UNIVERSITY OF KARACHI



Probability and Statistical Methods

BSCS-306

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Semester No: 2nd

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DEPARTMENT OF COMPUTER SCIENCE

UNIVERSITY OF KARACHI

WEEK 2 LAB

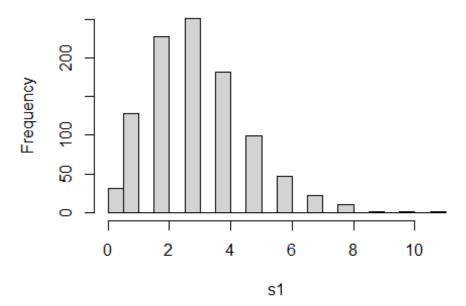
```
QUESTION: 01
\#p=0.1, 0.3, 0.5, 0.8
\# n=10
v11=rbinom(1000, 10,0.1)
v12=rbinom(1000, 10,0.3)
v13=rbinom(1000, 10,0.5)
v14=rbinom(1000, 10 ,0.8)
#p=0.1, 0.3, 0.5, 0.8
\# n=30
v21=rbinom(1000, 30,0.1)
v22=rbinom(1000, 30,0.3)
v23=rbinom(1000, 30,0.5)
v24=rbinom(1000, 30,0.8)
#p=0.1, 0.3, 0.5, 0.8
# n=50
v31=rbinom(1000, 50,0.1)
v32=rbinom(1000, 50,0.3)
v33=rbinom(1000, 50,0.5)
v34=rbinom(1000, 50,0.8)
#p=0.1, 0.3, 0.5, 0.8
# n=100
v41=rbinom(1000, 100 ,0.1)
v42=rbinom(1000, 100,0.3)
v43=rbinom(1000, 100,0.5)
v44=rbinom(1000, 100,0.8)
sim = data.frame(v11, v12, v13, v14, v21, v22, v23, v24, v31, v32, v33, v34,
v41, v42, v43, v44)
# What is the impact of increase in sample size?
# Then the sample size is increased the mean will also be increased.
# What is the effect of p on the results?
# The effect of p on the result is that, the greater the probability the grea
ter will be the result
```

QUESTION: 02

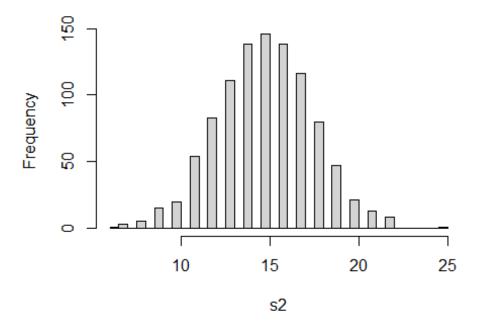
```
#simulated mean and variance
sim_mean = mean(v33)
print(sim_mean)
## [1] 24.928
sim_var = var(v33)
print(sim_var)
## [1] 11.07189
#theoretical mean and variance
theo mean = np = 50*0.5
print(theo_mean)
## [1] 25
theo_var= npq = 50*0.5*0.5
print(theo_var)
## [1] 12.5
mean_diff = (theo_mean)-(sim_mean)
print(mean_diff)
## [1] 0.072
var_diff = (theo_var)-(sim_var)
print(var_diff)
## [1] 1.428112
# yes ! there is a little bit difference in the results of empirical mean and
actual mean.
```

QUESTION: 03

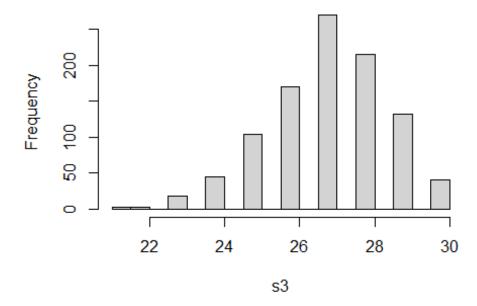
```
s1=rbinom(1000, 30 ,0.1)
hist(s1,breaks = 30,main = "")
```



```
s2=rbinom(1000, 30 ,0.5)
hist(s2,breaks = 30,main = "")
```



```
s3=rbinom(1000, 30 ,0.9)
hist(s3,breaks = 30,main = "")
```



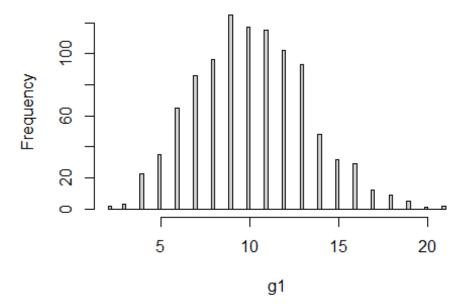
```
QUESTION: 04
y1 = rpois(1000, 5)
summary(y1)
##
      Min. 1st Qu. Median
                            Mean 3rd Qu.
                                              Max.
##
     0.000
            4.000
                     5.000
                             5.045
                                    6.000
                                           13.000
y2 = rpois(1000, 10)
summary(y2)
##
      Min. 1st Qu. Median
                             Mean 3rd Qu.
                                              Max.
                                    12.00
##
      3.00 8.00
                    10.00
                             9.94
                                             21.00
y3 = rpois(1000, 15)
summary(y3)
      Min. 1st Qu.
##
                   Median
                             Mean 3rd Qu.
                                             Max.
                     15.00
##
      4.00
            12.00
                             15.04
                                    18.00
                                             28.00
y4 = rpois(1000, 25)
summary(y4)
##
     Min. 1st Qu. Median
                             Mean 3rd Qu.
                                              Max.
##
     11.00
            22.00
                     25.00
                             25.12
                                     28.00
                                             46.00
y5 = rpois(1000, 30)
summary(y5)
##
     Min. 1st Qu. Median
                             Mean 3rd Qu.
                                             Max.
##
     13.00
           26.00
                     30.00
                             30.08
                                    34.00
                                             53.00
y6 = rpois(1000, 50)
summary(y6)
##
      Min. 1st Qu. Median
                             Mean 3rd Qu.
                                              Max.
##
     25.00 45.00
                     50.00
                             49.76
                                    54.00
                                             80.00
```

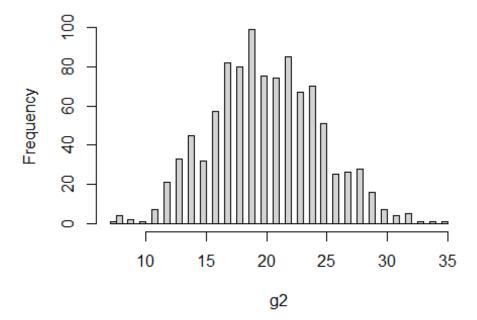
#As increase with the value of parameter which is lambda the overall value and the mean is increasing too.

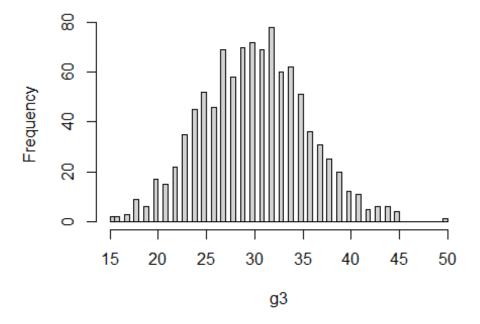
QUESTION: 05

```
#simulated mean and variance
sim_mean_pois = mean(y3)
print(sim_mean_pois)
## [1] 15.036
sim_var_pois = var(y3)
print(sim_var_pois)
## [1] 15.06177
#theoretical mean and variance
theo_mean_pois = np = 15
print(theo_mean_pois)
## [1] 15
theo_var_pois= npq = 15
print(theo_var_pois)
## [1] 15
mean_diff_pois = (theo_mean_pois)-(sim_mean_pois)
print(mean_diff_pois)
## [1] -0.036
var_diff_pois = (theo_var_pois)-(sim_var_pois)
print(var_diff_pois)
## [1] -0.06176577
# yes ! there is a little bit difference in the results of empirical mean and
actual mean.
```

#QUESTION: 06







From the above plot we concluded, as the Mean(lambda) value increases the spread of the graph increases.