



Green University of Bangladesh
Department of Computer Science and Engineering (CSE)
Faculty of Sciences and Engineering
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LAB REPORT NO # 03

Course Title: Artificial Intelligence Lab

Course Code:CSE 404-CSE(181) Section: 223_D4

**Lab Experiment Name: Implementation of Graph Coloring Problem
Using Backtracking Algorithm**

Student Details

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Lab Date: 29/11/2025

Submission Date: 19/12/2025

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[For Teachers use only: Don't Write Anything inside this box]

Lab Report Status

Marks: Signature:.....

Comments:..... Date:.....

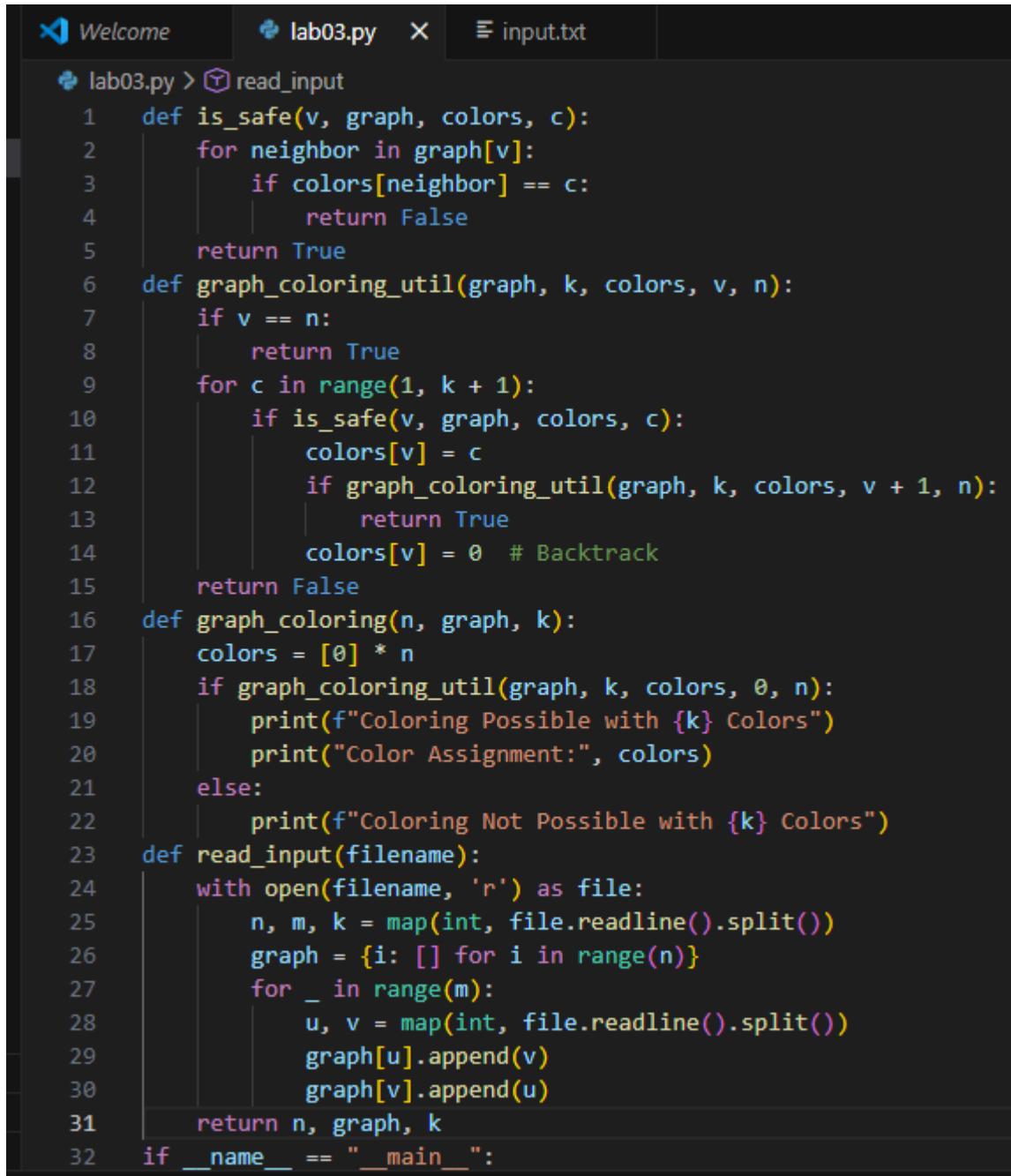
1. Introduction

Graph coloring is a classic problem in computer science where colors are assigned to graph vertices so that no two adjacent vertices have the same color. It has practical applications in scheduling, map coloring, and network resource allocation. In this experiment, the Graph Coloring Problem is solved using the Backtracking algorithm, which systematically explores valid color assignments while avoiding conflicts.

2. Objectives

- To understand the Graph Coloring Problem.
- To implement the Backtracking algorithm in Python.
- To determine whether a graph can be colored using a fixed number of colors.
- To gain experience with graph-based constraint satisfaction problems.

3. Implementation



The screenshot shows a code editor window with the following details:

- File tabs: Welcome, lab03.py, input.txt
- Current file: lab03.py
- Code content:

```
1  def is_safe(v, graph, colors, c):
2      for neighbor in graph[v]:
3          if colors[neighbor] == c:
4              return False
5      return True
6  def graph_coloring_util(graph, k, colors, v, n):
7      if v == n:
8          return True
9      for c in range(1, k + 1):
10         if is_safe(v, graph, colors, c):
11             colors[v] = c
12             if graph_coloring_util(graph, k, colors, v + 1, n):
13                 return True
14             colors[v] = 0 # Backtrack
15     return False
16  def graph_coloring(n, graph, k):
17      colors = [0] * n
18      if graph_coloring_util(graph, k, colors, 0, n):
19          print(f"Coloring Possible with {k} Colors")
20          print("Color Assignment:", colors)
21      else:
22          print(f"Coloring Not Possible with {k} Colors")
23  def read_input(filename):
24      with open(filename, 'r') as file:
25          n, m, k = map(int, file.readline().split())
26          graph = {i: [] for i in range(n)}
27          for _ in range(m):
28              u, v = map(int, file.readline().split())
29              graph[u].append(v)
30              graph[v].append(u)
31      return n, graph, k
32  if __name__ == "__main__":
```

4. Output

Case-01:

The screenshot shows a terminal window with two tabs: 'lab03.py' and 'input.txt'. The 'input.txt' tab contains the following graph representation:

```
graph LR; 1 --- 4; 1 --- 5; 1 --- 3; 2 --- 0; 2 --- 1; 3 --- 0; 3 --- 2; 4 --- 1; 4 --- 2; 5 --- 1; 5 --- 3; 6 --- 2; 6 --- 3;
```

The 'TERMINAL' tab shows the execution of the Python script and its output:

```
PS D:\algorithms\AI Lab Report\Lab Report-3> & C:/Users/mujah/AppData/Local/Programs/Python/Python312/python.exe "d:/algorithms/AI Lab Report/Lab Report-3/lab03.py"
Coloring Possible with 3 Colors
Color Assignment: [1, 2, 3, 1]
PS D:\algorithms\AI Lab Report\Lab Report-3>
```

Case-02:

The screenshot shows a terminal window with two tabs: 'lab03.py' and 'input.txt'. The 'input.txt' tab contains the same graph representation as Case-01:

```
graph LR; 1 --- 4; 1 --- 5; 1 --- 3; 2 --- 0; 2 --- 1; 3 --- 0; 3 --- 2; 4 --- 1; 4 --- 2; 5 --- 1; 5 --- 3; 6 --- 2; 6 --- 3;
```

The 'TERMINAL' tab shows the execution of the Python script and its output:

```
PS D:\algorithms\AI Lab Report\Lab Report-3> & C:/Users/mujah/AppData/Local/Programs/Python/Python312/python.exe "d:/algorithms/AI Lab Report/Lab Report-3/lab03.py"
Coloring Not Possible with 2 Colors
PS D:\algorithms\AI Lab Report\Lab Report-3>
```

5. Discussion

The graph is represented using an adjacency list, and colors are assigned recursively to each vertex. Before assigning a color, the algorithm checks whether the color is safe by ensuring that adjacent vertices do not share the same color. If a conflict occurs, the algorithm backtracks and tries another color. The program successfully identifies both possible and impossible coloring cases, proving the correctness of the approach.

6. Conclusion

The experiment successfully implemented the Graph Coloring Problem using the Backtracking algorithm. It demonstrated how backtracking efficiently handles constraints and ensures correct coloring. Although the algorithm has high time complexity, it is effective for small graphs and educational purposes.