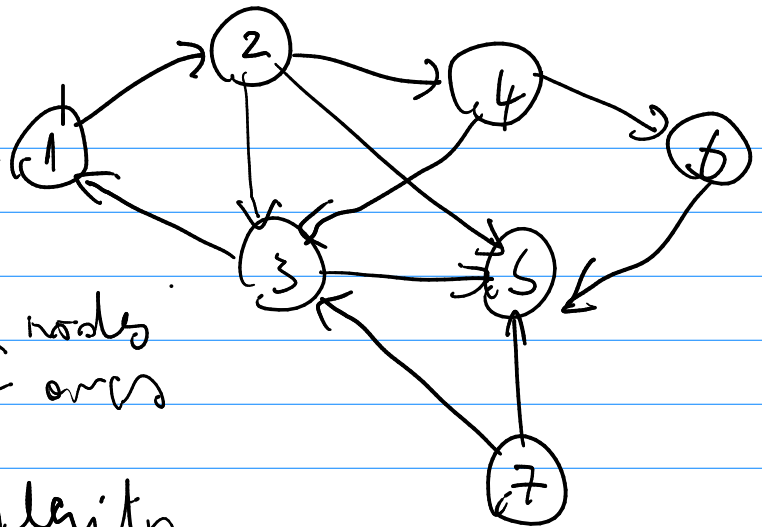


For any graph

we have

$n$  number of nodes  
 $m$  number of arcs



Computational Complexity

$$O = n$$

$$n = 7$$

$$m = 12$$

```

algorithm search;
begin
  unmark all nodes in  $N$ ;
  mark node  $s$ ;
   $\text{pred}(s) := 0$ ;
   $\text{next} := 1$ ;
   $\text{order}(s) := s$ ;
   $\text{LIST} := \{s\}$ 
  while  $\text{LIST} \neq \emptyset$  do
  begin
    select a node  $i$  in  $\text{LIST}$ ;
    if node  $i$  is incident to an admissible arc  $(i, j)$  then
    begin
      mark node  $j$ ;
       $\text{pred}(j) := i$ ;
       $\text{next} := \text{next} + 1$ ;
       $\text{order}(j) := \text{next}$ ;
      add node  $j$  to  $\text{LIST}$ ;
    end
    else delete node  $i$  from  $\text{LIST}$ ;
  end;
end;

```

Figure 3.4 Search algorithm.

**function** graph\_search(s,aL,isDepth::Bool=true)

# Initialization

n=length(aL) #number of nodes

pred=zeros(Int,n)

marked=Int[s]

List=Int[s]

# Now I can start doing the actual work

**while** !isempty(List)

i=isDepth? List[end]:List[1] #This is the current node

j=find\_admissable(aL,marked,i)

**if** j>0 # We found an admissable arc

push!(marked,j)

pred[j]=i

push!(List,j)

**else**

isDepth? pop!(List):shift!(List)

**end**

**end**

pred

**end**

**function** find\_admissable(L,marked\_list,tail)

**for** head **in** L[tail]

**if** !(head **in** marked\_list)

**return** head

**end**

**end**

**return** -1 # Special value to indicate no admissable arc

**end**

~

$O(1)$

$O(n)$

$O(n)$

$O(n)$

$O(1)$

$O(1)$

$O(mn)$

m

For  $dn$

$O(n)$