

# XNOR gate

The **XNOR gate** (sometimes **ENOR**, **EXNOR** or **NXOR** and pronounced as **Exclusive NOR**. Alternatively **XAND**, pronounced **Exclusive AND**) is a digital logic gate whose function is the logical complement of the Exclusive OR (XOR) gate.<sup>[1]</sup> It is equivalent to the logical connective ( $\leftrightarrow$ ) from mathematical logic, also known as the material biconditional. The two-input version implements logical equality, behaving according to the truth table to the right, and hence the gate is sometimes called an "equivalence gate". A high output (1) results if both of the inputs to the gate are the same. If one but not both inputs are high (1), a low output (0) results.

Input		Output
A	B	A XNOR B
0	0	1
0	1	0
1	0	0
1	1	1

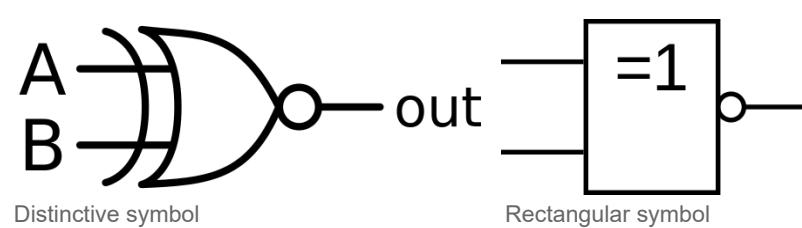
The algebraic notation used to represent the XNOR operation is  $S = A \odot B$ . The algebraic expressions  $(A + \overline{B}) \cdot (\overline{A} + B)$  and  $A \cdot B + \overline{A} \cdot \overline{B}$  both represent the XNOR gate with inputs A and B.

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## Symbols

There are two symbols for XNOR gates: one with distinctive shape and one with rectangular shape and label. Both symbols for the XNOR gate are that of the XOR gate with an added inversion bubble.



## Hardware description

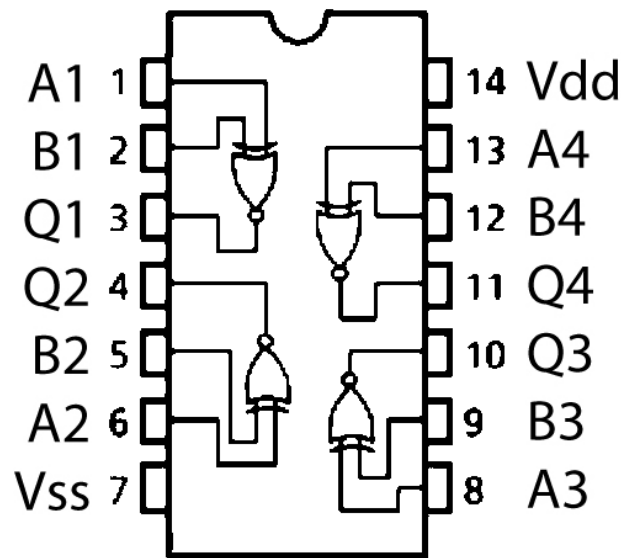
XNOR gates are represented in most TTL and CMOS IC families. The standard 4000 series CMOS IC is the 4077, and the TTL IC is the 74266 (although an open-collector implementation). Both include four independent, two-input, XNOR gates. The (now obsolete) 74S135 implemented four two-input XOR/XNOR gates or two three-input XNOR gates.

Both the TTL 74LS implementation, the 74LS266, as well as the CMOS gates (CD4077, 74HC4077 and 74HC266 and so on) are available from most semiconductor manufacturers such as Texas Instruments or NXP, etc.<sup>[2]</sup> They are usually available in both through-hole DIP and SOIC formats (SOIC-14, SOC-14 or TSSOP-14).

Datasheets are readily available in most datasheet databases and suppliers.

## Pinout

Both the 4077 and 74x266 devices (SN74LS266, 74HC266, 74266, etc.) have the same pinout diagram, as follows:



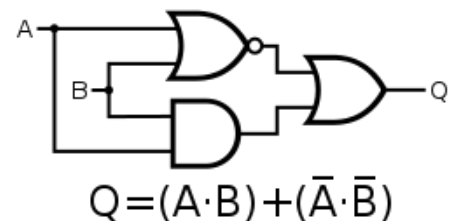
Pinout diagram of the 74HC266N, 74LS266 and CD4077 quad XNOR plastic dual in-line package 14-pin package (**PDIP-14**) ICs.

1. Input A1
2. Input B1
3. Output Q1 (high if and only if A1 and B1 have the same logic level)
4. Output Q2
5. Input B2
6. Input A2
7.  $V_{ss}$  (GND) common power and signal ground pin
8. Input A3
9. Input B3
10. Output Q3
11. Output Q4
12. Input B4
13. Input A4
14.  $V_{dd}$  for CMOS ( $V_{cc}$  for TTL) positive power supply (see

datasheets for acceptable voltage ranges)

## Alternatives

If a specific type of gate is not available, a circuit that implements the same function can be constructed from other available gates. A circuit implementing an XNOR function can be trivially constructed from an XOR gate followed by a NOT gate. If we consider the expression  $(A + \bar{B}) \cdot (\bar{A} + B)$ , we can construct an XNOR gate circuit directly using AND, OR and NOT gates. However, this approach requires five gates of three different kinds.

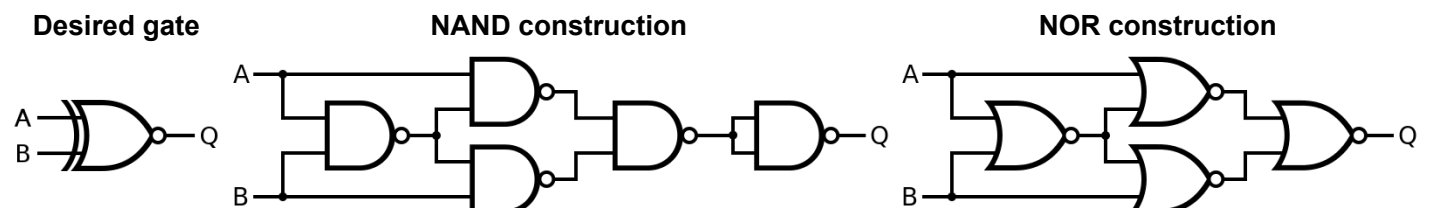


XNOR gate circuit using three mixed gates

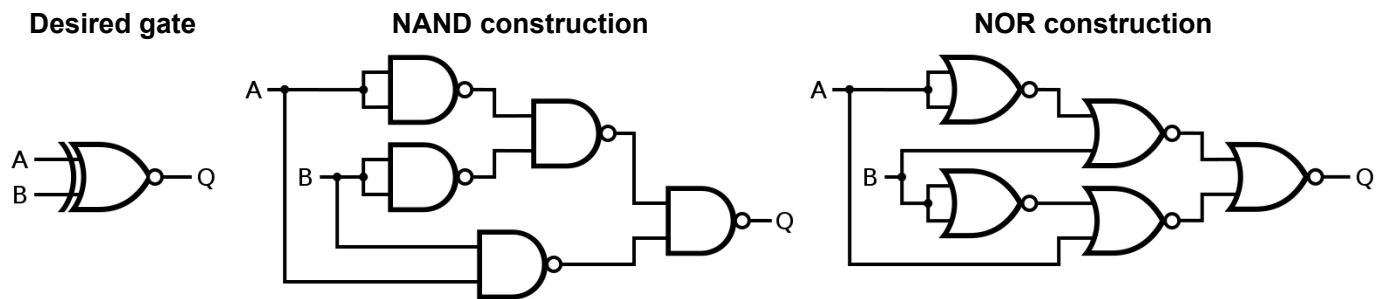
As alternative, if different gates are available we can apply Boolean algebra to transform  $(A + \bar{B}) \cdot (\bar{A} + B) \equiv (A \cdot B) + (\bar{A} \cdot \bar{B})$  as

stated above, and apply de Morgan's Law to the last term to get  $(A \cdot B) + \overline{(\bar{A} + B)}$  which can be implemented using only three gates as shown on the right.

An XNOR gate circuit can be made from four NOR gates. In fact, both NAND and NOR gates are so-called "universal gates" and any logical function can be constructed from either NAND logic or NOR logic alone. If the four NOR gates are replaced by NAND gates, this results in an XOR gate, which can be converted to an XNOR gate by inverting the output or one of the inputs (e.g. with a fifth NAND gate).



An alternative arrangement is of five NAND gates in a topology that emphasizes the construction of the function from  $(A \cdot B) + (\bar{A} \cdot \bar{B})$ , noting from de Morgan's Law that a NAND gate is an inverted-input OR gate. Another alternative arrangement is of five NOR gates in a topology that emphasizes the construction of the function from  $(A + \bar{B}) \cdot (\bar{A} + B)$ , noting from de Morgan's Law that a NOR gate is an inverted-input AND gate.



For the NAND constructions, the lower arrangement offers the advantage of a shorter propagation delay (the time delay between an input changing and the output changing). For the NOR constructions, the upper arrangement requires fewer gates.

From the opposite perspective, constructing other gates using only XNOR gates is possible though XNOR is not a fully universal logic gate. NOT and XOR gates can be constructed this way.

## More than two inputs

Although other gates (OR, NOR, AND, NAND) are available from manufacturers with three or more inputs per gate, this is not strictly true with XOR and XNOR gates. However, extending the concept of the binary logical operation to three inputs, the SN74S135 with two shared "C" and four independent "A" and "B" inputs for its four outputs, was a device that followed the truth table:

Input			Output
A	B	C	Y
0	0	0	1
0	0	1	0
0	1	0	0
0	1	1	1
1	0	0	0
1	0	1	1
1	1	0	1
1	1	1	0

This is effectively  $Y = \text{NOT}((A \text{ XOR } B) \text{ XOR } C)$ . Another way to interpret this is that the output is true if an even number of inputs are true. It does not implement a logical "equivalence" function, unlike two-input XNOR gates.

Additionally, the XOR function seems to act as a parity function or Mod2 for the sum of all inputs. Note how \*y\* is equal to 1 if the sum of all inputs is even, which implies that  $y = 0$  if the sum of all inputs is odd. We may conclude from this that  $x \text{ XOR } y \text{ XOR } z = 1$  if the sum of all inputs is even (x+y+z).

## See also

- AND gate
- OR gate
- NOT gate
- NAND gate
- NOR gate
- XOR gate
- Kronecker delta function
- Logical biconditional
- If and only if

## References

1. "Exclusive-NOR Gate Tutorial" ([https://www.electronics-tutorials.ws/logic/logic\\_8.html](https://www.electronics-tutorials.ws/logic/logic_8.html)). Retrieved 6 May 2018.

2. "XNOR Logic Gates" ([https://mouser.com/Semiconductors/Logic-ICs/Logic-Gates/\\_/N-581zn?P=1yrp5qe](https://mouser.com/Semiconductors/Logic-ICs/Logic-Gates/_/N-581zn?P=1yrp5qe)). Retrieved 6 May 2018.

## External links

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- Texas Instruments® CD4077 Datasheet (<http://www.ti.com/lit/ds/snos367a/snos367a.pdf>)
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