

# *Data Structures & Algorithms using Java*

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Fall 2020

## Introduction

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### Instructor:

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### Course Description:

Lecture Time: Monday and Wednesday BA: 08:00 – 09:15 am.  
Lecture Place: TBA.  
Lab Hours: None.  
Web site: At the University's Blackboard system.

## Introduction: Pre-Requisites

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- EE 305, EE 364, and good skills in Java Programming.
- This course assumes you have basic Java knowledge:
  - interfaces, classes and objects,
  - fields, static and instance variables,
  - methods, constructors and control structures,
  - standard input/output, file input/output and exceptions,
  - arrays, strings, casting, generics and exposure to inheritance.
- You must know structured program design concepts: top-down analysis, modular programming, error checking, program testing and debugging, writing clear programs, and proper program documentation.

## Introduction: The Textbook

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### Required Text Book:

*Data Structures & Algorithms in JAVA*, 6<sup>th</sup> edition – International Student Version, by M. Goodrich, R. Tamassia & M. Goldwasser, John Wiley & Sons, Inc., 2014.

### Additional References:

- *Data Structures and Abstractions with Java*, 2<sup>nd</sup> edition, by Frank M. Carrano, Prentice Hall, 2007.
- *Data Structures, and Problem Solving with Java*, 3<sup>rd</sup> edition, by Mark Allen Weiss, Addison Wesley, 2006.
- Any other books on the subjects of Java programming and/or Data Structures using Java.

## Introduction: Grading System

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- Theoretical Home works ..... 10%
- Programming Assignments ..... 15%
- Quizzes ..... 15%
- Midterm Exam ..... 20%
- Final Exam ..... 40%

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## Introduction: Role in the Curriculum

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- This course represents a transition between “learning to program” courses (like EE202, EE364) and “content” (i.e. theory and analysis) courses.
- To do well, you must be able to handle **both**
  - **Programming:**  
We focus on applications with dynamic memory allocation and simple file processing
  - **Content:**  
We offer both algorithm theory and algorithm analysis

## Introduction: The Need for Data Structures

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- More powerful computers  
⇒ more complex applications.
- More complex applications demand more calculations.
- Data structures organize data  
⇒ more efficient programs.

## Introduction: Efficiency

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- Choice of data structure or algorithm can make the difference between a program running in a **few seconds** or **many days**.
- A solution is said to be **efficient** if it solves the problem within its **resource constraints**.
  - **Space**
  - **Time**
- The **cost** of a solution is the amount of resources that the solution consumes.

## Introduction: Costs and Benefits

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- Each data structure has its costs and benefits.
- Rarely is one data structure better than another in all situations.
- Any data structure requires:
  - **Space** for each data item it stores,
  - **Time** to perform each basic operation,
  - **Programming effort**.

## Introduction:

### Costs and Benefits

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- Each problem has **constraints** on available resources (**space** and **time**).
- Only after a careful **analysis** of the problem characteristics can we know the best **data structure** for the task.
- Student Record Example:
  - **Creating a record**: takes a few minutes
  - **Transactions on a record**: takes a few seconds
  - **Closing a record**: takes overnight

## Introduction:

### Selecting a Data Structure

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Select a data structure as follows:

1. Analyze the problem to determine the basic operations that must be supported.
2. Quantify the resource constraints for each operation.
3. Select the data structure that best meets these requirements.

## Introduction: Some Questions to Ask

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- Are **all data inserted** into the data structure at the beginning,
  - or are **insertions interspersed** with other operations?
- Can data be **deleted**?
- Are all data processed in some well-defined **order**,
  - or is **random** access allowed?

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# *Data Structures & Abstract Data Types*

## Definitions

### Definitions: Data Types & Data Structures

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- **Data**, is the representation of information in a manner suitable for communication or analysis by humans or machines
- Programs and applications **read**, **store** and **operate** on **data**. They also **output data**.
- Data consists of **Numbers**, **Characters**, etc.
- Data is classified into:
  - **Data Types**
  - **Data Structures**



## Definitions: Data Types

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- A **Data Type**, (e.g.: **char**, **float**, **int**, **etc.**), is defined by its logical **properties**:
  1. A set of **data elements**, which forms the **domain (D)** of allowed values, and
  2. A set of legal **operations** on these values.

## Definitions: Data Types

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- **Examples**

Data Type	Domain (D)	Operations
boolean	{0,1}	and, or, not, etc.
char	ASCII Table Characters	==, !=, <, >, etc.
int	{-max ... , -1, 0, 1, ... max}	+, -, *, /, %, etc.

## Definitions:

### Data Types

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- The set of elements of a Data Type may be **finite** or **infinite**

### Examples:

Integer:  $D = \{\dots, -2, -1, 0, +1, +2, \dots\}$  **infinite**

Alpha:  $D = \{A, B, C, \dots, Z\}$  **finite**

## Definitions:

### Logical vs. Physical Forms of Data

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Data items have both a **logical** and a **physical** form.

- **Logical form:**  
Definition of the data item's logical properties (ADT)
  - ie: **domain** of data elements and the legal **operations**.
- **Physical form:**  
Implementation of the data item within a data structure.
  - ex: **16-bit integer representation**, overflow indicators, ...

## Definitions:

### The Abstract Data Type (ADT)

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- **Data abstraction** is the separation of a data type's **logical properties** from its **implementation** details
- **Abstract Data Type** (called, **ADT**) is a data type whose properties (**domain** and **operations**) are specified **independently** of any particular **implementation**
- Each **ADT** operation is defined by its **inputs** and **outputs**.
- A Java **interface** provides the means to define **ADTs**.
- **Encapsulation** **hides** the implementation details.

## Definitions:

### Metaphors

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- **Metaphors** are hierarchies of **labels** that manage complexity through **abstraction**.
- A **metaphor** is a **label** given to an assembly of objects or concepts, which can then be used in another assembly to define yet another higher-level metaphor, and so on.
  - **Example:**  
**transistors**  $\Rightarrow$  **gates**  $\Rightarrow$  **CPU**.
- In a program, implement an ADT, then think **only** about the **ADT**, **not its implementation details**.

## Definitions:

### Data Levels of an ADT

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1. **Abstract** (or **Logical**) level:  
This is the abstract view of the data values (the **domain**) and the set of **operations** to manipulate them.
2. **Implementation** level:  
A specific **representation** of the structure to hold the data items, and the **coding of the operations** in a programming language.
3. **User** (or **Application**) level:  
At this level, the application programmer uses the ADT to solve a particular problem.

## Definitions:

### Data Structure

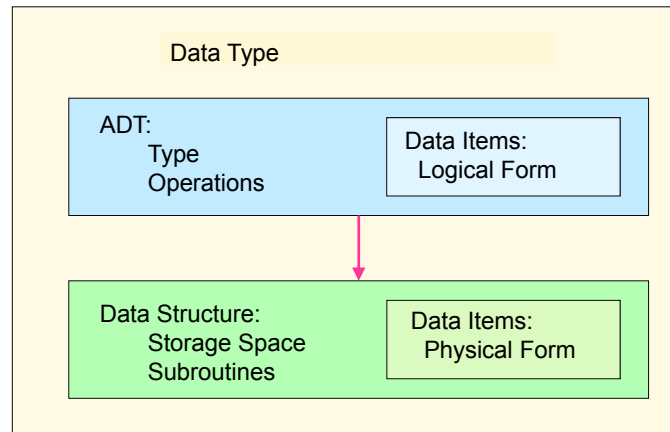
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- A **data structure** is the **physical implementation** of an **ADT**.
- **Data structure**: usually refers to an organization for data in **main memory**.
- **File structure**: refers to an organization for data on secondary storage, such as a **hard disk**.

## Definitions:

### Data Types & Data Structures

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## Definitions:

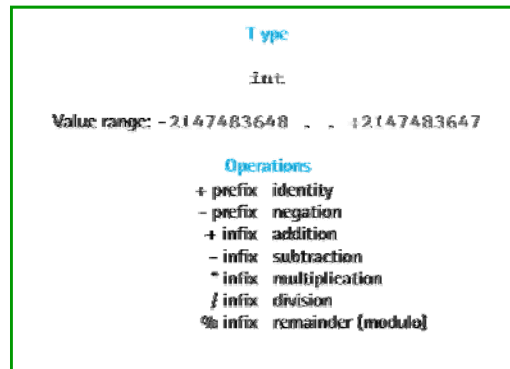
### ADT Implementation

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- ADT implementation refers to the **mapping** of the abstract definition (**A**) into a set of other data structures (**E**) which actually **exist** in the computer.
- It involves:
  1. Specifying the **representation** of elements from domain **D** of **A**, by elements from the domain of **E**.
  2. **Writing functions** of **A** using functions of **E**.

## Example 1: The Integer Abstract Data Type

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## Example 1: Integer ADT Implementation

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- **Problem:**  
Implement the integer ADT, **A**, defined as:
  - Domain = {..., -2, -1, 0, +1, +2, ...}
  - Operations: **add**, **subtract**, **multiply**, **divide**.
- **Solution:**  
Find an existing data type **E**,  
Using basic hardware, there is only **Boolean**:
  - Domain = {0, 1}
  - Operations: **NOT**, **AND**, **OR**

## Example 1: Integer Implementation

### A. Representation

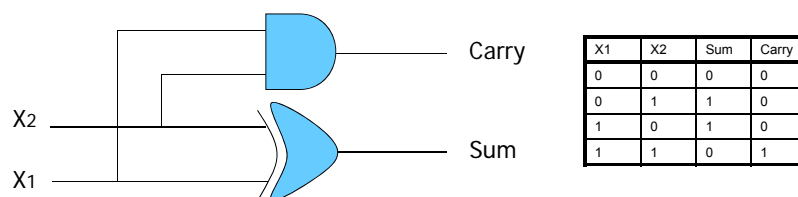
1. Sign-Magnitude:  
+30 : 0001 1110,    -30 : 1001 1110
2. Two's Complement:  
+30 : 0001 1110,    -30 : 1110 0010
3. Binary Coded Decimal:  
+30 : 0011 0000,    -30 : Not available

## Example 1: Integer Implementation

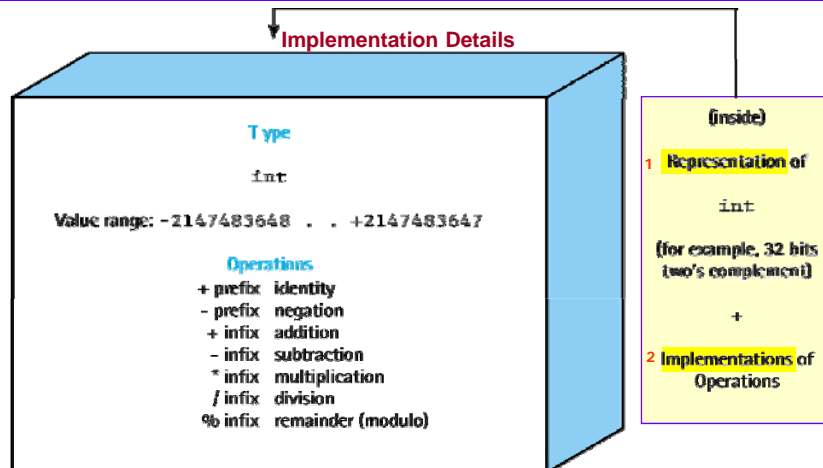
### B. Mapping Operations

Take the Add operation for example:

- The adder circuit is shown below:
- A Full adder takes 3 inputs and produces 2 outputs



## Example 1: The Integer Data Type



## Example 2: The Set Abstract Data Type

### • Problem:

Implement the Set ADT, **A**, defined as:

- Domain: Elements of some base type
- Example: [blue, red, green]
- Operations: union (+), difference (-), intersection (\*), subset (<=), superset (>=), and membership.

### • Solution:

Find an existing data type **E**,

Using basic hardware, there is only **Boolean**:

- Domain = {0,1}
- Operations: NOT, AND, OR



## Example 2: Set Implementation

### A. Representation

- Any set,  $S$ , of base type  $T$  can be represented by its characteristic function,  $b$ , which is defined for all values of the domain of  $T$ .
- Example:  
If the base type is the integer in the range  $1..10$ , then a set  $S=[1..3,5,9,10]$  can be represented by a string of 10 binary digits as follows:

1	2	3	4	5	6	7	8	9	10
1	1	1	0	1	0	0	0	1	1

For short it is written as  $b = \{1110100011\}$ .

## Example 2: Set Implementation

### B. Operation Mapping

Given the two sets  $S_1$  and  $S_2$ , and their characteristic functions  $b_1$  and  $b_2$ , respectively, then:

Set Operation	Its Mapping
$S_1 + S_2$	$b_1 \text{ OR } b_2$
$S_1 * S_2$	$b_1 \text{ AND } b_2$
$S_1 - S_2$	$b_1 \text{ AND } (\text{NOT } b_2)$
$S_1 \leq S_2$	$(b_1 \text{ AND } b_2) == b_1$
$S_1 \geq S_2$	$(b_1 \text{ AND } b_2) == b_2$
Element $x$ is a member of $S_1$	Same as $[x] \leq S_1$

## Definitions:

### Primitive Data Types

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- A Data Type can be:
  1. **Primitive**, (**Simple** or **Atomic**), where its elements are single, non-decomposable data items, like:
    - Integer numbers,
    - Real numbers,
    - Characters
  2. **Composite**, where its elements are composed of multiple data items.

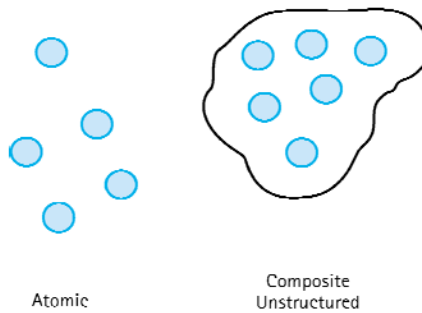
## Definitions:

### Composite Data Types

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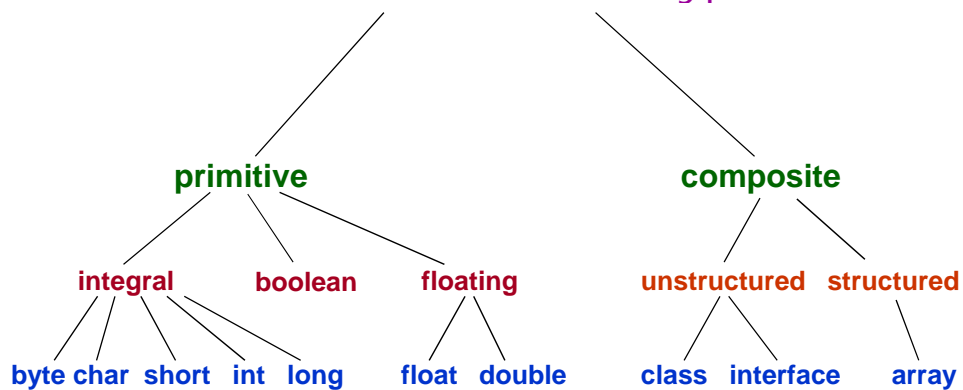
- With **Composite** data types, the main operation of interest is **accessing** the elements that make up the collection
- A Composite data type can be:
  1. **Unstructured**: A **collection** of components that are **not** organized with respect to one another
  2. **Structured**: An **organized** collection of component data in which **the organization determines the means of accessing individual components or subsets of the collection**

## Examples: Primitive & Composite Data Types



## Examples: Primitive & Composite Data Types

### Java Built-in Data Types



### Notes:

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- All Java **built-in** types are ADTs.
- Java programmers can use the Java class mechanism to build their own ADTs.

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## Definitions:

### Data Structure

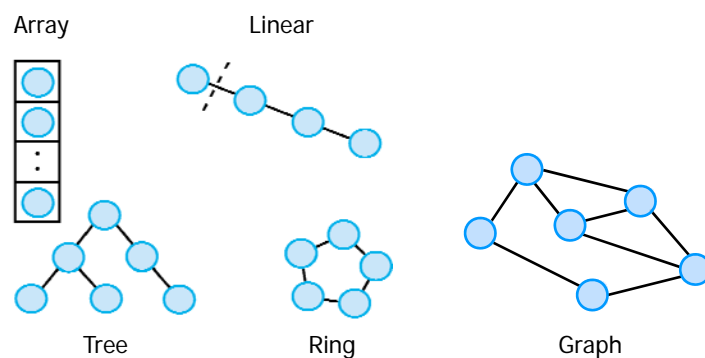
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- A **Data Structure** is also a collection of data elements (simple or composite) that have a **set of relations** between them, reflected by their logical organization (**structure**).
- Example data structures are:  
**Arrays, Lists, Stacks, Queues, Trees, Hash tables and Graphs.**

## Examples:

### Data Structures

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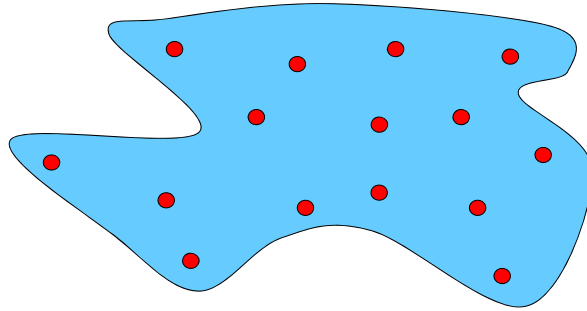


## Structural Relationships:

### 1. Set Relationship

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- There is no structure among elements of a set except their **membership** in the set.

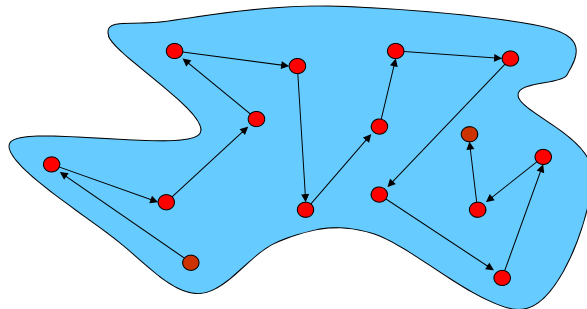


## Structural Relationships:

### 2. Linear Relationship

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- Each element is related to only one other element, defining a **one-to-one** relationship

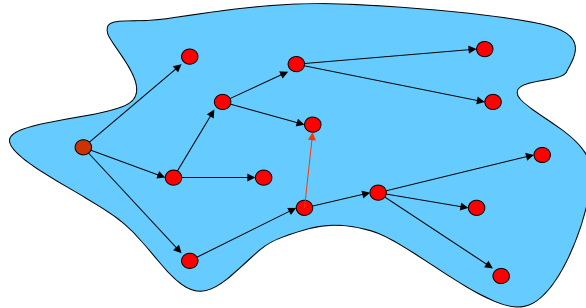


## Structural Relationships:

### 3. Tree Relationship

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- Each element is related to one or more elements in a **one-to-many** relationship

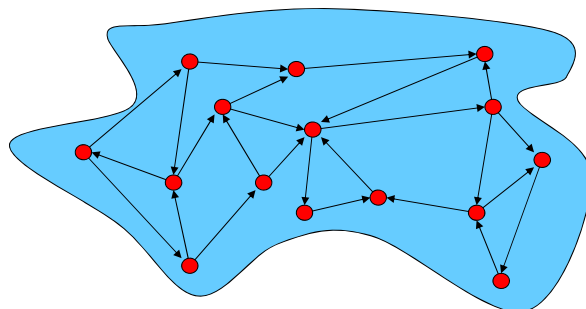


## Structural Relationships:

### 4. Graph Relationship

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- Each element is related to one or more elements in a **many-to-many** relationship



## Definitions:

### Order

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If  $a$ ,  $b$ , and  $c$  are arbitrary elements of any set of elements,  $S$ , and the relation  $\leq$  is defined on pairs of elements of  $S$ , and if:

1.  $a \leq a$  is true, and
2. If  $a \leq b$  and  $b \leq c$  then  $a \leq c$  is true, and
3. If  $a \leq b$  and  $b \leq a$  then  $a = b$  is true, and
4. Either  $a \leq b$  or  $b \leq a$  is true,

Then  $S$  is said to be totally ordered by  $\leq$  operator.

### Order Examples

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1. The set of **integers**, is an ordered set by the  $\leq$  operator, since it satisfies all the conditions stated above.
2. The set of **alphabetical characters** is also ordered by the  $\leq$  operator.

The ordering in this case is called **Lexicographic** ordering.



## Relational Operators

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If a set of elements is ordered then we can specify a collection of relational operators on its elements. They are:

$<$ ,  $\leq$ ,  $>$ ,  $\geq$ ,  $=$ , and  $\neq$

A relational expression produces a boolean result. i.e. **True** or **False**

## Definitions: Linearity

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A **finite** set of elements is linear if the set is **empty**, or if it contains a **single** element, or if the following four conditions are met:

1. There is a **unique** element called the **first**.
2. There is a **unique** element called the **last**.
3. Every element, except the last, has a **unique successor**.
4. Every element, except the first, has a **unique predecessor**.

## Linearity Examples

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1. The set of **integers** is linear according to the stated definition.
2. The set of **alphabetical characters** is also linear.
3. The set of **real** numbers is ordered but **not linear**.

There is an infinite number of successors for each real number.

## Linearity Operators

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If a set of elements is linear then we can specify the following operators on its elements. They are:

Find First,  
Find Last,  
Find AtPosition, Find Position,  
Find Next, and  
Find Previous

### Example 3: Array Abstract Definition

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- An array is a **finite ordered set of homogeneous elements**.
  - All its elements have the **same size**
  - Array elements occupy **contiguous** locations in memory
  - The ordering is defined by an **index**
  - All array **operations** involve **accessing** an element of the array.

### Example 3: Array Implementation One-Dimensional array

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An array is stored internally in successive memory locations, starting from some address called the **base-address**.

Let:

<b>base</b>	address of first element of the array
<b>esize</b>	size of each element in the array
<b><math>\ell</math></b>	lower bound of the array index (in Java $\ell = 0$ )
<b><math>i</math></b>	index of current element

Then:

To access an array element, we need to find the memory **address** corresponding to the **index** of that element in the array.

i.e. A **Mapping** from index  **$i$**  to address  **$\alpha$** .

## Example 3: Array Implementation One-Dimensional array

The Address Mapping Function (AMF):

$$a = \text{base} + \text{esize} * (i - \ell)$$

**Example:**

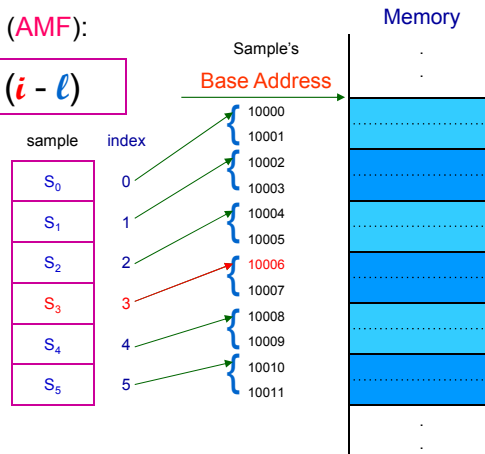
For the array defined as:

`int [ ] sample = new int [6];`

Find the address of `sample[3]`:

`base = 10000, esize = 2,  $\ell = 0$ ,  
 $i = 3$ .`

$$a = 10000 + 2 * (3 - 0) = 10006$$



## Example 3: Array Implementation Two-Dimensional array

A two-dimensional array is stored internally in one of two ways:

- Row-Major order (row by row) or
- Column-Major order (column by column).

In successive memory locations, starting from the **base-address**.

Let **base** & **esize** be as defined before,

$\ell_1$  and  $\ell_2$  lower bounds of the array indexes  
(in Java,  $\ell_1 = \ell_2 = 0$ )

$u_1$  and  $u_2$  upper bounds of the array indexes  
(in Java,  $u_1 = (\text{size}_1 - 1)$  and  $u_2 = (\text{size}_2 - 1)$ )

$i_1$  and  $i_2$  indexes of the current element

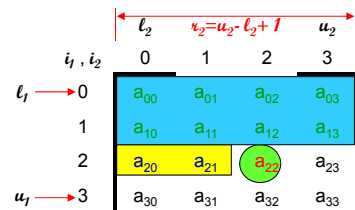
$n_2$  The number of elements in each row =  $(u_2 - \ell_2 + 1)$

## Example 3: Array Implementation Two-Dimensional array

Then:

To access an array element, we need to find the memory **address** corresponding to the two **indexes** of that element in the array. This is a **2-D to 1-D mapping**.

The Address Mapping Function (AMF):



$$a = \text{base} + \text{esize} * [(l_1 - l_1) * u_2 + (l_2 - l_2)]$$

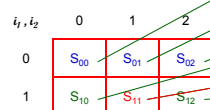
## Example 3: Array Implementation Two-Dimensional array

Example:

For the array defined as:  
`int [ ][ ] sample = new int [2][3];`  
 Find the address of `sample[1][1]`:

$\text{base} = 10000$ ,  $\text{esize} = 2$ ,  $l_1 = 0$ ,  
 $l_2 = 0$ ,  $u_1 = 1$ ,  $u_2 = 2$ ,  $i_1 = 1$ ,  $i_2 = 1$ .

$u_2 = (u_2 - l_2 + 1) = (2 - 0 + 1) = 3$ .



$$a = 10000 + 2 * [3 * (1 - 0) + (1 - 0)] = 10008$$

## Example 3: Array Implementation Multi-Dimensional array

A Multi-dimensional array is stored internally in one of two ways:

- Row-Major order, the **rightmost** index changes **most frequently**
  - Column-Major order, the **leftmost** index changes **most frequently**
- using successive memory locations, starting from the **base-address**.

Let **base** & **esize** be as defined before,

- $\ell_1, \ell_2, \dots, \ell_n$  lower bounds of the array indexes  
(in Java,  $\ell_1 = \ell_2 = \dots = \ell_n = 0$ )
- $u_1, u_2, \dots, u_n$  upper bounds of the array indexes  
(in Java,  $u_1 = (\text{size}_1 - 1)$ ,  $u_2 = (\text{size}_2 - 1)$  ...)
- $i_1, i_2, \dots, i_n$  indexes of the current element
- $\kappa_2, \kappa_3, \dots, \kappa_n$  The no. elements in each dimension  $\kappa_k = (u_k - \ell_k + 1)$

## Example 3: Array Implementation Multi-Dimensional array

Then:

To access an array element, we need to find the memory **address** corresponding to the set of **n indexes** of that element in the array.  
This is an **n-D to 1-D mapping**.

The Address Mapping Function (**AMF**):

$$\begin{aligned}
 \mathbf{a} = \text{base} + \text{esize} * [ & (i_1 - \ell_1) * \kappa_2 * \kappa_3 * \dots * \kappa_{n-1} * \kappa_n + \\
 & (i_2 - \ell_2) * \kappa_3 * \kappa_4 * \dots * \kappa_{n-1} * \kappa_n + \\
 & \dots + (i_{n-2} - \ell_{n-2}) * \kappa_{n-1} * \kappa_n + \\
 & (i_{n-1} - \ell_{n-1}) * \kappa_n + (i_n - \ell_n) ]
 \end{aligned}$$

### Example 3: Array Implementation Multi-Dimensional array

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An equivalent formula that is more efficient to evaluate is:

$$a = \text{base} + \text{esize} * [i_n - l_n + r_n * (i_{n-1} - l_{n-1} + r_{n-1} * (i_{n-2} - l_{n-2} + r_{n-2} * ( \dots + r_3 * (i_2 - l_2 + r_2 * (i_1 - l_1)) \dots )))]$$

### Definitions: Data Levels of an ADT

---

1. **Abstract** (or **Logical**) level:  
This is the abstract view of the data values (the **domain**) and the set of **operations** to manipulate them.
2. **Implementation** level:  
A specific **representation** of the structure to hold the data items, and the **coding of the operations** in a programming language.
3. **User** (or **Application**) level:  
At this level, the application programmer uses the ADT to solve a particular problem.

## Definitions:

### Data Encapsulation

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- **Data encapsulation** is the separation of the **representation** of data from the **applications** that use the data at a logical level
- The Java **class** mechanism provides the means to encapsulate the data of an ADT.

## Definitions:

### Basic Operations on Encapsulated Data

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- **Constructors**: are operations that **create new instances** (objects) of the data type.
- **Transformers** (sometimes called *mutators*): are operations that **change the state of one or more of the data values**.
- **Observers**: are operations that allow us to observe the state of one or more of the data values **without changing them**.
- **Iterators**: are operations that allow us to **process all the components in a data structure sequentially**.



## Example 4: Specification of Collection ADT



- A **Collection** is a data type that is capable of holding a group of **integer** items.
- There can be many instances of the same item in the collection.
- Thus we can think of it as a **container** (a **bag**) with the following **operations**:

Operation	Action
<code>initialize():</code>	Creates an <b>empty</b> collection of fixed <b>capacity</b> = 10.
<code>add(item):</code>	Adds one item to the collection.
<code>countOccur(item):</code>	Checks how many <b>occurrences</b> of a certain item are in the collection.
<code>remove(item):</code>	Removes one item from the collection.
<code>size():</code>	checks <b>how many</b> items are in the collection.

## Example 4: Java Interface for The Collection ADT – Bag



```
/**
 * @(#)Bag.java
 *
 * A simple Bag interface
 * @author Dr. Abdulghani M. Al-Qasimi
 * @version 1.00 2011/7/4
 */

public interface Bag<E> {

    public boolean add(E item);
    public int countOccur(E item);
    public boolean remove(E target);
    public int size( );

}
```

## Example 4: Implementation Using Java Array



### Representation:

- Use a **partially filled** array of **fixed capacity**
- Use one integer variable called **manyItems**, which stores the number of items currently in the bag
- An empty bag is initialized by a constructor, dynamically creating the array, and setting **manyItems = 0**.

### Code:

```
public class IntArrayBag implements Bag<Integer>
{
    private int[] data;
    private int manyItems;
}
```

index	data
0	
1	
2	
3	
4	
5	
6	
7	
8	
9	

manyItems 0

## Example 4: Implementing Constructor



### Code:

```
/**
 * Initialize an empty bag with an initial capacity of 10.
 * @param - none
 * @postcondition
 * This bag is empty and has an initial capacity of 10.
 */
public IntArrayBag( )
{
    final int INITIAL_CAPACITY = 10;
    manyItems = 0;
    data = new int [INITIAL_CAPACITY];
}
```

index	data
0	
1	
2	
3	
4	
5	
6	
7	
8	
9	

manyItems 0

## Example 4: Implementing Transformer add(item)



### Code:

```
/**
 * If not full, then add a new item to the bag and return true.
 * If the bag is full, then do not add the item and return false.
 * @param item
 * the new item that is being inserted
 * @postcondition
 * A new copy of the item has been added to this bag.
 */
public boolean add(Integer item)
{
    if (manyItems == data.length) return false;
    data[manyItems] = item;
    manyItems++;
    return true;
}
```

index	data
0	
1	
2	
3	
4	
5	
6	
7	
8	
9	

manyItems 0

## Example 4: Applying add(item)



### Example:

- add(4);

index	data
0	4
1	
2	
3	
4	
5	
6	
7	
8	
9	

manyItems 1

## Example 4: Applying add(item)



### Example:

- add(4);
- add(8);

index	data
0	4
1	8
2	
3	
4	
5	
6	
7	
8	
9	
manyItems	2

## Example 4: Applying add(item)



### Example:

- add(4);
- add(8);
- add(4);

index	data
0	4
1	8
2	4
3	
4	
5	
6	
7	
8	
9	
manyItems	3

## Example 4: Applying add(item)



### Example:

- add(4);
- add(8);
- add(4);
- add(1);

index	data
0	4
1	8
2	4
3	1
4	
5	
6	
7	
8	
9	

manyItems 4

## Example 4: Implementing Accessor countOccur(item)



### Code:

```
/**
 * Counts the number of occurrences of an item in this bag.
 * @param item
 *   the item that needs to be counted
 * @return
 *   the number of times that item occurs in this bag
 */
public int countOccur(Integer item)
{
    int index, answer = 0;
    for (index = 0; index < manyItems; index++)
        if (item == data[index]) answer++;
    return answer;
}
```

index	data
0	4
1	8
2	4
3	1
4	
5	
6	
7	
8	
9	

manyItems 4

### Example:

- countOccur(4) → 2

## Example 4: Implementing Transformer remove(target)



**Code:**

```
/**
 * Remove one copy of a specified element from this bag.
 * @param target
 *   the element to remove from the bag.
 * @postcondition
 *   If target is in the bag, one copy is removed, returns true.
 *   Otherwise the bag remains unchanged, returns false.
 */
public boolean remove(Integer target) {
    int i; // Find target
    for (i = 0; (i < manyItems) && (target != data[i]); i++) ;
    if (i == manyItems) return false; // Not found.
    data[i] = data[--manyItems]; // Found. So remove.
    return true;
}
```

index	data
0	4
1	8
2	4
3	1
4	
5	
6	
7	
8	
9	

manyItems 4

## Example 4: Applying remove(target)



**Example:**

- remove(8);

```
public boolean remove(Integer target) {
    int i; // Find target
    for (i = 0; (i < manyItems) && (target != data[i]); i++) ;
    if (i == manyItems) return false; // Not found.
    data[i] = data[--manyItems]; // Found. So remove.
    return true;
}
```

index	data
0	4
1	8
2	4
3	1
4	
5	
6	
7	
8	
9	

manyItems 4

## Example 4: Applying remove(target)



### Example:

- remove(8);

```
public boolean remove(Integer target) {
    int i; // Find target
    for (i = 0; (i < manyItems) && (target != data[i]); i++) ;
    if (i == manyItems) return false; // Not found.
    data[i] = data[--manyItems]; // Found. So remove.
    return true;
}
```

index	data
0	4
1	8
2	4
3	1
4	
5	
6	
7	
8	
9	

manyItems 4

## Example 4: Applying remove(target)



### Example:

- remove(8);

```
public boolean remove(Integer target) {
    int i; // Find target
    for (i = 0; (i < manyItems) && (target != data[i]); i++) ;
    if (i == manyItems) return false; // Not found.
    data[i] = data[--manyItems]; // Found. So remove.
    return true;
}
```

index	data
0	4
1	8
2	4
3	1
4	
5	
6	
7	
8	
9	

manyItems 4

## Example 4: Applying remove(target)



### Example:

- remove(8);

```
public boolean remove(Integer target) {
    int i; // Find target
    for (i = 0; (i < manyItems) && (target != data[i]); i++) ;
    if (i == manyItems) return false; // Not found.
    data[i] = data[--manyItems]; // Found. So remove.
    return true;
}
```

index	data
0	4
1	8
2	4
3	1
4	
5	
6	
7	
8	
9	

manyItems 4

## Example 4: Applying remove(target)



### Example:

- remove(8);

```
public boolean remove(Integer target) {
    int i; // Find target
    for (i = 0; (i < manyItems) && (target != data[i]); i++) ;
    if (i == manyItems) return false; // Not found.
    data[i] = data[--manyItems]; // Found. So remove.
    return true;
}
```

index	data
0	4
1	8
2	4
3	1
4	
5	
6	
7	
8	
9	

manyItems 3



## Example 4: Applying remove(target)



### Example:

- remove(8);

```
public boolean remove(Integer target) {
    int i; // Find target
    for (i = 0; (i < manyItems) && (target != data[i]); i++) ;
    if (i == manyItems) return false; // Not found.
    data[i] = data[--manyItems]; // Found. So remove.
    return true;
}
```

index	data
0	4
1	1
2	4
3	1
4	
5	
6	
7	
8	
9	

manyItems 3

## Example 4: Applying remove(target)



### Example:

- remove(8);

```
public boolean remove(Integer target) {
    int i; // Find target
    for (i = 0; (i < manyItems) && (target != data[i]); i++) ;
    if (i == manyItems) return false; // Not found.
    data[i] = data[--manyItems]; // Found. So remove.
    return true;
}
```

index	data
0	4
1	1
2	4
3	1
4	
5	
6	
7	
8	
9	

manyItems 3

## Example 4: Implementing Accessor size()



### Code:

```
/**
 * Determine the number of items in this bag.
 * @param - none
 * @return
 * the number of items in this bag
 */

public int size( )
{
    return manyItems;
}
```

index	data
0	4
1	1
2	4
3	
4	
5	
6	
7	
8	
9	
manyItems	3

### Example:

- Size() → 3