# Chapter 1

### Rationality

Rational: maximally achieve goals and maximize your expected utility

Rationality only concerns what decision are made not the thought behind them (we are concerning only with acting rationally not thinking rationally)

### Chapter 2

Agent = sensors + actuators

Perceive through sensors. Act through actuators.

Agent function vs program

Agent function: from percept histories to actions

Agent program: the implementation of the function



Depends on: (Will take the vacuum cleaner as an example)

- Performance measure: one point for each clean square
- Agent's (prior) knowledge: the geography of the environment
- Agent's percepts to date: perceives its location and whether it contains dirt or not
- Available actions: Left, Right, Suck

Definition of rational agent: for each possible percept sequence, agent should select action expected to maximize performance measure, given the percept sequence and the agent's knowledge

We talk about the expected utility not actual utility due to uncertainty in environments. Which mean rationality doesn't mean perfection (maximize actual performance) and doesn't equal omniscient (an agent that know the actual outcomes)

Learning is important in partial or unknown environments (i.e., vacuum cleaner forecasts where and when dirt will appear)

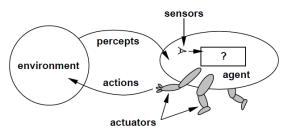
If an agent relies on the prior knowledge of its designer rather than its own percepts, it lacks autonomy

Specifying Task environments

Task environment: a problem spec for which the agent is a solution

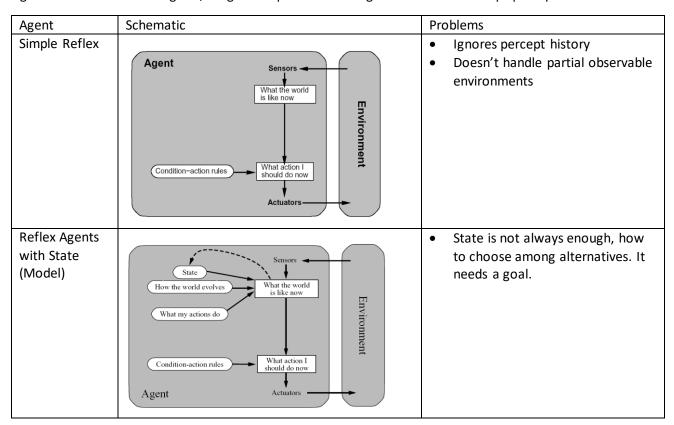
PEAS: Performance measure – Environment – Actuators – Sensors

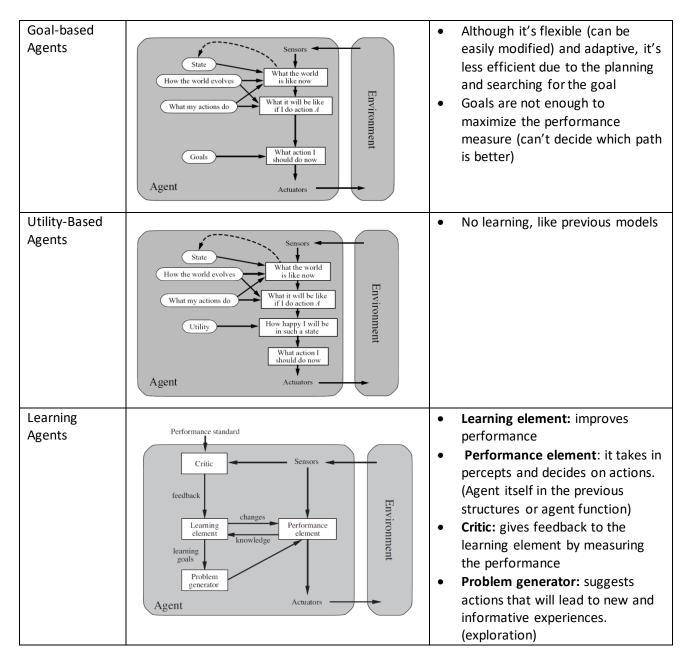
Environment Type	Description	VS	Notes
Fully observable	Sensors give complete	Partially observable	Unobservable: i.e., agent
	state of environment	and unobservable	has no sensors
Deterministic	Next state depends on	Stochastic	Fully observable +
	current state, action		deterministic = no
			uncertainty



Episodic	Subsequent episodes don't depend on actions in previous episodes	Sequential	Episodic ex: spotting defects on current part doesn't affect next parts Sequential ex: Chess, taxi Both, actions can have long term consequences
Static	Environment doesn't change while thinking	Dynamic and semi- dynamic	Semi-dynamic: clocked chess
Discrete	Limited distinct percepts and actions	Continuous	Chess: discrete
Single Agent	Like solving puzzles	Multi-agent	Multi-agents can cooperate, compete, communicate or randomize its behaviors

Agent = Architecture + Program, Program implements the agent function that maps percepts to actions





# Chapter 3

### Problem Solving Agents

Goal, problem formation – solution is a sequence of actions in observable, discrete and known environments – also called 'Formulate, Search, Execute" agent

Solution is executed eye closed; When a solution is found after searching it executes it one by one without looking into percepts and once the solution sequence has been executed a new goal will be formulated. Also called open loop system (ignoring percepts breaking loop between agent and environment)

#### **Problem Formulation**

- 1. Initial state: ex In(Arad)
- 2. Actions: possible actions at state S. ex: Go(Sibiu)
- 3. **Transition Model**: description of what each action does. Results(S, A) returns state resulting from applying action A at state S. ex: Result(In(Arad), Go(Zerind)) = In(Zerind)
- 4. Goal Test: determines if a certain state is a goal ex In(Bucharest)
- 5. **Path cost function**: Assign cost to a path. C(S, A, S') step cost of taking action A in state S to reach S'

#### Solution

Action sequence from initial state too goal. Solution Quality is measured by path cost function. Optimal Solution = lowest cost among solutions

#### Abstraction

Remove details from real world and actions (no irrelevant actions and no specific actions)

This leads to shrinking the count of possible world states.

### Searching

State Space Graph	Search Tree
Nodes => world configuration (state)	Nodes => states but correspond to plans and
Arcs => successors – action results	paths to achieve these states
Rarely build in memory as it's big for memory	Each node is entire path in state space graph
	For most problems, we can never build the whole
	tree

Graph Search	Tree Search
Each state occurs only once. This is achieved by	The same node/state can occur multiple times
adding explored set: new node, that is already in explored or the frontier, can be discarded	Search: Expand as few nodes from frontier

## Uninformed Search Algorithms Evaluation

	BFS	Uniform-Cost Search	DFS	Depth- Limited	Iterative Deepening	Bi-directional Search
Completeness: (Guaranteed to find solution if any)	Yes	Yes, if best solution has finite cost and $\epsilon$ is positive, step costs >= $\epsilon$	Graph search: Yes, in finite spaces Tree Search: No	Yes if (depth limit) I >= d	Yes	Yes, if both directions are BFS
Time Complexity: (How long to find solution in terms of number of nodes generated)	$O(b^d)$	$O(b^{C^*/\epsilon})$ If that solution costs C* and step costs at least $\epsilon$	$O(b^m)$	$O(b^l)$	$O(b^d)$	$O(b^{d/2})$
Space Complexity: (How much memory in terms of maximum number of nodes stored)	$O(b^d)$	$O(b^{C^*/arepsilon})$	O( <i>bm</i> )	O(bl)	0 (bd)	$O(b^{d/2})$
Optimality: (Lowest path cost solution?)	Yes, if all actions have same cost	Yes	No	No	Yes, if all actions have same cost	Yes, if both directions use BFS and all actions have same cost
Frontier Data structure	Queue (FIFO)	Priority Queue	Stack LIFO	Stack LIFO	Stack LIFO	Can use FIFO or LIFO frontier
Disadvantages	Memory and time requirements in big depths	Explores in every direction. No info about goal location	Stuck down in the wrong path.  Many problems have deep/ infinite search trees so DFS should be avoided	If depth is too small it's not even complete	Redundancy from repeating all work of the previous phase	Can't search backward in all problems: not reversible – multiple goals – can be abstract like n-queens

Complexities are estimated in terms of (b: branching factor, d: depth, m: maximum length of any path, l: depth limit,  $C^*$  total cost of the solution of uniform-cost search,  $\epsilon$  is minimum step cost)

## Informed Search

Heuristic function h(n):

• Estimates how close state to goal

Completeness  Time Complexity  Space Complexity	Greedy best-first (Pick the smallest h(n))  Tree: No Graph: Yes, in finite spaces $O(b^m)$ $O(b^m)$	A* Search (Pick the smallest g(n) + h(n))  Yes $O(b^{\varepsilon d})$ $O(b^d)$	Iterative-deepening A* (IDA*)  Adapt the iterative deepening strategy to reduce memory requirements.	
Optimality	No	Tree: Yes, if h(n) is admissible (h(n) <= actual cost to goal) Graph: Yes, if h(n) is consistent (heuristic arc/edge cost <= actual cost of the edge)	Use the f-cost rather than the depth  At each iteration, cutoff value is the smallest f-cost that exceeded the	
Disadvantages	Time and space requirements.  Depends on the heuristic & problem.  In worst-case behaves like badlyguided DFS.	exponential time and space complexity.	threshold on previous iteration.  Ex: if threshold = 5 in 1 <sup>st</sup> iteration, and a node with cost 6.5 was discovered. It exits the 1 <sup>st</sup> iteration and starts 2 <sup>nd</sup> iteration with threshold = 6.5	

# A\* Star Optimality Proof

Tree Search: Admissible	Graph Search: consistent
Assume: A is an optimal goal node	Since $h(n)$ is consistent $\rightarrow h(n) - h(n') \le c(n, a, n')$
B is suboptimal goal node	f(n') = g(n') + h(n')
h is admissible	= $g(n) + c(n; a; n') + h(n')$
Claim: A will exit the frontier before B	$\Rightarrow$ g(n) + h(n) = f(n) $c(n,a,n')$
i.e. $f(A) \leq f(B)$	Then $f(n') >= f(n)$ $h(n)$
	So, Values of f(n) along any path are $h(n')$
assume a node n that is f(n) <= f(B) will be	nondecreasing
expanded before B	
rch	Proof: for state s, any node that reach it optimally
since h is admissible	will be expanded before nodes that reaches it sub
$f(n) \le g(A)$	optimally.
since $f(A)$ is goal -> $f(A) = g(A)$	
$f(n) \leftarrow f(A)$	Assume: some n on path to $G^*$
	isn't in queue when we need it,
since B is subgoal -> f(A) < f(B)	because worse n' on path to G* expanded first $G^*$
therefore $f(n) \le f(A) < f(B)$	
	Let p be the ancestor of n that was on the queue
therefore, A exits before B, A* is optimal	when n was popped
	Since h is consistent $\rightarrow$ f(p) < f(n)
	Since n' is suboptimal $\rightarrow$ f(n) < f(n')
	Contradiction

from this and previous fact A\* is optimal