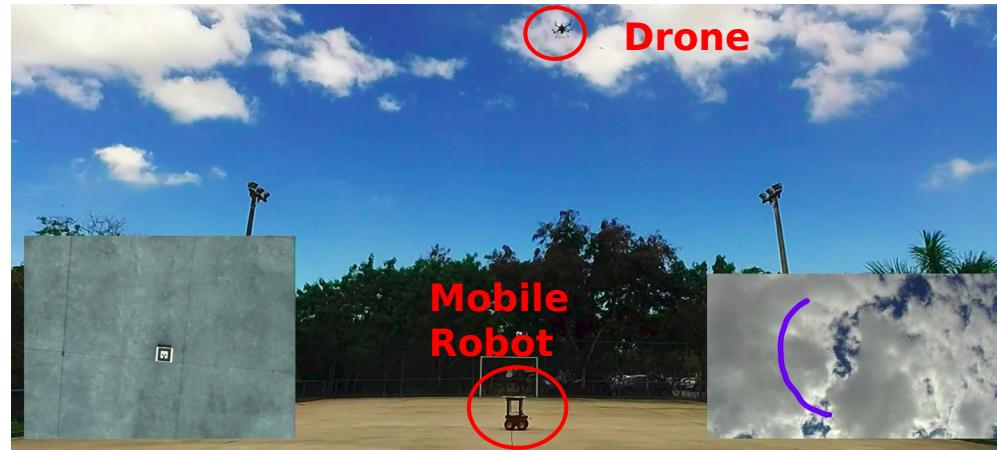
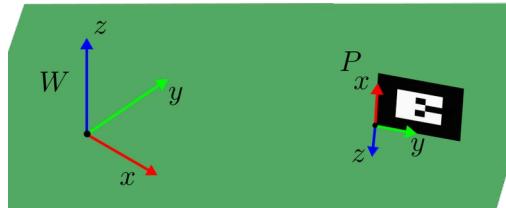
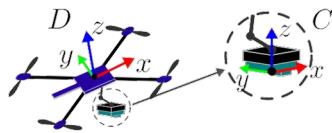
(A)



(B)

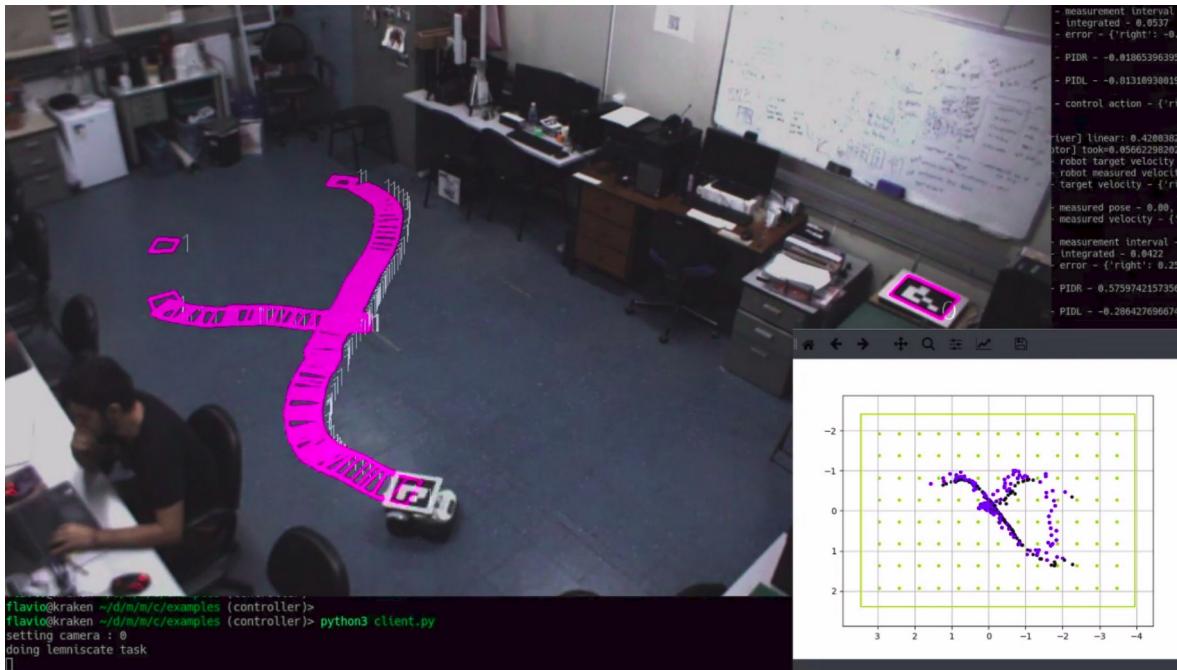
# Applications

- Aerial vehicle control



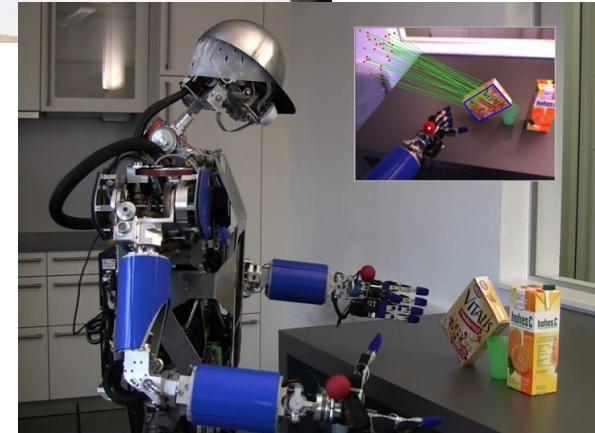
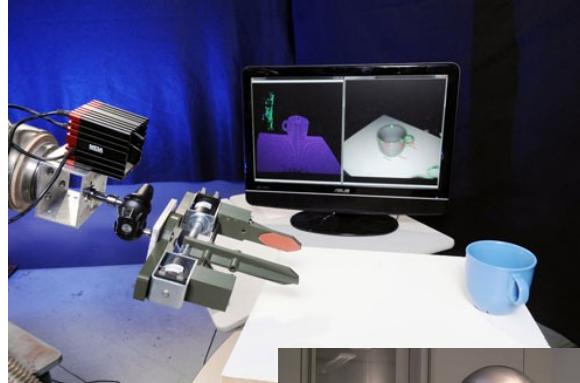
# Aplications

- Visual robot control



# Applications

- Visual servoing

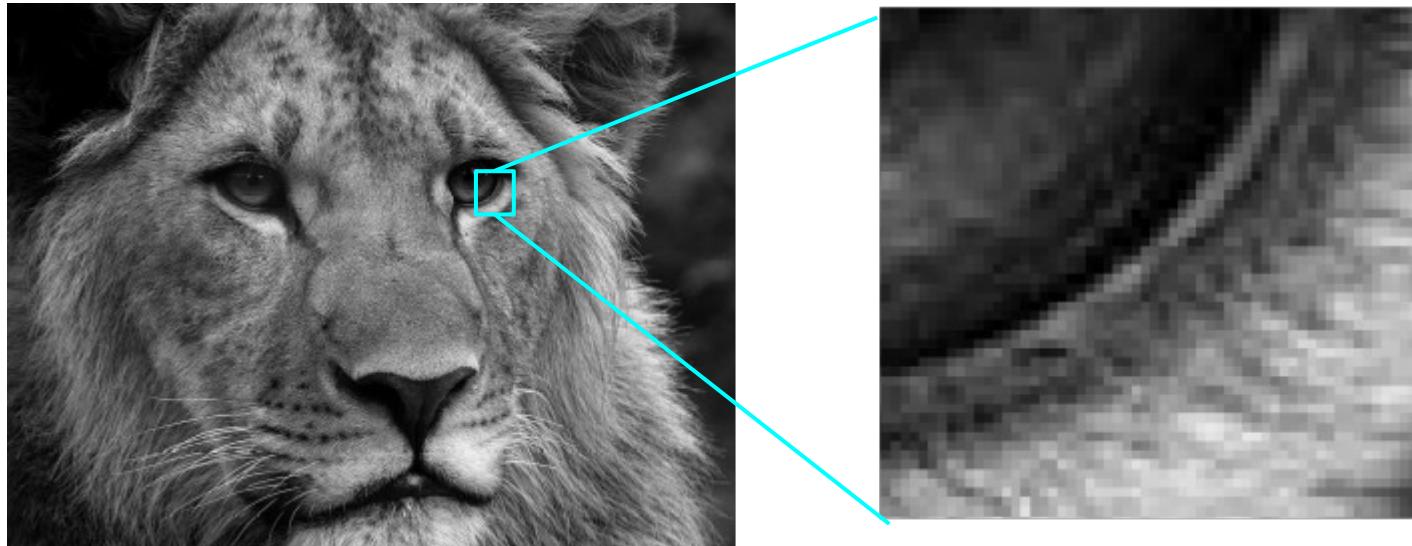


# Basic Concepts



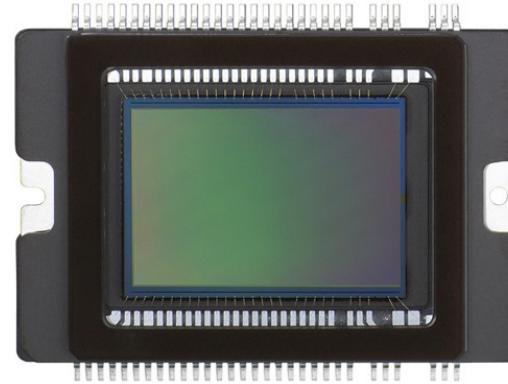
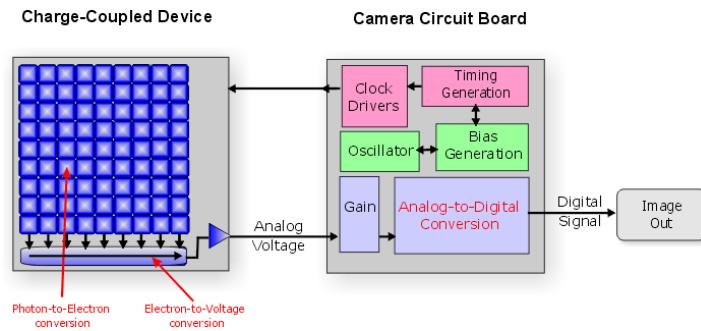
# Gray levels and pixel

- Gray levels: 0 is "Black", 255 is "White", numbers in between are levels of gray
- Pixel: each number is shown as a shaded small square



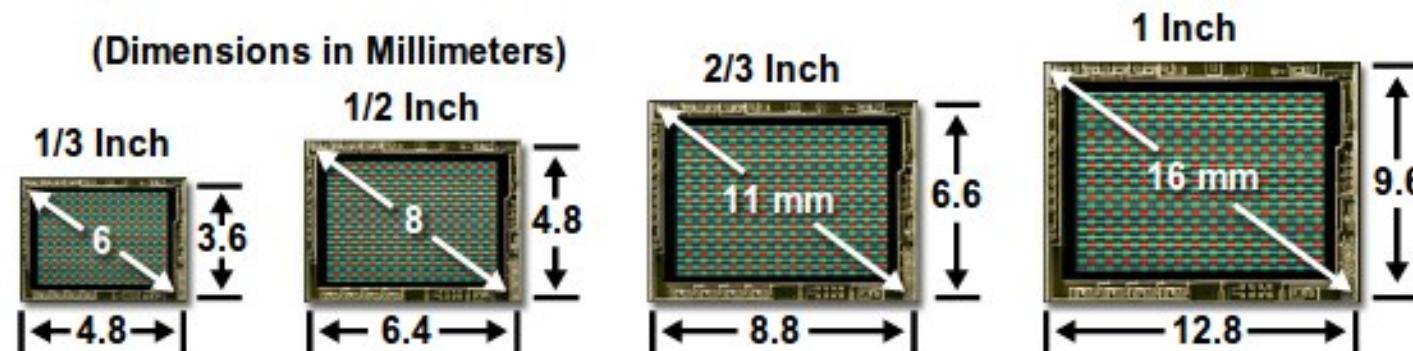
# Digital Images

- A digital image: sampling and integrating continuous (analog) data in a spatial domain
- Uses one or several matrix sensors for recording an image
- Sensor matrix:  $N_{cols} \times N_{rows}$  array of sensor elements (phototransistors)



# Digital Images

- Produced either in charge-coupled device (CCD) or complementary metal-oxide semiconductor (CMOS) technology
- Sensor cell converts measured light into an electric charge, represented by a single number (the sample) in the created image.
- Typically been configured with square pixels assembled into rectangular area arrays, with an aspect ratio of 4:3 being most common

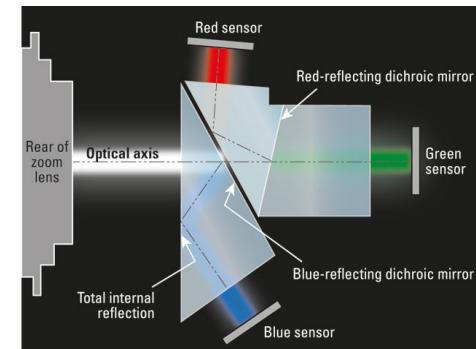
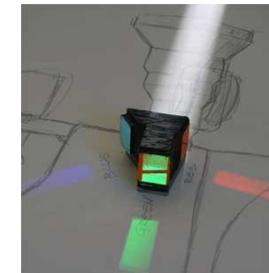
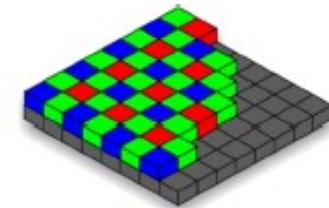
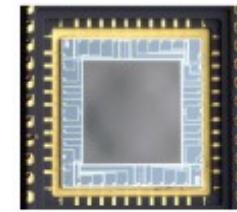


# CCD x CMOS

- CCD Sensor Advantage
  - High quality
  - High sensitivity
  - Good for professional photographers and image scientists where the highest quality is needed
- CMOS Sensor Advantage
  - Less power consumption
  - Cheaper cost
  - Used for camera phones, tablets and other portable devices where power is very important and quality is not essential

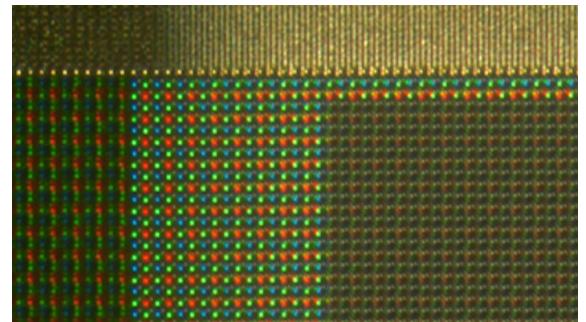
# Color Digital Image

- Bayer Pattern
  - One colour pixel: four sensor elements (2x2)
  - Two for Green and one for Red and Blue each
  - A sensor array of size  $N_{cols} \times N_{rows}$  generates colour images of  $N_{cols}/2 \times N_{rows}/2$
- Beam Splitting
  - High quality digital colour cameras: a beam splitter (e.g. using two dichroic prisms) is used to split light into three beams: Red, Green, and Blue.
  - $N_{cols} \times N_{rows}$  sensor arrays for R, G, and B for one pixel
  - Images of  $N_{cols} \times N_{rows}$



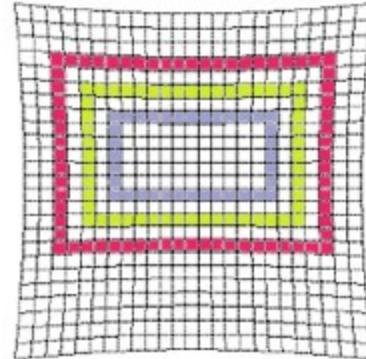
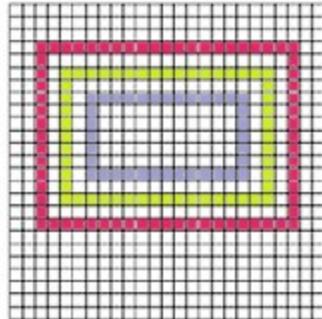
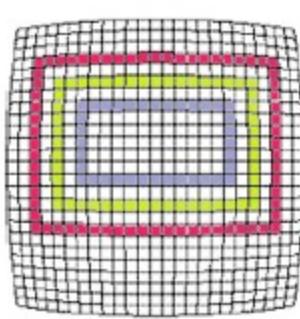
# Image Resolution and Bit Depth

- **Aspect Ratio.** Each phototransistor is a rectangular cell. Ideally, the aspect ratio should be equal to 1 (i.e. square cells)
- **Resolution.** Number of sensor elements. Example: 4 Mpixel camera (4.000.000 pixel) in some image format. Without further mentioning, the number of pixels means “color pixel”
- **Sensor Noise.** More pixels: Smaller sensor area per pixel. Thus less light per sensor area and a worse signal-to-noise ratio (SNR)
- **Bit Depth.** Number of bits per pixel. Common goal: more than just 8 bits per pixel value in one channel.  
E.g. 16 bits per pixel in a gray-level image for motion or stereo analysis.



# Lens Distortion

- Optic lenses contribute to radial lens distortion on the projection process
- Barrel transform or pincushion transform



Left to right: Barrel transform, ideal rectangular image, pincushion transform, and projective and lens distortion combined in one image

# Image

An image  $I$  is a rectangular array of pixels  $(x,y,u)$ .

A pixel combines location  $p = (x,y) \in \mathbb{Z}^2$  and sample  $u$  at  $p$ .

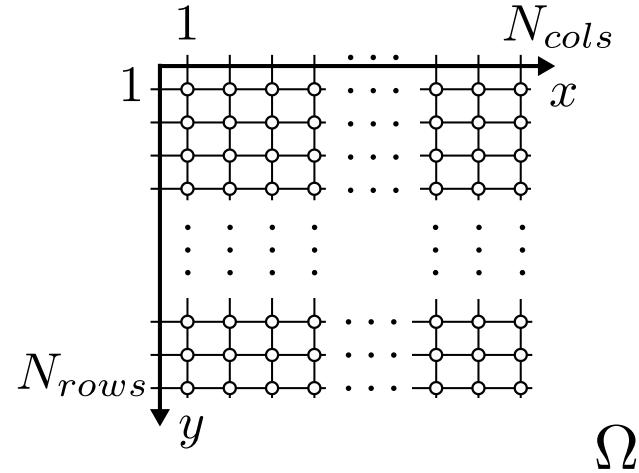
$\mathbb{Z}$  is the set of all integers; points  $(x,y) \in \mathbb{Z}^2$  form a regular grid.

An image  $I$  is defined on a carrier:

$$\Omega = (x, y) : 1 \leq x \leq N_{cols} \wedge 1 \leq y \leq N_{rows} \subset \mathbb{Z}^2$$

of  $N_{cols} \times N_{rows}$  pixel locations (*grid points*)

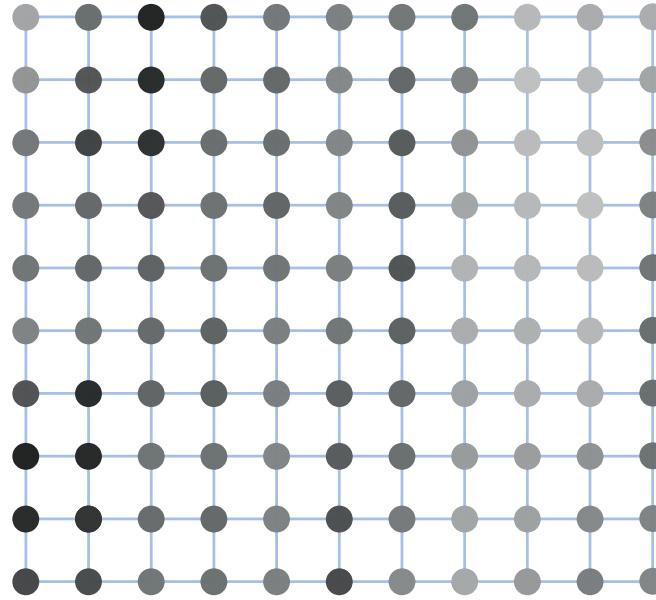
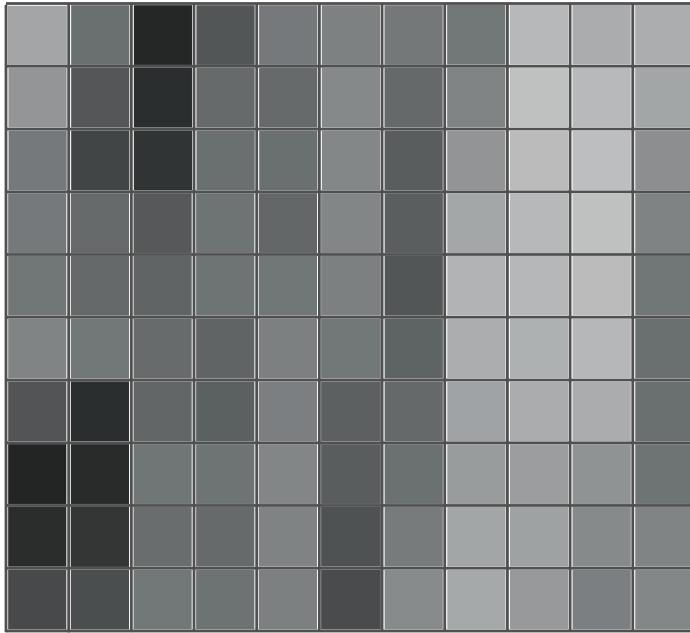
# Image Coordinate System



Row  $y$  contains *grid points*  $\{(1, y), (2, y), \dots, (N_{cols}, y)\}$ , for  $1 \leq y \leq N_{rows}$

Column  $x$  contains *grid points*  $\{(x, 1), (x, 2), \dots, (x, N_{rows})\}$ , for  $1 \leq x \leq N_{cols}$

# Pixels

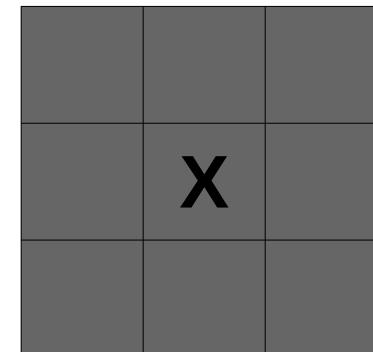
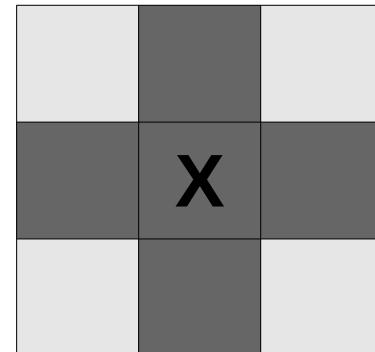


Left: Image values as shades in *grid squares* (grid cells)

Right: Image values as labels at *gridpoints* (center of grid squares)

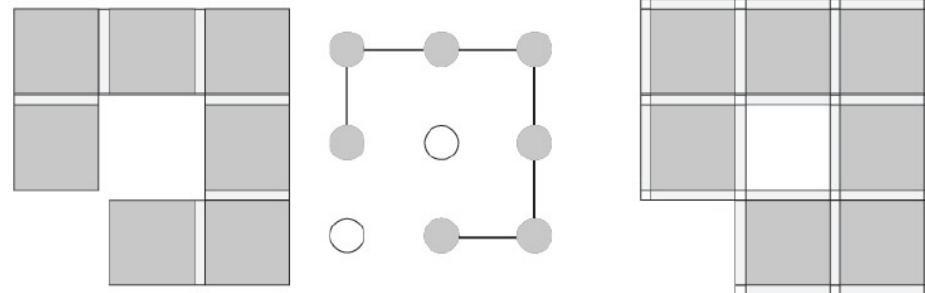
# Adjacency

- Two types: 4 or 8-adjacency.
- Two pixel locations  $p$  and  $q$  in *grid cell* model are adjacent if:
  - **4-adjacency:** their tiny shaded squares share an edge;
  - **8-adjacency:** their tiny shaded squares share an edge or corner.



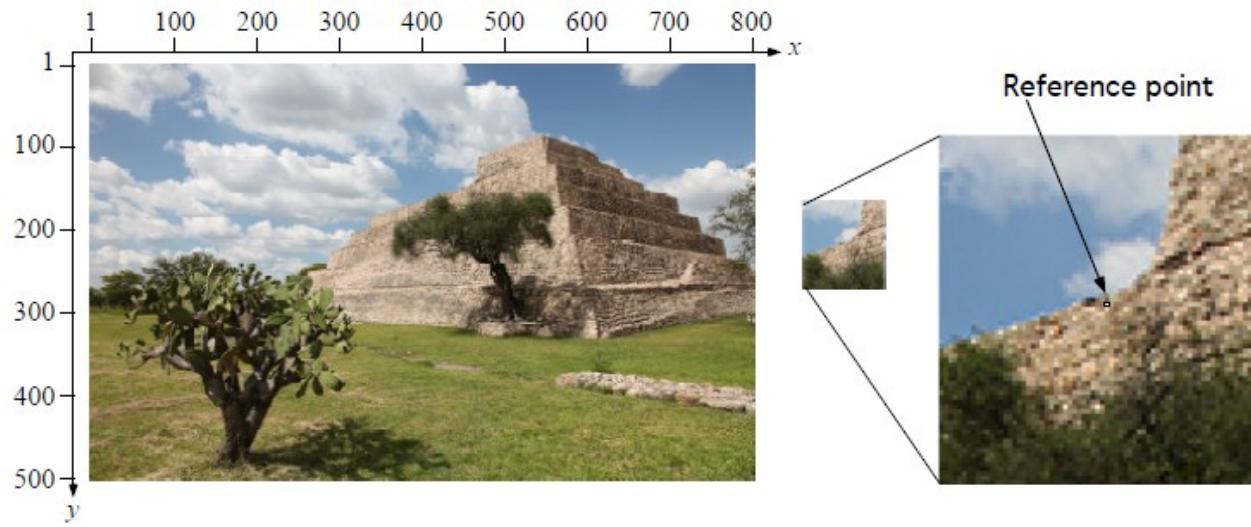
# Connected or not connected sets of pixels

- Depends on adjacency
- Left and middle: Connectedness of gray pixels due to 4-adjacency; the two white pixels are not connected. We have an open blob
- Right: Connectedness of gray pixels due to 8-adjacency. The two white pixels are “crossing” this loop. We have a closed blob.



# Image Window

- Image processing is often local (just addressing data in a window).
- The reference point of a window is usually at the window's centre.

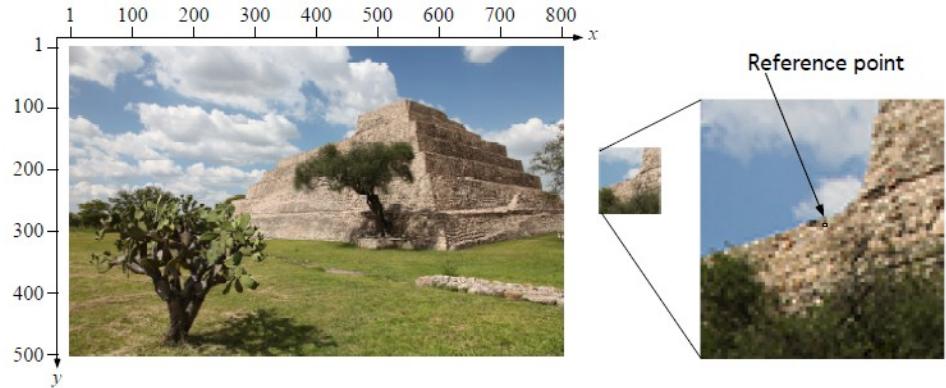


# Image Window

A *window*  $W_p^{m,n}(I)$  is a subimage of image  $I$  of size  $m \times n$  positioned with respect to a *reference point*  $p$ .

**Default:** odd number  $m = n$  and  $p$  at the center of the window.

**Usually:** Simplified notation  $W_p$   
(because image and size of window are known by given context)



# Image Values

*Scalar image:* Values are integers  $u \in \{0, 1, \dots, 2^a - 1\}$ .

Common:  $a = 8$  (i.e. one byte) or  $a = 16$ .

Let  $G_{max} = 2^a - 1$  be the general maximum image value.

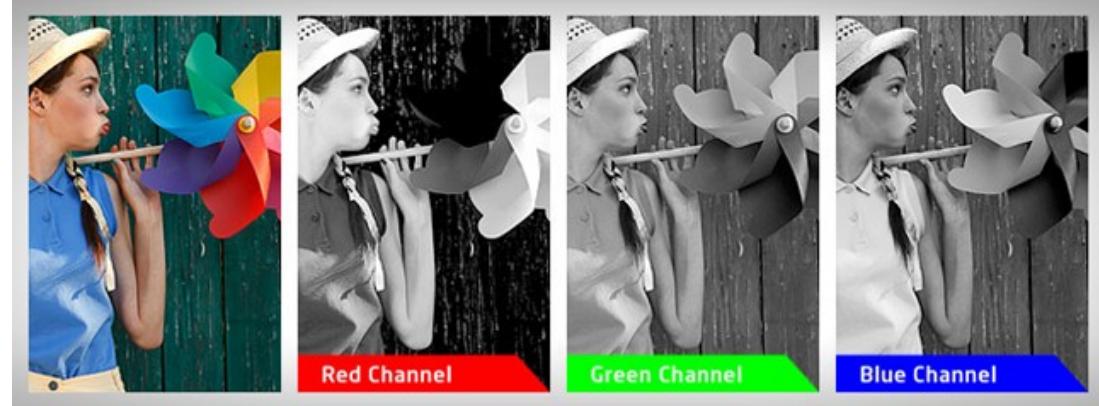
## Example

A *gray-level* image is a scalar image where scalar values represent gray levels, with  $0$  = black and  $2^a$  = white; all other gray-levels are linearly interpolated between black and white.



# Image Values

- A binary image has two values, traditionally  $0 =$  white and  $1 =$  black (black objects on white background).
- A vector-valued image has more than one channel. Image values are represented as  $(u_1; \dots; u_{N_{channels}})$ .
- Color images in the RGB color model have 3 channels: red, green, and blue.
- Values in each channel are in the set  $\{0; 1; \dots; G_{max}\}$  (like a gray-value image).



# Mean

Given:  $N_{cols} \times N_{rows}$  scalar image  $I$

*Mean* (i.e. the “average gray level”) of image  $I$

$$\mu_I = \frac{1}{N_{cols} \cdot N_{rows}} \sum_{x=1}^{N_{cols}} \sum_{y=1}^{N_{rows}} I(x, y) = \frac{1}{|\Omega|} \sum_{(x,y) \in \Omega} I(x, y) = \frac{1}{|\Omega|} \sum_{p \in \Omega} I(p)$$

$|\Omega| = N_{cols} \cdot N_{rows}$  is the cardinality of the carrier  $\Omega$

# Variance and Standard Deviation

*Variance* of image  $I$ :

$$\sigma_I^2 = \frac{1}{|\Omega|} \sum_{(x,y) \in \Omega} [I(x,y) - \mu_I]^2$$

Root  $\sigma_I$  is the *standard deviation* of image  $I$ .

Alternative formula:

$$\sigma_I^2 = \left[ \frac{1}{|\Omega|} \sum_{(x,y) \in \Omega} I(x,y)^2 \right] - \mu_I^2$$

# Credits

- R. Klette. **Concise Computer Vision.**  
Springer-Verlag, London, 2014.
- Yi Ma, Stefano Soatto, Jana Kosecka e S. Shankar Sastry. **An Invitation to 3D Vision: From Images to Geometric Models.**  
Springer, ISBN 0387008934