

Graph can be Represented By :

1. Adjacency Matrix : 2D Array

$\text{Matrix}[i][j] = 1$ {Undirected, Unweighted}

Diagonal is for **self loop** in the matrix.

For **weighted graph** we will put, $\text{Matrix}[i][j] = W_{ij}$ {weight of an edge}

DrawBack : Can't express **Multi Edge** precisely.

For Weighted graph its not possible

2. Adjacency List : List or Vector

For every node, how many node we can visit will store with a list/vector

Unweighted :

Self loop : pushback the value on its own index $1 = 2, 1$

Multi Edge : pushback same edge multi time. $3 = 1, 1, 2$ (3 edge)

Weighted :

Weighted value will be paired up in a list/vector with the connected nodes.

E.g $0 = [1, 4], [2, 6]$ Here, means that, from 0 there are edges on 1, 2 with weighted value 4, 6 sequentially.

3. Edge List : Edge + List (Easiest)

Edges between nodes. [**Undirected**]

E.g $= [0, 1], [1, 2], [1, 3], [2, 3]$

For Weighted :

E.g $= [0, 1, 5], [1, 2, 3], [1, 3, 2], [2, 3, 1]$

For **Directed** :

x will be from y will be to point

E. g $= [0, 1], [1, 2], [2, 3], [0, 1], [1, 1]$ {directed, SelfLoop, multiedge}

4. Time Complexity : $O(1)$, $O(n)$, $O(n \log n)$, $O(n^2)$, $O(\log N)$