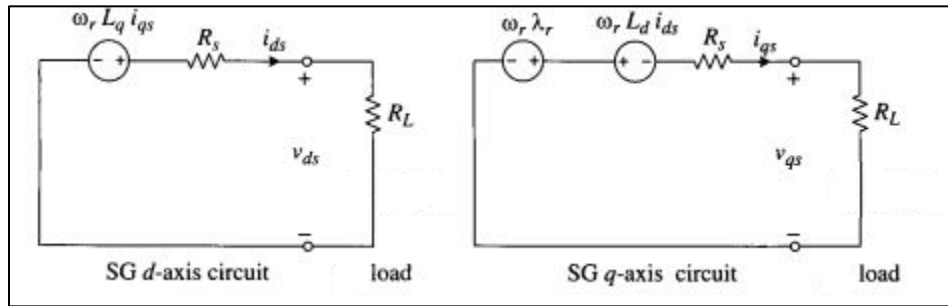


$$R_L = \frac{v_{ds}}{i_{ds}} = \frac{v_{qs}}{i_{qs}}$$



From the graphs of v_{ds} (initial value is estimated to be 0.25 p.u. and final value is almost 0.35 p.u.) and i_{ds} (initial value is estimated to be 0.16 p.u. and final value is almost 0.45 p.u.),

$$R_L = \frac{v_{ds,initial}}{i_{ds,initial}} = \frac{0.25}{0.16} = 1.56 \text{ p.u.}$$

$$\frac{R_L}{2} = \frac{v_{ds,final}}{i_{ds,final}} = \frac{0.35}{0.45} = 0.77 \text{ p.u.}$$

From the graphs of v_{qs} (initial value is estimated to be 0.6 p.u. and final value is almost 0.4 p.u.) and i_{qs} (initial value is estimated to be 0.4 p.u. and final value is almost 0.55 p.u.),

$$R_L = \frac{v_{qs,initial}}{i_{qs,initial}} = \frac{0.6}{0.4} = 1.5 \text{ p.u.}$$

$$\frac{R_L}{2} = \frac{v_{qs,final}}{i_{qs,final}} = \frac{0.4}{0.55} = 0.73 \text{ p.u.}$$

Hence $R_L \approx 1.5 \text{ p.u. (6 Ohm)}$

Steady-State Analysis of Stand-Alone SG with RL Load.

$$i_{qs} = \frac{\omega_r \lambda_r (R_L + R_s)}{(R_L + R_s)^2 + \omega_r^2 (L_L + L_d)(L_L + L_q)}$$

$$i_{ds} = \frac{\omega_r (L_L + L_q)}{R_L + R_s} i_{qs}$$

In this case

$$L_L = 0$$

```
iqs=(w*7.030056*(6+Rs))/((6+Rs)*(6+Rs)+w*w*Ld*Lq)= 262.7145  
iqs_pu=iqs/(490*sqrt(2))= 0.3791 p.u.  
ids=(w*Lq*iqs)/(Rs+6)= 114.7591  
ids_pu=ids/(490*sqrt(2))=0.1656 p.u.
```