

# **MULTIPLE CHOICE QUESTIONS (MCQ'S)**

- An ordered Set of numbers formed according to definite rule is called a \_\_\_\_\_.  
(a) Universal Set (b) Sequence  
(c) Group (d) Groupoid
- Sequence is also called \_\_\_\_\_.  
(a) progression (b) Power Set  
(c) Universal Set (d) Matrix
- The individual members of a sequence are known as \_\_\_\_\_.  
(a) Vector (b) Component (c) Terms (d) Matrix
- If the Sequence has unlimited number of terms then it is called \_\_\_\_\_ sequence.  
(a) Finite (b) Limited (c) Definite (d) Infinite
- The  $n$ th term is represented by \_\_\_\_\_.  
(a)  $T_n$  (b)  $T_2$  (c)  $T_{n-1}$  (d)  $T_{n+1}$
- In Sequence 3, 7, 11 ..... the  $n$ th term will be \_\_\_\_\_.  
(a)  $2n-1$  (b)  $4n-1$  (c)  $4n+1$  (d)  $1-4n$
- In Sequence 2, 4, 8, ..... the  $n$ th term  $T_n$  will be \_\_\_\_\_.  
(a)  $2^{n+1}$  (b)  $2^{n-1}$  (c)  $2^n$  (d)  $\frac{2}{n}$
- In sequence 3, 6, 9, ..... the  $n$ th term  $T_n$  will be \_\_\_\_\_.  
(a)  $3^n$  (b)  $3+n$  (c)  $\frac{3}{n}$  (d)  $3n$
- $\Sigma$  represents the \_\_\_\_\_ of Series.  
(a) product (b) Difference (c) Sum (d) Union
- A Sequence in which each term is formed by adding fixed number to one proceeding is called \_\_\_\_\_ Sequence.  
(a) Geometric (b) Harmonic  
(c) permutation (d) Arithmetic
- The formula for  $n$ th term i-e  $T_n$  of arithmetic Sequence is \_\_\_\_\_.  
(a)  $a - (n-1)d$  (b)  $a + (n+1)d$   
(c)  $a + (n-1)d$  (d)  $a + (1-n)d$
- The formula for the sum of the terms of Arithmetic Sequence is \_\_\_\_\_.  
(a)  $S_n = \frac{n}{2} \{ 2a + (n-1)d \}$  (b)  $S_n = \frac{n}{2} \{ 2a + (n+1)d \}$   
(c)  $S_n = \frac{n}{2} \{ 2a - (n-1)d \}$  (d)  $S_n = \frac{n}{2} \{ 2a - (n+1)d \}$

## **Chapter 6 # Sequence and Series**

- The formula for the sum of the terms of the Arithmetic Sequence in terms of first and last terms are given \_\_\_\_\_.  
(a)  $S_n = \frac{n}{2} (a - \ell)$  (b)  $S_n = \frac{n}{2} (a + \ell)$   
(c)  $S_n = 2n (a + \ell)$  (d)  $S_n = 2n (a - \ell)$
- When three terms are in A.P then the middle term is called \_\_\_\_\_.  
(a) Median (b) Mode  
(c) Geometric Mean (d) Arithmetic Mean
- If A is A.M between the numbers a and b then  $A =$  \_\_\_\_\_.  
(a)  $\frac{a+b}{2}$  (b)  $\frac{a-b}{2}$  (c)  $2(a+b)$  (d)  $2(a-b)$
- If  $A_1, A_2, A_3, \dots, A_n$  be the "n" Arithmetic mean between two given numbers a and b then  $d =$  \_\_\_\_\_.  
(a)  $\frac{a-b}{n+1}$  (b)  $\frac{b-a}{n+1}$  (c)  $\frac{a+b}{n+1}$  (d)  $\frac{n+1}{b-a}$
- If three terms are in A.P then they are denoted by \_\_\_\_\_.  
(a) a, a-d, a+d (b) d-a, a, a-d  
(c) a-d, a, a+d (d) a+d, a, a+2d
- If Five numbers are in A.P they are usually denoted by \_\_\_\_\_.  
(a) a+2d, a+3d, a, a+2d, a-d  
(b) a-2d, a+d, a+3d, a+5d  
(c) a+d, a-d, a+2d, a-2d  
(d) a-2d, a-d, a, a+d, a+2d
- A.M of (a+b) and (a-b) is \_\_\_\_\_.  
(a) b (b) a (c) 2a (d) 2b
- a, ar, ar<sup>2</sup>, ar<sup>3</sup>, ..... ar<sup>n-1</sup> represents \_\_\_\_\_.  
(a) Arithmetic sequence (b) Harmonic Sequence  
(c) Arithmetic series (d) Geometric Sequence
- $T_n$  i-e nth term of a G.P is \_\_\_\_\_.  
(a) ar<sup>n</sup> (b) ar<sup>n-1</sup> (c) ar<sup>n+1</sup> (d) ar<sup>2n</sup>
- In case of G.P common ratio is obtained by \_\_\_\_\_ any term by pervious term.  
(a) Dividing (b) Adding  
(c) Subtracting (d) Multiplying
- The formula for the sum of n terms of a geometric Series when  $r < 1$  is given by \_\_\_\_\_.  
(a)  $S_n = \frac{a(1+r^n)}{1-r}$  (b)  $S_n = \frac{a(1-r^n)}{1-r}$   
(c)  $S_n = \frac{a(1-r^{2n})}{1+r}$  (d)  $S_n = \frac{a(1-r^n)}{1+r}$

24. The formula for the Sum of  $n$  terms of geometric Series when  $r > 1$  is given by \_\_\_\_\_
- (a)  $S_n = \frac{a(r^n + 1)}{1 - r}$  (b)  $S_n = \frac{a(1 - r^n)}{1 + r}$   
 (c)  $S_n = \frac{a(r^n - 1)}{r - 1}$  (d)  $S_n = \frac{a(r^n + 1)}{1 - r}$
25. If  $a, G, b$  are in G.P then  $G$  is called \_\_\_\_\_  
 (a) Average (b) Common Ratio  
 (c) Geometric Mean (d) Common difference
26. If  $G$  is Geometric mean between  $a$  and  $b$  then  $G =$  \_\_\_\_\_  
 (a)  $(ab)^2$  (b)  $\pm \sqrt{\frac{a}{b}}$  (c)  $\pm \sqrt{\frac{b}{a}}$  (d)  $\pm \sqrt{ab}$
27. If  $G_1, G_2, G_3, \dots, G_n$  are  $n$  geometric means between  $a$  and  $b$  then  $a, G_1, G_2, G_3, \dots, G_n, b$  is a G.P and Common ratio  $r =$  \_\_\_\_\_  
 (a)  $\left(\frac{b}{a}\right)^{\frac{1}{n+1}}$  (b)  $(ab)^{n+1}$  (c)  $\left(\frac{a}{b}\right)^{\frac{1}{n+1}}$  (d)  $\left(\frac{b}{a}\right)^{\frac{1}{n-1}}$
28. Geometric mean between 15 and 60 is \_\_\_\_\_  
 (a) 4 (b)  $\pm 30$  (c) 900 (d) 14
29. If three numbers are in G.P then they are generally written as \_\_\_\_\_  
 (a)  $ar, a, ar^2$  (b)  $ar^2, \frac{a}{r}, ar$  (c)  $\frac{a}{r}, a, ar$  (d)  $a, \frac{a}{r}, ar^2$
30. G.M between  $\sqrt{2}$  and  $\frac{1}{\sqrt{2}}$  is \_\_\_\_\_  
 (a)  $\pm 2$  (b)  $\pm \sqrt{2}$  (c)  $\pm 1$  (d)  $\pm \frac{1}{\sqrt{2}}$
31. The formula for the Sum of the infinite Geometric Series is \_\_\_\_\_ when  $|r| < 1$ .  
 (a)  $S_n = \frac{a}{1 - r}$  (b)  $S_n = a(1 - r)$   
 (c)  $S_n = \frac{1 - r}{a}$  (d)  $S_n = \frac{a}{1 + r}$
32. Sum of the infinite geometric Series  $\frac{1}{5} + \frac{1}{15} + \frac{1}{45} + \dots$  is \_\_\_\_\_  
 (a)  $\frac{10}{3}$  (b)  $\frac{3}{10}$  (c) 13 (d) 7

33. A Sequence is said to be a \_\_\_\_\_ sequence if the reciprocals of it's term are in Arithmetic progression.  
 (a) Geometric (b) Arithmetic  
 (c) Converging (d) Harmonic
34. If  $a$  and  $b$  are the first and second terms of an A.P then it's  $n$ th term i.e.  $T_n$  will be \_\_\_\_\_  
 (a)  $T_n = \frac{ab}{b - (n - 1)(a + b)}$  (b)  $T_n = \frac{ab}{b + (n - 1)(a - b)}$   
 (c)  $T_n = \frac{ab}{b + (n + 1)(a - b)}$  (d)  $T_n = \frac{ab}{b + (n - 1)(a + b)}$
35. If  $x$  is the  $p$ th,  $y$  is the  $q$ th and  $z$  is the  $r$ th term of an A.P  
 then  $\begin{vmatrix} \frac{1}{x} & \frac{1}{y} & \frac{1}{z} \\ p & q & r \\ 1 & 1 & 1 \end{vmatrix} =$  \_\_\_\_\_  
 (a) 1 (b)  $\frac{x}{q}$  (c)  $\frac{p}{x}$  (d) 0
36. If  $H$  is the Harmonic Mean between  $a$  and  $b$  then  $H =$  \_\_\_\_\_  
 (a)  $\frac{ab}{2(a + b)}$  (b)  $\frac{2ab}{a + b}$  (c)  $\frac{2ab}{a - b}$  (d)  $\frac{ab}{2(a - b)}$
37. The Harmonic mean of  $\frac{1}{3}$  and  $\frac{2}{5}$  is \_\_\_\_\_  
 (a)  $\frac{11}{4}$  (b) 7 (c)  $\frac{4}{11}$  (d)  $\frac{7}{11}$
38. The relation between  $A$  (Arithmetic mean),  $G$  (geometric mean) and  $H$  (Harmonic Mean) is given by  
 (a)  $\frac{G}{A} = \frac{G}{H}$  (b)  $AG = \frac{G}{H}$  (c)  $\frac{A}{G} = \frac{G}{H}$  (d)  $GH = \frac{A}{G}$
39. A Series given by  $a + (a + d)r + (a + 2d)r^2 + \dots$  is Known as \_\_\_\_\_  
 (a) Arithmetic Series (b) Geometric Series  
 (c) Harmonic Series (d) Arithmetico-geometric Series
40. A Series obtained by multiplying the corresponding terms of an A.P and a G.P is called \_\_\_\_\_ Series.  
 (a) Arithmetico-Geometric (b) Harmonic  
 (c) Geometric (d) Arithmetic
41. If 3,  $G$ , 27 are in G.P what is the value of  $G^2$ ?  
 (a)  $\pm 81$  (b)  $\pm 30$  (c)  $\pm 9$  (d) 9

42. The Sum of the A.P 1, 5, 9, 13, ..... to 40 terms is \_\_\_\_\_  
 (a) 3160 (b) 8000 (c) -630 (d) 150
43. The Sum of the infinite Series  $1 + \frac{2}{3} + \frac{4}{9} + \dots$  is \_\_\_\_\_  
 (a) 5 (b) -20 (c) 3 (d)  $\frac{2}{5}$
44.  $a, a + d, a + 2d, a + 3d, \dots, a + (n - 1)d$  is known as the Standard form of an \_\_\_\_\_.  
 (a) G.P (b) H.P (c) A.G (d) A.P
45. A function  $f : N \rightarrow R$  or  $C$  is called a \_\_\_\_\_.  
 (a) Series (b) Number  
 (c) Fundamental (d) Sequence
46. What term of the following A.P is 125? 5, 10, 15, 20, 25, .....  
 (a) 30 (b) 25 (c) 40 (d) 50
47. Domain of Sequence is the Subset of the Set of \_\_\_\_\_.  
 (a) Natural Numbers (b) Odd Numbers  
 (c) Even Numbers (d) Prime Numbers
48. If all members of a Sequence are real, then Sequence is called \_\_\_\_\_.  
 (a) function (b) Real Series  
 (c) Real Sequence (d) Real fundamental
49. If  $T_n = 2n - 3$ , 1<sup>st</sup> four terms of  $\{T_n\}$  are \_\_\_\_\_.  
 (a) -3, -1, 1, 3 (b) -1, 1, 3, 5  
 (c) -1, 1, 3, 6 (d) -3, -1, 1, 5
50. If  $T_n = \frac{1}{a + (n - 1)d}$  then 1<sup>st</sup> three terms  $\{T_n\}$  are \_\_\_\_\_.  
 (a)  $1, \frac{1}{a}, \frac{1}{a + d}$  (b)  $\frac{1}{a}, \frac{1}{a + d}, \frac{1}{a + 2d}$   
 (c)  $\frac{1}{a}, \frac{1}{a + 2d}, \frac{1}{a + 4d}$  (d)  $\frac{1}{a}, \frac{1}{a}, \frac{1}{a + d}$
51. The difference of two consecutive terms of an A.P is called \_\_\_\_\_.  
 (a) Common Subtraction (b) Common Addition  
 (c) Common difference (d) Common ratio
52. The Sum of the first  $n$  natural numbers is \_\_\_\_\_.  
 (a)  $\frac{n(n - 1)}{2}$  (b)  $\frac{n + 1}{2}$  (c)  $\frac{n^2}{2}$  (d)  $\frac{n(n + 1)}{2}$

53. The Sum of the first  $n$  even natural numbers is \_\_\_\_\_.  
 (a)  $\frac{n(n - 1)}{2}$  (b)  $n(n + 1)$  (c)  $\frac{n}{2}$  (d)  $\frac{n(n + 1)}{2}$
54. The Sum of the first  $n$  odd natural numbers is \_\_\_\_\_.  
 (a)  $n(n + 1)$  (b)  $n^2$  (c)  $\frac{n}{2}$  (d)  $\frac{n(n + 1)}{2}$
55. By relation b/w A.P, G.P and H.P,  $A \times H =$  \_\_\_\_\_.  
 (a)  $A^2$  (b)  $G^2$  (c)  $H^2$  (d)  $HG$
56.  $H_1, H_2, H_3, \dots, H_n$  are called  $n$  Harmonic mean between  $a$  and  $b$  then  $\frac{1}{a}, \frac{1}{H_1}, \frac{1}{H_2}, \dots, \frac{1}{H_n}, \frac{1}{b}$  are in \_\_\_\_\_.  
 (a) A.P (b) G.P (c) H.P (d) A.G
57. If  $a, b, c$  are in A.P then  $\frac{1}{a}, \frac{1}{b}, \frac{1}{c}$  are in \_\_\_\_\_.  
 (a) A.P (b) G.P (c) A.G (d) H.P
58. If  $a, b, c$  are in H.P then  $\frac{1}{a}, \frac{1}{b}, \frac{1}{c}$  are in \_\_\_\_\_.  
 (a) A.P (b) H.P (c) G.P (d) A.G
59. If  $a, b, c$  are in G.P then  $b^2 =$  \_\_\_\_\_.  
 (a)  $a^2$  (b)  $c^2$  (c)  $ac$  (d)  $ab$
60. If  $\frac{G}{a} = \frac{b}{G}$  then  $G =$  \_\_\_\_\_.  
 (a)  $\pm ab$  (b)  $\pm \sqrt{ab}$  (c)  $\pm (ab)^{\frac{1}{3}}$  (d)  $\pm (ab)^{\frac{1}{n}}$
61. No term of geometric Sequence can be \_\_\_\_\_.  
 (a) 0 (b) 1 (c) -1 (d)  $\infty$
62. Each term after the first term is an  $r$  multiple of it's \_\_\_\_\_ term.  
 (a) Successive (b) preceding (c) last (d) Middle
63. The Common ratio  $r = \frac{a_n}{a_{n-1}}$  is defined only if \_\_\_\_\_.  
 (a)  $a_{n-1} = 0$  (b)  $a_{n-1} \geq 0$  (c)  $a_{n-1} \leq 0$  (d)  $a_{n-1} \neq 0$
64. For sequence  $\{a_n\}$  the quotient  $\frac{a_n}{a_{n-1}}$  is called \_\_\_\_\_.  
 (a) Common difference (b) Common Ratio  
 (c) G.M (d) H.M
65. If  $r$  is common ratio of G.P  $\{a_n\}$  and  $a_3 = a_1 r^2$  then it's preceding term equal to \_\_\_\_\_.  
 (a)  $a_4 = a_1 r^3$  (b)  $a_1 = a_2$  (c)  $a_2 = a_1 r$  (d)  $a_n = a_1 r^{n-1}$

66. If A, G, and H are respectively the arithmetic, the positive geometric and the Harmonic mean between any two real positive and Unequal numbers a and b then \_\_\_\_\_  
 (a)  $A > G > H$  (b)  $A < G < H$  (c)  $A > G < H$  (d)  $A = G = H$
67. In given H.P.  $a, H_1, H_2, \dots, H_n, b$ . How many terms are \_\_\_\_\_  
 (a)  $n + 1$  (b)  $n + 2$  (c)  $n - 1$  (d)  $n$
68. Find the 20<sup>th</sup> term of an H.P. of which the first two terms are  $\frac{2}{39}$  and  $\frac{2}{37}$ .  
 (a) -2 (b) 1 (c) 0 (d) 2
69. Find the first term of a G.P. whose second term is 2 and the sum to infinity is 8.  
 (a) -8 (b) 4 (c) -4 (d) 2
70. How Many terms of the geometric Series  $1 + 4 + 16 + \dots$  must be taken to have their sum equal to 341.  
 (a) -5 (b) 0 (c) 4 (d) 5
71. Find the sum of the first 7 terms of the G.P.  
 $-4, 12, -36, \dots$   
 (a) -2187 (b) 2188 (c) 3000 (d) 2160
72. The Sum of the terms of a geometric Sequence is called a \_\_\_\_\_ series.  
 (a) Arithmetic (b) Harmonic  
 (c) Arithmetico geometric (d) Geometric
73. Which terms of the G.P.  $\frac{1}{8}, \frac{1}{4}, \frac{1}{2}, 1, 2, 4, \dots, 32$ ?  
 (a) 8 (b) -9 (c) 0 (d) 9
74. The elements in the range of Sequence  $\{a_n\}$  are called it's \_\_\_\_\_  
 (a) Subsets (b) Terms  
 (c) power (d) None of these
75. A Sequence may be \_\_\_\_\_ according as the number of it's terms is \_\_\_\_\_.  
 (a) finite (b) Infinite  
 (c) 0 (d) None of these
76. A geometric Sequence cannot have \_\_\_\_\_ as common ratio.  
 (a) -1 (b) 0 (c) 1 (d) 2
77. The sum of an infinite geometric Series exists only if the common ratio "r" lies between \_\_\_\_\_.  
 (a) 0 and 1 (b) -1 and 0  
 (c) -1 and 1 (d) None of these

78. No. formula has been obtained for finding the sum of "n" terms of \_\_\_\_\_.  
 (a) A.P (b) H.P  
 (c) G.P (d) None of these
79. An H.P cannot contain a \_\_\_\_\_ term.  
 (a) Zero (b) 1  
 (c)  $\infty$  (d) None of these
80. \_\_\_\_\_ are used to represent ordered lists of numbers.  
 (a) Sequence (b) Matrix  
 (c) permutation (d) None of these
81. The \_\_\_\_\_ derive it's name from the fact that musical string.  
 (a) A.P (b) H.P (c) G.P (d) A.G.P
82. Every recurring decimal number is a \_\_\_\_\_ number.  
 (a) Odd (b) Even (c) Prime (d) Whole
83.  $1 + 1 + 1 + \dots$  to n terms then  $S_n =$  \_\_\_\_\_.  
 (a) n (b)  $n^2$  (c)  $n + 1$  (d)  $n + 2$
84. The reciprocal of the terms of geometric sequence forms an other \_\_\_\_\_.  
 (a) A.P (b) G.P (c) H.P (d) A.G.P.
85.  $\frac{(n+1)ab}{a+nb}, \frac{(n+1)ab}{2a+(n-1)b}, \dots, \frac{(n+1)ab}{na+b}$  are the n \_\_\_\_\_ b/w two numbers a and b.  
 (a) H.M's (b) A.M's (c) G.Ms (d) A.G.M's
86.  $1 - 1 + 1 - 1 + \dots$  2n times = \_\_\_\_\_.  
 (a) 0 (b)  $a_1$   
 (c)  $\frac{a_1 - (-1)^n a_1}{2}$  (d)  $\infty$
87. If  $a + b, b + c, c + d$  are in G.P then  $(a + b)(c + d) =$  \_\_\_\_\_.  
 (a)  $(a + b)^2$  (b)  $(b + c)^2$   
 (c)  $(c + d)^2$  (d)  $(a + b)(a + c)$
88. The geometric mean between  $-2i$  and  $8i$  are \_\_\_\_\_.  
 (a)  $\pm 4$  (b)  $\pm 3$  (c)  $\pm 2$  (d)  $\pm 1$
89. Harmonic mean between 3 and 7 is \_\_\_\_\_.  
 (a)  $\frac{5}{21}$  (b)  $\frac{21}{5}$  (c) 15 (d)  $\sqrt{21}$
90. The A.M between  $1 - x + x^2$  and  $1 + x + x^2$  is \_\_\_\_\_.  
 (a)  $2 - x^2$  (b)  $2 + x^2$  (c)  $1 - x^2$  (d)  $1 + x^2$
91. The A.M between  $3\sqrt{5}$  and  $5\sqrt{5}$  is \_\_\_\_\_.  
 (a)  $\sqrt{5}$  (b)  $2\sqrt{5}$  (c)  $3\sqrt{5}$  (d)  $4\sqrt{5}$

92. The fifth term of the Sequence  $T_n = 2n + 3$  is \_\_\_\_\_  
 (a) -13 (b) 13 (c) -7 (d) 7
93. For geometric Sequence.  
 $2^{\frac{1}{2}} \cdot 4^{\frac{1}{8}} \cdot 8^{\frac{1}{24}} \cdot 16^{\frac{1}{64}} \cdot \dots =$  \_\_\_\_\_  
 (a) 0 (b) 1 (c) 2 (d) 4
94. If the Sum of  $P$  terms of an A.P is  $q$  and the sum of  $q$  terms is  $P$ . Find the sum of  $(P + q)$  terms = \_\_\_\_\_  
 (a)  $pq$  (b)  $p + q$  (c)  $-pq$  (d)  $-(p + q)$
95. If four numbers are in A.P they are usually denoted by \_\_\_\_\_  
 (a)  $a - 3d, a - d, a + d, a + 3d$  (b)  $a + 2d, a + 3d, a, a - d$   
 (c)  $a - 2d, a + d, a + 3d, a + 5d$   
 (d)  $a - 2d, a - d, a, a + d$
96. If  $\frac{a^{n+1} + b^{n+1}}{a^n + b^n}$  may become the A.M between  $a$  and  $b$  then the value of  $n =$  \_\_\_\_\_  
 (a) 1 (b) 0 (c) 2 (d) -1
97. If  $\frac{a^{n+1} + b^{n+1}}{a^n + b^n}$  may become the G.M between  $a$  and  $b$  then the value of  $n =$  \_\_\_\_\_  
 (a) 0 (b)  $-\frac{1}{2}$  (c) -1 (d) 1
98. If  $\frac{a^{n+1} + b^{n+1}}{a^n + b^n}$  may become the H.M between  $a$  and  $b$  then the value of  $n =$  \_\_\_\_\_  
 (a) 0 (b)  $-\frac{1}{2}$  (c) -1 (d) 1
99. If the  $p$ th term of an H.P is  $q$  the  $q$ th term is  $p$  then the value of  $(p + q)$ th term is \_\_\_\_\_  
 (a)  $\frac{pq}{(p + q)}$  (b)  $\frac{-pq}{(p + q)}$  (c)  $\frac{p + q}{pq}$  (d) 0
100. Only convergent infinite G.P's have a \_\_\_\_\_  
 (a) Sum (b) Difference  
 (c) Multiplication (d) None of these
101.  $a, G_1, G_2, G_3, \dots, G_n, b$  are \_\_\_\_\_ numbers in G.P then  $G_1, G_2, G_3, \dots, G_n$  are termed as  $n$  G.M's between  $a$  and  $b$ .  
 (a)  $n + 1$  (b)  $n + 2$  (c)  $n - 1$  (d)  $n - 2$

102. In a geometric Sequence  $a, G_1, G_2, G_3, \dots, G_n, b$ ;  $b$  as its \_\_\_\_\_ term.  
 (a)  $(n + 1)$ th (b)  $(n - 1)$ th (c)  $(n + 2)$ th (d)  $(n - 2)$ th
103. If  $a, b, c$  are three consecutive terms of an H.P then  $\frac{a}{c} =$  \_\_\_\_\_  
 $\frac{a - b}{b - c}$  is known as \_\_\_\_\_ relation for the H.P.  
 (a) Characteristic (b) Empirical  
 (c) Proportional (d) None of these
104. If  $A > G > H$  i.e.  $A, G, H$  are in \_\_\_\_\_ order of magnitude.  
 (a) Ascending (b) Descending  
 (c) Alternating (d) None of these
105. Recurring decimals are also known as \_\_\_\_\_ decimals.  
 (a) parametric (b) periodic  
 (c) functional (d) None of these
106. In evaluation of recurring decimals application of Series is used.  
 (a) Infinite geometric (b) finite geometric  
 (c) finite sequence (d) None of these
107. If  $A, G, H$  are the arithmetic, geometric and harmonic means \_\_\_\_\_ between  $a$  and  $b$  respectively then  $A, G, H$  are in \_\_\_\_\_.  
 (a) G.P (b) A.P (c) H.P (d) A.G.P
108. The Series Obtained by adding the terms of an harmonic sequence is called \_\_\_\_\_ Series.  
 (a) Arithmetic (b) Geometric  
 (c) Arithmetico & geometric (d) Harmonic
109.  $H_1, H_2, \dots, H_n$  are said to be  $n$  harmonic means between  $a$  and  $b$  if  $a, H_1, H_2, \dots, H_n, b$  form  
 (a) H.P (b) A.P (c) G.P (d) A.G.P
110. A number  $H$  is said to be the harmonic mean between two numbers  $a$  and  $b$  if  $a, H, b$  form.  
 (a) A.P (b) H.P (c) G.P (d) A.G.P
111. If  $a$  and  $d$  are the first term and the common difference of the A.P respectively, then the  $n$ th term of the corresponding H.P is  
 (a)  $T_n = a + (n - 1)d$  (b)  $T_n = \frac{1}{a + (n - 1)d}$   
 (c)  $T_n = \frac{a}{1 + (n - 1)d}$  (d)  $T_n = \frac{a}{a + (n - 1)d}$

112. A number  $G$  is said to be the geometric mean between two numbers  $a$  and  $b$  if  $a, G, b$  is \_\_\_\_\_  
 (a) a Sequence (b) not a Sequence  
 (c) G.P (d) A.P
113. If  $a = 3, r = 2$  then the  $n$ th term of the G.P is \_\_\_\_\_  
 (a)  $2 \cdot 3^{n-1}$  (b)  $3 \cdot 2^n$  (c)  $3 \cdot 2^{n+1}$  (d)  $3 \cdot 2^{n-1}$
114. If  $a$  and  $r$  are the first term and the common ratio respectively then the  $(n+1)$ th term of the G.P is \_\_\_\_\_  
 (a)  $ar^n$  (b)  $ar^{n+1}$  (c)  $ar^{n-1}$  (d) 0
115. A Sequence in which any term divided by its immediate previous term gives a constant is called the \_\_\_\_\_ sequence.  
 (a) geometric (b) Arithmetic (c) real (d) Complex
116. A number  $A$  is said to be the arithmetic mean between two numbers  $a$  and  $b$  if  $a, A, b$  is \_\_\_\_\_  
 (a) G.P (b) H.P (c) A.G.P (d) A.P
117. If  $a, b, c$  are in H.P then the relation  $\frac{a}{c} = \frac{a-b}{b-c}$  is known as the characteristic relation for the \_\_\_\_\_.  
 (a) A.P (b) G.P (c) H.P (d) A.G.P
118.  $2.\dot{5}$   
 (a)  $\frac{15}{7}$  (b)  $\frac{7}{15}$  (c)  $2\frac{5}{9}$  (d)  $\frac{9}{23}$
119.  $0.97777$  .....  
 (a)  $0.\dot{9}7$  (b)  $0.\ddot{9}7$   
 (c)  $0.\dot{9}7$  (d) None of these
120.  $2 + 0.5555$  ..... = \_\_\_\_\_  
 (a)  $2.0\dot{5}$  (b)  $2.\dot{5}\dot{5}$  (c)  $2.\dot{5}$  (d)  $2 + \dot{5}\dot{5}$
121.  $0.34\dot{8}$  = \_\_\_\_\_  
 (a)  $0.0348 + 0.0348 + \dots$   
 (b)  $0.0048 + 0.000048 + \dots$   
 (c)  $0.3484848$  ..... (d) None of these
122. Which rational number can be represented as a recurring decimal \_\_\_\_\_  
 (a)  $\frac{5}{3}$  (b)  $\frac{3}{5}$  (c)  $\frac{7}{2}$  (d)  $\frac{2}{7}$
123.  $1 + 1 + 1 + \dots$  to  $n$  terms then  $S_n =$  \_\_\_\_\_  
 (a) 1 (b)  $n$  (c)  $n^2$  (d)  $\infty$

124.  $1 + \frac{3}{2} + \frac{9}{4} + \dots$  then  $S_n =$  \_\_\_\_\_  
 (a) -2 (b) 2 (c)  $\frac{3}{2}$  (d)  $\infty$
125. If we convert the sequence  $2 + 22 + 222 + \dots$  in G.P then multiply and divide the sequence by \_\_\_\_\_  
 (a) 9 (b) 8  
 (c) 7 (d) any number
126. When some numbers are in G.P then all the numbers between the extreme numbers, are called \_\_\_\_\_.  
 (a) A.M's (b) G.M's  
 (c) H.M's (d) None of these
127. In A.P Coefficient of  $d$  in first term is \_\_\_\_\_.  
 (a) Zero (b) 1  
 (c) -1 (d) None of these
128. In A.P Coefficient of  $d$  (Common difference) in  $n$ th term is \_\_\_\_\_  
 (a)  $n$  (b)  $n+1$  (c)  $n-1$  (d)  $n+2$
129. If  $a, A_1, A_2, \dots, A_n, b$  are in A.P then number of A.M's between  $a$  and  $b$  are \_\_\_\_\_.  
 (a)  $n-1$  (b)  $n$  (c)  $n+1$  (d)  $n+2$
130.  $A_1, A_2, A_3, \dots, A_n$  are  $n$  A.M's between  $a$  and  $b$  then  $a, A_1, A_2, \dots, A_n, b$  are in \_\_\_\_\_.  
 (a) A.P (b) G.P (c) H.P (d) A.G.P
131. If 7 is the A.M between 10 and 4, then common difference  $d =$  \_\_\_\_\_.  
 (a) 3 (b)  $\pm 3$  (c) -3 (d) 0
132. If  $A, G, H$  be respectively the A.M, the G.M and the H.M between any numbers and  $Ax = Gy = Hz$  then  $x, y, z$  are in \_\_\_\_\_.  
 (a) A.P (b) H.P (c) G.P (d) A.G.P
133. If  $a, b, c$  be in A.P and  $b, c, a$  in H.P then  $c, a, b$  are in \_\_\_\_\_.  
 (a) A.P (b) H.P (c) G.P (d) A.G.P
134. When  $\lim S_n$  does not exist when \_\_\_\_\_  
 (a) Series is Convergent (b) Series is divergent  
 (c) Series is Oscillatory (d) None of these

# Answers

1.	b	2.	a	3.	c	4.	d	5.	a
6.	b	7.	c	8.	d	9.	c	10.	d
11.	c	12.	a	13.	b	14.	d	15.	a
16.	b	17.	c	18.	d	19.	b	20.	d
21.	b	22.	a	23.	b	24.	c	25.	c
26.	d	27.	a	28.	b	29.	c	30.	c
31.	a	32.	b	33.	d	34.	b	35.	d
36.	b	37.	c	38.	c	39.	d	40.	a
41.	c	42.	a	43.	c	44.	d	45.	d
46.	b	47.	a	48.	c	49.	b	50.	b
51.	c	52.	d	53.	b	54.	b	55.	b
56.	c	57.	d	58.	a	59.	c	60.	b
61.	a	62.	b	63.	d	64.	b	65.	c
66.	a	67.	b	68.	d	69.	b	70.	d
71.	a	72.	d	73.	d	74.	b	75.	a
76.	b	77.	c	78.	b	79.	a	80.	a
81.	b	82.	c	83.	a	84.	b	85.	a
86.	a	87.	b	88.	a	89.	b	90.	d
91.	d	92.	b	93.	c	94.	d	95.	a
96.	b	97.	b	98.	c	99.	a	100.	a
101.	b	102.	c	103.	a	104.	a	105.	b
106.	a	107.	a	108.	d	109.	a	110.	b
111.	b	112.	c	113.	b	114.	b	115.	a
116.	d	117.	c	118.	c	119.	a	120.	c
121.	c	122.	a	123.	d	124.	d	125.	a
126.	a	127.	a	128.	c	129.	b	130.	a
131.	c	132.	c	133.	c	134.	b		