

## Read Me

Question 1 : Face recognition using PCA

<https://www.kaggle.com/muditr97/icm2015502-assignment-6-pca?scriptVersionId=12520719>

Question 2 : Face recognition using LDA

<https://www.kaggle.com/muditr97/assignment-6-question-2-lda?scriptVersionId=12540307>

Data Set:

1. face-pca
2. Pca-faces
3. Facesss
4. face-face

The Assignment is on Jupyter Notebook

FileName for Face recognition using PCA:

**ICM2015502\_Assignment\_6\_PCA**

FileName for Face recognition using LDA

**ICM2015502\_Assignment\_6\_LDA**

Open the file which ( is public ) add this to Notebook, Data set Name : "face-face"  
"face-pca" "faces " and "facesss" and run the code, for question 1, question 2.

This will predict the accuracy of our model for face recognition using PCA, LDA

1. NumPy
2. SciPy
3. Pandas
4. Os
5. Sklearn
6. Matplotlib
7. PIL
8. Sns
9. Random
10. Csv

11. Glob
12. Sklearn.metrics ---> confusion\_matrix
13. Sklearn.metrics ---> accuracy\_score

## Analysis for Assignment for face recognition using PCA and LDA

Train\_Test Split = 70 % and 30 % randomly using sklearn train test split tts()

```
def predict(X, eigen_faces, projected_faces, Y_train):
    mean_normalized = X - np.mean(X_train)

    projected_face = np.dot(mean_normalized, eigen_faces)
    all_diff = []
    for face in projected_faces:
        diff = np.linalg.norm(face-projected_face)
        all_diff.append(diff)
    var = np.argmin(all_diff)
    predicted = Y_train[var]
    return predicted
```

Predict function for the training set

```
def PCA(X_train, k):
    mean_normalized = X_train - np.mean(X_train)
    covariance_t = np.cov(mean_normalized) # Matrix Covariance
    eigen_values, eigen_vectors = np.linalg.eig(covariance_t) #
    # select best k eigen vectors
    eigen_vectors_pd = pd.DataFrame(data=eigen_vectors)
    sorted_indices = np.argsort(eigen_values)
    sorted_indices_k = sorted_indices[:k]
    eigen_vectors_pd_k = eigen_vectors_pd[sorted_indices_k] # k
    eigen_vectors_k = eigen_vectors_pd_k.values # now considere
    eigen_faces = np.dot(mean_normalized.T, eigen_vectors_k)
    projected_faces = np.dot(mean_normalized, eigen_faces)
    return eigen_faces, projected_faces
```

The PCA function

```

def LDA(X_train,Y_train,m):
    #seperate by class
    loop_var = set(Y_train) #creation of set
    seperated_X = []
    for i in loop_var:
        single_class_data = []
        for index, j in enumerate(Y_train): # enumerates list everything from 1 to N
            if(i == j):
                single_class_data.append(X_train[index])
        seperated_X.append(np.array(single_class_data))
    tot_cov = np.cov(seperated_X[0].T)
    # calc total covariance
    for index,i in enumerate(seperated_X):
        if(index == 0):
            continue
        tot_cov += np.cov(i.T)
    # calc diff mean
    overall_mean = X_train.mean(0)
    diff_mean = np.atleast_1d(np.square(overall_mean - seperated_X[0].mean(0)))
    for index,i in enumerate(seperated_X):
        if(index == 0):
            continue
        diff_mean += np.square(overall_mean - seperated_X[index].mean(0))
    mean_matrix = np.expand_dims(diff_mean,axis = 1)
    mean_matrix = np.dot(mean_matrix,mean_matrix.T)
    criterion = np.linalg.inv(tot_cov).dot(mean_matrix)
    # select best m component
    fisher_faces,eigen_vectors_m = solve_LDA(X_train,m,criterion)
    return fisher_faces,eigen_vectors_m

```

LDA function