## Code

### **Newton Function**

```
function [root] = Newton(x0, max Step)
%% NEWTON Determines root using Newton's method
%% Requires initial value x0 and max step; returns root.
 % Print header (Each col is 4 space wide)
 fprintf('%s %s \n', 'step', 'x');
 % Set x = initial x, i.e. x0
 x = x0;
 % Run loop for 1 to max step
 for i=1:max Step
     % Evaluate fx = x^2 - 3x + 2
     fx = x^2 - 3*x + 2;
     % Evaluate dfx
     dfx = 2*x - 3;
     % Find x new from x, fx, dfx using the
     x new = x - fx/dfx;
     % Update x with x_new
     x = x new ;
     % Print step number (i) and x.
     % Coll: integer, 4 spaces wide
     % Col2: float, 8 spaces wide with 4 decimal places
     fprintf('%d \t%4.4f\n', i,x);
 end
 root = x;
 fprintf('\n\n');
end
HW7 file code
clc; clear;
max step = 5;
x0 = 1; % set starting value to 1
disp(['x0=',num2str(x0),' and max step=',num2str(max step)])
root = Newton(x0, max_step);
% Try again, this time with 2
x0 = 3;
disp(['x0=',num2str(x0),' and max step=',num2str(max step)])
root = Newton(x0, max step);
% when we use x0=2 we get the root is 2 in all step ecause exect root is 2
% And try again, this time with x0 = 300. Did you get the
% result in 5 steps? If not, then what different
% can you do to get either 1 or 2 as the estimated root?
```

```
x0 = 300;
% max step = ??;
disp(['x0=',num2str(x0),'and max_step=',num2str(max_step)])
root=Newton(x0,max step);
% no by using 5 step we not get the result
\ensuremath{\text{\upshape \ensuremath{\$}}} initial value is large and it reduce in every step almost half
x0 = 300;
max step = 15;
disp(['x0=',num2str(x0),'] and max step=',num2str(max step)])
root=Newton(x0,max step);
Output
x0=1 and max step=5
step x
1 1.0000
2 1.0000
3 1.0000
4 1.0000
5 1.0000
x0=3 and max step=5
step x
1 2.3333
   2.0667
2
3 2.0039
4 2.0000
```

# x0=300 and max\_step=5 step x 1 150.7504 2 76.1260 3 38.8147 4 20.1607

5 2.0000

5 10.8370

# x0=300 and max\_step=15

#### step x

- 1 150.7504
- 2 76.1260
- 3 38.8147
- 4 20.1607
- 5 10.8370
- 6 6.1819
- 7 3.8677
- 8 2.7366
- 9 2.2194
- 10 2.0335
- 11 2.0010
- 12 2.0000
- 13 2.0000
- 14 2.0000
- 15 2.0000