$$= P(A) + P(B^{c}) - P(A)B)$$

$$= \frac{1}{2} + (1 - \frac{1}{4}) - \frac{3}{8} = \frac{7}{8}$$

$$(c)(P(A) = P(B) = P(C) = \frac{9}{10}.$$

problem 2:

let E be the event that the family has 2 Boys

let F of least 1 Boy.

P(EIF) = PCENF) =
$$\frac{1}{3}$$

PCF)

let A the strip contains at least 2 consecutive of let B the first bit is Θ .

PCAID = $\frac{PCANB}{PCBD} = \frac{\frac{5}{16}}{\frac{1}{2}} = \frac{5}{8}$.

$$PCA(B) = \frac{PCA(B)}{PCB(C)} = \frac{\frac{5}{16}}{\frac{1}{2}} = \frac{5}{8}$$

Problem 3

(a) let A be the event that 13 cards contain at least 1 Ace.

$$P(A) = 1 - P(A^c) = 1 - \frac{\binom{48}{13}}{\binom{52}{13}}$$

$$P(B) = \frac{\binom{4}{2}\binom{48}{11}}{\binom{52}{13}}$$

$$(4\sqrt{48})/(52)$$

$$P(B|A) = \frac{P(A(18))}{P(A)} = \frac{P(B)}{P(A)} = \frac{(2)(13)(13)}{1 - (48)(13)(13)} \cdot 20.31.$$

(b) let A be the event that 13 cards contain the ace of heart exactly a paces

$$P(A) = \frac{\binom{1}{1}\binom{51}{12}}{\binom{52}{13}}$$

$$P(ANB) = \frac{\binom{3}{1}\binom{1}{1}\binom{48}{11}}{\binom{52}{13}}$$

$$P(B|A) = \frac{P(A \cap B)}{P(A)} = \frac{\binom{3}{1}\binom{1}{1}\binom{44}{11}}{\binom{5}{12}} \approx 0.43$$

Problem 4.

let A be the event that the luggage is put on the correct plane at Amsterdam.

the Event that the luggage doesn't sydney is (ANB) =

P((AOB)) = 1-0.92115 = 0.0785 = 7.85%.