

### CSD2181/2183 - Data Structure

### **Exercises**

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#### Introduction – Data Structure Exercises



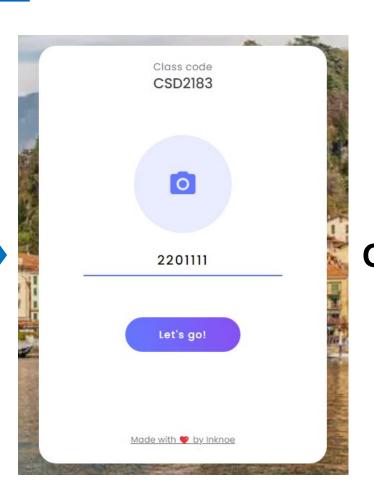
- Purpose: to reinforce what you have learned and practiced in lectures.
- The exercise session is conducted face to face in class.
- It consists of a few MCQs to be solved within class.
- Limited time is given for each question (answer will be discussed afterwards).
- You are required to login to ClassPoint with your student ID.
- So, bring along your laptop or devices with Internet access.
- Attendance is compulsory and there is no make up.
- Exercises are marked considering your overall performance in the module.

#### **Introduction – Data Structure Exercises**



#### https://www.classpoint.app/





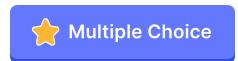






#### 5.1 In a binary tree, the root node has

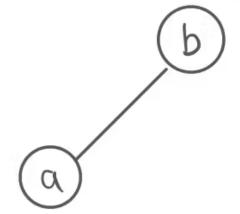
- A. One parent
- **B.** No parent
- C. Multiple siblings
- D. Two children
- E. B and D





#### 5.2 What is the height of the binary tree?

- A. -1
- B. 0
- C. 1
- D. 2
- E. 3

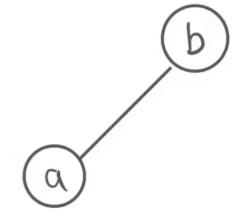






#### 5.3 What is the height of the left subtree?

- A. -1
- **B.** 0
- C. 1
- D. 2
- E. 3

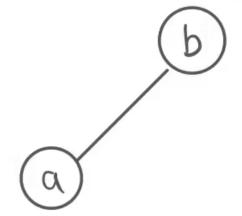






#### 5.4 What is the height of the right subtree?

- A. -1
- B. 0
- C. 1
- D. 2
- E. 3



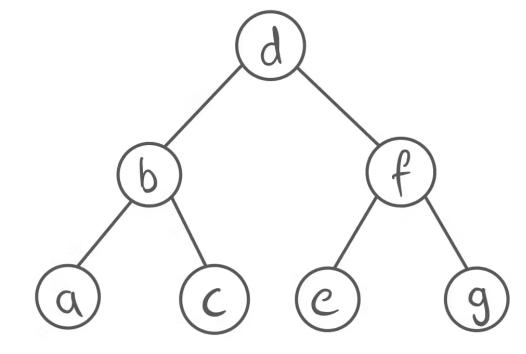




#### 5.5 What is the height of the tree?

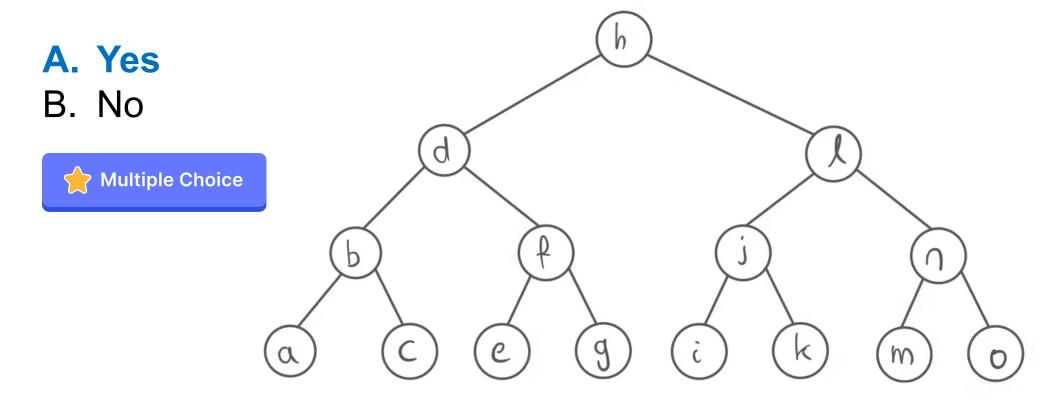
- A. -1
- B. 0
- C. 1
- D. 2
- E. 3







#### 5.6 Is this tree balanced?



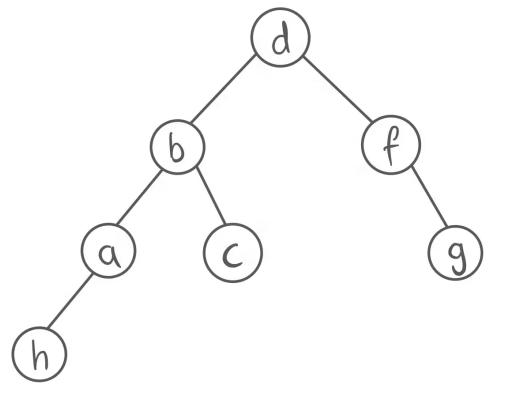


#### 5.7 Is this tree balanced?

A. Yes

B. No







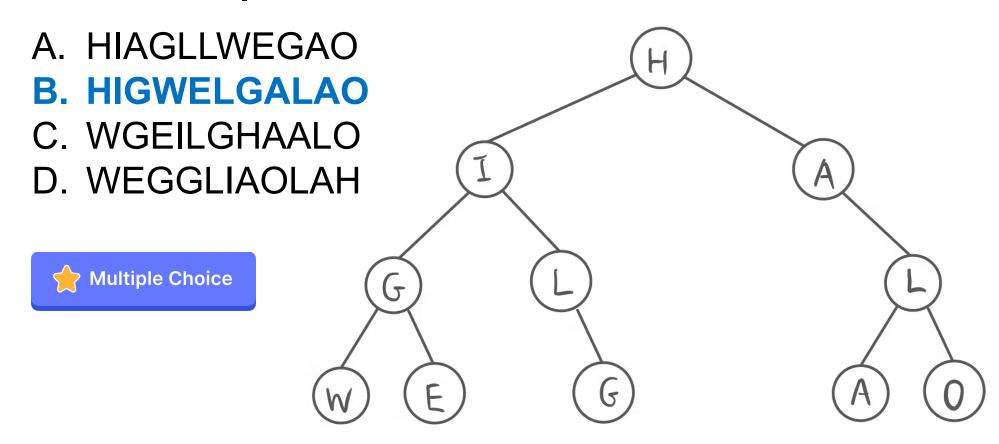
Is this tree complete? A. Yes B. No Multiple Choice



Is this tree complete? A. Yes B. No Multiple Choice

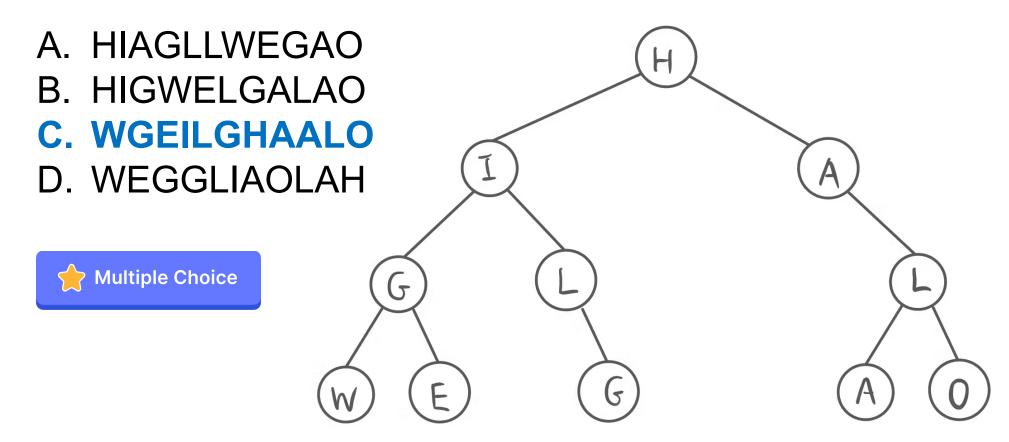


#### 5.10 What is the pre-order traversal of the tree?



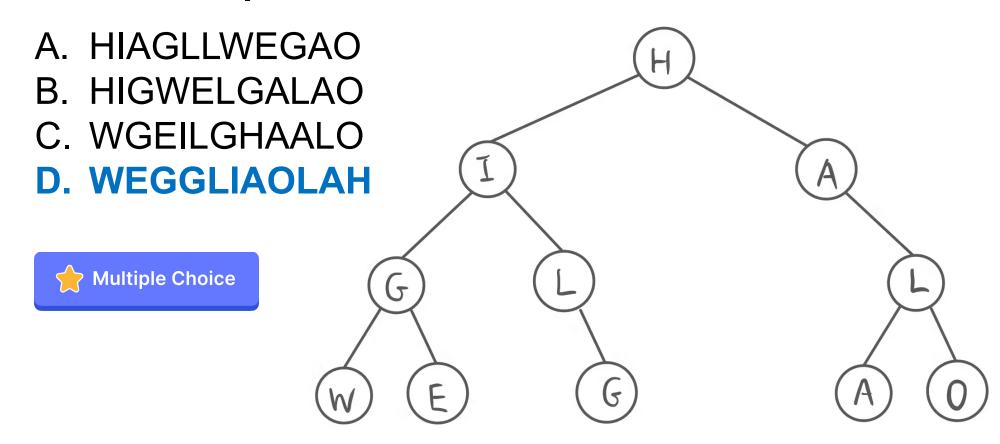


#### 5.11 What is the in-order traversal of the tree?





#### 5.12 What is the post-order traversal of the tree?





#### 5.13 Which is correct regarding the following traversals?

(1) Pre-order: 12478536

(2) In-order: 74825136

(3) Post-order: 78452631

A. (1) only

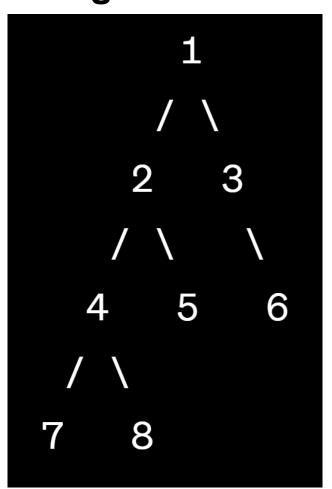
B. (2) only

C. (3) only

D. (1) and (2)

E. (1)(2)(3)







#### 5.14 What is the height of the BST after these operations?

```
A. 2 Insert(1);
B. 3 Insert(2);
C. 4 Insert(3);
D. 5 Insert(4);
E. 6 Insert(6);
F. 7 Insert(7);
```





#### 5.15 What is the height of the BST after these operations?

```
A. 2 Insert(4);
B. 3 Insert(2);
C. 4 Insert(5);
D. 5 Insert(3);
E. 6 Insert(1);
F. 7 Insert(7);
```





#### 5.16 What is the worst-case time complexity of BST::find()?

- A. O(1)
- B. O(logn)
- **C. O**(n)
- D. O(nlogn)
- E.  $O(n^2)$





- 5.17 In delete operation of BST, we need in-order predecessor (successor) of the to-be-deleted node if it has both non-empty left and right child. Which of the following is true?
- A. Predecessor is always a leaf node
- B. Predecessor is always either a leaf node or a node with empty left child
- C. Predecessor cannot be a parent node
- D. Predecessor is always either a leaf node or a node with empty right child





# 5.18 For a BST having a node with value x, after the following operations

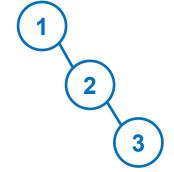
```
Delete(root, x);
Insert(root, x);
```

- A. The resulting BST is exactly the same as the original BST
- B. The resulting BST has a different structure from the original BST
- C. The height of the resulting BST is different from the original BST
- D. A and B are possible
- E. A, B, and C are possible

$$A: X = 3$$

B: 
$$X = 2$$

$$C: X = 1$$



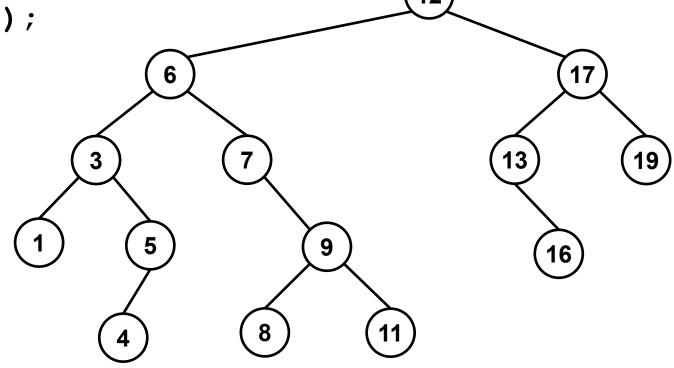


# 5.19 Consider replacement by predecessor, what is the height of the BST after the following operations?

Delete(root, 6);
Delete(root, 7);

- A. 2
- B. 3
- C. 4
- D. 5
- E. 6





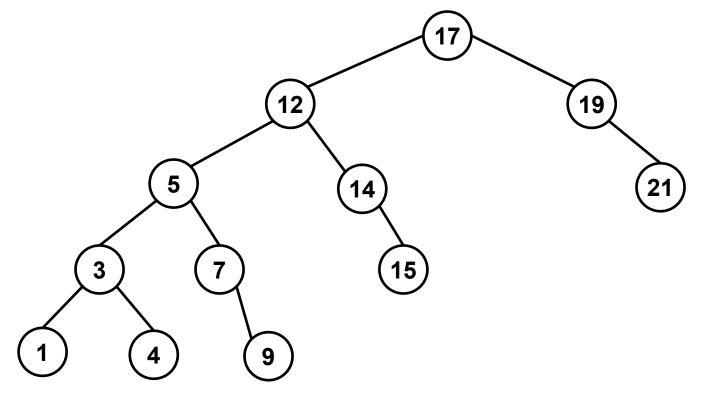


### 5.20 Is the BST after right rotation about the root node a balanced BST?

A. Yes

B. No







#### The End