



Tree Data Structure



Problem: Family Information

You have to implement a **menu based program** in which you have the option to **Add a person** in the family, **Search** a person, **View** parent, **View** children and **View** all members of the family.

```
1. Add a person
2. Search a person
3. View the Parent of a Person
4. View the Children of a Person
5. View all People in the Family
6. Exit
Your Option---->
```

Family Information: Add a Person

On pressing option **1**, user is asked for the information of the person.

```
Your Option----> 1
Enter Name: Dada
Enter Age: 70
Enter Gender: m
Press any Key to Continue...
```

If it is
the first Person

```
Your Option----> 1
Enter Name: Abbu
Enter Age: 45
Enter Gender: m
Enter the name of the Parent: Dada
Press any Key to Continue...
```

If it is other than
the first Person

Family Information: Search a Person

On pressing option **2**, the information of the asked person is displayed.

```
Your Option----> 2
Enter the name of the Person: Abbu
Name: Abbu
Age: 45
Gender: Male
Press any Key to Continue...
```

If the person
is found

```
Your Option----> 2
Enter the name of the Person: Abba
Person not Found
Press any Key to Continue...
```

If the person
is not found

Family Information: View the Parent

On pressing option **3**, the information of the parent of a specific person is displayed.

```
Your Option----> 3
Enter the name of the Child: Abbu
Parent Found
Name: Dada
Age: 70
Gender: Male
Press any Key to Continue...
```

If the parent
is found

```
Your Option----> 3
Enter the name of the Child: Dada
Press any Key to Continue...
```

If the parent
is not found

Family Information: View the Children

On pressing option **4**, the information of the children of a specific person is displayed.

```
Your Option----> 4
Enter the name of the Parent: Abbu
First Child Found
Name: Bhai
Age: 20
Gender: Male
Second Child Found
Name: Behan
Age: 15
Gender: Female
Press any Key to Continue...
```

If the children
are found

```
Your Option----> 4
Enter the name of the Parent: Bhai
No Child Found
Press any Key to Continue...
```

If the child
is not found

Family Information: View the Children

On pressing option **5**, the information of the whole family is displayed.

```
Your Option----> 5  
Dada  
Abbu  
Bhai Behan  
Press any Key to Continue...
```

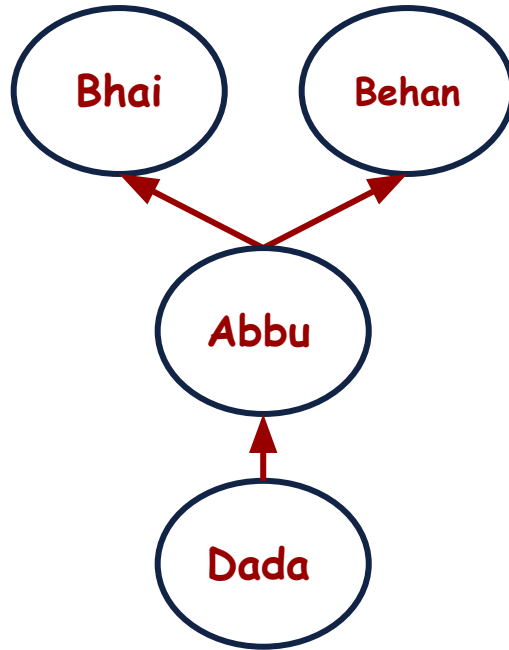
Family Information: How to Store?

How can we store this information effectively so that the **CRUD** operations can be easily performed?



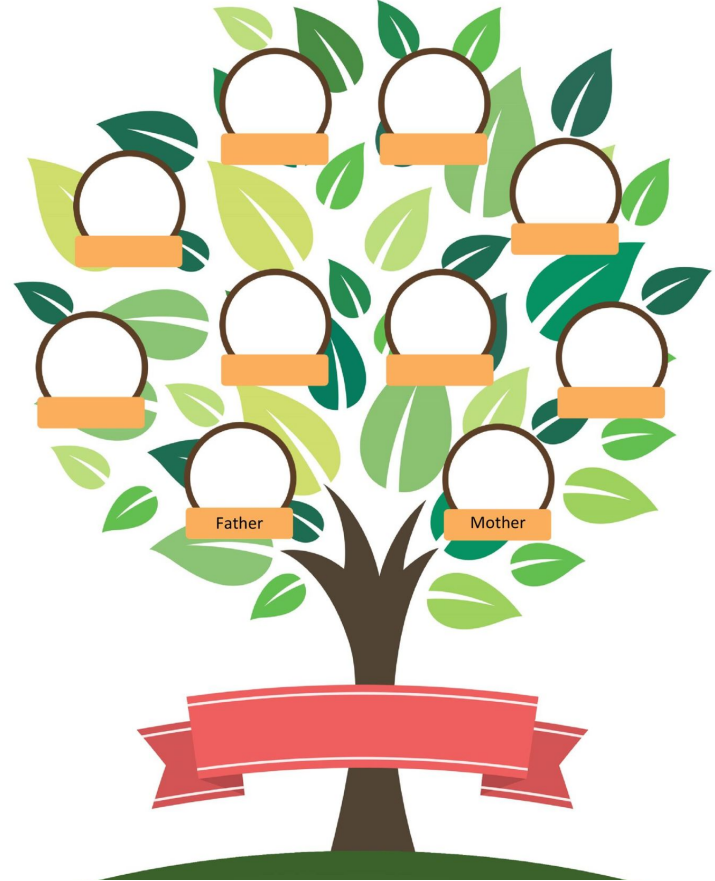
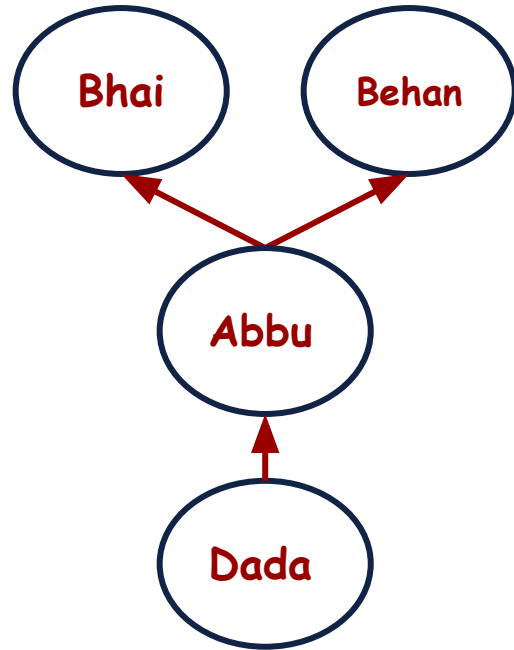
Family Information: How to Store?

Let's first **Draw** the information of the Family hierarchically.



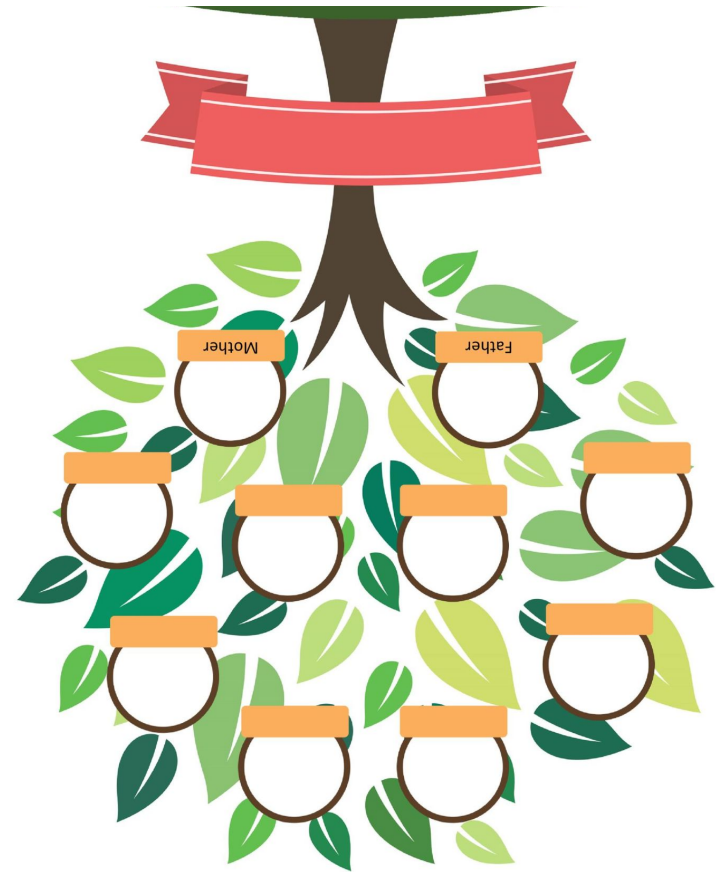
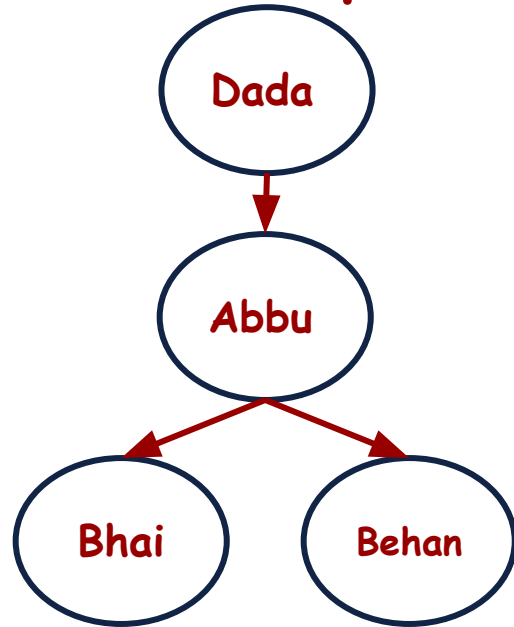
Family Information

This looks like a Family Tree.



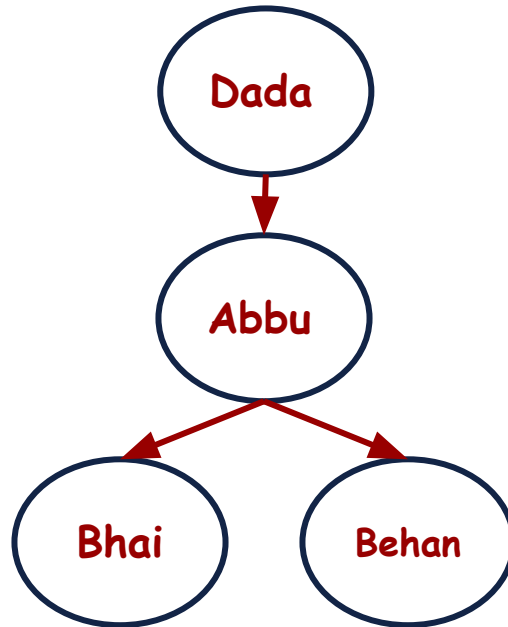
Family Information

Computer Scientists like to look at the **Tree** upside down.



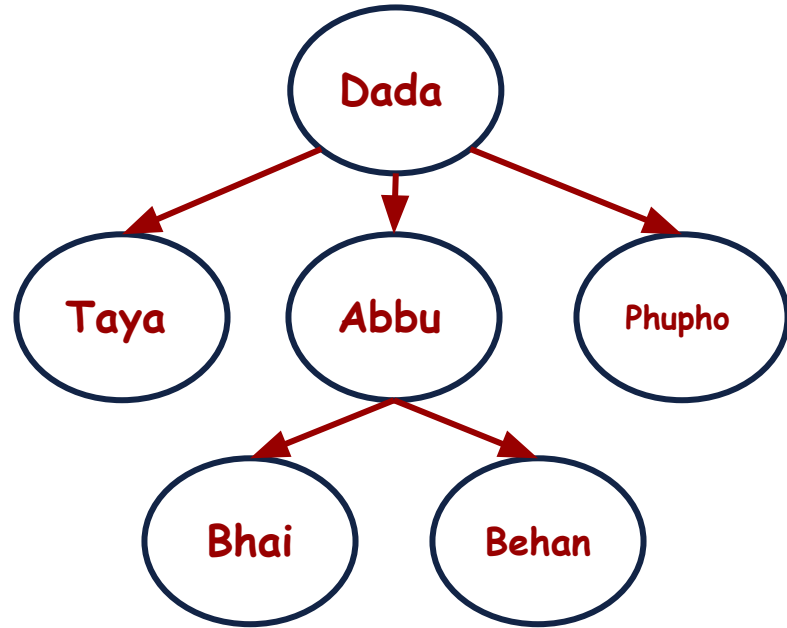
Tree: Data Structure

This is a new Data Structure (**non-linear** (Hierarchical) Data Structure).



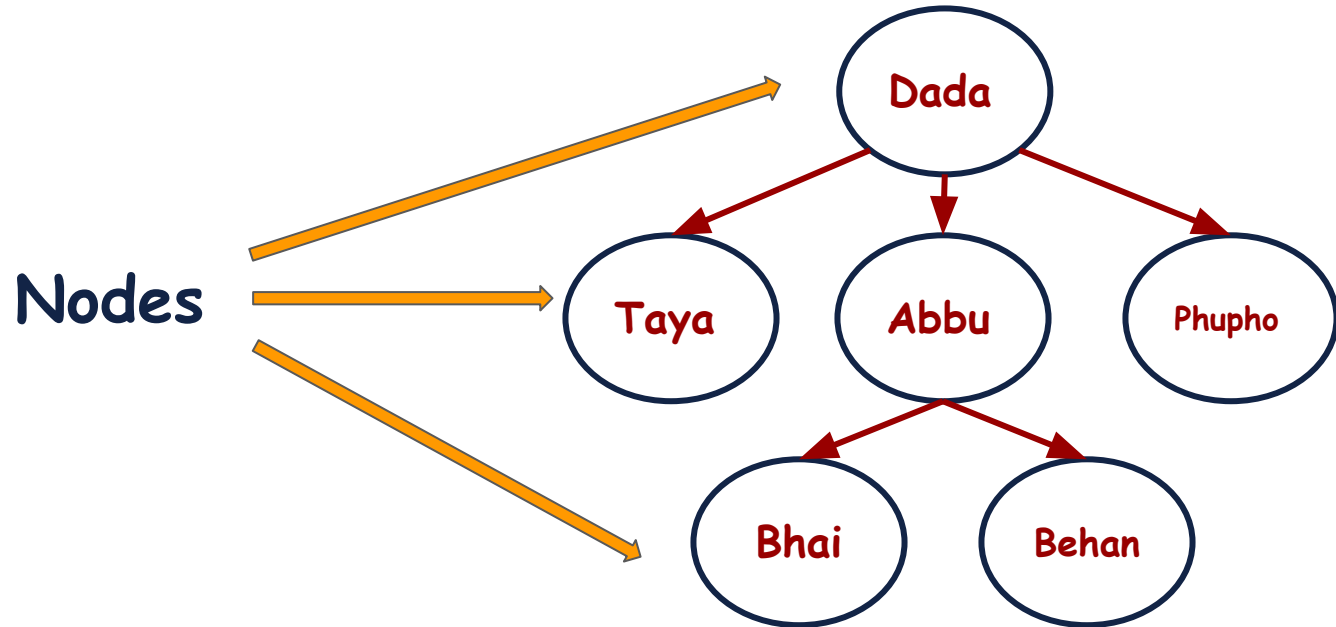
Tree: Terminologies

Every new Data Structure comes with new Terminologies.



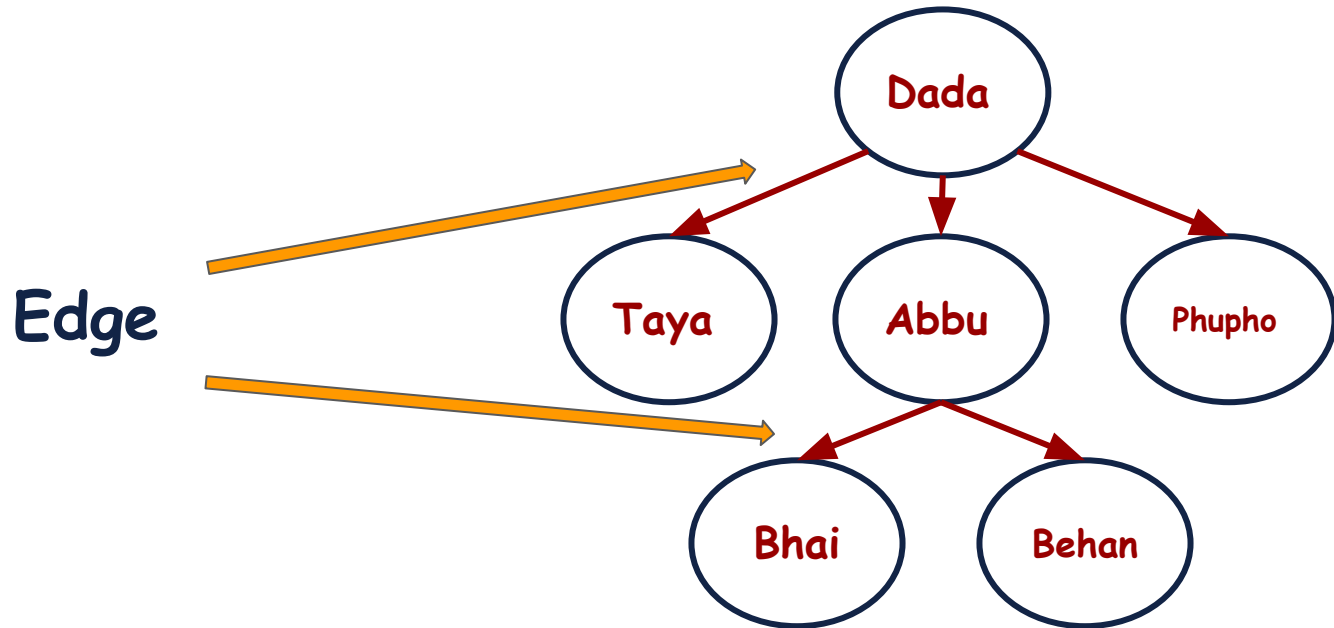
Terminologies: Node

Tree Data Structure is also known as the **collection of nodes**.



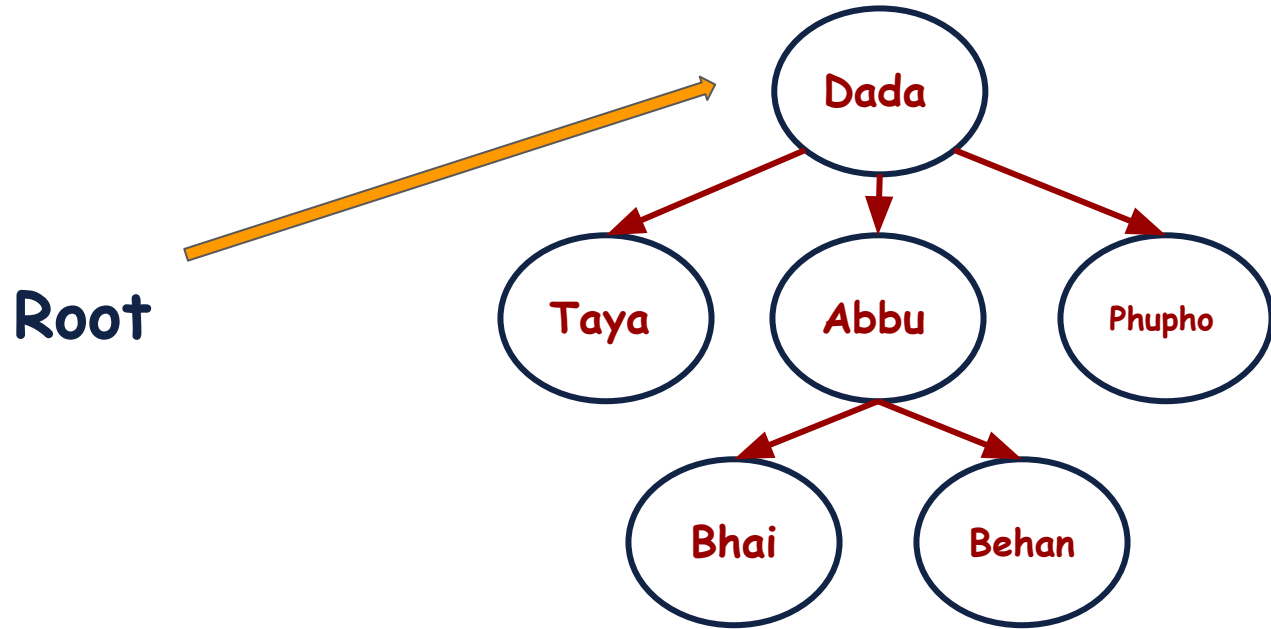
Terminologies: Edges or Vertices

Edge is a connection between one node to another. It is a line between two nodes.



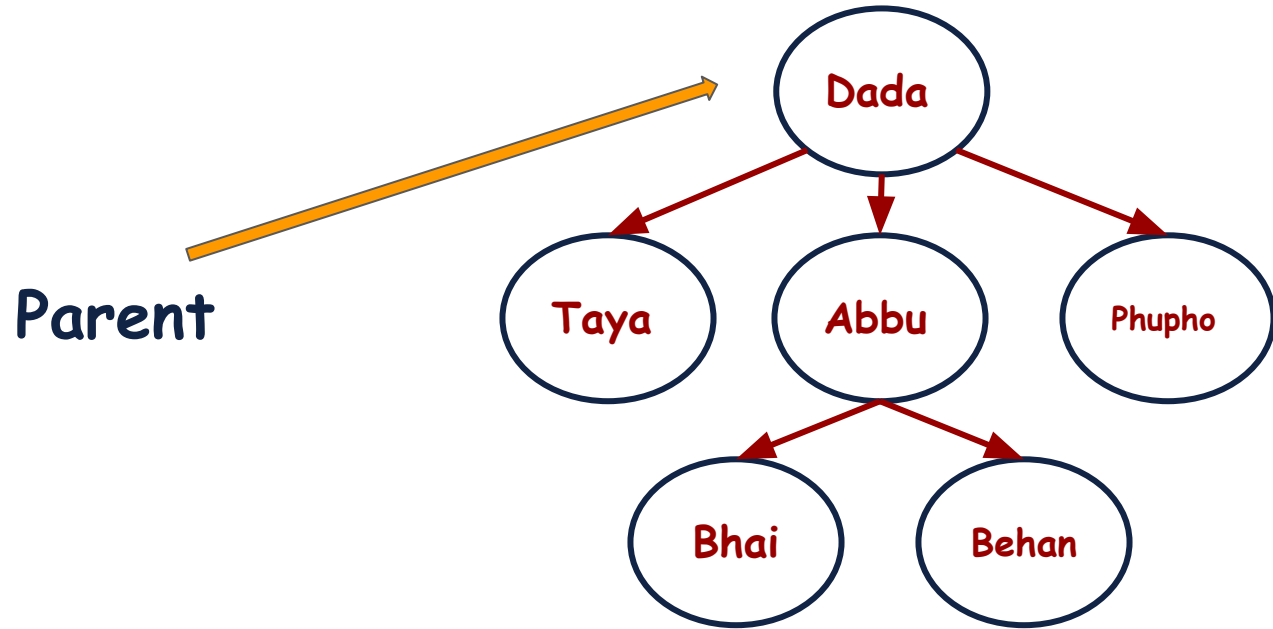
Terminologies: Root Node

Root is a special node in a tree. The **entire tree** originates from it.



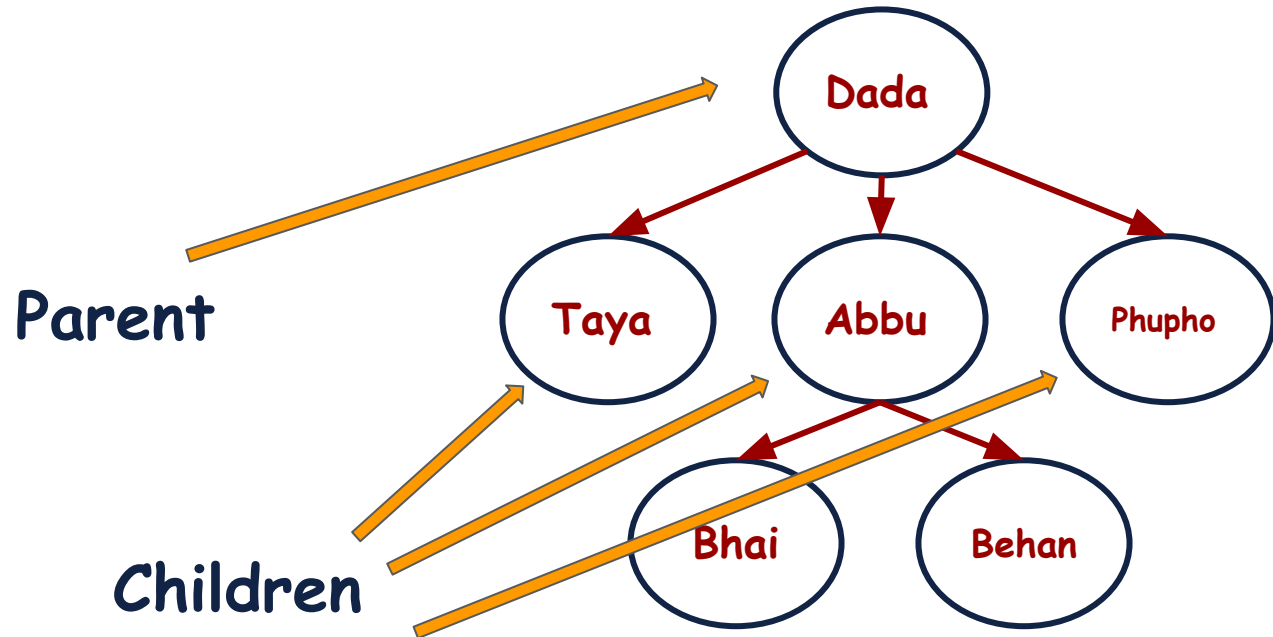
Terminologies: Parent

Parent node is an **immediate predecessor** of a node.



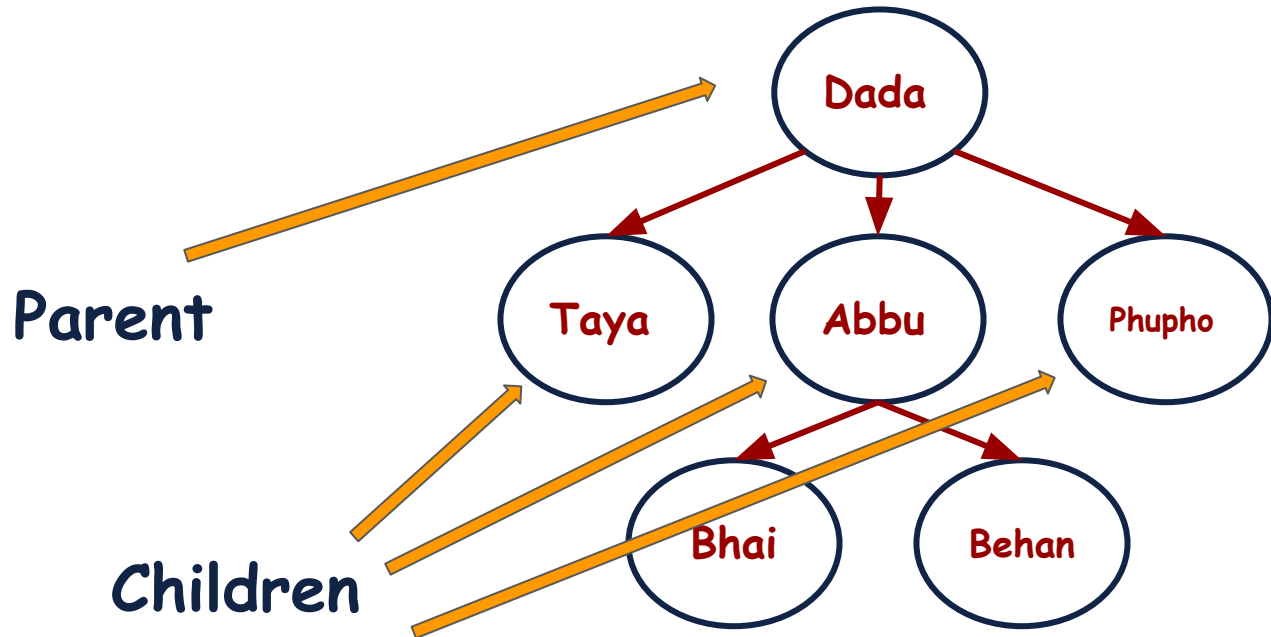
Terminologies: Child

All immediate successors of a node are its children.



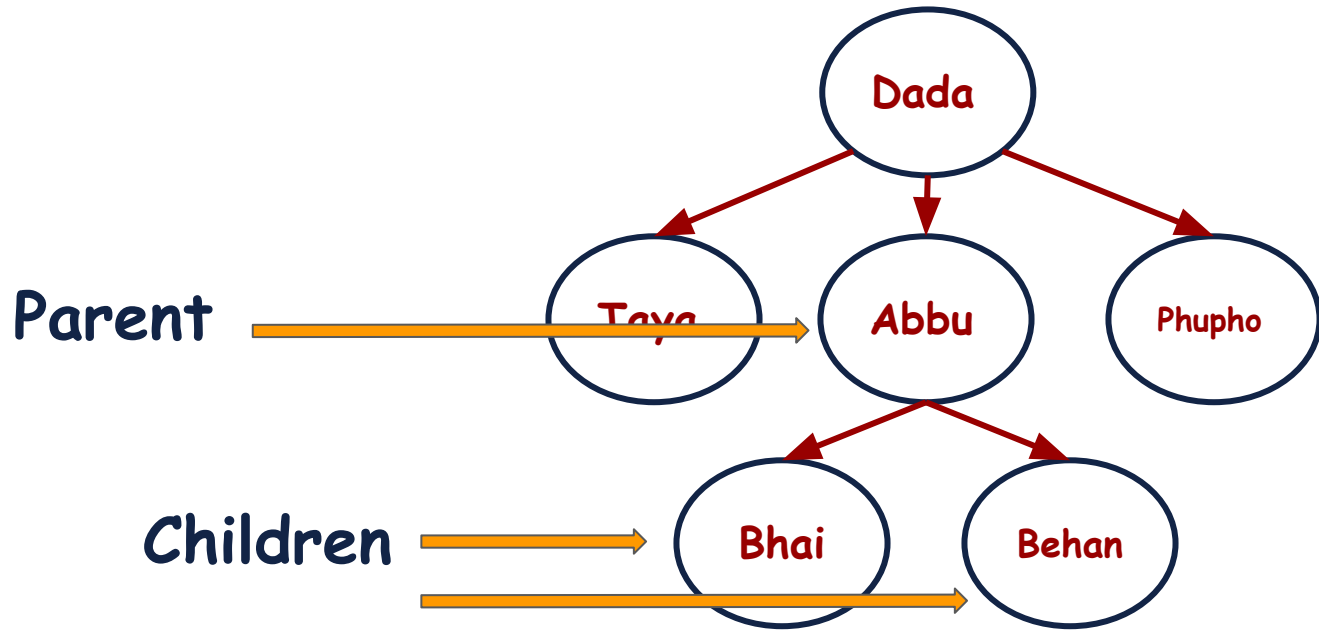
Terminologies: Parent and Children

Each node has **one parent** only but can have **multiple children**.



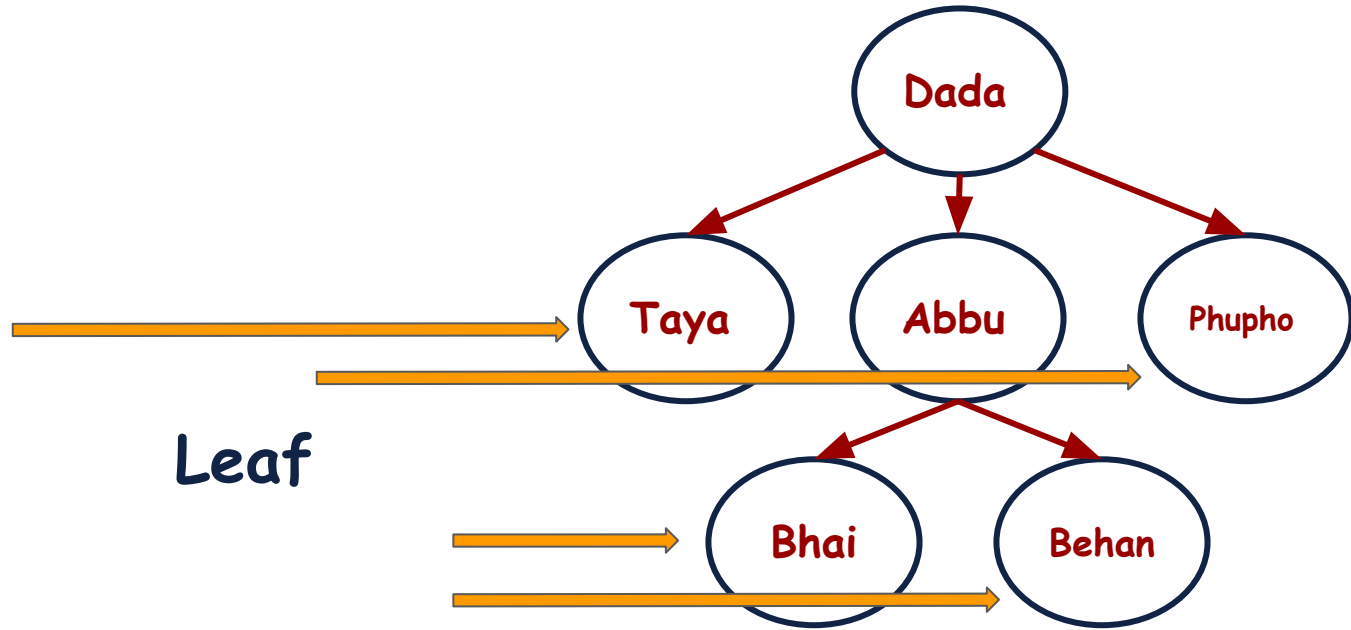
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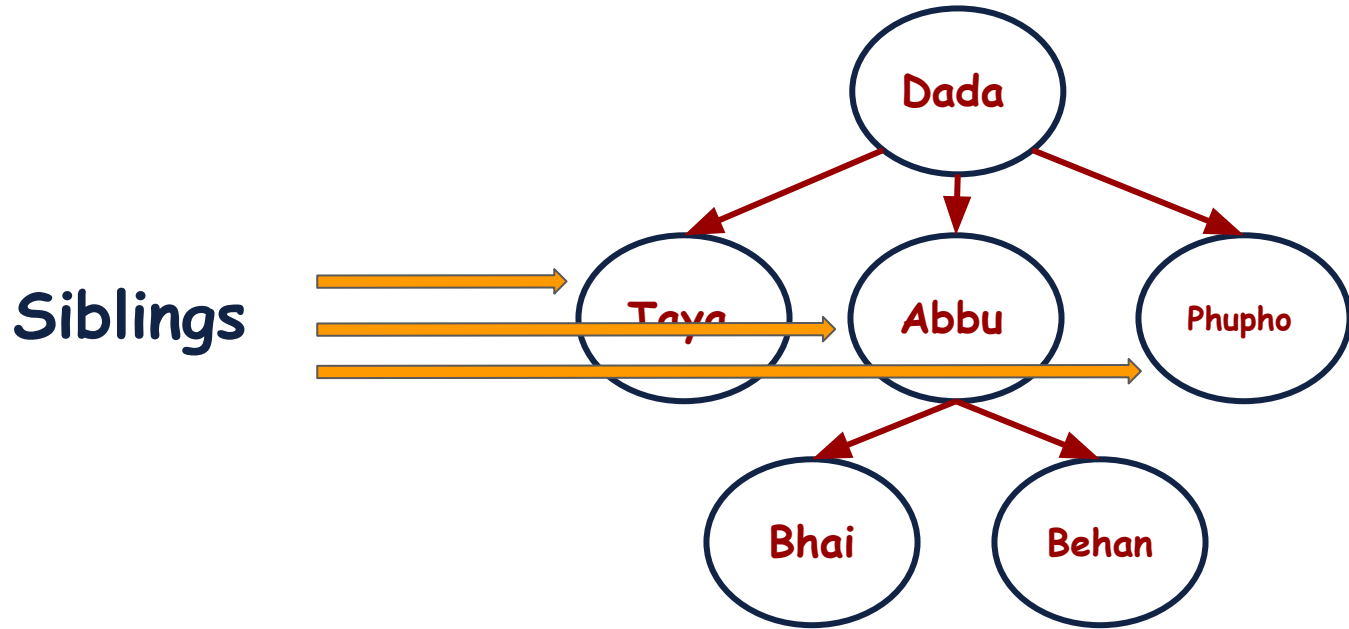
Terminologies: Leaf

Node which does not have any child is called as **leaf**.



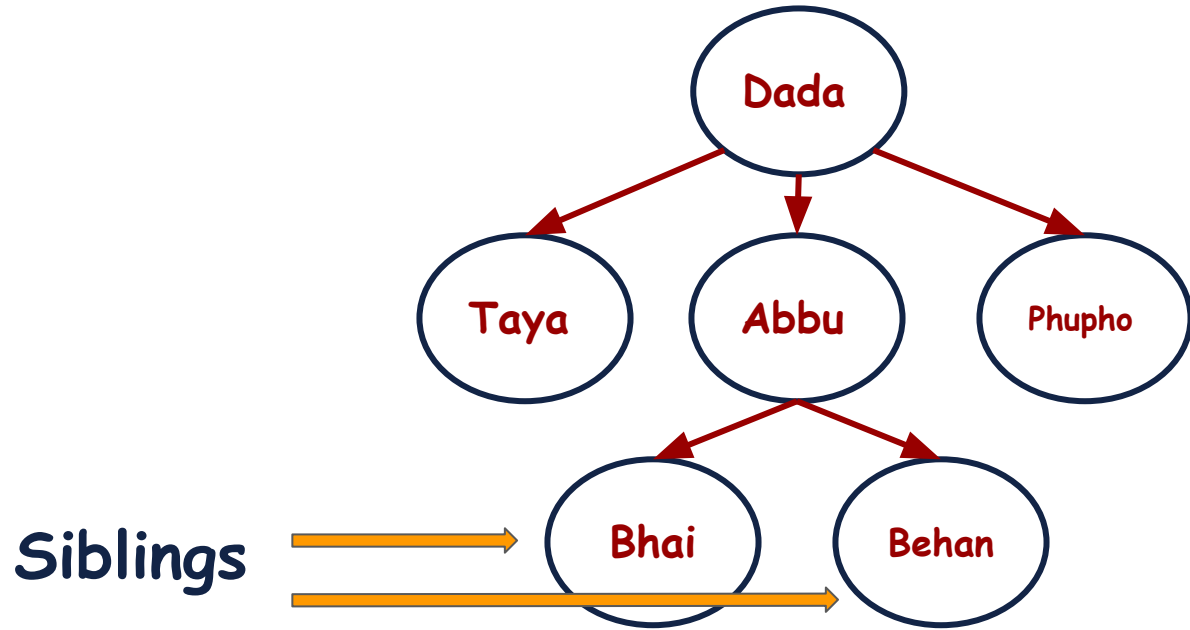
Terminologies: Siblings

Nodes with the **same parent** are called Siblings.



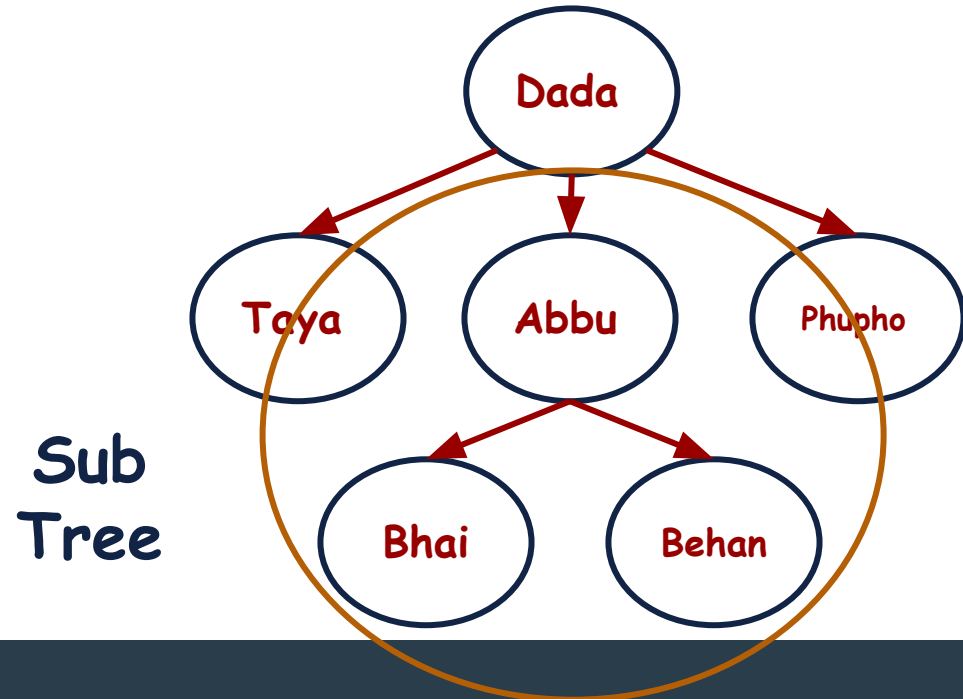
Terminologies: Siblings

Nodes with the **same parent** are called Siblings.



Terminologies: SubTree

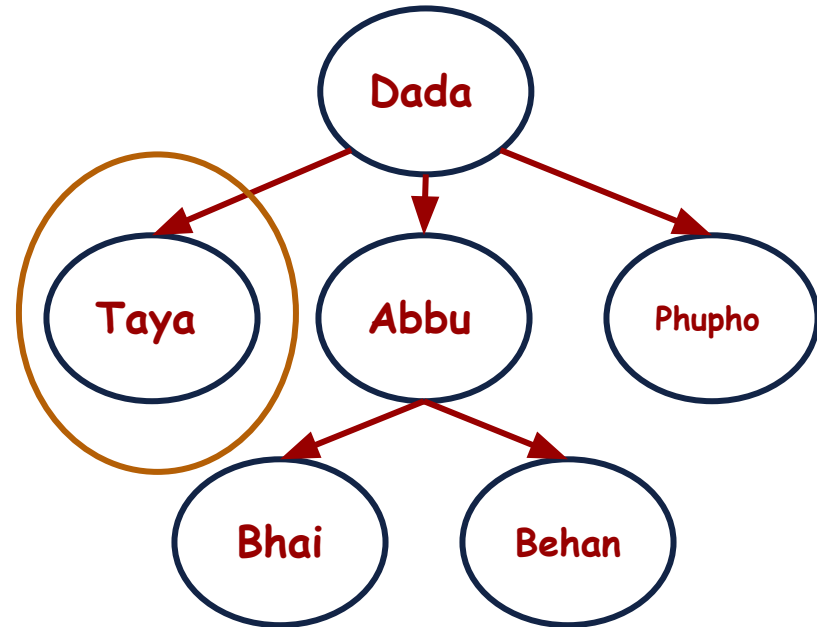
Descendants of a node represent subtree.



Terminologies: SubTree

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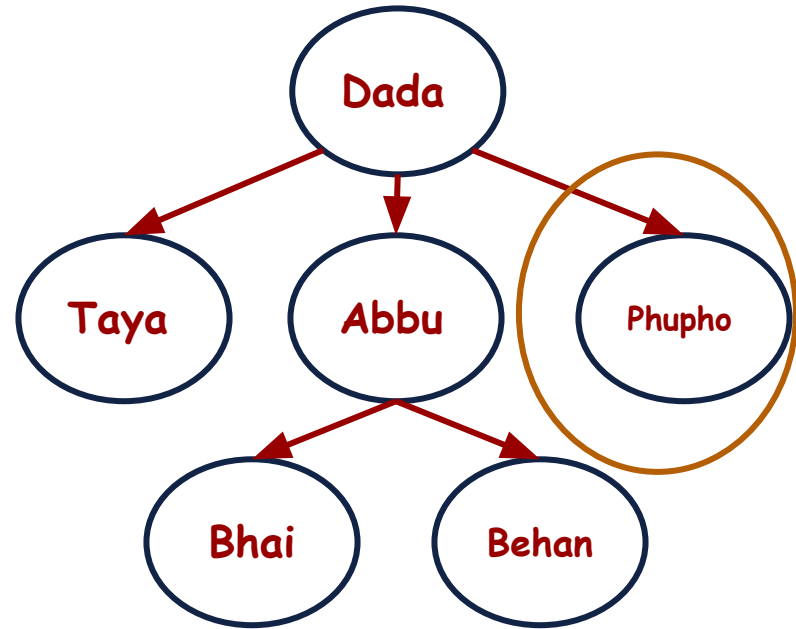
Sub
Tree



Terminologies: SubTree

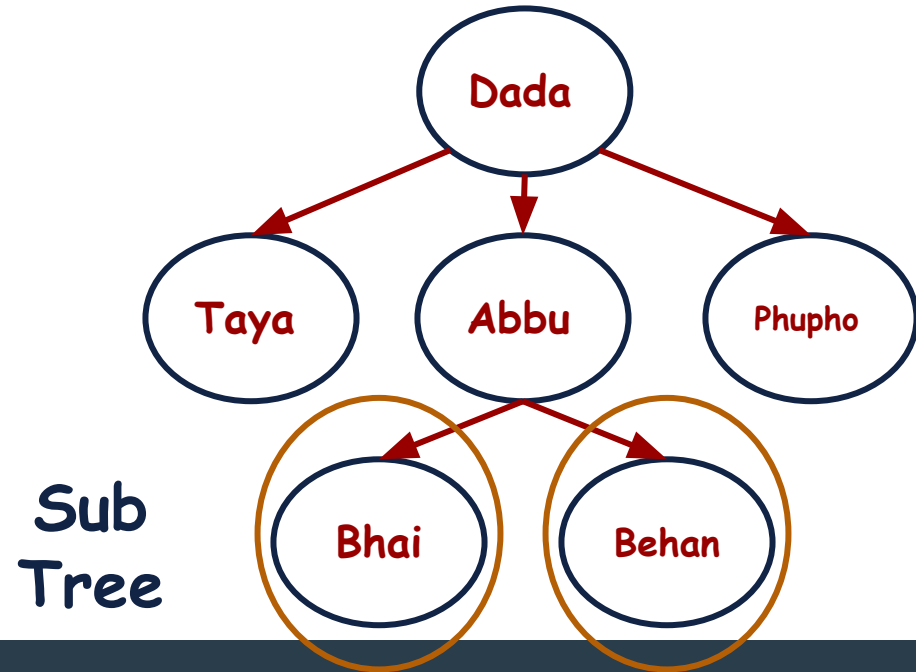
Descendants of a node represent subtree.

Sub
Tree



Terminologies: SubTree

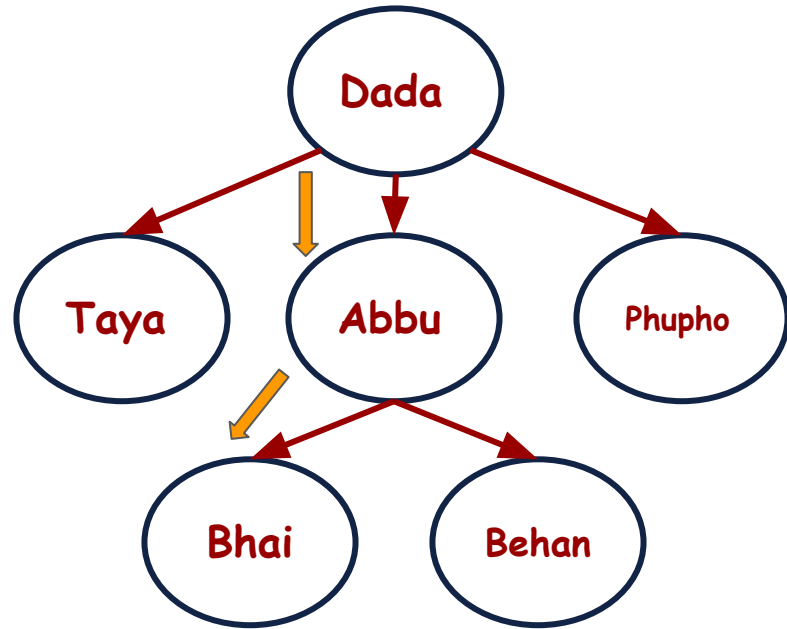
Descendants of a node represent subtree.



Terminologies: Path

Path is a number of successive edges from **source** node to **destination** node.

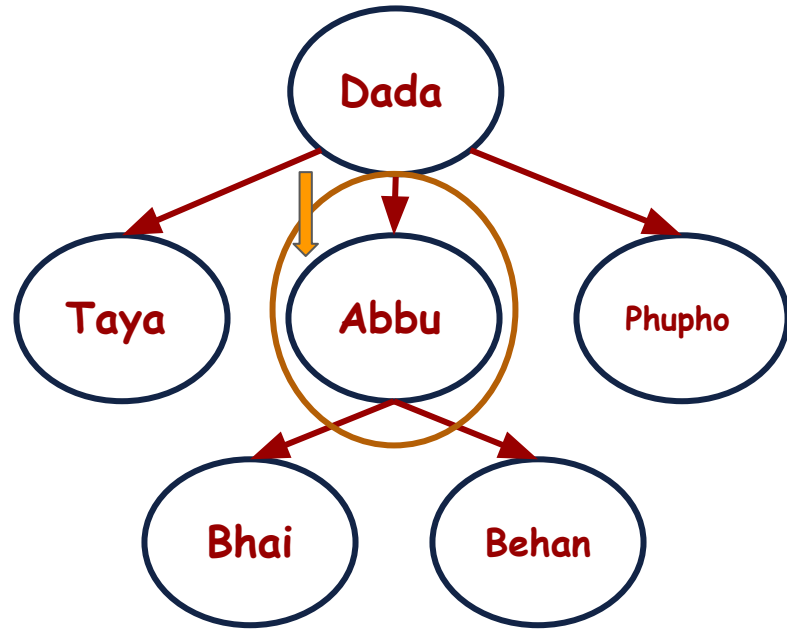
Path



Terminologies: Depth of Node

Depth of a node represents the number of edges in path from **root** to the node.

Depth = 1



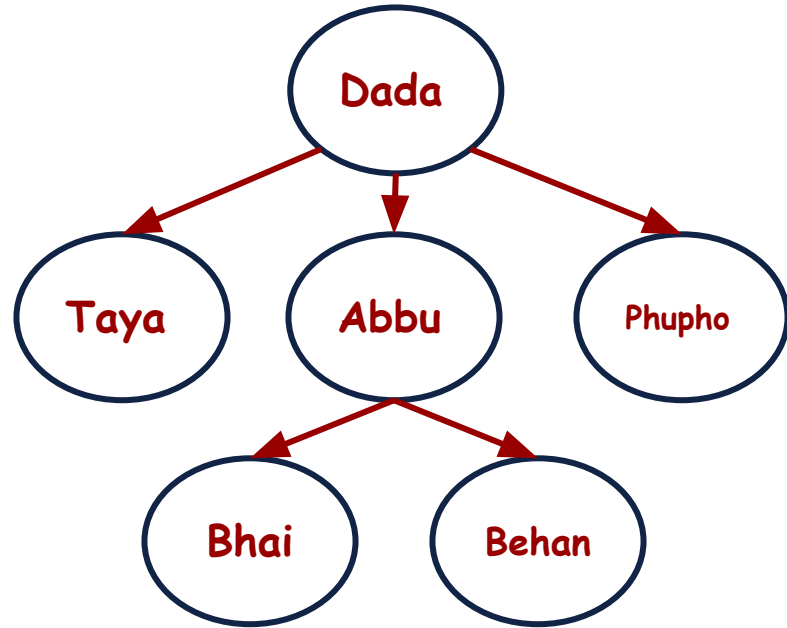
Terminologies: Depth of Node

Depth of a node represents the number of edges in path from **root to the node**.

Depth = 0

Depth = 1

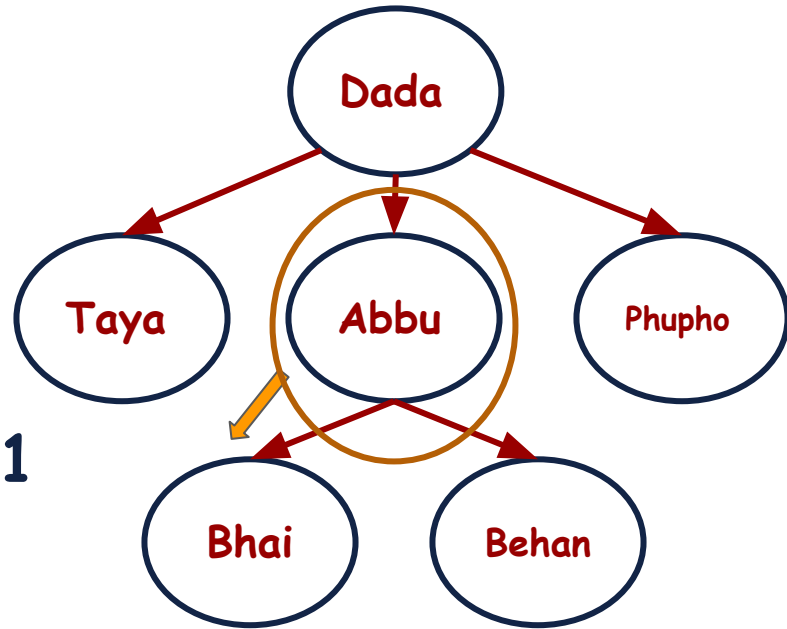
Depth = 2



Terminologies: Height of Node

Height of a node represents the number of edges on the longest path between that node and a leaf.

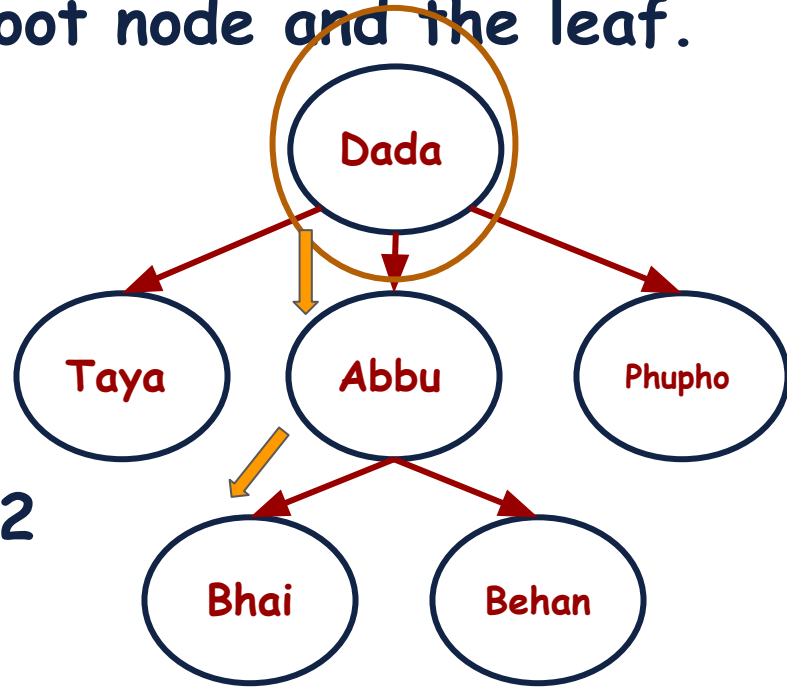
Height = 1



Terminologies: Height of the Tree

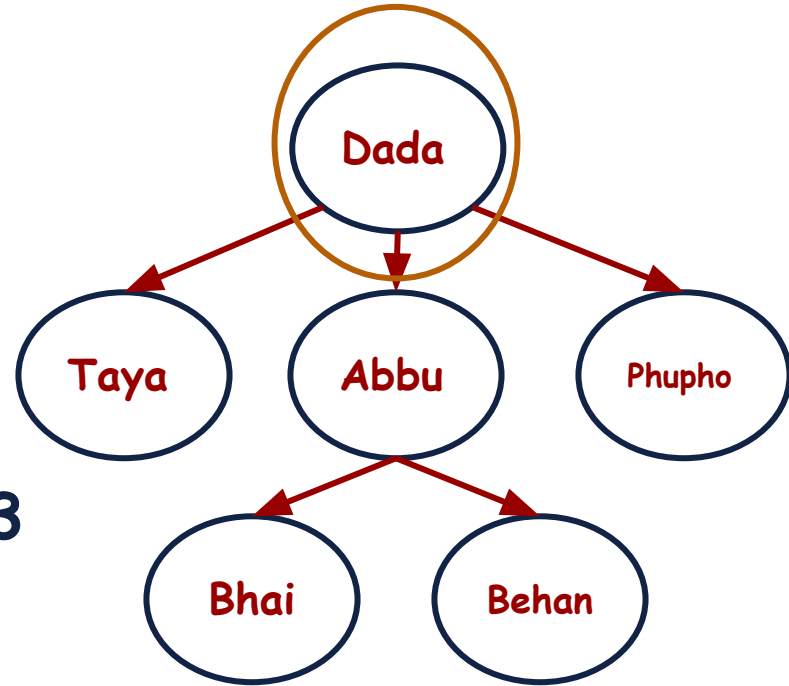
Height of the tree represents the number of edges on the **longest path** between that root node and the leaf.

Height = 2



Terminologies: Degree of a node

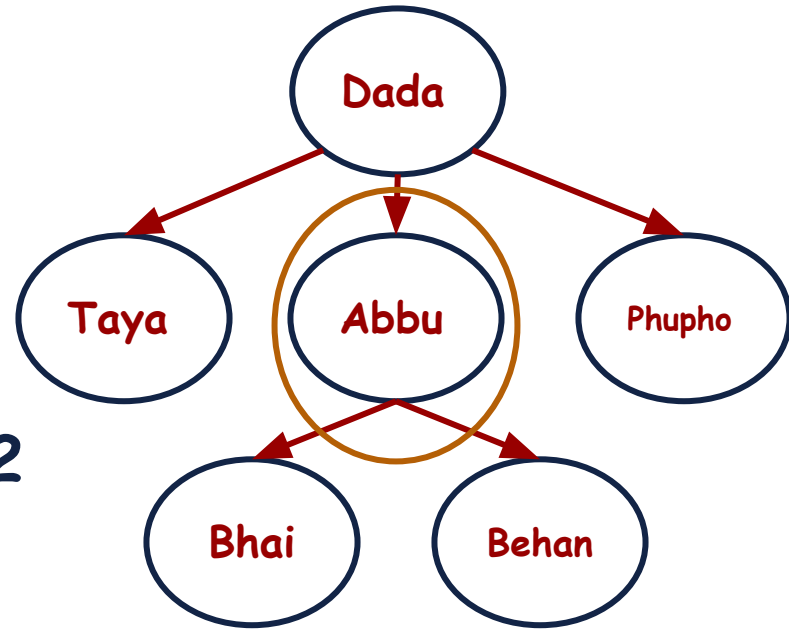
Degree of a node represents the **number of children** of a node.



Terminologies: Degree of a node

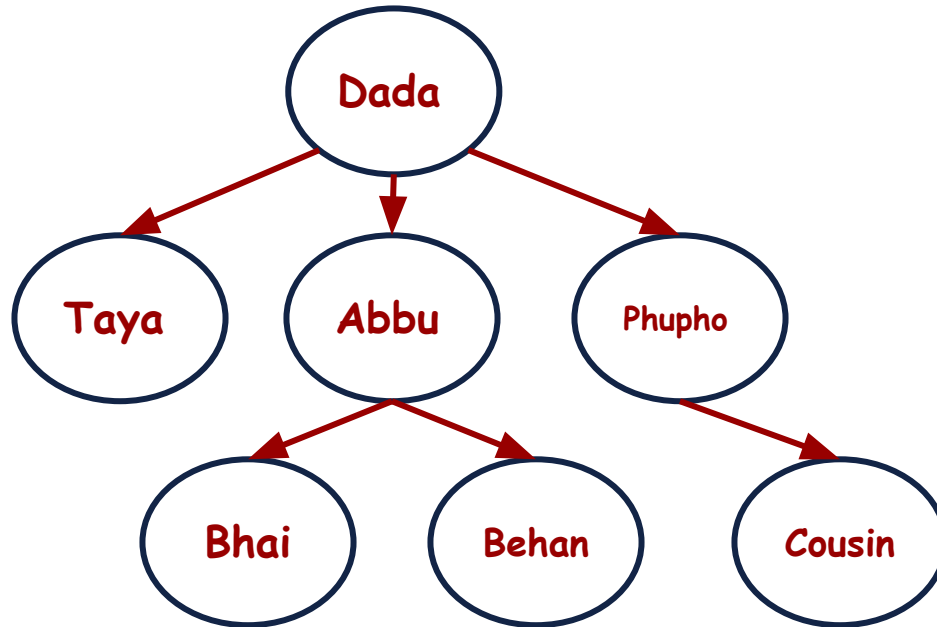
Degree of a node represents the **number of children** of a node.

Degree = 2



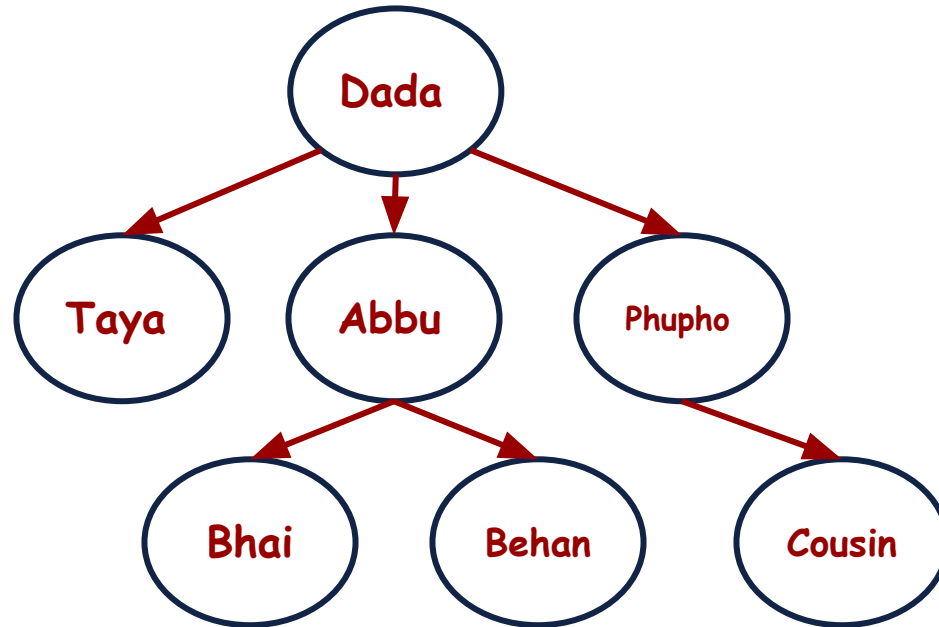
Types of Trees

Types of trees depend on the number of children (**Degree**) a node has.



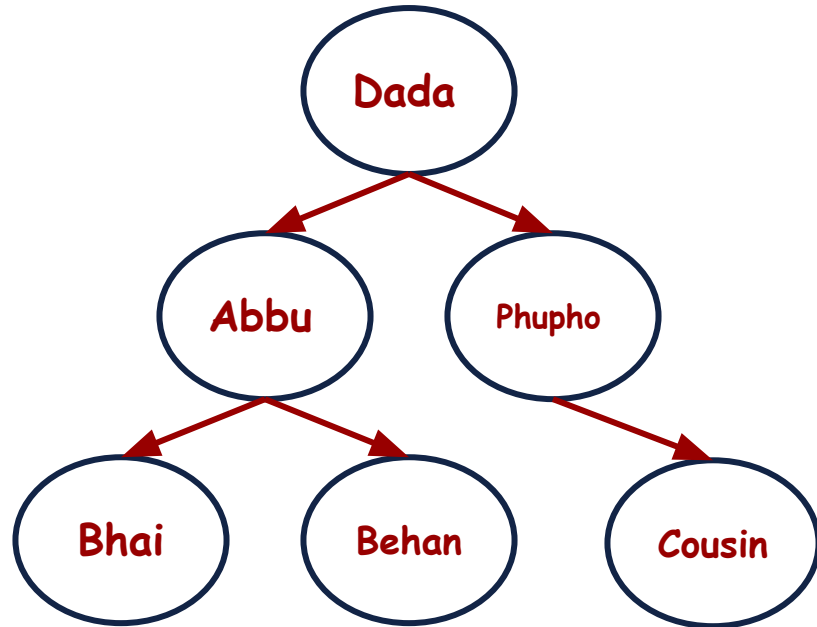
Types of Trees: General Trees

A tree in which there is **no restriction** on the number of children a node has, is called a **General tree**.



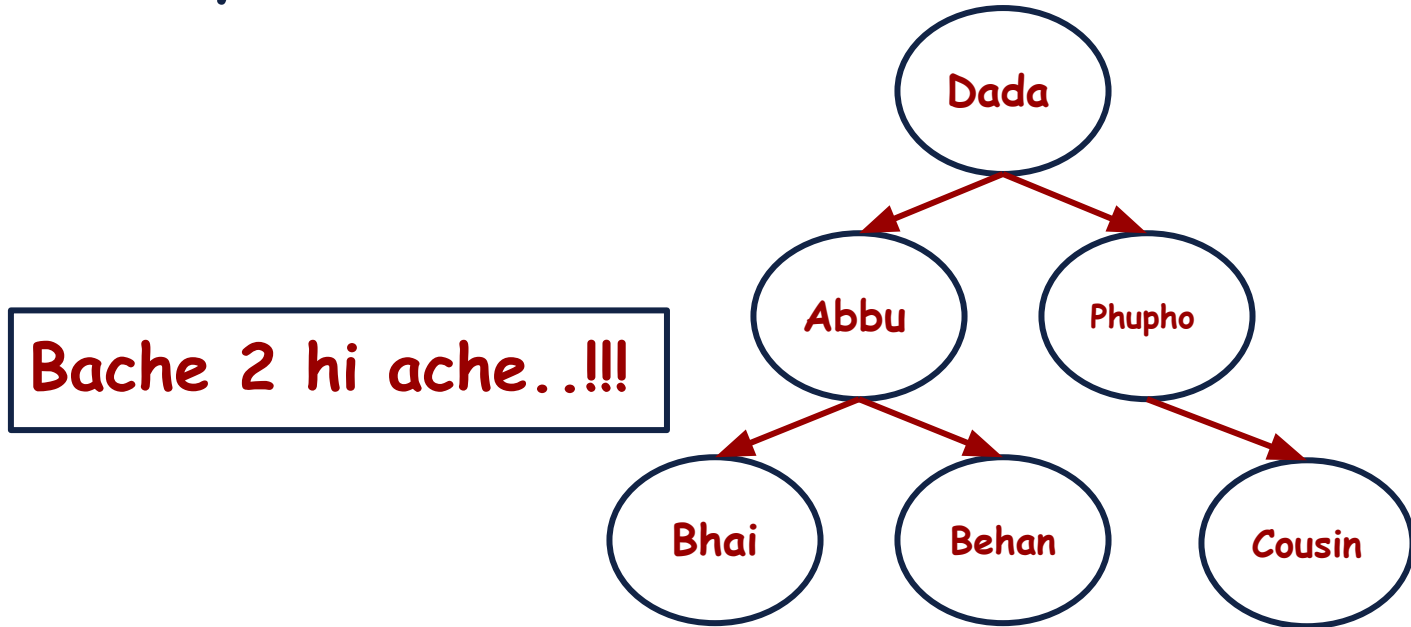
Types of Trees: Binary Trees

Binary tree is a special case of general trees where every node can have **at most 2 children**, left and right.



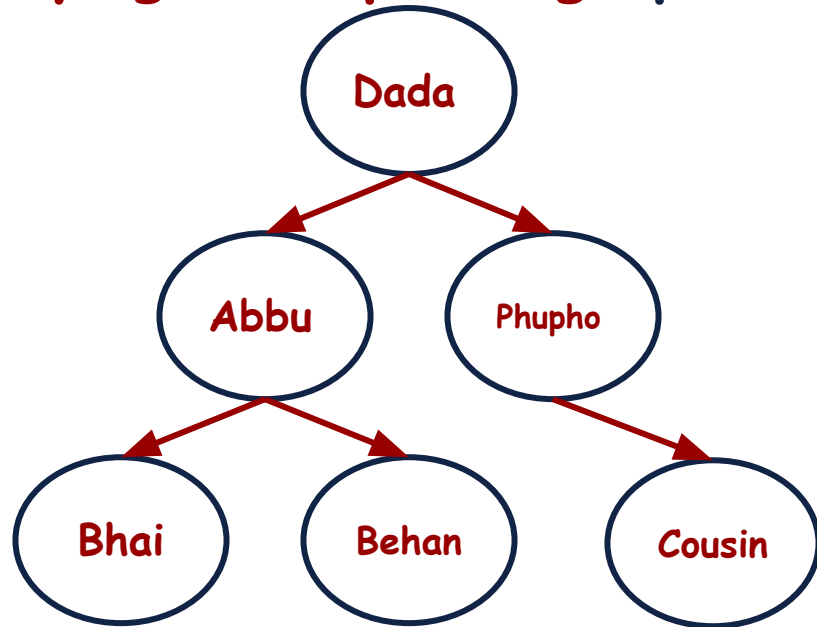
Types of Trees: Binary Trees

Binary tree is a special case of general trees where every node can have **at most 2 children**, left and right.



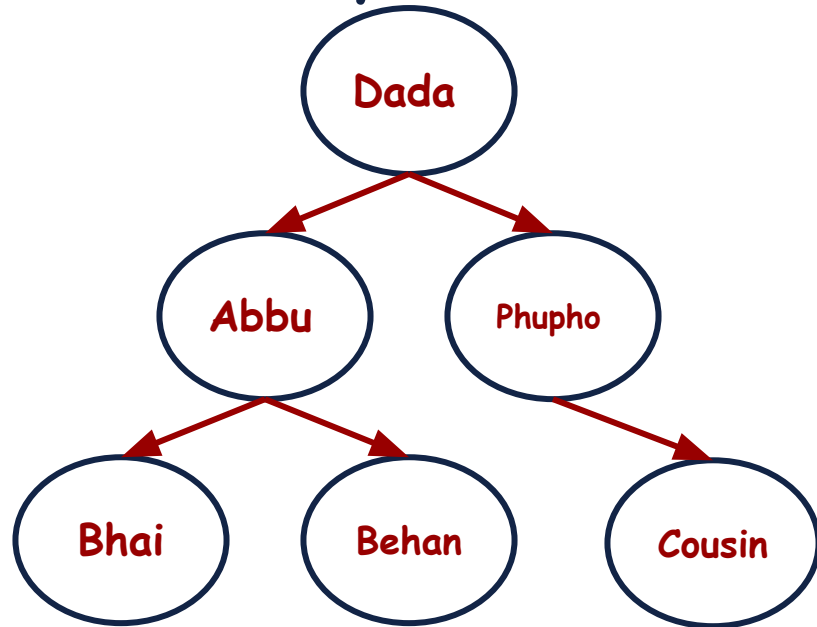
Binary Trees: Most Popular

Binary trees are **most popular** than general trees because of **simplifying** and **speeding** up searching and sorting.



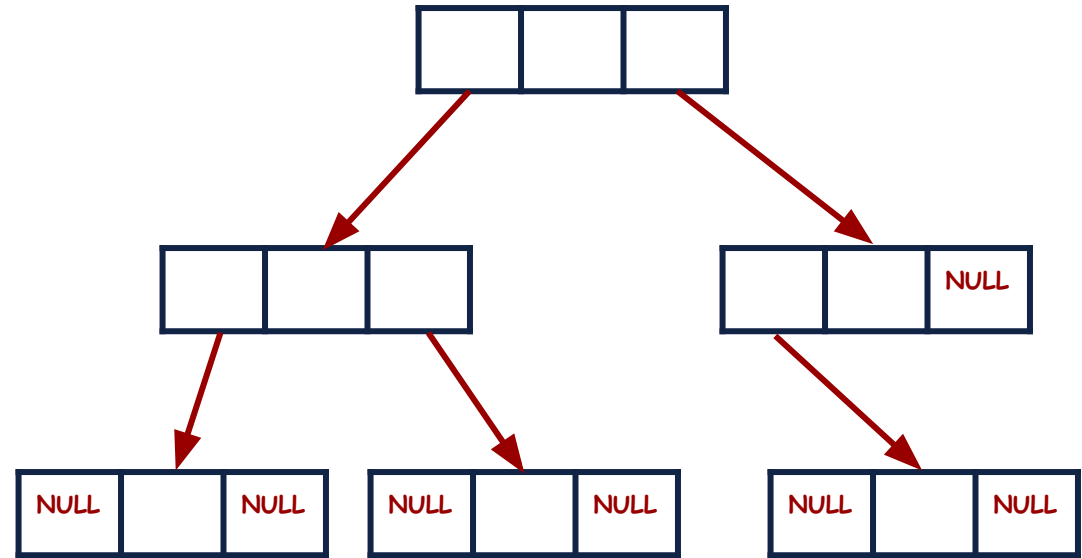
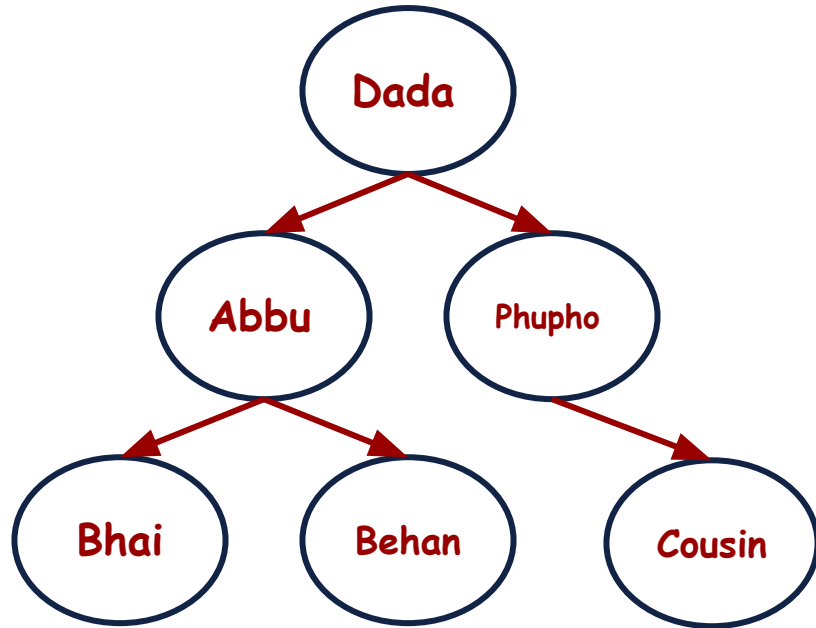
Binary Trees: Implementation

Let's come to the most awaited Question.
How to implement the Binary Trees?



Binary Trees: Implementation

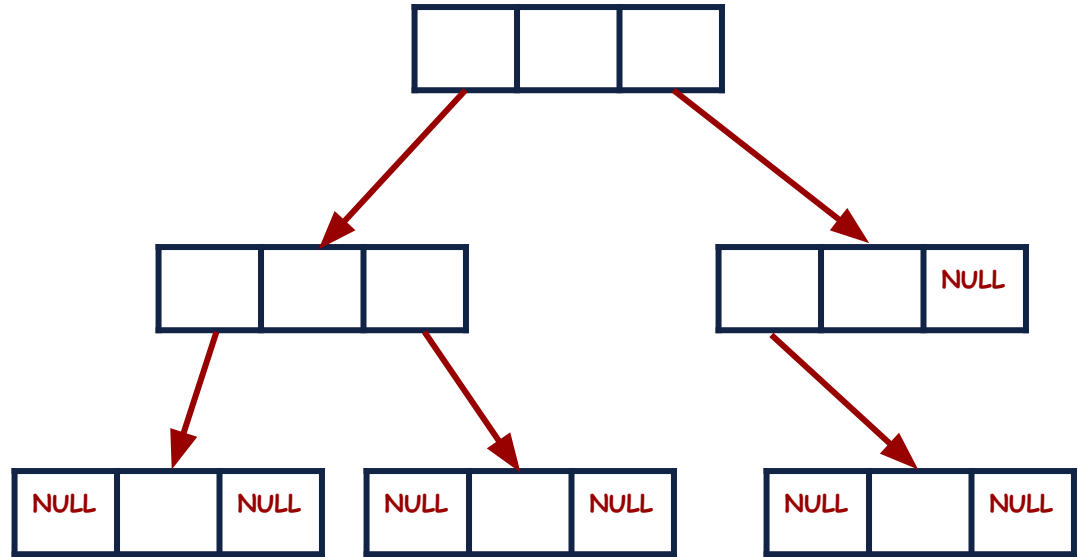
Let's create the nodes dynamically.



Binary Trees: Implementation

Let's create the nodes dynamically.

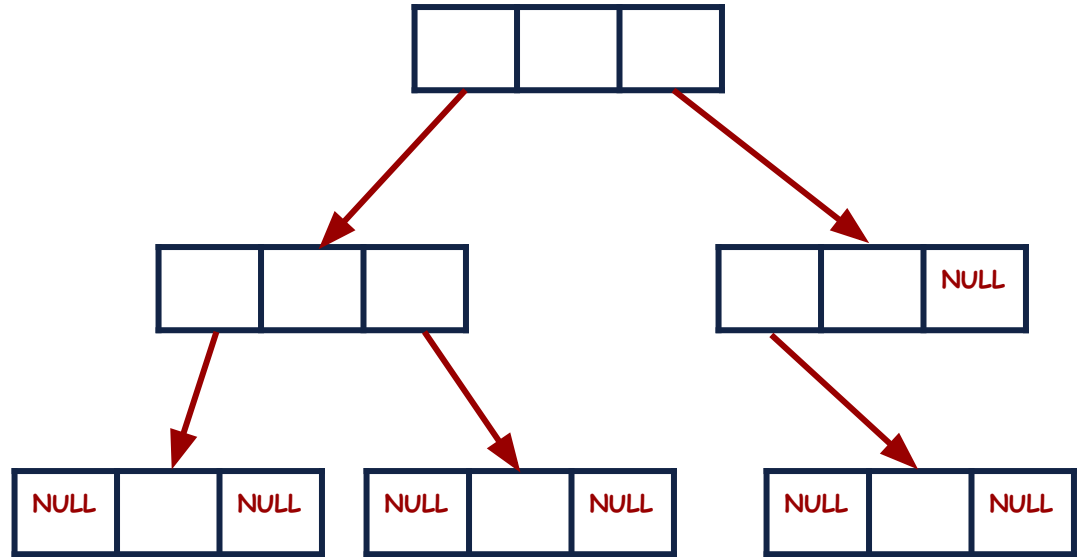
```
struct node
{
    string name;
    int age;
    char gender;
    node *left;
    node *right;
};
```



Binary Trees: Implementation

Let's create the nodes dynamically.

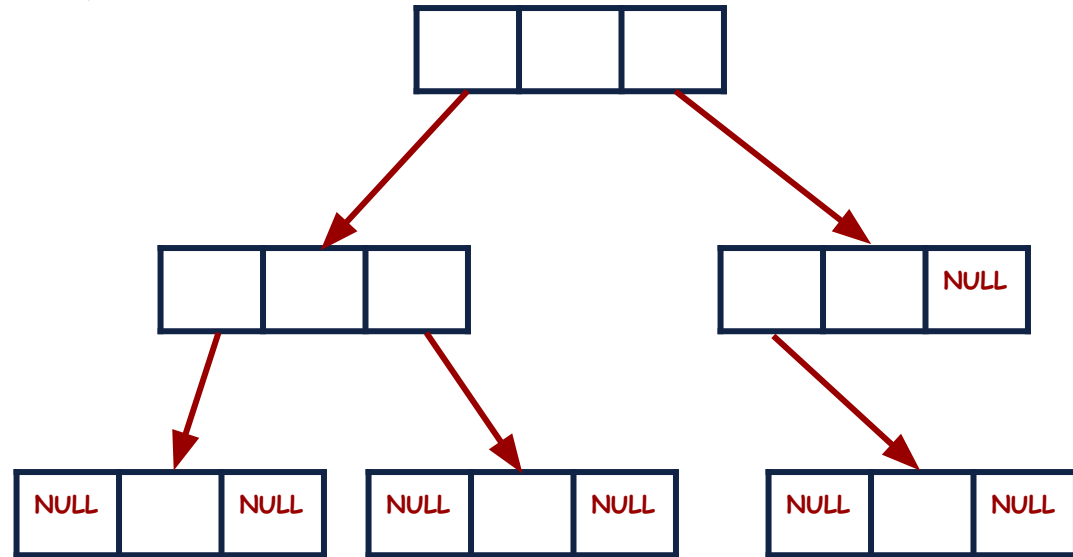
```
struct node
{
    string name;
    int age;
    char gender;
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    node *right;
};
```



Binary Trees: Implementation

In order to add the new node, we should know where to add that (**search the tree**).

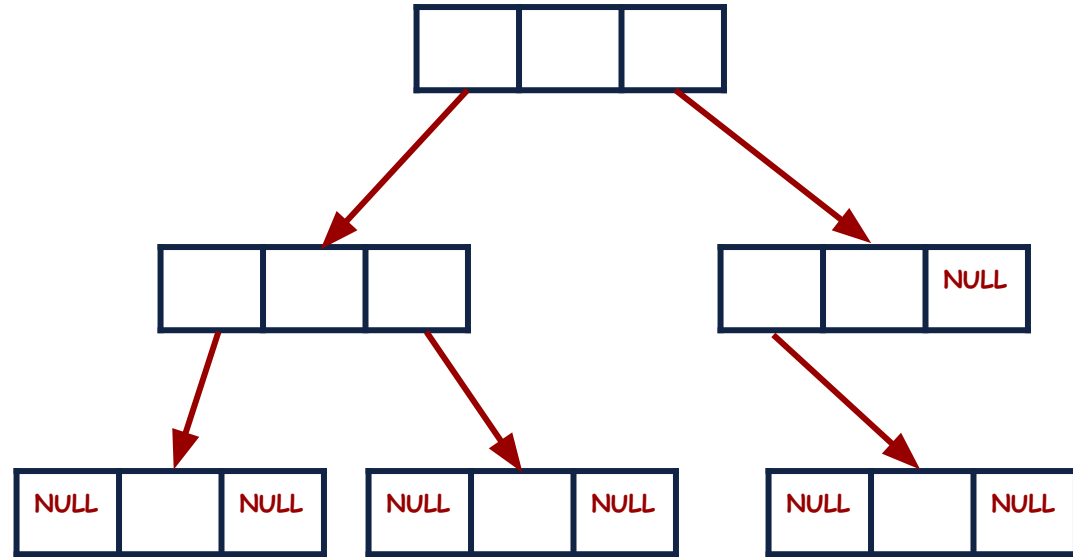
```
struct node
{
    string name;
    int age;
    char gender;
    node *left;
    node *right;
};
```



Binary Trees: Implementation

In order to search the tree we must know how to **traverse** the tree.

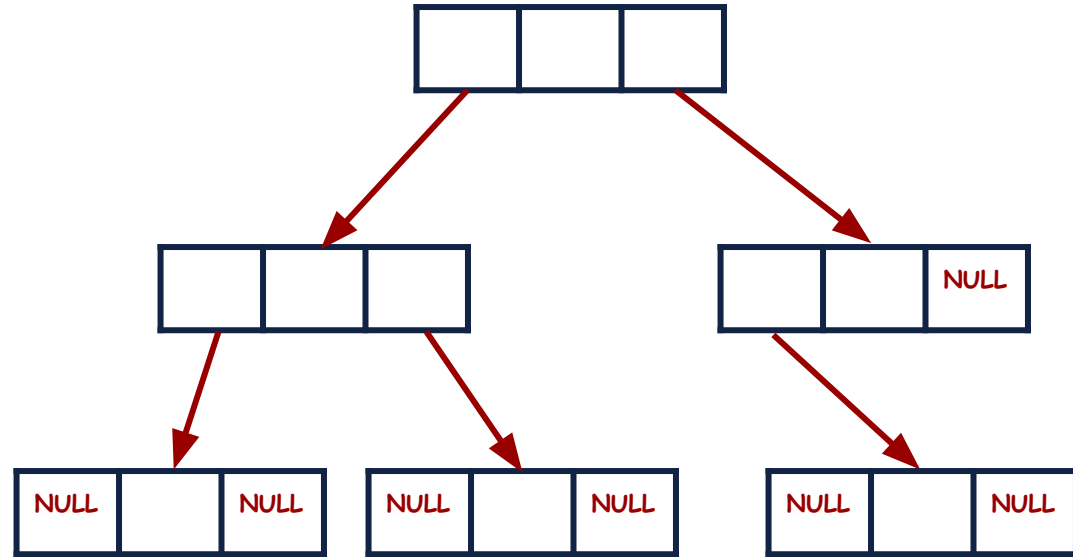
```
struct node
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    int age;
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    node *right;
};
```



Binary Trees: View / Traversal

Now, how to **view or traverse** all the nodes of the Tree?

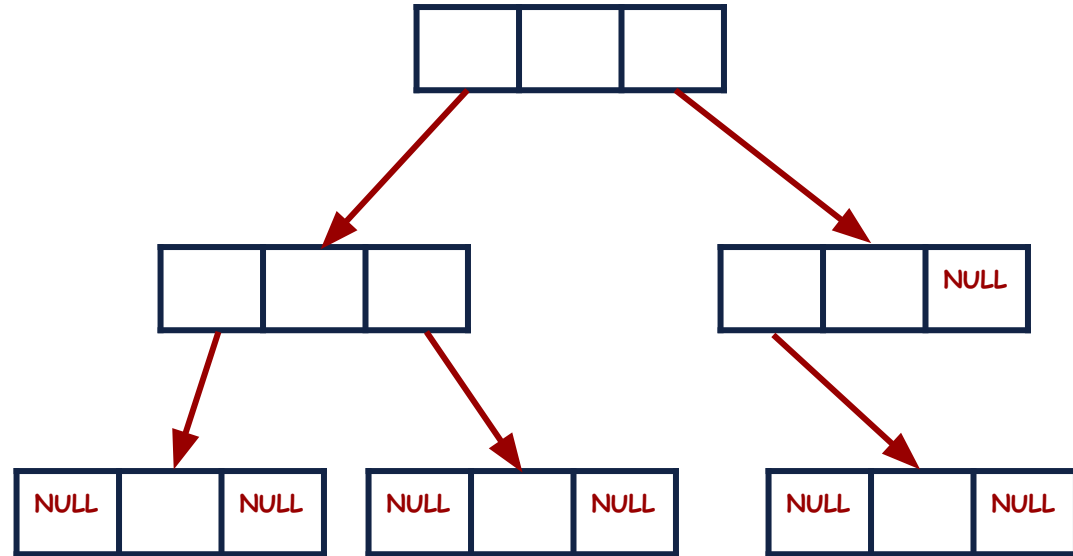
```
struct node
{
    string name;
    int age;
    char gender;
    node *left;
    node *right;
};
```



Binary Trees: View / Traversal

Should we go towards the **left child** or **right child** first?

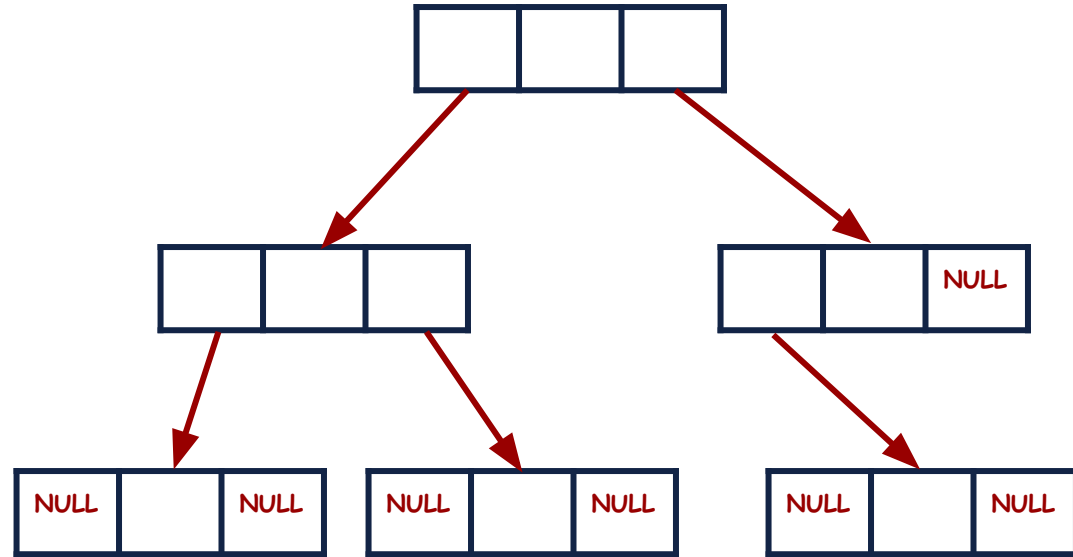
```
struct node
{
    string name;
    int age;
    char gender;
    node *left;
    node *right;
};
```



Binary Trees: View / Traversal

Should we first go to all the **left children** and then their **right children**?

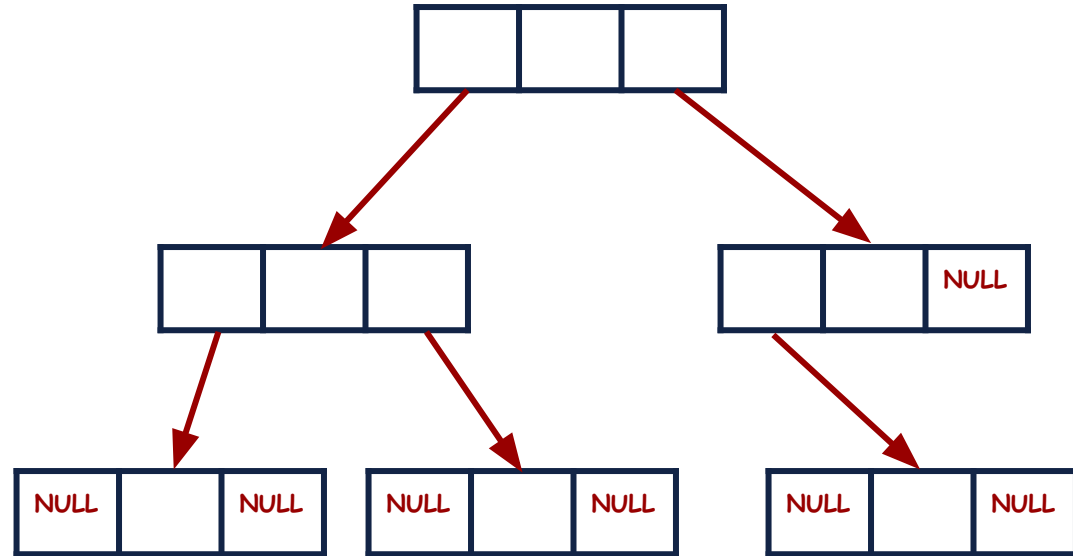
```
struct node
{
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    int age;
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    node *right;
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```



Binary Trees: View / Traversal

There are **multiple options** in which we can traverse the binary tree as it is a non-linear data structure.

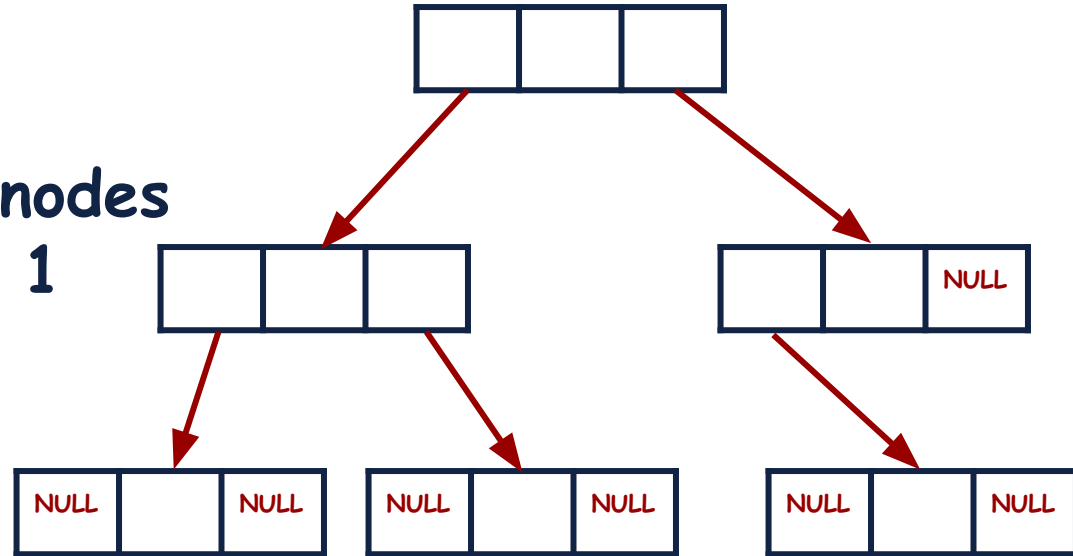
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Binary Trees: View / Traversal

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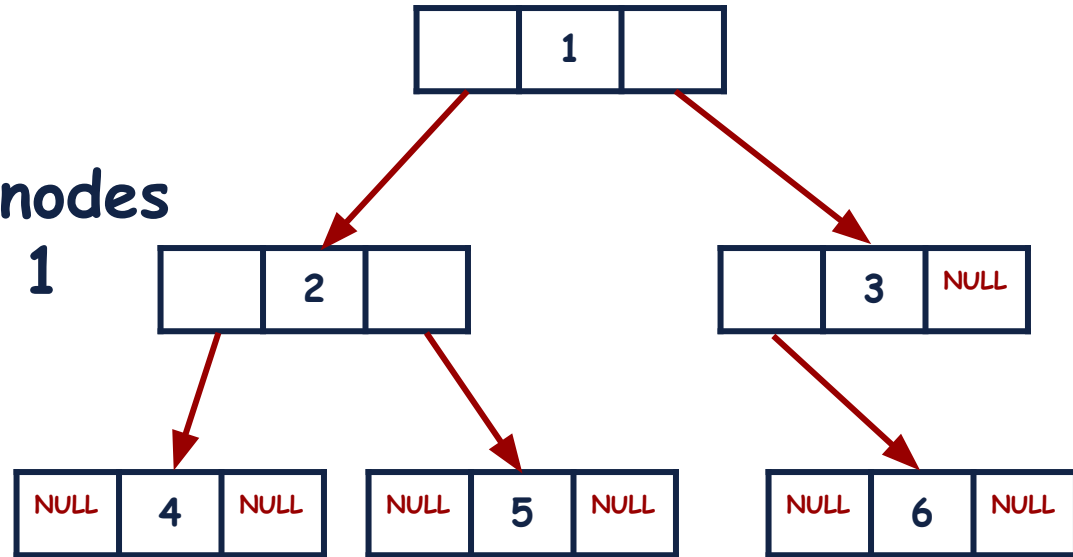
Lets first print all the nodes of depth 0, then depth 1 from left to right, and so on.



Binary Trees: View / Traversal

For simplicity we are using **numbers** instead of names.

Lets first print all the nodes of depth 0, then depth 1 from left to right, and so on.



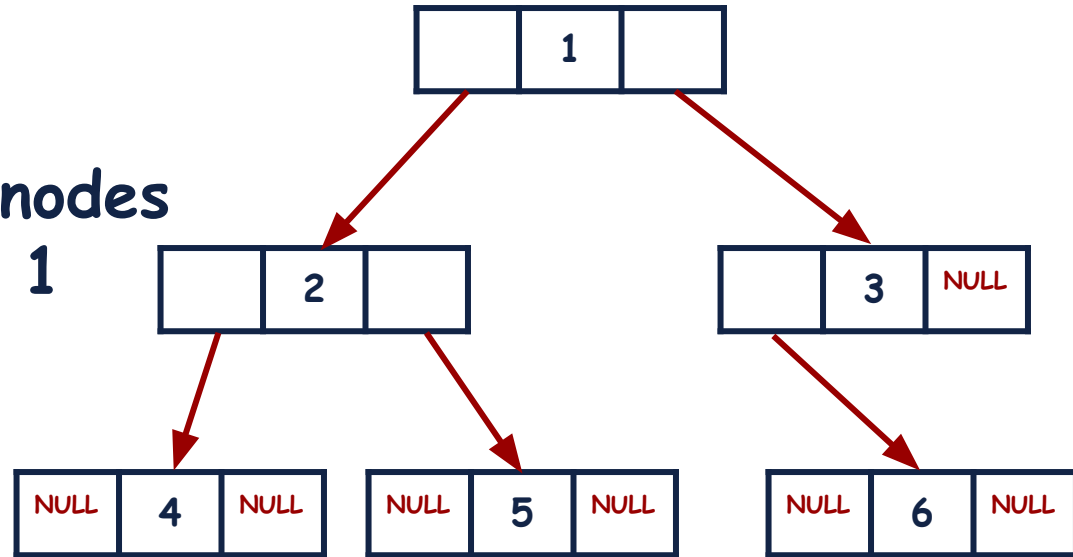
Binary Trees: View / Traversal

For simplicity we are using **numbers** instead of names.

Lets first print all the nodes of depth 0, then depth 1 from left to right, and so on.

Output:

1, 2, 3, 4, 5, 6

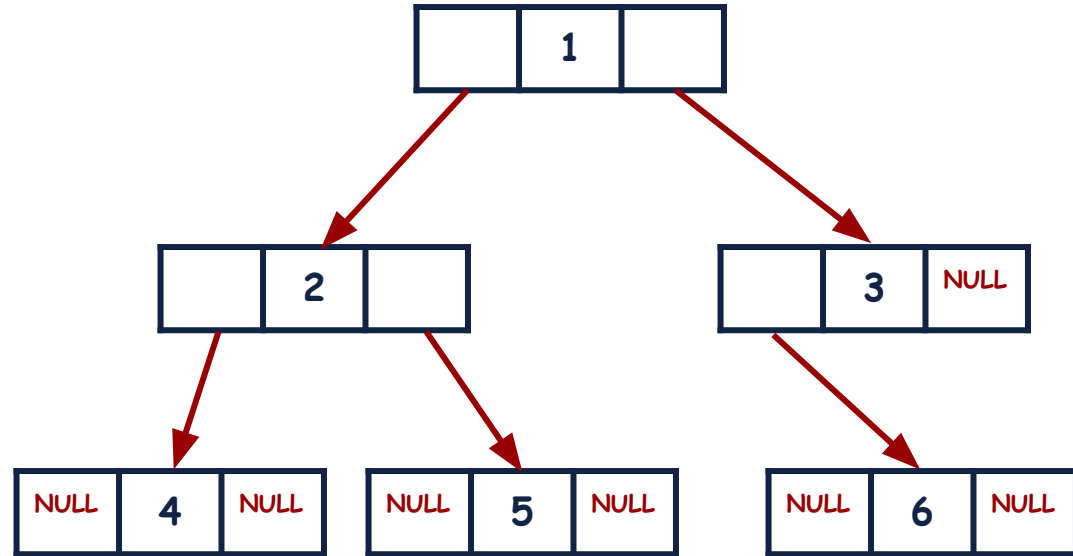


Binary Trees: View / Traversal

Let's push the root node in the Queue.



Output:

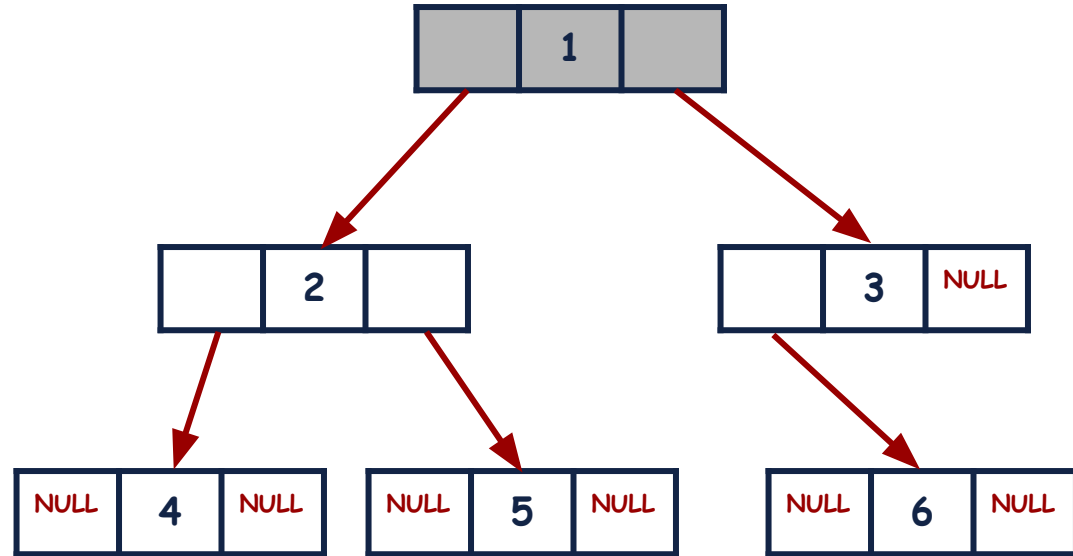


Binary Trees: View / Traversal

Pop the node from the queue and print its data.



Output:
1,

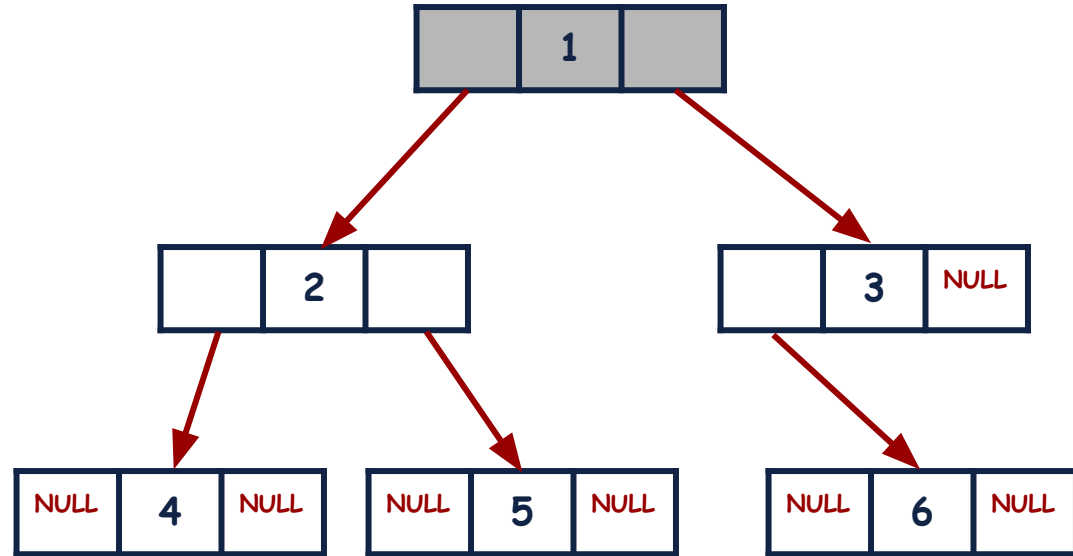


Binary Trees: View / Traversal

Push the left and right node of the current node in the Queue if they are not NULL.



Output:
1,

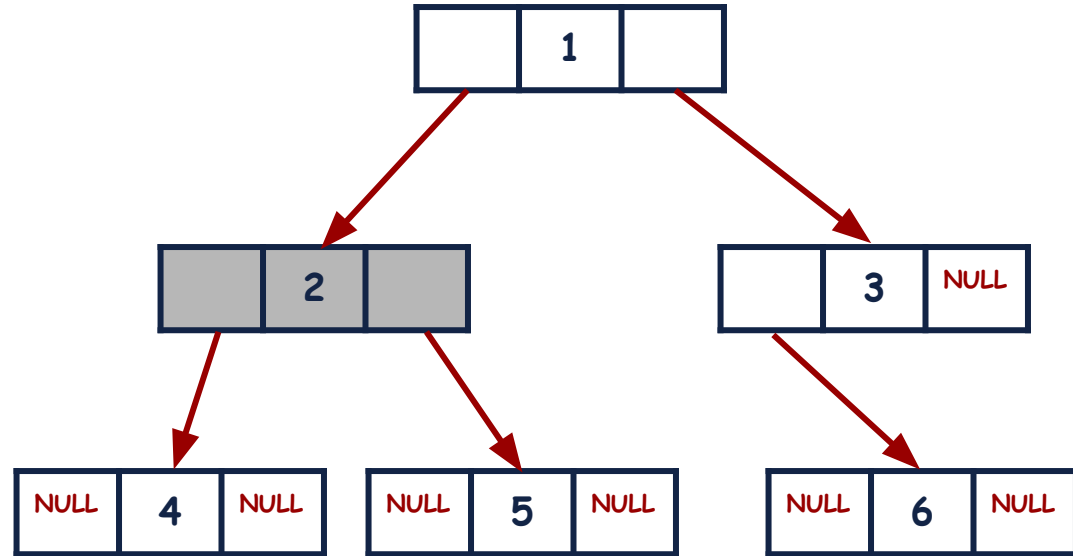


Binary Trees: View / Traversal

Pop the element from the queue and print its data.



Output:
1, 2,

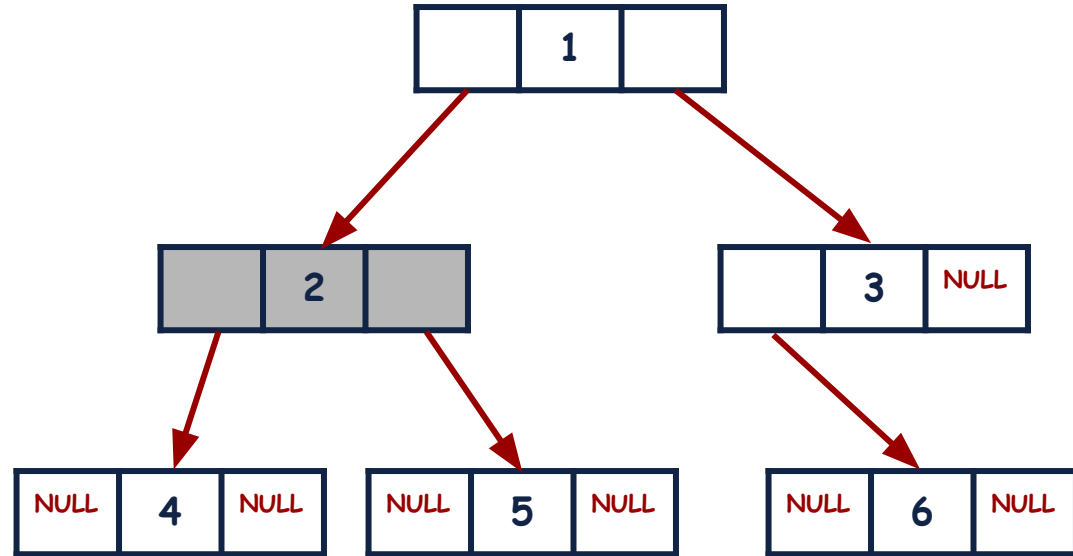


Binary Trees: View / Traversal

Push the left and right node of the current node in the Queue if they are not NULL.



Output:
1, 2,

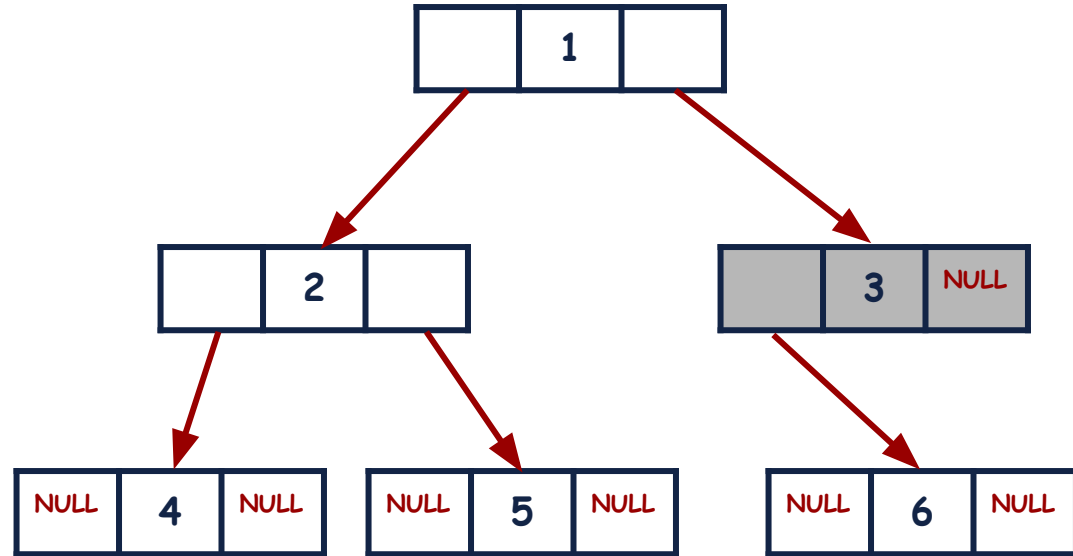


Binary Trees: View / Traversal

Pop the element from the queue and print its data.

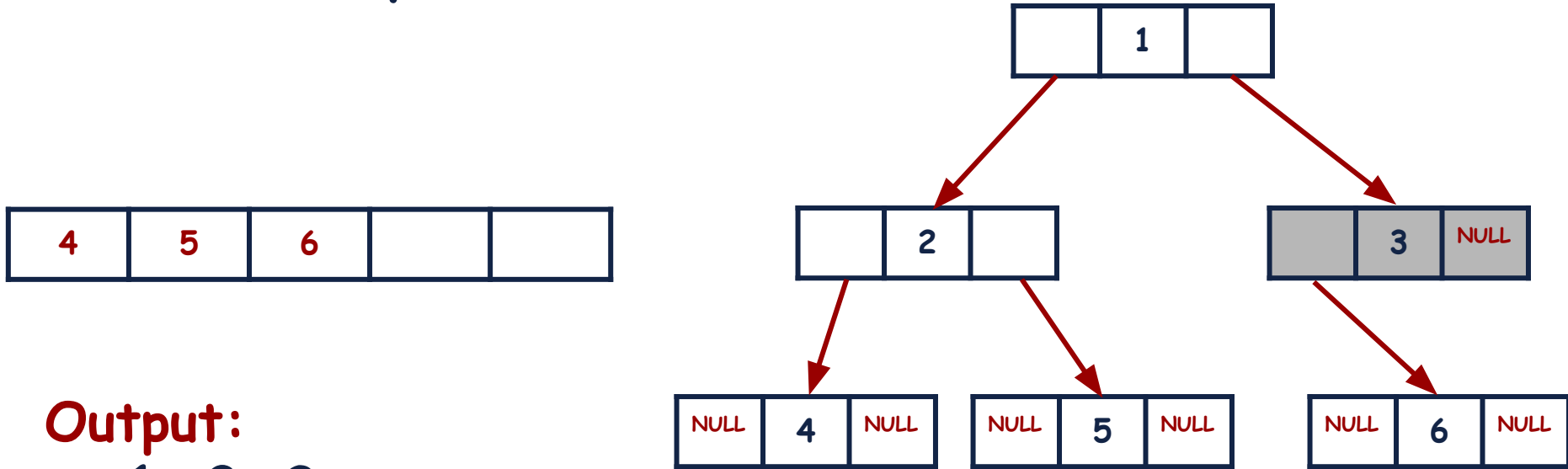


Output:
1, 2, 3,



Binary Trees: View / Traversal

Push the left and right node of the current node in the Queue if they are not NULL.



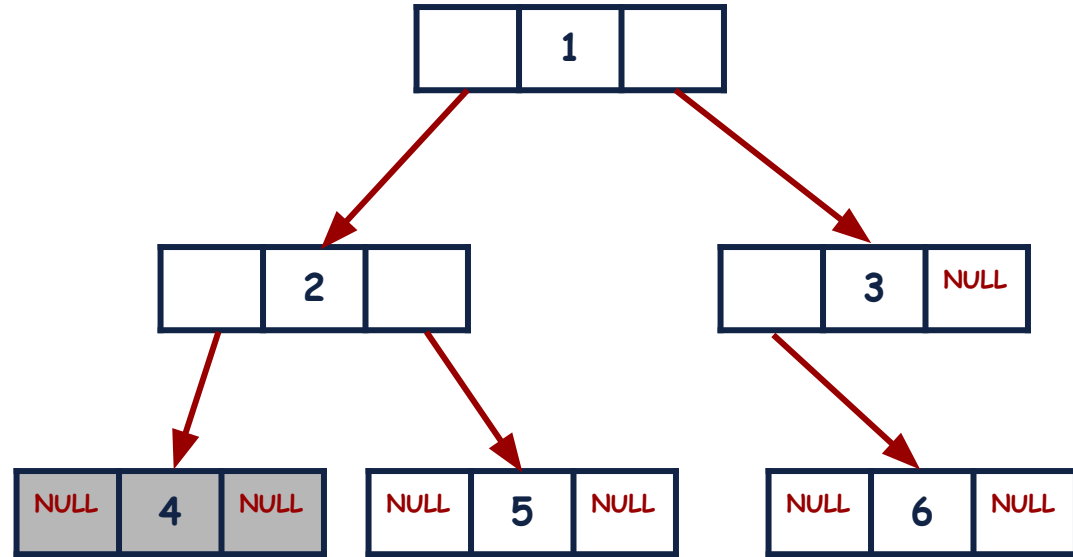
Output:
1, 2, 3,

Binary Trees: View / Traversal

Pop the element from the queue and print its data.

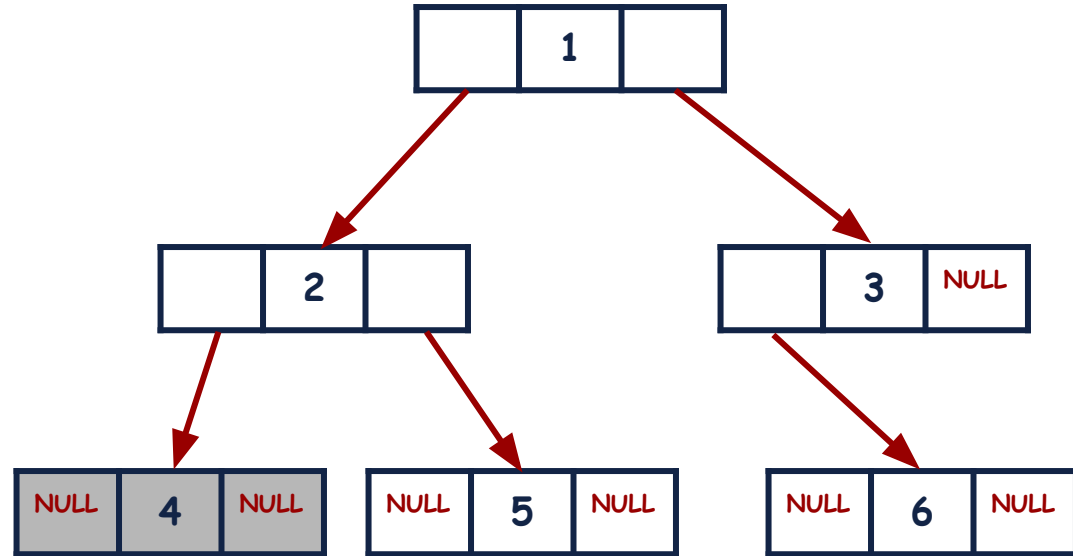


Output:
1, 2, 3, 4,



Binary Trees: View / Traversal

Push the left and right node of the current node in the Queue if they are not NULL.



Output:

1, 2, 3, 4,

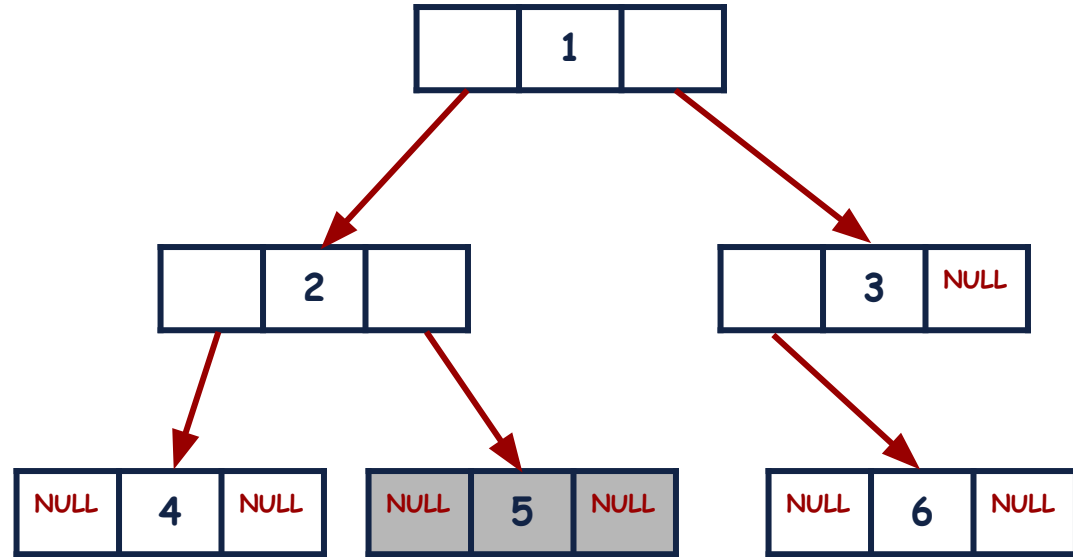
Binary Trees: View / Traversal

Pop the element from the queue and print its data.



Output:

1, 2, 3, 4, 5,

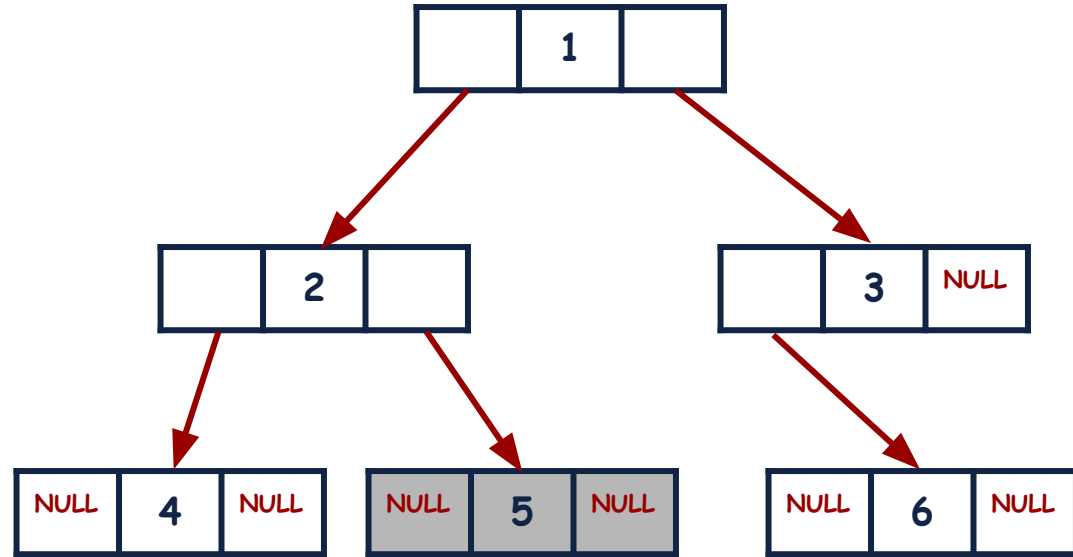


Binary Trees: View / Traversal

Push the left and right node of the current node in the Queue if they are not NULL.



Output:
1, 2, 3, 4, 5,



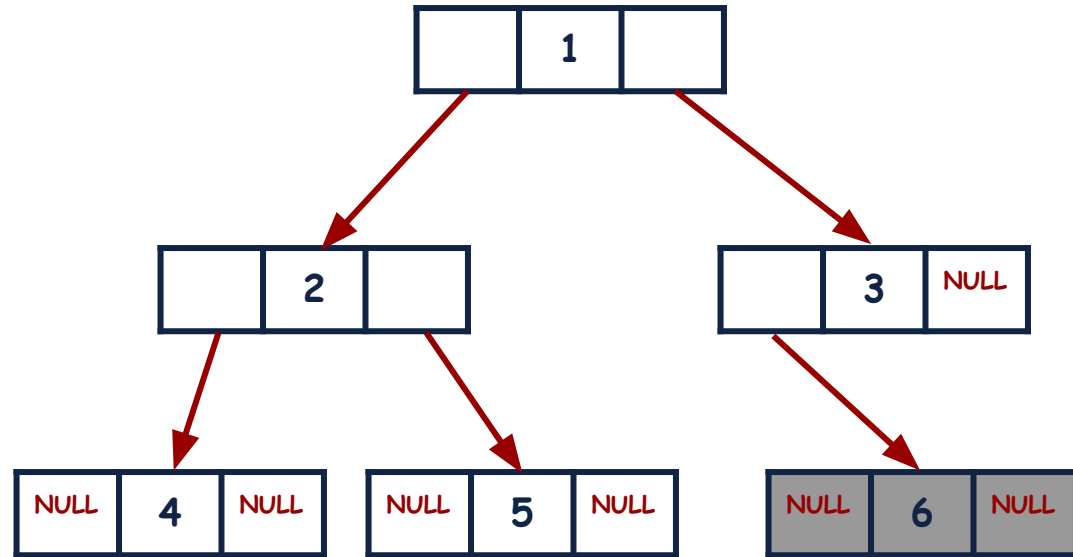
Binary Trees: View / Traversal

Pop the element from the queue and print its data.



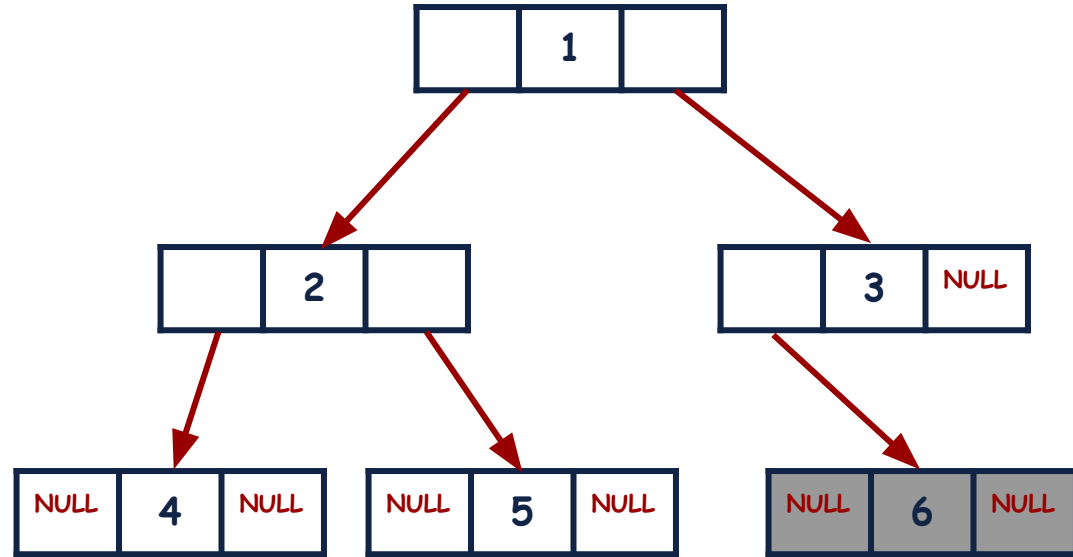
Output:

1, 2, 3, 4, 5, 6



Binary Trees: View / Traversal

Push the left and right node of the current node in the Queue if they are not NULL.



Output:

1, 2, 3, 4, 5, 6

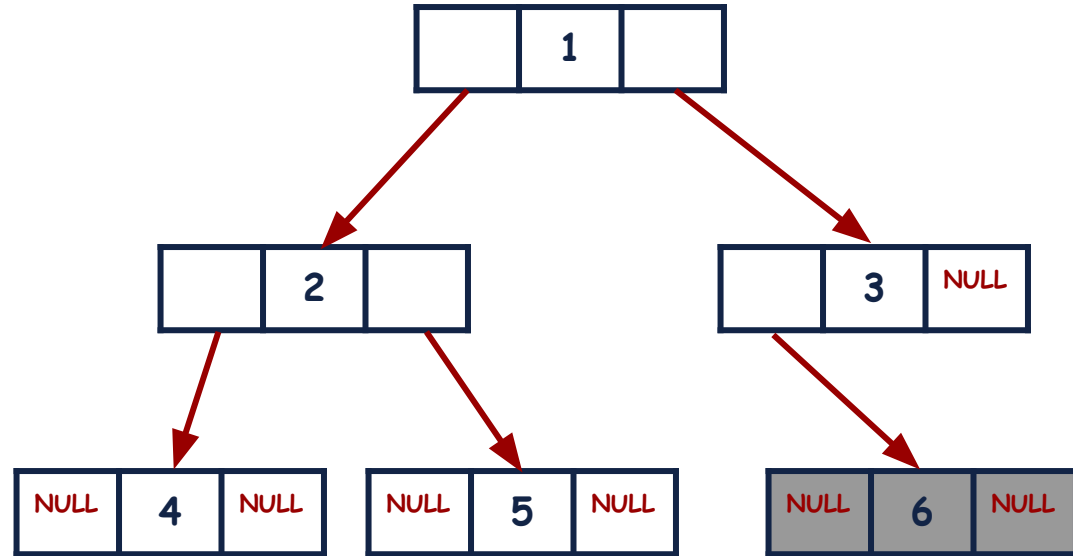
Binary Trees: View / Traversal

Stop if the Queue is empty.



Output:

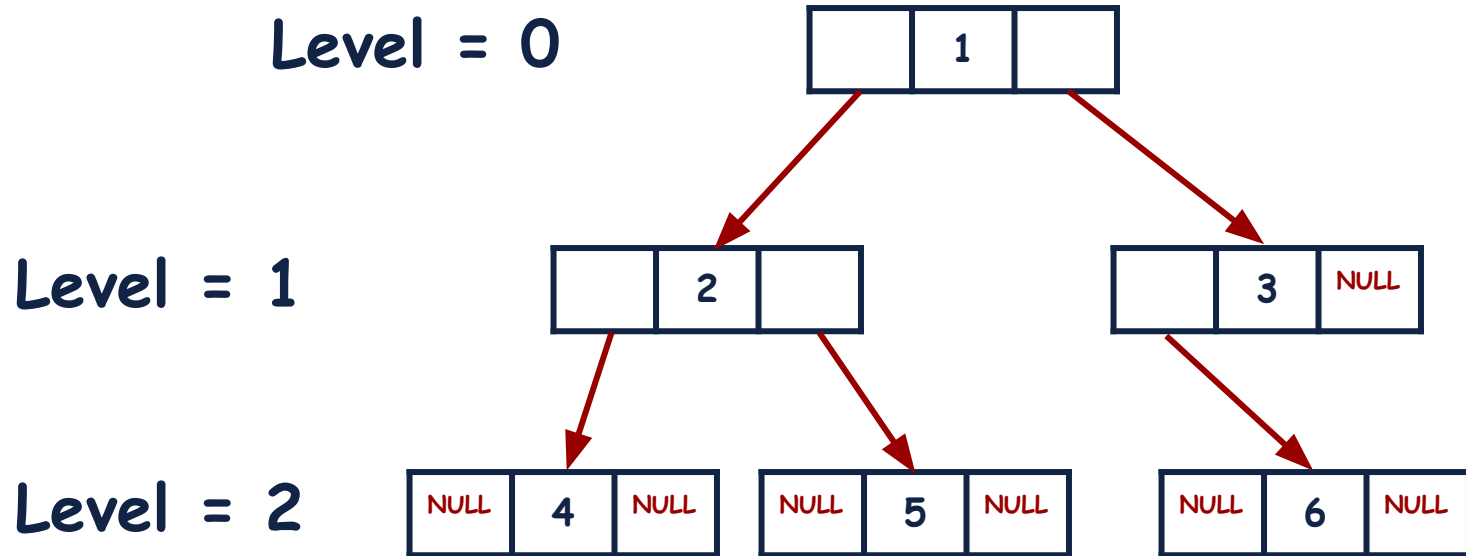
1, 2, 3, 4, 5, 6



Binary Trees: Traversal (Level Order)

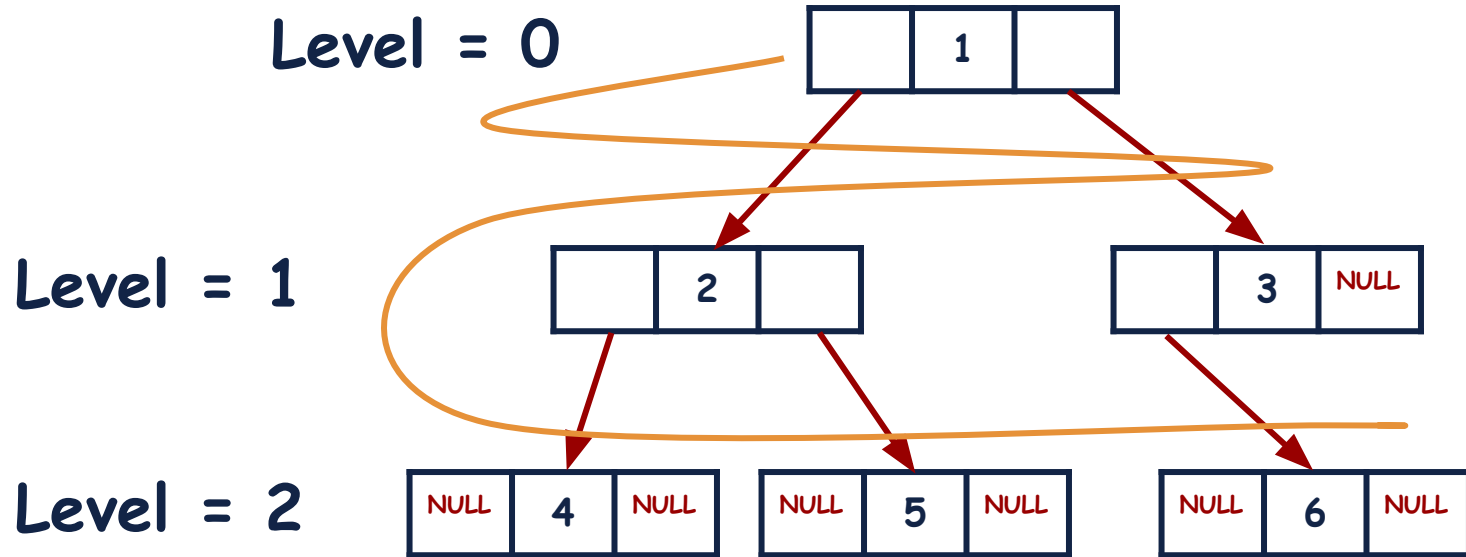
This way of traversing is called **Level Order Traversing**.

Or => Breadth First Traversal



Binary Trees: Traversal (Breadth First)

This way of traversing is also known as **Breadth First Search**



Binary Trees: Traversal (Breadth First)

Pseudocode:

1. Declare the Queue
2. Enqueue the root node
3. while(Queue is not empty)
 - a. Dequeue the node
 - b. Print the value
 - c. if(left node is not NULL)
 - i. Enqueue the left node
 - d. if(right node is not NULL)
 - i. Enqueue the right node

Binary Trees: Traversal (Breadth First)

```
struct node
{
    int data;
    node *left;
    node *right;
};
```

```
class binaryTree
{
    node *root;
public:
    node *addNode(int item)
    {
        node *record = new node();
        record->data = item;
        record->left = NULL;
        record->right = NULL;
        return record;
    }
}
```

```
void generateData()
{
    root = addNode(1);
    root->left = addNode(2);
    root->right = addNode(3);
    root->left->left = addNode(4);
    root->left->right = addNode(5);
    root->right->left = addNode(6);
}
```

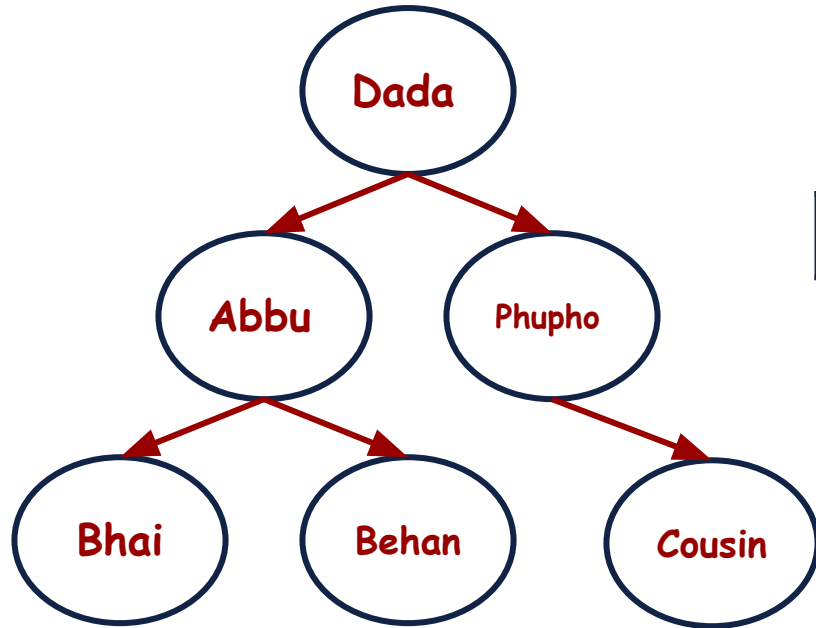
Binary Trees: Traversal (Breadth First)

```
void bfs()
{
    queue<node *> q;
    q.push(root);
    while (!q.empty())
    {
        node *temp = q.front();
        q.pop();
        cout << temp->data << ", ";
        if (temp->left != NULL)
            q.push(temp->left);
        if (temp->right != NULL)
            q.push(temp->right);
    }
};
```

```
int main()
{
    binaryTree b;
    b.generateData();
    b.bfs();
}
```

Binary Trees: Implementation

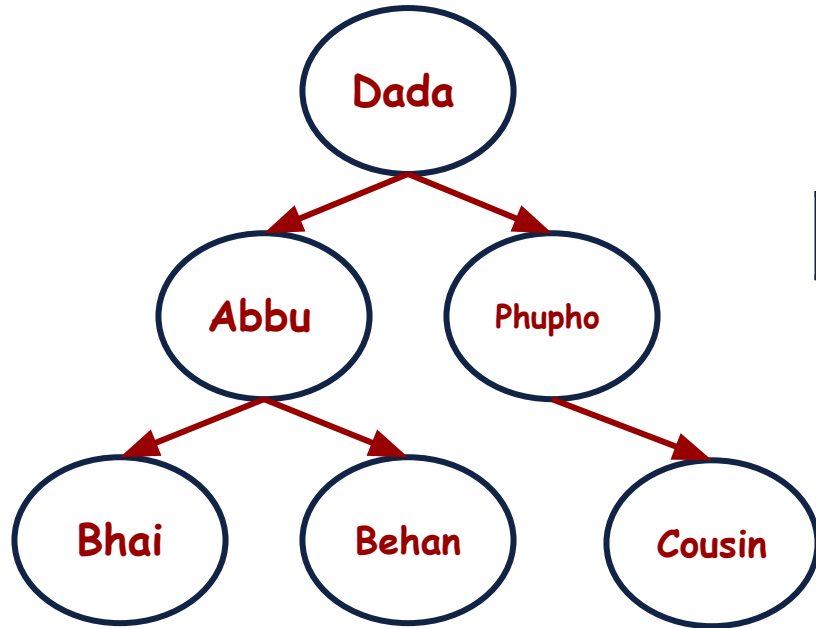
We can also use Arrays for storing the information.



0	1	2	3	4	5
Dada	Abbu	Phupho	Bhai	Behan	Cousin

Binary Trees: Implementation

We can also use Arrays for storing the information.

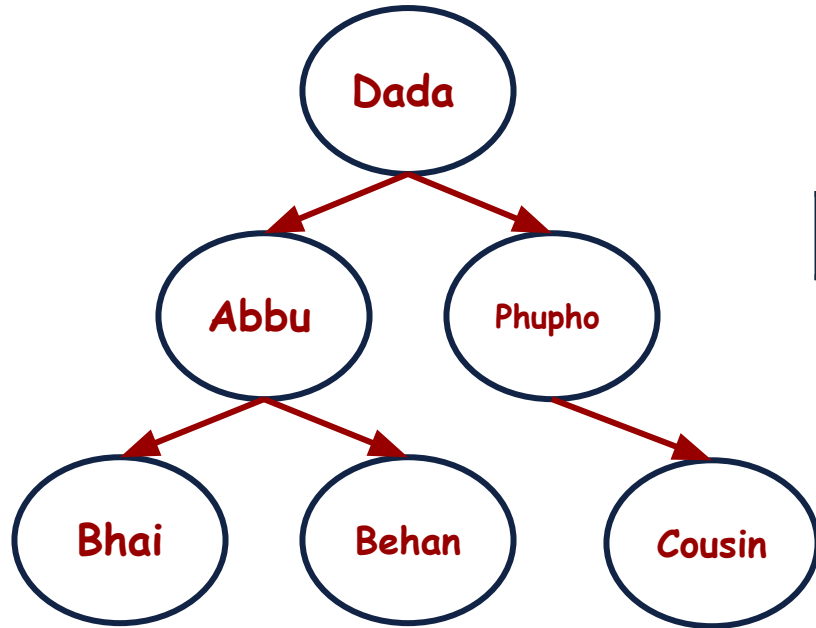


0	1	2	3	4	5
Dada	Abbu	Phupho	Bhai	Behan	Cousin

For node at index i

Binary Trees: Implementation

We can also use Arrays for storing the information.



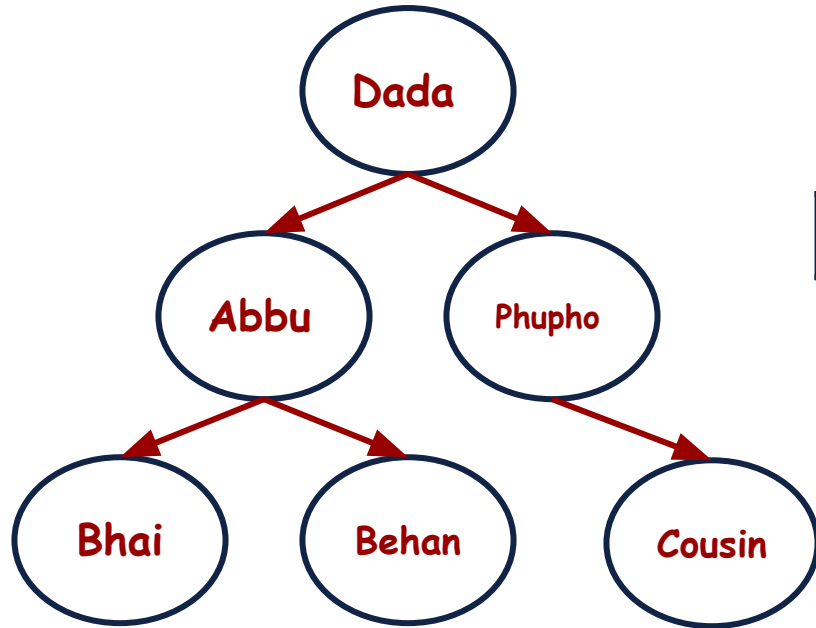
0	1	2	3	4	5
Dada	Abbu	Phupho	Bhai	Behan	Cousin

For node at index i

Left Child index: $2i + 1$

Binary Trees: Implementation

We can also use Arrays for storing the information.



0	1	2	3	4	5
Dada	Abbu	Phupho	Bhai	Behan	Cousin

For node at index i

Left Child index: $2i + 1$

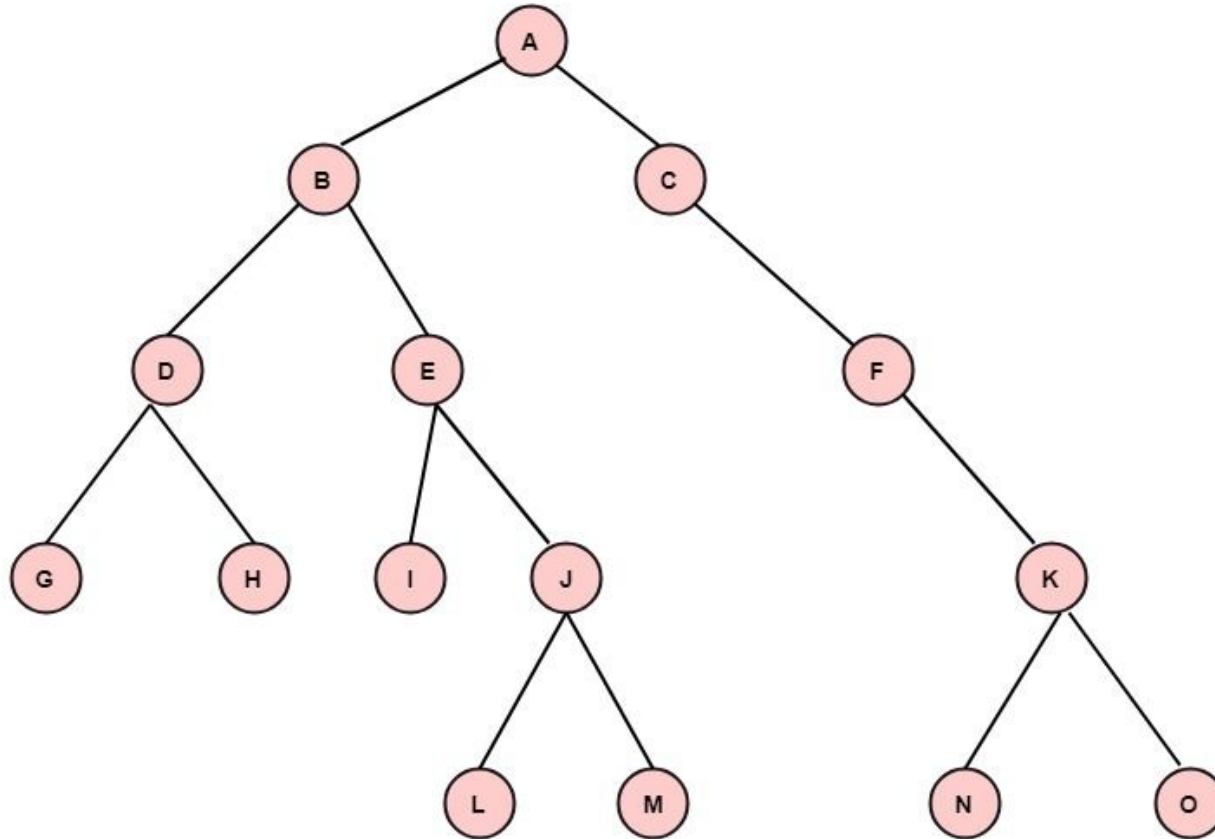
Right Child index: $2i + 2$

Learning Objective

Students should be able to **traverse** the binary Trees in **Breadth First** or **Level Order** to solve the problems efficiently.



Self Assessment



Self Assessment

From the previous figure, answer the following questions.

- Which node is the root?
- Which nodes are leaves?
- Name the parent node of each node.
- What is the Height of node K?
- What is the Depth of node D?
- Write the ancestors of node J.
- Write the descendants of node E.
- Pair up all the Siblings from the previous Tree.
- What is the Height of the Tree?
- Write the path to reach node L.
- Write the total number of sub trees.
- What is the Degree of node F?

Reading Assessment

1. <https://www.geeksforgeeks.org/difference-between-general-tree-and-binary-tree/>
2. <https://www.upgrad.com/blog/5-types-of-binary-tree/>
3. <https://www.programiz.com/dsa/trees>
4. https://www.softwaretestinghelp.com/binary-tree-in-cpp/#Binary_Tree_Traversal