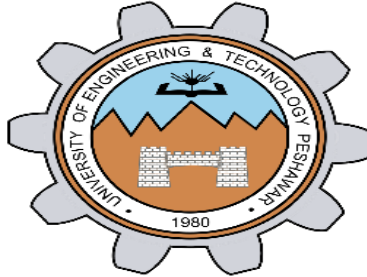


## **Lab report no 1**



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**Control System Lab**

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**Objectives: -**

- To learn and get familiar with the basics function using help command.
- To practice each command in MATLAB.

**With help: Description and example of following functions: -**

>> help roots

ROOTS Find polynomial roots.

ROOTS(C) computes the roots of the polynomial whose coefficients are the elements of the vector C. If C has N+1 components, the polynomial is  $C(1)*X^N + \dots + C(N)*X + C(N+1)$ .

>> help poly

POLY Convert roots to polynomial.

POLY(A), when A is an N by N matrix, is a row vector with N+1 elements which are the coefficients of the characteristic polynomial,  $\text{DET}(\text{lambd}a*\text{EYE}(\text{SIZE}(A)) - A)$ .

POLY(V), when V is a vector, is a vector whose elements are the coefficients of the polynomial whose roots are the elements of V. For vectors, ROOTS and POLY are inverse functions of each other, up to ordering, scaling, and roundoff error.

>> help polyval

POLYVAL Evaluate polynomial.

$Y = \text{POLYVAL}(P,X)$  returns the value of a polynomial P evaluated at X. P is a vector of length N+1 whose elements are the coefficients of the polynomial in descending powers.

$$Y = P(1)*X^N + P(2)*X^{(N-1)} + \dots + P(N)*X + P(N+1)$$

Example:

Evaluate the polynomial  $p(x) = 3x^2 + 2x + 1$  at  $x = 5, 7$ , and  $9$ :

```
p = [3 2 1];  
polyval(p,[5 7 9])%
```

```
>> help conv
```

CONV Convolution and polynomial multiplication.

$C = \text{CONV}(A, B)$  convolves vectors  $A$  and  $B$ . The resulting vector is length  $\text{MAX}([\text{LENGTH}(A) + \text{LENGTH}(B) - 1, \text{LENGTH}(A), \text{LENGTH}(B)])$ . If  $A$  and  $B$  are vectors of polynomial coefficients, convolving them is equivalent to multiplying the two polynomials.

```
>> help tf
```

TF Construct transfer function or convert to transfer function.

Construction:

$\text{SYS} = \text{TF}(\text{NUM}, \text{DEN})$  creates a continuous-time transfer function  $\text{SYS}$  with numerator  $\text{NUM}$  and denominator  $\text{DEN}$ .  $\text{SYS}$  is an object of type TF when  $\text{NUM}, \text{DEN}$  are numeric arrays, of type GENSS when  $\text{NUM}, \text{DEN}$  depend on tunable parameters (see REALP and GENMAT), and of type USS when  $\text{NUM}, \text{DEN}$  are uncertain (requires Robust Control Toolbox).

$\text{SYS} = \text{TF}(\text{NUM}, \text{DEN}, \text{TS})$  creates a discrete-time transfer function with sampling time  $\text{TS}$  (set  $\text{TS} = -1$  if the sampling time is undetermined).

$S = \text{TF}('s')$  specifies the transfer function  $H(s) = s$  (Laplace variable).

$Z = \text{TF}('z', \text{TS})$  specifies  $H(z) = z$  with sample time  $\text{TS}$ .

You can then specify transfer functions directly as expressions in  $S$  or  $Z$ ,

for example,

```
s = tf('s'); H = exp(-s)*(s+1)/(s^2+3*s+1)
```

help pzmap

PZMAP Pole-zero map of dynamic systems.

PZMAP(SYS) computes the poles and (transmission) zeros of the dynamic system SYS and plots them in the complex plane. The poles are plotted as x's and the zeros are plotted as o's.

PZMAP(SYS1,SYS2,...) shows the poles and zeros of several systems SYS1,SYS2,... on a single plot. You can specify distinctive colors for each model, for example:

```
pzmap(sys1,'r',sys2,'y',sys3,'g')
```

[P,Z] = PZMAP(SYS) returns the poles and zeros of the system in two column vectors P and Z. No plot is drawn on the screen.

>> help impulse

IMPULSE Impulse response of dynamic systems.

IMPULSE(SYS) plots the impulse response of the dynamic system SYS. For systems with more than one input, independent impulse commands are applied to each input channel. The time range and number of points are chosen automatically. For continuous-time systems with direct feedthrough, the infinite pulse at  $t=0$  is ignored.

IMPULSE(SYS,TFINAL) simulates the impulse response from  $t=0$  to the final time

t=TFINAL (expressed in the time units specified in SYS.TimeUnit). For discrete-time models with unspecified sampling time, TFINAL is interpreted as the number of samples.

>> help step

STEP Step response of dynamic systems.

STEP(SYS) plots the step response of the dynamic system SYS. For systems with more than one input, independent step commands are applied to each input channel. The time range and number of points are chosen automatically.

STEP(SYS,TFINAL) simulates the step response from t=0 to the final time t=TFINAL (expressed in the time units specified in SYS.TimeUnit). For discrete-time models with unspecified sampling time, TFINAL is interpreted as the number of samples.

>>help series

SERIES Series connection of two input/output models.

M = SERIES(M1,M2,OUTPUTS1,INPUTS2) connects the input/output models M1 and M2 in series. The vectors of indices OUTPUTS1 and INPUTS2 specify which outputs of M1 and which inputs of M2 are connected together. The resulting model M maps u1 to y2.

>> help parallel

parallel is both a directory and a function.

PARALLEL Parallel connection of two input/output models.

M = PARALLEL(M1,M2,IN1,IN2,OUT1,OUT2) connects the input/output models M1 and M2 in parallel. The inputs specified by IN1 and IN2 are connected and the outputs specified by OUT1 and OUT2 are summed. The resulting model M maps [v1;u;v2] to [z1;y;z2]. The vectors IN1 and IN2 contain indices into the input vectors of M1 and M2, respectively, and define

the input channels u1 and u2 in the diagram. Similarly, the vectors  
OUT1 and OUT2 contain indexes into the outputs of M1 and M2.

### Practical examples and Results: -

```
clc
clear all
close all

%initial values for d/f function
p=[1 2 5];
den = [2 4 1];
nom = [3 2 5];

%finding roots
r=roots(p);

%finding poly
p=poly(r);

%finding ployval
p_value = polyval(p,r);

%finding conv
convalution = conv(r,p);

%finding transfer function
transfer_fuc = tf(nom,den);

%finding pzmap
pzmap(transfer_fuc);

%finding impulse
[h,t]= impz(convalution);

%finding step
step(transfer_fuc);
```

Resulted values: -

Workspace				
Stack: Base Select data to plot				
Name	Value	Min	Max	
convolution	$[-1.0000 + 2.0000i, -3.0000]$	-1.000...	-5.000...	
den	$[2, 4, 1]$	1	4	
h	$[-1.0000 + 2.0000i, -3.0000]$	-1.000...	-5.000...	
nom	$[3, 2, 5]$	2	5	
p	$[1, 2, 5]$	1	5	
p_value	$[0; 0]$	0	0	
r	$[-1.0000 + 2.0000i, -1.0000]$	-1.000...	-1.000...	
t	$[0; 1; 2; 3]$	0	3	
transfer_fuc	$<1 \times 1 \text{ tf}>$			

Command Window Command History

Step:

