

## MULTIPLE CHOICE QUESTIONS (MCQ'S)

1. Which of the following is Unary Operation?  
 (a) Addition (b) Multiplication  
 (c) Square Root (d) None of these
2. If for all  $a, b \in A$ ,  $a * b \in A$  then  
 (a)  $*$  is a Unary operation in  $A$   
 (b)  $a * b = b * a$   
 (c)  $*$  is a binary operation in  $A$   
 (d)  $a * b \neq b * a$
3.  $*$  is said to be commutative in  $A$  if for all  $a, b \in A$   
 (a)  $a + b = b + a$  (b)  $a * b = b * a$   
 (c)  $a - b = b - a$  (d)  $a * b \neq b * a$
4. If  $*$  is a binary operation in  $A$  then  
 (a)  $A$  is closed under  $*$  (b)  $A$  is not closed under  $*$   
 (c)  $A$  is closed under  $*$  (d)  $A$  is closed under  $+$
5. An element  $e \in A$  is said to be identity element with respect to a binary operation  $*$  on  $A$  if for all  $a \in A$ .  
 (a)  $e * a = a * e = 0$  (b)  $e * a = a * e \neq a$   
 (c)  $e * a = a * e = e$  (d)  $e * a = a * e = a$
6. In the group  $(G, *)$   
 (a)  $a + b \in G \forall a, b \in G$  (b)  $ab \in G \forall a, b \in G$   
 (c)  $a * b \in G \forall a, b \in G$  (d)  $a - b \in G \forall a, b \in G$
7. If  $(G, *)$  is a group then for all  $a \in G$  there exists  $a' \in G$  Such that  
 (a)  $a * a' = 0 = a' * a$  (b)  $a * a' = a' = a' * a$   
 (c)  $a * a' = a = a' * a$  (d)  $a * a' = e = a' * a$
8.  $(G, *)$  is a Commutative (or) abelian group if for all  $a, b \in G$ .  
 (a)  $a * b = b * a$  (b)  $a * b \neq b * a$   
 (c)  $a + b = b * a$  (d)  $a * b = b + a$
9. Number of identity elements in any group is \_\_\_\_\_.  
 (a) 1 (b) 2 (c) 3 (d) 4
10.  $Z$  is a group under.  
 (a) Subtraction (b) Division  
 (c) Multiplication (d) Addition

11. The Action of wearing Socks and Shoes  
(a) Do not Commute (b) Commute  
(c) Does not Exit (d) is Associative
12. The set of all non-singular matrices of order 2 forms a non-abelian group under.  
(a) Addition (b) Subtraction  
(c) Multiplication (d) Division
13. A monoide is always a \_\_\_\_\_.  
(a) a group (b) a commutative group  
(c) a non-abelian group (d) groupoid
14. A monoide is always a \_\_\_\_\_.  
(a) a group (b) a commutative group  
(c) a non-abelian group (d) Semi-group
15. A semi-group is always a \_\_\_\_\_.  
(a) a group (b) a commutative group  
(c) groupoid (d) a non-abelian group
16. A closed set with respect to some binary operation is called \_\_\_\_\_.  
(a) a group (b) a commutative group  
(c) groupoid (d) a non-abelian group
17. A non-empty set which is closed with respect to some binary operation is called the semi group if.  
(a) the binary operation is associative  
(b) the binary operation is commutative  
(c) the binary operation is anti-commutative  
(d) identity element exists
18. A non-empty set which is closed with respect to some associative binary operation is called the monoid if  
(a) inverse of each element exists  
(b) the binary operation is commutative  
(c) the binary operation is anti-commutative  
(d) identity element exists
19. If  $G = \{1, -1, i, -i\}$  is a group under multiplication, then inverse of  $i$  is.  
(a) 1 (b)  $-1$   
(c)  $i$  (d) None of these
20. If  $a, b$  are elements of a group  $G$  then  $(ab)^{-1} =$  \_\_\_\_\_.  
(a)  $a^{-1}b^{-1}$  (b)  $b^{-1}a^{-1}$  (c)  $a^{-1}b$  (d)  $b^{-1}a$

21. A binary operation on non-empty set is a  
(a) Rule (b) function  
(c) both (a) & (b) (d) None of these
22. The Unary operation is an operation which yields another number when perform on \_\_\_\_\_.  
(a) a single number (b) Two numbers  
(c) Three numbers (d) None of these
23. Addition is a binary operation on set \_\_\_\_\_.  
(a) R (b) C (c) W (d) N
24. Multiplication is a binary operation on set \_\_\_\_\_.  
(a) R (b) C (c) W (d) N
25. let  $S = \{1, -1\}$  then \_\_\_\_\_ are binary operation on  $S$ .  
(a) Addition and Multiplication  
(b) Addition and Subtraction  
(c) Multiplication and division  
(d) Multiplication and Subtraction
26.  $S = \{1, -1\}$  and  $F = \{1, 2\}$  then multiplication is not a binary operation on \_\_\_\_\_.  
(a) S (b) F  
(c) both S & F (d) None of these
27. let  $\odot$  be binary operation on  $Z$  defined by  
 $a \odot b = (a + b) + 3 \forall a, b \in Z$  then  $5 \odot 7 =$  \_\_\_\_\_.  
(a) 15 (b) 12 (c) 35 (d) 38
28. let  $\odot$  be a binary operation on  $Q^+$  Defined by  
 $a \odot b = (a + b) \times 3 \forall a, b \in Q^+$  then  $\frac{1}{2} \odot \frac{5}{4} =$  \_\_\_\_\_.  
(a) Zero (b)  $\frac{6}{5}$   
(c)  $\frac{15}{8}$  (d) None of these
29. On  $R$  define a binary operation by  $a \odot b = (a - b) \forall a, b \in R$  then  $7 \odot 9 =$  \_\_\_\_\_.  
(a) 2 (b)  $-2$   
(c)  $\pm 2$  (d) None of these
30. The binary operation  $\odot$  on  $R$  is defined by  $a \odot b = \max(a, b) \forall a, b \in R$  then  $3 \odot 3 =$  \_\_\_\_\_.  
(a) 4 (b) 5  
(c) 3 (d) None of these

31. Define a binary operation  $*$  in  $Q$  by  $a * b = 4ab \forall a, b \in Q$  then  $4 * 2 =$  \_\_\_\_\_  
 (a) 4 (b) 8 (c) 12 (d) 32
32. Define  $a * b = \frac{ab}{3} \forall a, b \in Q^+$  then  $7 * 6 =$  \_\_\_\_\_  
 (a) 42 (b) 14 (c) 21 (d) None of these
33. let a binary operation  $*$  be define on  $Z$  by  $a * b = a + b - ab$  then  $1 * 2 =$  \_\_\_\_\_  
 (a) 2 (b) 1 (c) -1 (d) -2
34. A set "S" can have atmost \_\_\_\_\_ identity element w.r to the given binary operation  $*$   
 (a) one (b) Two (c) three (d) four
35. Zero "O" is the identity element of  $Q$  w.r to \_\_\_\_\_  
 (a) Multiplication (b) Subtraction  
 (c) Addition (d) Division
36. Unity, "1" is the identity element of  $Q$  w.r to \_\_\_\_\_  
 (a) Multiplication (b) Subtraction  
 (c) Addition (d) Division
37. Which Set has no identity element w.r to "+".  
 (a) R (b) Q (c) W (d) N
38. Which Set has no identity element w.r to "•".  
 (a) Set of prime numbers (b) Set of even numbers  
 (c) Set of irrational numbers (d) None of these
39. let  $S = \{A, B, C, D\}$  where  $A = \{a\}$ ,  $B = \{a, b\}$ ,  $C = \{a, b, c\}$  and  $D = \phi$  then identity element w.r to "U".  
 (a) A (b) B (c) C (d) D
40. Define a binary operation  $*$  in  $Q$  by  $a * b = 4ab \forall a, b \in Q$  then identity element w.r to " $*$ " is \_\_\_\_\_  
 (a)  $\frac{1}{4}$  (b) 4  
 (c) -4 (d) None of these
41. In a group  $G$ , Inverse of each element of  $G$  atmost \_\_\_\_\_  
 (a) one (unique) (b) Two  
 (c) Three (d) None of these
42. Define a binary operation " $***$ " in  $Q$  by  $a * b = ab \forall a, b \in Q$  then inverse of  $a =$  \_\_\_\_\_ where  $\frac{1}{4}$  is the identity element.  
 (a)  $\frac{1}{16}$  (b)  $\frac{1}{16a}$   
 (c) 16 (d) Does not exist

43. let  $S = \{1, w, w^2\}$ ,  $I'$  is the identity element w.r.to " $\bullet$ " then inverse of  $w$  is \_\_\_\_\_  
 (a) 1 (b)  $w$   
 (c)  $w^2$  (d) None of these
44. let  $S = \{1, w, w^2\}$ ,  $I'$  is the identity element w.r to " $\bullet$ " then inverse of  $w^2$  is \_\_\_\_\_  
 (a) 1 (b)  $w$   
 (c)  $w^2$  (d) None of these
45. let  $S = \{1, w, w^2\}$ ,  $I'$  is the identity element w.r to " $\bullet$ " then inverse of "1" is \_\_\_\_\_  
 (a)  $w^3$  (b)  $w$   
 (c)  $w^2$  (d) None of these
46. Which of the following sets are group w.r to ordinary multiplication \_\_\_\_\_  
 (a)  $(Q, \bullet)$  (b)  $(R, -)$   
 (c)  $(M_3, \bullet)$  (d) None of these
47. An Ordered pair  $(G, *)$  of a non-empty Set  $G$  and a binary operation " $\bullet$ " is said to be group if \_\_\_\_\_  
 (a)  $*$  is associative  
 (b) identity element exist w.r to " $\bullet$ "  
 (c) inverse of each element exist  
 (d) All of these
48. If  $S = \{\Delta, \square\}$  and  $a * b = \Delta$  then multiplication table is \_\_\_\_\_  
 (a) 

$*$	$\Delta$	$\square$
$\Delta$	$\square$	$\square$
$\square$	$\square$	$\square$

 (b) 

$*$	$\Delta$	$\square$
$\Delta$	$\Delta$	$\square$
$\square$	$\square$	$\Delta$

  
 (c) 

$*$	$\Delta$	$\square$
$\Delta$	$\Delta$	$\Delta$
$\square$	$\Delta$	$\Delta$

 (d) None of these
49. A groupoid  $(S, *)$  is called Semi group if  $*$  is  
 (a) Commutative (b) Associative  
 (c) Not associative (d) None of these
50. A non-empty Set "S" together with one or more binary operations is called \_\_\_\_\_  
 (a) Group (b) Groupoid  
 (c) Algebraic Structure (d) None of these

51.  $(S, *)$  is an ordered pair consisting of a non-empty set  $S$  and a binary operation  $*$  defined on  $S$  then  $(S, *)$  is called \_\_\_\_\_.
- (a) Group (b) Groupoid  
(c) Abelian group (d) None of these
52. In all groups binary operation is \_\_\_\_\_.
- (a) Commutative (b) Associative  
(c) Distributive (d) None of these
53. In a group  $G$ , if every element of a group  $G$  is its own inverse then inverse of  $ab$  is \_\_\_\_\_.
- (a)  $ab$  (b)  $\frac{1}{ab}$   
(c)  $-ab$  (d) None of these
54. In a group  $G$  if  $a \times a = b$  then  $x =$  \_\_\_\_\_.
- (a)  $a^{-1} b a^{-1}$  (b)  $a^{-1} a^{-1} b$   
(c)  $b a^{-1} a^{-1}$  (d) None of these
55. In a group  $G$   $(ab)^{-1} =$  \_\_\_\_\_.
- (a)  $b^{-1} a^{-1}$  (b)  $a^{-1} b^{-1}$   
(c)  $(ba)^{-1}$  (d) None of these
56. In a group  $G$ ,  $(abc)^{-1} =$  \_\_\_\_\_.
- (a)  $a^{-1} b^{-1} c^{-1}$  (b)  $b^{-1} a^{-1} c^{-1}$   
(c)  $c^{-1} b^{-1} a^{-1}$  (d)  $c^{-1} a^{-1} b^{-1}$
57. In a group  $G$  if  $a * a = a$  then  $a =$  \_\_\_\_\_.
- (a) Zero (b) 1  
(c)  $e$  (identity) (d) None of these
58. \_\_\_\_\_ represents a binary operation.
- (a)  $\forall$  (b)  $+$  (c)  $*$  (d)  $\in$
59. Addition is not a binary operation on the Set of \_\_\_\_\_ numbers.
- (a) Even (b) Odd  
(c) Prime (d) None of these
60. A binary operation for addition is \_\_\_\_\_ if  $a + b = b + a$ .
- (a) Commutative (b) Transitive  
(c) Associative (d) Distributive
61. Vector addition of Coplaner vectors is \_\_\_\_\_.
- (a) Associative (b) Commutative  
(c) Distributive (d) Transitive
62. Matrix Addition is \_\_\_\_\_.
- (a) Distributive (b) Associative  
(c) Transitive (d) Non-Transitive

63. Division and \_\_\_\_\_ are not associative on  $Q^+$ .
- (a) Union (b) Intersection  
(c) Subtraction (d) Addition
64. Multiplication is a binary operation on  $\mathbb{Z} =$  \_\_\_\_\_.
- (a)  $\{2, -2\}$  (b)  $\{1, 2\}$  (c)  $\{1, -1\}$  (d)  $\{2, 3\}$
65. Matrix addition is a/an \_\_\_\_\_ binary operation.
- (a) Commutative (b) Associative  
(c) Distributive (d) Transitive
66. Ordinary addition is \_\_\_\_\_ operation on the set of integers.
- (a) Abelian (b) Composite (c) Cyclic (d) Binary
67. If  $S = \{1, -1, i, -i\}$  is a group with respect to \_\_\_\_\_.
- (a) Addition (b) Multiplication  
(c) Subtraction (d) Division
68. If  $\{0, 1\}$  is closed with respect to \_\_\_\_\_.
- (a) Addition (b) Subtraction  
(c) Multiplication (d) Division
69. If  $a, b \in S$  then  $a * b \in S$  thus  $S$  is called \_\_\_\_\_ w.r to
- (a) Closed (b) Non-Closed  
(c) Commutative (d) None of these
70. Let  $S$  be a set with a binary operation  $*$  having identity element  $e$ . An element  $b \in S$  is said to be \_\_\_\_\_ of  $a \in S$  w.r to  $*$  if  $a * b = b * a = e$
- (a) inverse element (b) identity element  
(c) element (d) None of them
71. A binary operation  $*$  on a set is said to be commutative if \_\_\_\_\_.
- (a)  $a * b = b * a$  (b)  $(a * b) * c = a * (b * c)$   
(c)  $a * b = b * a = e$  (d)  $a * e = e * a = a$
72. A binary operation  $*$  on a Set is said to be associative if \_\_\_\_\_.
- (a)  $a * b = b * a$  (b)  $(a * b) * c = a * (b * c)$   
(c)  $a * b = b * a = e$  (d)  $a * e = e * a = a$
73. Let  $s$  be a set with a binary operation  $*$  an element is said to be an identity element of  $S$  w.r to  $*$  if \_\_\_\_\_.
- (a)  $a * b = b * a$  (b)  $(a * b) * c = a * (b * c)$   
(c)  $a * b = b * a = e$  (d)  $a * e = e * a = a$

74. Let  $S$  be a Set with a binary operation  $*$  having an identity element  $e$ . An element  $b \in S$  is said to be an inverse of  $a \in S$  w.r to  $*$  if \_\_\_\_\_  
 (a)  $a * b = b * a$  (b)  $(a * b) * c = a * (b * c)$   
 (c)  $a * b = b * a = e$  (d)  $a * e = e * a = a$
75. Construct the multiplication table on  $S = \{1, -1, i, -i\}$  with respect to  $(\bullet)$ .
- (a) 

$\bullet$	1	-1	i	-i
1	1	-1	i	-i
-1	-1	1	-i	i
i	i	-i	-1	1
-i	-i	i	1	-1

 (b) 

$\bullet$	i	-1	i	-i
1	-i	i	-1	1
-1	i	-i	1	-1
i	1	-1	-i	i
-i	-i	1	i	-i
- (c) 

$\bullet$	1	-1	i	-i
1	-i	i	1	-i
-1	i	-i	-1	1
i	-1	1	-i	i
-i	1	-1	i	-i

 (d) None of these
76. Find an identity element in  $R$  w.r to  $*$  is defined by  $a * b = \sqrt{a^2 + b^2}$   
 (a) 1 (b) Zero (c)  $\frac{1}{2}$  (d)  $\frac{1}{4}$
77. Find an inverse of  $\frac{1}{12}$  w.r to  $*$  if  $a * b = 4ab$  and  $e = \frac{1}{4}$   
 (a)  $\frac{3}{4}$  (b)  $\frac{4}{3}$  (c) 12 (d)  $\frac{1}{6}$
78. A groupoid  $(S, *)$  then satisfies \_\_\_\_\_ operation.  
 (a) binary (b) Commutative binary  
 (c) Associative binary (d) None of these
79. Which is the groupoid \_\_\_\_\_  
 (a)  $(W, +)$  (b)  $(R, +)$  (d)  $(M_3, \bullet)$  (d)  $(V, \bullet)$
80. Which is the group \_\_\_\_\_  
 (a)  $(Z, +)$  (b)  $(W, \bullet)$  (c)  $(Q, \bullet)$  (d)  $(R, -)$
81. Find the value of  $(a^{-1})^{-1} =$  \_\_\_\_\_  
 (a)  $a^{-1}$  (b)  $a$  (c)  $a^2$  (d)  $a^3$
82. Is  $(Z, *)$  is a group when defined by  $a * b = 0$  for all  $a, b \in Z$   
 (a) yes (b) No  
 (c) Neither yes or No (d) None of these

83. The Null set is a group w.r to multiplication.  
 (a) yes (b) No  
 (c) Neither yes or No (d) None of these
84. The every element of a group there is one inverse element w.r to  $*$ .  
 (a) Correct (b) Uncorrect (c) yes (d) No
85. Find an identity element in  $(R - \{-1\})$  w.r to  $*$  is defined by  $a * b = a + b + ab$ .  
 (a) 1 (b) Zero (c)  $\frac{1}{2}$  (d) 2.
86. Find an identity of  $(Q^+, *)$  if  $*$  is defined by  $a * b = \frac{ab}{3}$   
 (a) Zero (b) 1 (c) 2 (d) 3
87. Find an identity of  $(R, *)$  if  $*$  is defined by  $a * b = 7ab$ .  
 (a) Zero (b) 1 (c) 7 (d)  $\frac{1}{7}$
88. Find an identity of  $(Z, *)$  if  $*$  is defined by  $a * b = a + b - a$   
 (a) Zero (b) 1 (c) 2 (d)  $\frac{1}{2}$
89. Set  $N$  is not groupoid w.r to  
 (a) Addition (b) Subtraction  
 (c) Multiplication (d) None of these
90. Set  $\{1, -1\}$  is groupoid w.r to  
 (a) Addition (b) Subtraction  
 (c) Multiplication (d) Union
91. Set of whole integers is not groupoid w.r to \_\_\_\_\_  
 (a) Addition (b) Multiplication  
 (c) Subtraction (d) None of these
92. If a groupoid has Associative property then it is called \_\_\_\_\_  
 (a) group (b) Semi group  
 (c) Monoide (d) Abelian group
93. Power Set of any Set together with binary operation.  
 (a) Semi-group (b) Non-abelian  
 (c) Non-Commutative (d) None of these
94. A Semi-group having an identity is called \_\_\_\_\_  
 (a) Semi-group (b) groupoid  
 (c) Monoide (d) group
95. Identity in a power Set of any Set is \_\_\_\_\_  
 (a)  $\phi$  (b) Singleton Set  
 (c) Set itself (d) None of these

96. The Set of Natural numbers (N) has no identity element w.r to \_\_\_\_\_  
 (a) Subtraction (b) Addition  
 (c) Multiplication (d) Division
97. Set of prime numbers has no identity element w.r to \_\_\_\_\_  
 (a) Subtraction (b) Addition  
 (c) Multiplication (d) Division
98. A Semi-group is also called \_\_\_\_\_ groupoid.  
 (a) Commutative (b) Associative  
 (c) Non-Commutative (d) None of these
99. Set  $\{1, -1\}$  is groupoid w.r to \_\_\_\_\_.  
 (a) Multiplication (b) Addition  
 (c) Subtraction (d) Division
100. Which is the identity element of R with respect to ordinary addition?  
 (a) 0 (b) 1  
 (c) -1 (d) None of these
101. Which is the identity element of R with respect to ordinary Subtraction?  
 (a) 0 (b) 1  
 (c) -1 (d) None of these
102. Which is the identity element of R w.r to ordinary multiplication?  
 (a) 0 (b) 1  
 (c) -1 (d) None of these
103. Which is the identity element of R with respect to Ordinary division?  
 (a) 0 (b) 1  
 (c) -1 (d) None of these
104. If every element of group G is it's own inverse then G is \_\_\_\_\_.  
 (a) Abelian group (b) Semi group  
 (c) Groupoid (d) None of these
105. Identity of a binary operation is \_\_\_\_\_.  
 (a) Unique (b) Different  
 (c) Two (d) None of these
106. A Group  $(G, *)$  is said to be an abelian group if " $*$ " is ?  
 (a)  $g * h = h * g$  (b)  $gh = hg$   
 (c)  $g^2 = h^2$  (d)  $g + h = h + g$

107. A group  $(G, *)$  is said to be \_\_\_\_\_ if G consists of a finite number of elements.  
 (a) Groupoid (b) finite group  
 (c) Semi-group (d) Infinite group
108. A non-empty Set S which is Closed with a binary operation " $*$ " is called group if.  
 (a) The binary operation is associative  
 (b) There exists identity element with respect to the binary operation  
 (c) There exists a Unique inverse of each element of S with respect to the binary operation  
 (d) All (a), (b) and (c)
109. If Set S is a group w.r to addition then each element of S has \_\_\_\_\_ inverse.  
 (a) Unique (b) Two  
 (c) Three (d) None of these
110. If Set S is a group w.r to addition then the number of identity elements in S is  
 (a) Unique (b) Two  
 (c) Three (d) None of these
111. The Set  $(\mathbb{R} - \{0\})$  of real numbers is closed w.r to  
 (a) Addition (b) Multiplication  
 (c) Division (d) None of these
112.  $(\mathbb{R}, -)$  is a \_\_\_\_\_.  
 (a) group (b) Semi group  
 (c) groupoid (d) None of these
113. Semi-group  $(M_3, +)$  is also a \_\_\_\_\_.  
 (a) Monoide (b) Infinite group  
 (c) group (d) None of these
114.  $(\mathbb{N}, +)$  is not a \_\_\_\_\_.  
 (a) groupoid (b) Semi group  
 (c) Monoid (d) group
115.  $(\mathbb{N}, x)$  is not a \_\_\_\_\_.  
 (a) group (b) Semi group  
 (c) Monoide (d) groupoid
116.  $(\mathbb{R}, +)$  is a \_\_\_\_\_.  
 (a) group (b) Monoid  
 (c) abelian group (d) None of these

117.  $(\mathbb{R}^+, \bullet)$  is a \_\_\_\_\_.  
 (a) Monoid (b) group  
 (c) groupoid (d) None of these
118.  $(\mathbb{C}, +)$  is a \_\_\_\_\_.  
 (a) Monoid (b) group  
 (c) groupoid (d) None of these
119.  $(\mathbb{C}^+, \bullet)$  is a \_\_\_\_\_.  
 (a) Monoid (b) groupoid  
 (c) group (d) None of these
120.  $(\mathbb{Z}^+, +)$  is a Semi group but not a \_\_\_\_\_.  
 (a) Monoid (b) Abelian group  
 (c) group (d) None of these
121.  $(\mathbb{Z}, \bullet)$  is not a \_\_\_\_\_.  
 (a) groupoid (b) Monoid  
 (c) Semi group (d) None of these
122.  $(\mathbb{Z}^+, -)$  is not a \_\_\_\_\_.  
 (a) Monoid (b) groupoid  
 (c) Semi group (d) None of these
123.  $(V_3, \bullet)$  is not a \_\_\_\_\_.  
 (a) Monoid (b) groupoid  
 (c) Semi group (d) None of these

### Answers

1.	c	2.	c	3.	b	4.	a	5.	d
6.	c	7.	d	8.	a	9.	a	10.	d
11.	a	12.	c	13.	d	14.	d	15.	c
16.	c	17.	a	18.	d	19.	d	20.	b
21.	c	22.	a	23.	d	24.	d	25.	c
26.	b	27.	a	28.	b	29.	a	30.	c
31.	d	32.	b	33.	b	34.	a	35.	c
36.	a	37.	d	38.	a	39.	d	40.	a
41.	a	42.	d	43.	c	44.	b	45.	a
46.	d	47.	d	48.	b	49.	b	50.	c
51.	b	52.	b	53.	a	54.	a	55.	a
56.	c	57.	c	58.	c	59.	b	60.	a
61.	a	62.	b	63.	c	64.	c	65.	a
66.	d	67.	b	68.	c	69.	a	70.	a

71.	$a$	72.	$b$	73.	$d$	74.	$c$	75.	$a$
76.	$b$	77.	$a$	78.	$a$	79.	$c$	80.	$a$
81.	$b$	82.	$b$	83.	$a$	84.	$a$	85.	$b$
86.	$d$	87.	$d$	88.	$a$	89.	$b$	90.	$c$
91.	$c$	92.	$b$	93.	$a$	94.	$c$	95.	$a$
96.	$b$	97.	$c$	98.	$b$	99.	$a$	100.	$a$
101.	$d$	102.	$b$	103.	$d$	104.	$a$	105.	$a$
106.	$a$	107.	$b$	108.	$d$	109.	$a$	110.	$a$
111.	$a$	112.	$c$	113.	$c$	114.	$d$	115.	$a$
116.	$a$	117.	$b$	118.	$b$	119.	$c$	120.	$a$
121.	$a$	122.	$b$	123.	$b$				