Module 3

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Applied Machine Learning: Module 3 (Evaluation)

1.1 Evaluation for Classification

In [31]: %matplotlib notebook

1.1.1 Preamble

```
import numpy as np
         import pandas as pd
         import seaborn as sns
         import matplotlib.pyplot as plt
         from sklearn.model_selection import train_test_split
         from sklearn.datasets import load_digits
         dataset = load_digits()
         X, y = dataset.data, dataset.target
         for class_name, class_count in zip(dataset.target_names, np.bincount(datas
             print(class_name, class_count)
0 178
```

1 182

2 177

3 183

4 181

5 182

6 181

7 179

8 174

9 180

```
In [32]: # Creating a dataset with imbalanced binary classes:
        # Negative class (0) is 'not digit 1'
        # Positive class (1) is 'digit 1'
        y_binary_imbalanced = y.copy()
        y binary imbalanced[y binary imbalanced != 1] = 0
        print('Original labels:\t', y[1:30])
        print('New binary labels:\t', y_binary_imbalanced[1:30])
                       [1 2 3 4 5 6 7 8 9 0 1 2 3 4 5 6 7 8 9 0 1 2 3 4 5 6 7 8 9
Original labels:
New binary labels:
                         In [33]: np.bincount(y_binary_imbalanced) # Negative class (0) is the most frequency.
Out [33]: array([1615, 182])
In [34]: X_train, X_test, y_train, y_test = train_test_split(X, y_binary_imbalanced
        # Accuracy of Support Vector Machine classifier
        from sklearn.svm import SVC
        svm = SVC(kernel='rbf', C=1).fit(X_train, y_train)
        svm.score(X_test, y_test)
Out [34]: 0.90888888888888888
```

1.1.2 Dummy Classifiers

DummyClassifier is a classifier that makes predictions using simple rules, which can be useful as a baseline for comparison against actual classifiers, especially with imbalanced classes.

```
0, 0, 0, 0, 0, 0, 0, 0, 0, 0, 0, 0])
In [36]: dummy_majority.score(X_test, y_test)
Out [36]: 0.90444444444445
In [37]: svm = SVC(kernel='linear', C=1).fit(X_train, y_train)
      svm.score(X_test, y_test)
Out [37]: 0.977777777777775
1.1.3 Confusion matrices
Binary (two-class) confusion matrix
In [38]: from sklearn.metrics import confusion_matrix
      # Negative class (0) is most frequent
      dummy_majority = DummyClassifier(strategy = 'most_frequent').fit(X_train,
      y_majority_predicted = dummy_majority.predict(X_test)
      confusion = confusion_matrix(y_test, y_majority_predicted)
      print('Most frequent class (dummy classifier)\n', confusion)
Most frequent class (dummy classifier)
[[407
      01
[ 43
     011
In [39]: # produces random predictions w/ same class proportion as training set
      dummy_classprop = DummyClassifier(strategy='stratified').fit(X_train, y_train)
      y_classprop_predicted = dummy_classprop.predict(X_test)
      confusion = confusion_matrix(y_test, y_classprop_predicted)
      print('Random class-proportional prediction (dummy classifier)\n', confus
Random class-proportional prediction (dummy classifier)
[[373 34]
[ 39
     4]]
```

```
In [40]: svm = SVC(kernel='linear', C=1).fit(X_train, y_train)
         svm_predicted = svm.predict(X_test)
         confusion = confusion_matrix(y_test, svm_predicted)
         print ('Support vector machine classifier (linear kernel, C=1)\n', confusion
Support vector machine classifier (linear kernel, C=1)
 [[402
 [ 5 38]]
In [41]: from sklearn.linear_model import LogisticRegression
         lr = LogisticRegression().fit(X_train, y_train)
         lr_predicted = lr.predict(X_test)
         confusion = confusion_matrix(y_test, lr_predicted)
         print('Logistic regression classifier (default settings) \n', confusion)
Logistic regression classifier (default settings)
 [[401 6]
 [ 6 37]]
In [42]: from sklearn.tree import DecisionTreeClassifier
         dt = DecisionTreeClassifier(max_depth=2).fit(X_train, y_train)
         tree_predicted = dt.predict(X_test)
         confusion = confusion_matrix(y_test, tree_predicted)
         print('Decision tree classifier (max_depth = 2)\n', confusion)
Decision tree classifier (max_depth = 2)
 [[400
        7]
 [ 17 26]]
1.1.4 Evaluation metrics for binary classification
```

```
In [43]: from sklearn.metrics import accuracy_score, precision_score, recall_score,
    # Accuracy = TP + TN / (TP + TN + FP + FN)
# Precision = TP / (TP + FP)
# Recall = TP / (TP + FN) Also known as sensitivity, or True Positive Rate
# F1 = 2 * Precision * Recall / (Precision + Recall)
print('Accuracy: {:.2f}'.format(accuracy_score(y_test, tree_predicted)))
print('Precision: {:.2f}'.format(precision_score(y_test, tree_predicted)))
print('Recall: {:.2f}'.format(recall_score(y_test, tree_predicted)))
print('F1: {:.2f}'.format(f1_score(y_test, tree_predicted)))
```

Accuracy: 0.95 Precision: 0.79 Recall: 0.60 F1: 0.68

In [44]: # Combined report with all above metrics

from sklearn.metrics import classification_report

precision recall f1-score support

print(classification_report(y_test, tree_predicted, target_names=['not 1', precision recall f1-score support 0.98 0.97 407 not 1 0.96 1 0.79 0.60 0.68 43 avg / total 0.94 0.95 0.94 450

classification_report(y_test, tree_predicted, target_names = ['not 1

407

Random class-proportional (dummy)

not 1

	_			
not 1	0.91	0.92	0.91	407
1	0.11	0.09	0.10	43
avg / total	0.83	0.84	0.83	450
SVM				
	precision	recall	f1-score	support
not 1	0.99	0.99	0.99	407
1	0.88	0.88	0.88	43
avg / total	0.98	0.98	0.98	450
Logistic regr	ression			
	precision	recall	f1-score	support

0.99

0.99 0.99

```
0.86
                             0.86
                                        0.86
                                                   43
          1
avg / total
                  0.97
                             0.97
                                        0.97
                                                   450
Decision tree
              precision
                            recall f1-score
                                                support
      not 1
                   0.96
                             0.98
                                        0.97
                                                   407
                   0.79
                             0.60
          1
                                        0.68
                                                    43
avg / total
                  0.94
                             0.95
                                        0.94
                                                   450
```

1.1.5 Decision functions

```
In [46]: X_train, X_test, y_train, y_test = train_test_split(X, y_binary_imbalance
         y_scores_lr = lr.fit(X_train, y_train).decision_function(X_test)
         y_score_list = list(zip(y_test[0:20], y_scores_lr[0:20]))
         # show the decision function scores for first 20 instances
         y_score_list
Out [46]: [(0, -23.172292973469546),
          (0, -13.542576515500063),
          (0, -21.717588760007867),
          (0, -18.903065133316439),
          (0, -19.733169947138638),
          (0, -9.7463217496747667),
          (1, 5.2327155658831135),
          (0, -19.308012306288916),
          (0, -25.099330209728528),
          (0, -21.824312362996),
          (0, -24.14378275072049),
          (0, -19.578811099762508),
          (0, -22.568371393280199),
          (0, -10.822590225240777),
          (0, -11.907918741521932),
          (0, -10.977026853802803),
          (1, 11.206811164226373),
          (0, -27.64415761980748),
          (0, -12.857692102545409),
          (0, -25.848149140240199)
In [47]: X_train, X_test, y_train, y_test = train_test_split(X, y_binary_imbalanced
```

y_proba_lr = lr.fit(X_train, y_train).predict_proba(X_test)
y_proba_list = list(zip(y_test[0:20], y_proba_lr[0:20,1]))

```
y_proba_list
Out[47]: [(0, 8.6377579220606777e-11),
          (0, 1.3138118599563783e-06),
          (0, 3.6997386039099529e-10),
          (0, 6.1730972504865465e-09),
          (0, 2.6914925394345074e-09),
          (0, 5.8506057771143608e-05),
          (1, 0.99468934644404694),
          (0, 4.1175302368500096e-09),
          (0, 1.2574750894253029e-11),
          (0, 3.3252290754668869e-10),
          (0, 3.2695529799373086e-11),
          (0, 3.1407283576084884e-09),
          (0, 1.5800864117150149e-10),
          (0, 1.9943442430612578e-05),
          (0, 6.7368003023860014e-06),
          (0, 1.7089540581641637e-05),
          (1, 0.9999864188091131),
          (0, 9.8694940340195476e-13),
          (0, 2.6059983600823893e-06),
          (0, 5.9469113009063784e-12)]
1.1.6 Precision-recall curves
In [61]: from sklearn.metrics import precision_recall_curve
         precision, recall, thresholds = precision_recall_curve(y_test, y_scores_lr
         closest_zero = np.argmin(np.abs(thresholds))
         closest_zero_p = precision[closest_zero]
         closest_zero_r = recall[closest_zero]
         plt.figure()
         plt.xlim([0.0, 1.01])
         plt.ylim([0.0, 1.01])
         plt.plot(precision, recall, label='Precision-Recall Curve')
         plt.plot(closest_zero_p, closest_zero_r, 'o', markersize = 12, fillstyle =
         plt.xlabel('Precision', fontsize=16)
         plt.ylabel('Recall', fontsize=16)
         plt.axes().set_aspect('equal')
         plt.show()
<IPython.core.display.Javascript object>
<IPython.core.display.HTML object>
```

show the probability of positive class for first 20 instances

1.1.7 ROC curves, Area-Under-Curve (AUC)

```
In [62]: from sklearn.metrics import roc_curve, auc
         X_train, X_test, y_train, y_test = train_test_split(X, y_binary_imbalanced
         y_score_lr = lr.fit(X_train, y_train).decision_function(X_test)
         fpr_lr, tpr_lr, _ = roc_curve(y_test, y_score_lr)
         roc_auc_lr = auc(fpr_lr, tpr_lr)
        plt.figure()
        plt.xlim([-0.01, 1.00])
         plt.ylim([-0.01, 1.01])
         plt.plot(fpr_lr, tpr_lr, lw=3, label='LogRegr ROC curve (area = {:0.2f})'.
         plt.xlabel('False Positive Rate', fontsize=16)
         plt.ylabel('True Positive Rate', fontsize=16)
         plt.title('ROC curve (1-of-10 digits classifier)', fontsize=16)
         plt.legend(loc='lower right', fontsize=13)
         plt.plot([0, 1], [0, 1], color='navy', lw=3, linestyle='--')
         plt.axes().set_aspect('equal')
         plt.show()
<IPython.core.display.Javascript object>
<IPython.core.display.HTML object>
In [63]: from matplotlib import cm
         X_train, X_test, y_train, y_test = train_test_split(X, y_binary_imbalance
         plt.figure()
         plt.xlim([-0.01, 1.00])
         plt.ylim([-0.01, 1.01])
         for g in [0.01, 0.1, 0.20, 1]:
             svm = SVC(gamma=g).fit(X_train, y_train)
             y_score_svm = svm.decision_function(X_test)
             fpr_svm, tpr_svm, _ = roc_curve(y_test, y_score_svm)
             roc_auc_svm = auc(fpr_svm, tpr_svm)
             accuracy_svm = svm.score(X_test, y_test)
             print("gamma = \{:.2f\} accuracy = \{:.2f\}".format(g, acc
                                                                             roc_au
             plt.plot(fpr_svm, tpr_svm, lw=3, alpha=0.7,
                      label='SVM (gamma = \{:0.2f\}, area = \{:0.2f\})'.format(g, roc_a
         plt.xlabel('False Positive Rate', fontsize=16)
         plt.ylabel('True Positive Rate (Recall)', fontsize=16)
         plt.plot([0, 1], [0, 1], color='k', lw=0.5, linestyle='--')
```

```
plt.legend(loc="lower right", fontsize=11)
    plt.title('ROC curve: (1-of-10 digits classifier)', fontsize=16)
    plt.axes().set_aspect('equal')

    plt.show()

<IPython.core.display.Javascript object>

<IPython.core.display.HTML object>

gamma = 0.01 accuracy = 0.91 AUC = 1.00
gamma = 0.10 accuracy = 0.90 AUC = 0.98
gamma = 0.20 accuracy = 0.90 AUC = 0.66
gamma = 1.00 accuracy = 0.90 AUC = 0.50
```

1.1.8 Evaluation measures for multi-class classification

Multi-class confusion matrix

```
In [64]: dataset = load_digits()
         X, y = dataset.data, dataset.target
         X_train_mc, X_test_mc, y_train_mc, y_test_mc = train_test_split(X, y, rand
         svm = SVC(kernel = 'linear').fit(X_train_mc, y_train_mc)
         svm_predicted_mc = svm.predict(X_test_mc)
         confusion_mc = confusion_matrix(y_test_mc, svm_predicted_mc)
         df_cm = pd.DataFrame(confusion_mc,
                              index = [i for i in range(0,10)], columns = [i for i]
         plt.figure(figsize=(5.5,4))
         sns.heatmap(df_cm, annot=True)
         plt.title('SVM Linear Kernel \nAccuracy:{0:.3f}'.format(accuracy_score(y_t
         plt.ylabel('True label')
         plt.xlabel('Predicted label')
         svm = SVC(kernel = 'rbf').fit(X_train_mc, y_train_mc)
         svm_predicted_mc = svm.predict(X_test_mc)
         confusion_mc = confusion_matrix(y_test_mc, svm_predicted_mc)
         df_cm = pd.DataFrame(confusion_mc, index = [i for i in range(0,10)],
                           columns = [i for i in range(0,10)])
         plt.figure(figsize = (5.5, 4))
         sns.heatmap(df_cm, annot=True)
```

Multi-class classification report

In [52]: print(classification_report(y_test_mc, svm_predicted_mc))

	precision	recall	f1-score	support	
0	1.00	0.65	0.79	37	
1	1.00	0.23	0.38	43	
2	1.00	0.39	0.56	44	
3	1.00	0.93	0.97	45	
4	0.14	1.00	0.25	38	
5	1.00	0.33	0.50	48	
6	1.00	0.54	0.70	52	
7	1.00	0.35	0.52	48	
8	1.00	0.02	0.04	48	
9	1.00	0.55	0.71	47	
avg / total	0.93	0.49	0.54	450	

Micro- vs. macro-averaged metrics

1.1.9 Regression evaluation metrics

```
In [55]: %matplotlib notebook
         import matplotlib.pyplot as plt
         import numpy as np
         from sklearn.model_selection import train_test_split
         from sklearn import datasets
         from sklearn.linear_model import LinearRegression
         from sklearn.metrics import mean_squared_error, r2_score
         from sklearn.dummy import DummyRegressor
         diabetes = datasets.load diabetes()
         X = diabetes.data[:, None, 6]
         y = diabetes.target
         X_train, X_test, y_train, y_test = train_test_split(X, y, random_state=0)
         lm = LinearRegression().fit(X_train, y_train)
         lm_dummy_mean = DummyRegressor(strategy = 'mean').fit(X_train, y_train)
         y_predict = lm.predict(X_test)
         y_predict_dummy_mean = lm_dummy_mean.predict(X_test)
         print('Linear model, coefficients: ', lm.coef_)
         print ("Mean squared error (dummy): {:.2f}".format (mean_squared_error (y_tes
                                                                               y_pre
         print("Mean squared error (linear model): {:.2f}".format(mean_squared_error
         print("r2_score (dummy): {:.2f}".format(r2_score(y_test, y_predict_dummy_r
         print("r2_score (linear model): {:.2f}".format(r2_score(y_test, y_predict)
         # Plot outputs
         plt.scatter(X_test, y_test, color='black')
         plt.plot(X_test, y_predict, color='green', linewidth=2)
         plt.plot(X_test, y_predict_dummy_mean, color='red', linestyle = 'dashed',
                  linewidth=2, label = 'dummy')
         plt.show()
Linear model, coefficients: [-698.80206267]
```

```
Mean squared error (dummy): 4965.13
Mean squared error (linear model): 4646.74
r2_score (dummy): -0.00
r2_score (linear model): 0.06

<IPython.core.display.Javascript object>
<IPython.core.display.HTML object>
```

1.1.10 Model selection using evaluation metrics

Cross-validation example

```
In [56]: from sklearn.model_selection import cross_val_score
    from sklearn.svm import SVC

dataset = load_digits()
    # again, making this a binary problem with 'digit 1' as positive class
    # and 'not 1' as negative class
    X, y = dataset.data, dataset.target == 1
    clf = SVC(kernel='linear', C=1)

# accuracy is the default scoring metric
    print('Cross-validation (accuracy)', cross_val_score(clf, X, y, cv=5))
    # use AUC as scoring metric
    print('Cross-validation (AUC)', cross_val_score(clf, X, y, cv=5, scoring = # use recall as scoring metric
    print('Cross-validation (recall)', cross_val_score(clf, X, y, cv=5, scoring)
```

Cross-validation (accuracy) [0.91944444 0.98611111 0.97214485 0.97493036 0.9699002 Cross-validation (AUC) [0.9641871 0.9976571 0.99372205 0.99699002 0.98675613 Cross-validation (recall) [0.81081081 0.89189189 0.83333333 0.8333333 0.8333333 0.8333333 0.8333333 0.8333333 0.8333333 0.8333333 0.83333333 0.83333333 0.83333333 0.8333333 0.8333333 0.83333333 0.833333 0.8333333 0.8333333 0.8333333 0.8333333 0.8333333 0.8333333 0.8333333 0.8333333 0.8333333 0.8333333 0.8333333 0.8333333 0.8333333 0.83333333 0.83333333 0.83333333 0.83333333 0.83333333 0.8333333 0.83333333 0.83333333 0.83333333 0.83333333 0.8333333 0.83333333 0.833333333 0.833333333 0.833333333 0.833333333 0.833333333 0.833333333 0.833333333 0.83333333 0.

Grid search example

```
In [57]: from sklearn.svm import SVC
    from sklearn.model_selection import GridSearchCV
    from sklearn.metrics import roc_auc_score

dataset = load_digits()
    X, y = dataset.data, dataset.target == 1
    X_train, X_test, y_train, y_test = train_test_split(X, y, random_state=0)

clf = SVC(kernel='rbf')
    grid_values = {'gamma': [0.001, 0.01, 0.05, 0.1, 1, 10, 100]}
```

```
# default metric to optimize over grid parameters: accuracy
         grid_clf_acc = GridSearchCV(clf, param_grid = grid_values)
         grid_clf_acc.fit(X_train, y_train)
         y decision fn scores acc = grid clf acc.decision function(X test)
         print('Grid best parameter (max. accuracy): ', grid_clf_acc.best_params_)
         print('Grid best score (accuracy): ', grid_clf_acc.best_score_)
         # alternative metric to optimize over grid parameters: AUC
         grid_clf_auc = GridSearchCV(clf, param_grid = grid_values, scoring = 'roc_
         grid_clf_auc.fit(X_train, y_train)
         y_decision_fn_scores_auc = grid_clf_auc.decision_function(X_test)
         print('Test set AUC: ', roc_auc_score(y_test, y_decision_fn_scores_auc))
         print('Grid best parameter (max. AUC): ', grid_clf_auc.best_params_)
         print('Grid best score (AUC): ', grid_clf_auc.best_score_)
Grid best parameter (max. accuracy): {'gamma': 0.001}
Grid best score (accuracy): 0.996288047513
Test set AUC: 0.999828581224
Grid best parameter (max. AUC): {'gamma': 0.001}
Grid best score (AUC): 0.99987412783
```

Evaluation metrics supported for model selection

1.1.11 Two-feature classification example using the digits dataset

Optimizing a classifier using different evaluation metrics

```
In [59]: from sklearn.datasets import load_digits
    from sklearn.model_selection import train_test_split
    from adspy_shared_utilities import plot_class_regions_for_classifier_subpl
    from sklearn.svm import SVC
    from sklearn.model_selection import GridSearchCV

dataset = load_digits()
    X, y = dataset.data, dataset.target == 1
```

X_train, X_test, y_train, y_test = train_test_split(X, y, random_state=0)

```
# Create a two-feature input vector matching the example plot above
         # We jitter the points (add a small amount of random noise) in case there
         # in feature space where many instances have the same features.
         jitter_delta = 0.25
         X_{tovar} = X_{train}[:,[20,59]] + np.random.rand(X_{train.shape}[0], 2)
         X_{twovar_test} = X_{test}[:,[20,59]] + np.random.rand(X_{test.shape}[0], 2) -
         clf = SVC(kernel = 'linear').fit(X_twovar_train, y_train)
         grid_values = {'class_weight':['balanced', {1:2}, {1:3}, {1:4}, {1:5}, {1:10},
         plt.figure(figsize=(9,6))
         for i, eval_metric in enumerate(('precision','recall', 'f1','roc_auc')):
             grid_clf_custom = GridSearchCV(clf, param_grid=grid_values, scoring=ev
             grid_clf_custom.fit(X_twovar_train, y_train)
             print('Grid best parameter (max. {0}): {1}'
                   .format(eval_metric, grid_clf_custom.best_params_))
             print('Grid best score ({0}): {1}'
                   .format(eval_metric, grid_clf_custom.best_score_))
             plt.subplots_adjust(wspace=0.3, hspace=0.3)
             plot_class_regions_for_classifier_subplot(grid_clf_custom, X_twovar_te
                                                       None, None, plt.subplot(2, 2
             plt.title(eval_metric+'-oriented SVC')
         plt.tight_layout()
         plt.show()
<IPython.core.display.Javascript object>
<IPython.core.display.HTML object>
Grid best parameter (max. precision): {'class_weight': {1: 2}}
Grid best score (precision): 0.5571676034927706
Grid best parameter (max. recall): {'class_weight': {1: 50}}
Grid best score (recall): 0.9284310837047003
Grid best parameter (max. f1): {'class_weight': {1: 3}}
Grid best score (f1): 0.5189774051708212
Grid best parameter (max. roc_auc): {'class_weight': {1: 5}}
Grid best score (roc_auc): 0.8896477474523048
```

Precision-recall curve for the default SVC classifier (with balanced class weights)

```
X, y = dataset.data, dataset.target == 1
         X_train, X_test, y_train, y_test = train_test_split(X, y, random_state=0)
         # create a two-feature input vector matching the example plot above
         jitter_delta = 0.25
         X_{tov} = X_{train}[:,[20,59]] + np.random.rand(X_{train.shape}[0], 2)
         X_{twovar_test} = X_{test[:,[20,59]]} + np.random.rand(X_{test.shape[0], 2) -
         clf = SVC(kernel='linear', class_weight='balanced').fit(X_twovar_train, y_
         y_scores = clf.decision_function(X_twovar_test)
         precision, recall, thresholds = precision_recall_curve(y_test, y_scores)
         closest_zero = np.argmin(np.abs(thresholds))
         closest_zero_p = precision[closest_zero]
         closest_zero_r = recall[closest_zero]
         plot_class_regions_for_classifier(clf, X_twovar_test, y_test)
         plt.title("SVC, class_weight = 'balanced', optimized for accuracy")
         plt.show()
         plt.figure()
         plt.xlim([0.0, 1.01])
         plt.ylim([0.0, 1.01])
         plt.title ("Precision-recall curve: SVC, class_weight = 'balanced'")
         plt.plot(precision, recall, label = 'Precision-Recall Curve')
         plt.plot(closest_zero_p, closest_zero_r, 'o', markersize=12, fillstyle='nd
         plt.xlabel('Precision', fontsize=16)
         plt.ylabel('Recall', fontsize=16)
         plt.axes().set_aspect('equal')
         plt.show()
         print('At zero threshold, precision: {:.2f}, recall: {:.2f}'
               .format(closest_zero_p, closest_zero_r))
<IPython.core.display.Javascript object>
<IPython.core.display.HTML object>
<IPython.core.display.Javascript object>
<IPython.core.display.HTML object>
At zero threshold, precision: 0.22, recall: 0.74
```

dataset = load_digits()

In []: