Walmart - Confidence Interval and CLT

Walmart is an American multinational retail corporation that operates a chain of supercenters, discount departmental stores, and grocery stores from the United States. Walmart has more than 100 million customers worldwide.

Business Problem

The Management team at Walmart Inc. wants to analyze the customer purchase behavior (specifically, purchase amount) against the customer's gender and the various other factors to help the business make better decisions. They want to understand if the spending habits differ between male and female customers:

Do women spend more on Black Friday than men?

(Assume 50 million customers are male and 50 million are female).

Understanding the Dataset

The company collected the transactional data of customers who purchased products from the Walmart Stores during Black Friday. The dataset has the following features:

User_ID: User ID

Product_ID: Product ID

Gender: Sex of User

Age: Age in bins

Occupation: Occupation(Masked)

City_Category: Category of the City (A,B,C)

StayInCurrentCityYears: Number of years stay in current city

Marital_Status: Marital Status

ProductCategory: Product Category (Masked)

Purchase: Purchase Amount

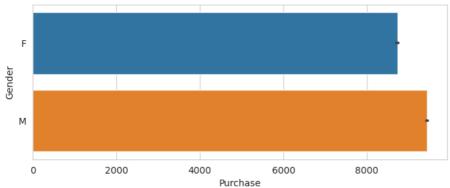
Colab Notebook: https://colab.research.google.com/drive/1aXEgARWVhGhwRkxv5YXil6lrZtPGoKKP#scrollTo=-ETEKz7X0j7Q

```
import numpy as np
import pandas as pd
import matplotlib.pyplot as plt
import seaborn as sns
from statsmodels.distributions.empirical distribution import ECDF # Empirical CDF
from scipy.stats import norm, ttest_ind, ttest_rel, ttest_1samp
from scipy import stats
import warnings
warnings.filterwarnings('ignore')
!wget https://d2beiqkhq929f0.cloudfront.net/public_assets/assets/000/001/293/original/walmart_data.csv?1641285094 -0 walmart_data.csv
df_walmart=pd.read_csv("walmart_data.csv")
      --2023-09-17 09:26:27-- <a href="https://d2beiqkhq929f0.cloudfront.net/public_assets/6800/001/293/original/walmart_data.csv?164128509">https://d2beiqkhq929f0.cloudfront.net/public_assets/6800/001/293/original/walmart_data.csv?164128509</a>
     Resolving d2beiqkhq929f0.cloudfront.net (d2beiqkhq929f0.cloudfront.net)... 99.84.178.172, 99.84.178.93, 99.84.178.132, ...
     Connecting to d2beiqkhq929f0.cloudfront.net (d2beiqkhq929f0.cloudfront.net)|99.84.178.172|:443... connected.
     HTTP request sent, awaiting response... 200 OK
     Length: 23027994 (22M) [text/plain]
     Saving to: 'walmart_data.csv
                          100%[==========>] 21.96M 92.7MB/s
     walmart_data.csv
     2023-09-17 09:26:28 (92.7 MB/s) - 'walmart_data.csv' saved [23027994/23027994]
```

df_walmart.describe()

```
User_ID
                             Occupation Marital_Status Product_Category
                                                                                 Purchase
                                                                                             丽
      count 5.500680e+05 550068.000000
                                          550068.000000
                                                              550068.000000 550068.000000
                                                                                             ıl.
df walmart.info()
     <class 'pandas.core.frame.DataFrame'>
     RangeIndex: 550068 entries, 0 to 550067
     Data columns (total 10 columns):
      #
         Column
                                       Non-Null Count
                                                        Dtvpe
      0
          User_ID
                                       550068 non-null
                                                        int64
          Product_ID
                                       550068 non-null
      1
                                                        object
                                       550068 non-null
          Gender
      2
                                                        object
                                       550068 non-null
      3
          Age
                                                        object
      4
          Occupation
                                       550068 non-null
                                                        int64
      5
          City_Category
                                       550068 non-null
                                                        object
          Stay_In_Current_City_Years
                                       550068 non-null
                                                        object
          Marital_Status
                                       550068 non-null
          Product_Category
                                       550068 non-null
          Purchase
                                       550068 non-null int64
     dtypes: int64(5), object(5)
     memory usage: 42.0+ MB
df_walmart.isnull().sum()
     User_ID
                                    0
     Product_ID
                                    0
     Gender
                                    0
     Age
     Occupation
                                    0
     City_Category
                                    0
     Stay_In_Current_City_Years
                                    0
     Marital Status
                                    0
     Product_Category
                                    a
     Purchase
                                    0
     dtype: int64
df_walmart.head(5)
         User_ID Product_ID Gender Age Occupation City_Category Stay_In_Current_City_Years Marital_Status Product_Category
      0 1000001
                                                                                                 2
                                                                                                                 0
                  P00069042
                                                    10
                                                                    Α
                                                                                                                                   3
                                        17
                                        0-
      1 1000001
                  P00248942
                                                    10
                                                                    Α
                                                                                                 2
                                                                                                                 0
                                        0-
      2 1000001
                  P00087842
                                                    10
                                                                    Α
                                                                                                                 0
                                                                                                                                   12
                                       17
                                        0-
      a 1000001 B0000E110
df_walmart['Age'].unique()
     array(['0-17', '55+', '26-35', '46-50', '51-55', '36-45', '18-25'],
           dtype=object)
df_walmart['Product_ID'].unique()
     array(['P00069042', 'P00248942', 'P00087842', ..., 'P00370293', 'P00371644', 'P00370853'], dtype=object)
#Shape of the dataframe: Total number of records is (550068, 10)
df_walmart.shape
     (550068, 10)
df_walmart.duplicated().sum()
df_walmart.nunique().sort_values(ascending=False)
     Purchase
                                    18105
     User_ID
                                     5891
     Product ID
                                     3631
     Occupation
                                       21
     Product_Category
                                       20
     Stay_In_Current_City_Years
                                        5
     City_Category
                                        3
```

```
Walmart.ipynb - Colaboratory
     Marital_Status
                                       2
     dtype: int64
df_walmart['Product_ID'].value_counts()
     P00265242
                  1880
     P00025442
                  1615
     P00110742
                  1612
     P00112142
                  1562
     P00057642
                  1470
     P00314842
     P00298842
     P00231642
                     1
     P00204442
                     1
     P00066342
                     1
     Name: Product_ID, Length: 3631, dtype: int64
#Average purchase by Gender
avg_purchase_by_gender=df_walmart.groupby('Gender')['Purchase'].mean()
print("AVERAGE PURCHASE VALUE FOR EACH GENDER is: ", avg_purchase_by_gender)
plt.figure(figsize=(8,3))
sns.barplot(y=df_walmart['Gender'], x=df_walmart['Purchase'])
plt.show()
     AVERAGE PURCHASE VALUE FOR EACH GENDER is: Gender
          8734.565765
          9437.526040
     Name: Purchase, dtype: float64
         F
```



```
#Total number of male and female customers
nFemale = df_walmart[df_walmart['Gender'] == 'F']['User_ID'].nunique()
nMale = df walmart[df walmart['Gender'] == 'M']['User ID'].nunique()
nTotal=df_walmart['User_ID'].nunique()
print("Total number of Male customers is: ", nMale)
print("Total number of Female customers is: ", nFemale)
print("Total number of customers is (both Male & Female): ", nTotal)
percent_male_customers=np.round( nMale * 100 / nTotal, 2 )
percent_female_customers=np.round( nFemale * 100 / nTotal, 2 )
print("Percentage of Male customers is: ", percent_male_customers)
print("Percentage of Female customers is: ", percent_female_customers)
     Total number of Male customers is: 4225
     Total number of Female customers is: 1666
     Total number of customers is (both Male & Female): 5891
     Percentage of Male customers is: 71.72
     Percentage of Female customers is: 28.28
# Percentage of Male and Female Users
colors = ['pink', 'steelblue']
# Define the ratio of gap of each fragment in a tuple
explode = (0.05, 0.05)
df_walmart.groupby(['Gender']).nunique().plot(
    kind='pie', y='User_ID', autopct='%1.0f\%',
  colors=colors, explode=explode)
```

```
<Axes: ylabel='User_ID'>

F

F

Axes: ylabel='User_ID'>
```

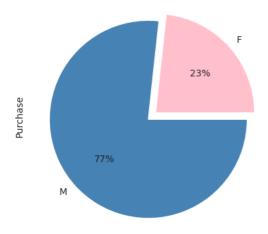
```
#Male vs Female purchases
df_purchase=df_walmart['Purchase']
df_female_purchase = df_walmart[df_walmart['Gender'] == 'F']['Purchase']
df_male_purchase = df_walmart[df_walmart['Gender'] == 'M']['Purchase']
print("Aggregated Purchase amount of Male customers is: ", df_male_purchase.sum())
print("Aggregated Purchase amount of Female customers is: ", df_female_purchase.sum())
print("Aggregated Purchase amount of all customers is: ", df_pemale_purchase.sum())
print("Purchase share of Female customers is: ", np.round( (df_female_purchase.sum() * 100) / df_purchase.sum(), 2 ))
print("Purchase share of Male customers is: ", np.round( (df_male_purchase.sum() * 100 ) / df_purchase.sum(), 2))

print("Total no. of store visits/purchases done by Male customers is: ", len(df_male_purchase))
print("Total no. of store visits/purchases done by Female customers is: ", len(df_female_purchase))
print("Average store visits of Female customers is: ", np.round( len(df_female_purchase)/df_male_purchase.nunique(), 0))
print("Average store visits of Male customers is: ", np.round( len(df_male_purchase)/df_male_purchase.nunique(), 0))
```

```
Aggregated Purchase amount of Male customers is: 3909580100
Aggregated Purchase amount of Female customers is: 1186232642
Aggregated Purchase amount of all customers is: 5095812742
Purchase share of Female customers is: 23.28
Purchase share of Male customers is: 76.72
Total no. of store visits/purchases done by Male customers is: 414259
Total no. of store visits/purchases done by Female customers is: 135809
Average store visits of Female customers is: 9.0
Average store visits of Male customers is: 24.0
```

```
# Percentage of 'aggregated spend' by Male and Female Users
colors = ['pink', 'steelblue']
# Define the ratio of gap of each fragment in a tuple
explode = (0.05, 0.05)
df_walmart.groupby(['Gender'])['Purchase'].sum().plot(
    kind='pie', y='Purchase', autopct='%1.0f%%',
    colors=colors, explode=explode)
```

<Axes: ylabel='Purchase'>

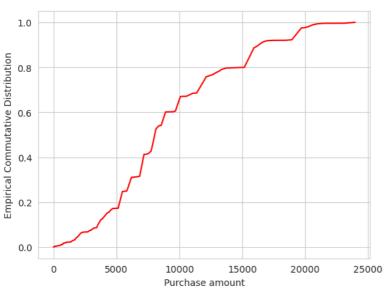


df_purchase.describe()

count	550068.000000
mean	9263.968713
std	5023.065394
min	12.000000
25%	5823.000000
50%	8047.000000
75%	12054.000000
max	23961.000000
Name:	Purchase, dtype: float64

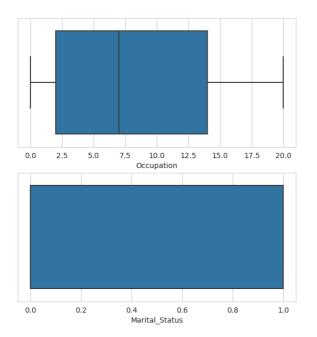
df_male_purchase.describe()

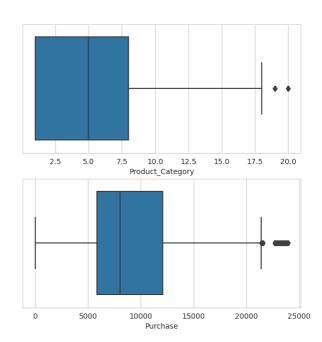
```
count
              414259.00000
     mean
                9437.52604
                5092.18621
     std
                  12.00000
     min
                5863.00000
     25%
                8098,00000
     50%
               12454.00000
     75%
     max
               23961.00000
     Name: Purchase, dtype: float64
df_female_purchase.describe()
     count
              135809.000000
                8734.565765
     mean
     std
                4767.233289
                  12.000000
     min
                5433,000000
     25%
                7914.000000
     50%
     75%
               11400.000000
     max
               23959.000000
     Name: Purchase, dtype: float64
#Outlier data in terms of purchase amount
p_25 = df_purchase.quantile(0.25) # Q1 or p_25
p_50 = df_purchase.quantile(0.5) # Q2 or p_50 or median
p_75 = df_purchase.quantile(0.75) # Q3 or p_75
print("The 25, 50 and 75 percentile values are: ", p_25, ", ", p_50, ", ", p_75)
iqr = p_75 - p_25
lower = max( 0, (p_25 - 1.5*iqr) )
upper = min(df_purchase.max(), (p_75 + 1.5*iqr))
\#print((p_25 - 1.5*iqr), df_purchase.max(), (p_75 + 1.5*iqr))
print("The values for iqr, lower and upper are: ", iqr, ", ", lower, ", ", upper)
     The 25, 50 and 75 percentile values are: 5823.0 , 8047.0 , 12054.0
     The values for iqr, lower and upper are: 6231.0 , 0 , 21400.5
#Outlier Analysis for Wlmart customer purchases
purchase upper outlier = df purchase[df purchase > upper]
purchase_lower_outlier = df_purchase[df_purchase < lower]</pre>
print("The number of outlier records on the right and left are: ", len(purchase_upper_outlier), ", ", len(purchase_lower_outlier))
     The number of outlier records on the right and left are: 2677 , \, 0
\ensuremath{\mbox{\tt \#ECDF}} analysis for the purchase amounts from the dataset
e = ECDF(df_purchase)
plt.plot(e.x, e.y, c = "r")
plt.xlabel("Purchase amount", fontsize = 10)
plt.ylabel("Empirical Commutative Distribution", fontsize = 10)
plt.show()
```



```
#Detect outliers using boxplot(Univariate Analysis)
fig, axis= plt.subplots(2, 2, figsize=(15,7))
sns.boxplot(data=df_walmart, x="Occupation", orient='h', ax=axis[0,0])
sns.boxplot(data=df_walmart, x="Product_Category", orient='h', ax=axis[0,1])
sns.boxplot(data=df_walmart, x="Marital_Status", orient='h', ax=axis[1,0])
```

sns.boxplot(data=df_walmart, x="Purchase", orient='h', ax=axis[1,1])
plt.show()



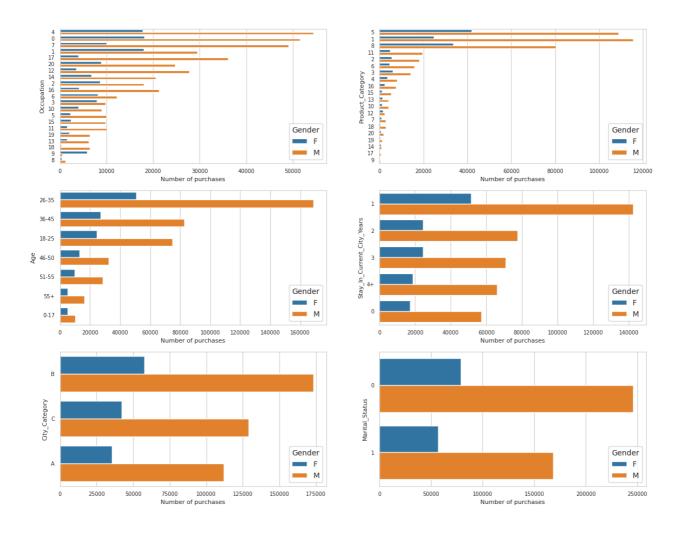


Double-click (or enter) to edit

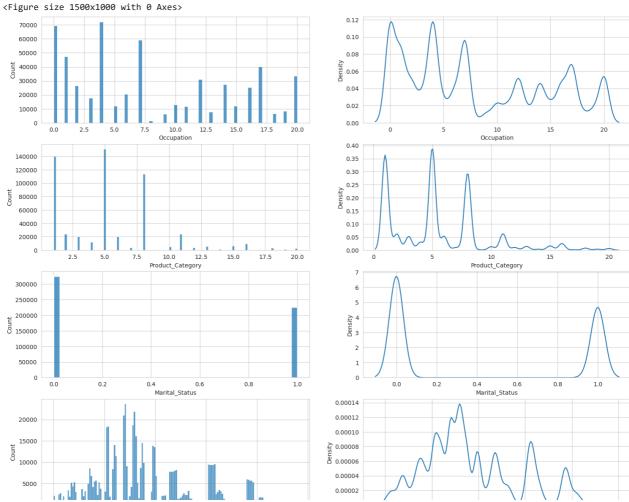
```
fig, ax = plt.subplots(3, 2, figsize=(14,11))
sns.set_style("whitegrid")
plt.subplot(3,2,1)
sns.countplot(data=df_walmart, y='0ccupation', order=df_walmart['0ccupation'].value_counts().index, hue='Gender')
plt.xticks(fontsize=7)
plt.yticks(fontsize=7)
plt.xlabel("Number of purchases", fontsize=8)
plt.ylabel("Occupation", fontsize=8)
#plt.title('Number of purchases by occupation', fontsize=8)
plt.subplot(3,2,2)
sns.countplot(data=df_walmart, y='Product_Category', order=df_walmart['Product_Category'].value_counts().index, hue='Gender')
plt.xticks(fontsize=7)
plt.yticks(fontsize=7)
plt.xlabel("Number of purchases", fontsize=8)
plt.ylabel("Product_Category", fontsize=8)
#plt.title('Number of purchases by Product Category', fontsize=8)
plt.subplot(3,2,3)
sns.countplot(data=df_walmart, y='Age', order=df_walmart['Age'].value_counts().index, hue='Gender')
plt.xticks(fontsize=7)
plt.yticks(fontsize=7)
plt.xlabel("Number of purchases", fontsize=8)
plt.ylabel("Age", fontsize=8)
#plt.title('Number of purchases by age', fontsize=8)
plt.subplot(3,2,4)
sns.countplot(data=df_walmart, y='Stay_In_Current_City_Years', order=df_walmart['Stay_In_Current_City_Years'].value_counts().index, hue='
plt.xticks(fontsize=7)
plt.yticks(fontsize=7)
plt.xlabel("Number of purchases", fontsize=8)
plt.ylabel("Stay_In_Current_City_Years", fontsize=8)
#plt.title('Number of purchases by Stay_In_Current_City_Years', fontsize=8)
plt.subplot(3,2,5)
sns.countplot(data=df_walmart, y='City_Category', order=df_walmart['City_Category'].value_counts().index, hue='Gender')
plt.xticks(fontsize=7)
plt.yticks(fontsize=7)
plt.xlabel("Number of purchases", fontsize=8)
plt.ylabel("City_Category", fontsize=8)
#plt.title('Number of purchases by City_Category', fontsize=8)
plt.subplot(3,2,6)
```

```
sns.countplot(data=df_walmart, y='Marital_Status', order=df_walmart['Marital_Status'].value_counts().index, hue='Gender')
plt.xticks(fontsize=7)
plt.yticks(fontsize=7)
plt.xlabel("Number of purchases", fontsize=8)
plt.ylabel("Marital_Status", fontsize=8)
#plt.title('Number of purchases by Marital_Status', fontsize=8)
```

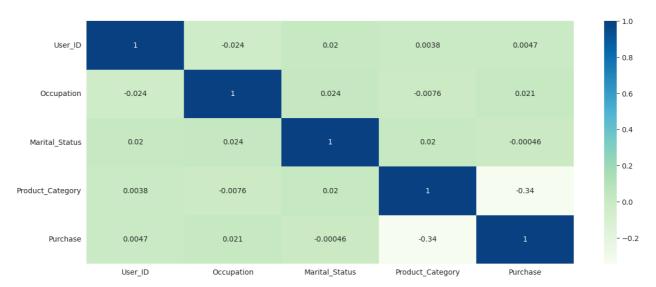
plt.show()



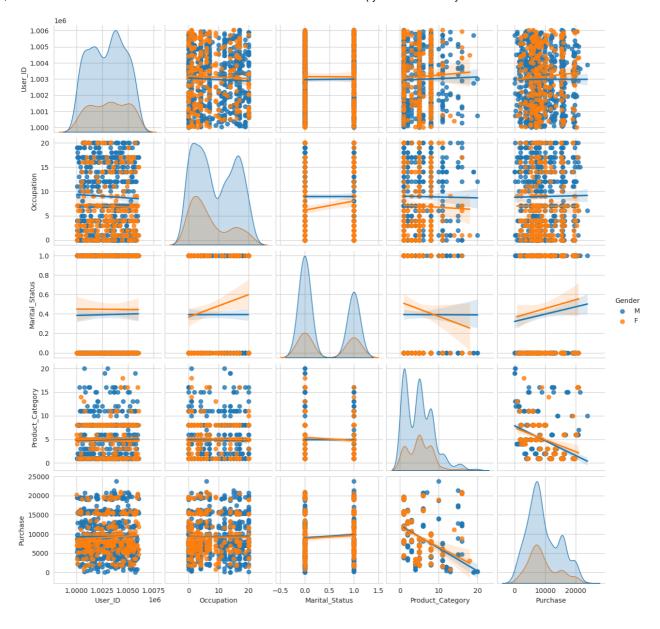
```
fig = plt.figure(figsize=(15,10))
fig, axis= plt.subplots(4, 2, figsize=(18,15))
sns.histplot(data=df_walmart, x="Occupation", ax=axis[0, 0])
sns.kdeplot(data=df_walmart, x="Product_Category", ax=axis[1, 0])
sns.histplot(data=df_walmart, x="Product_Category", ax=axis[1, 0])
sns.kdeplot(data=df_walmart, x="Morital_Status", ax=axis[2, 0])
sns.histplot(data=df_walmart, x="Marital_Status", ax=axis[2, 0])
sns.kdeplot(data=df_walmart, x="Marital_Status", ax=axis[2, 1])
sns.histplot(data=df_walmart, x="Purchase", ax=axis[3,0])
sns.kdeplot(data=df_walmart, x="Purchase", ax=axis[3,1])
plt.show()
```



#Correlation HeatMap
plt.figure(figsize=(15,6))
ax = sns.heatmap(df_walmart.corr(),annot=True,cmap='GnBu')
plt.show()



```
# Taking a sample of 2000 entries to create pair wise plots
#plt.figure(figsize=(15, 2))
sns.pairplot(df_walmart.sample(1000), hue = 'Gender', kind = 'reg')
plt.show()
```



Central Limit Theorem:

With CLT, the objective is to find a range of values called confidence interval (CI), that helps us make assertion with a degree of confidence as specified.

To calculate the confidence interval (CI), we will have to take a number of random samples and calculate their means. Now, for example, in order to calculate 95 percent confidence interval, we will find the 2.5 and 97.5 percentile values in all the means calculated from these random samples.

"The Central Limit Theorem states that the means of samples taken from any data, follow a gaussian distribution, irrespective of the fact whether the values themselves follow the gaussian distribution or not."

```
#Average purchase by gender
fig = plt.figure(figsize=(14,14))
fig, ax= plt.subplots(1, 3, figsize=(10,10))

plt.subplot(1, 3, 1)
sample_mean_1000 = [np.mean(df_walmart['Purchase'].sample(1000)) for i in range(200)]
sns.histplot(data=sample_mean_1000, kde=True, ax=ax[0], color='r')
plt.title('Distribution of avg. purchase for all users', fontsize=7)
plt.xlabel('Average purchase', fontsize=7)

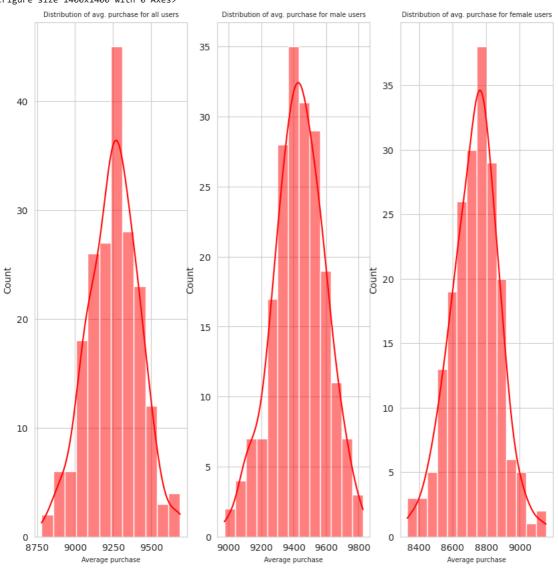
plt.subplot(1, 3, 2)
sample_m_mean_1000 = [np.mean(df_walmart[df_walmart['Gender'] =='M']['Purchase'].sample(1000)) for i in range(200)]
sns.histplot(data=sample_m_mean_1000, kde=True, ax=ax[1], color='r')
plt.title('Distribution of avg. purchase for male users', fontsize=7)
```

```
plt.xlabel('Average purchase', fontsize=7)

plt.subplot(1, 3, 3)
sample_f_mean_1000 = [np.mean(df_walmart[df_walmart['Gender'] =='F']['Purchase'].sample(1000)) for i in range(200)]
sns.histplot(data=sample_f_mean_1000, kde=True, ax=ax[2], color='r')
plt.title('Distribution of avg. purchase for female users', fontsize=7)
plt.xlabel('Average purchase', fontsize=7)

plt.show()
```





Finding different confidence intervals for males and females

```
print('Mean of sample means = ', np.mean(sample_mean_1000).round(2) )
print('Population mean =', np.mean(df_walmart.loc[df_walmart['Gender']=='M', 'Purchase']))
print('Standard deviation of means (Standard Error) =', np.std(sample_mean_1000).round(2))
print('Standard deviation of population =',df_walmart['Purchase'].std().round(2) )
print('90% CONFIDENCE INTERVAL: ')
print((np.percentile(sample_mean_1000, 5).round(2), np.percentile(sample_mean_1000, 95).round(2)))
print('90% CONFIDENCE INTERVAL for Males: ')
print((np.percentile(sample_m_mean_1000, 5).round(2), np.percentile(sample_m_mean_1000, 95).round(2)))
print('90% CONFIDENCE INTERVAL for Females: ')
print((np.percentile(sample_f_mean_1000, 5).round(2), np.percentile(sample_f_mean_1000, 95).round(2)))
print('95% CONFIDENCE INTERVAL: ')
print((np.percentile(sample\_mean\_1000,\ 2.5).round(2),\ np.percentile(sample\_mean\_1000,\ 97.5).round(2)))
print('95% CONFIDENCE INTERVAL for Males: ')
print((np.percentile(sample_m_mean_1000, 2.5).round(2), np.percentile(sample_m_mean_1000, 97.5).round(2)))
print('95% CONFIDENCE INTERVAL for Females: ')
\label{eq:print} print((np.percentile(sample\_f\_mean\_1000, 2.5).round(2), np.percentile(sample\_f\_mean\_1000, 97.5).round(2)))
print('99% CONFIDENCE INTERVAL: ')
print((np.percentile(sample\_mean\_1000,\ 0.5).round(2),\ np.percentile(sample\_mean\_1000,\ 99.5).round(2)))
print('99% CONFIDENCE INTERVAL for Males: ')
print((np.percentile(sample\_m\_mean\_1000,\ 0.5).round(2),\ np.percentile(sample\_m\_mean\_1000,\ 99.5).round(2)))
print('99% CONFIDENCE INTERVAL for Females: ')
print((np.percentile(sample_f_mean_1000, 0.5).round(2), np.percentile(sample_f_mean_1000, 99.5).round(2)))
```

```
Mean of sample means = 9251.75
Population mean = 9437.526040472265
Standard deviation of means (Standard Error) = 166.58
Standard deviation of population = 5023.07
90% CONFIDENCE INTERVAL:
(8990.01, 9507.39)
90% CONFIDENCE INTERVAL for Males:
(9132.79, 9691.64)
90% CONFIDENCE INTERVAL for Females:
(8503.5, 8945.43)
95% CONFIDENCE INTERVAL:
(8908.11, 9554.74)
95% CONFIDENCE INTERVAL for Males:
(9103.45, 9726.65)
95% CONFIDENCE INTERVAL for Females:
(8442.1, 9015.14)
99% CONFIDENCE INTERVAL:
(8850.51, 9686.7)
99% CONFIDENCE INTERVAL for Males:
(9015.56, 9807.92)
99% CONFIDENCE INTERVAL for Females:
(8351.72, 9121.25)
```

Observations & Insights:

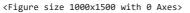
- 1) Mean purchase amount for females = 8734.56.
- 2) Mean purchase amount for males = 9437.52.
- 3) 95% confidence interval for purchase amounts of females is less than males without any intersection.
- 4) 'Female' gender spend less than 'Male'. We see this with 95% confidence.

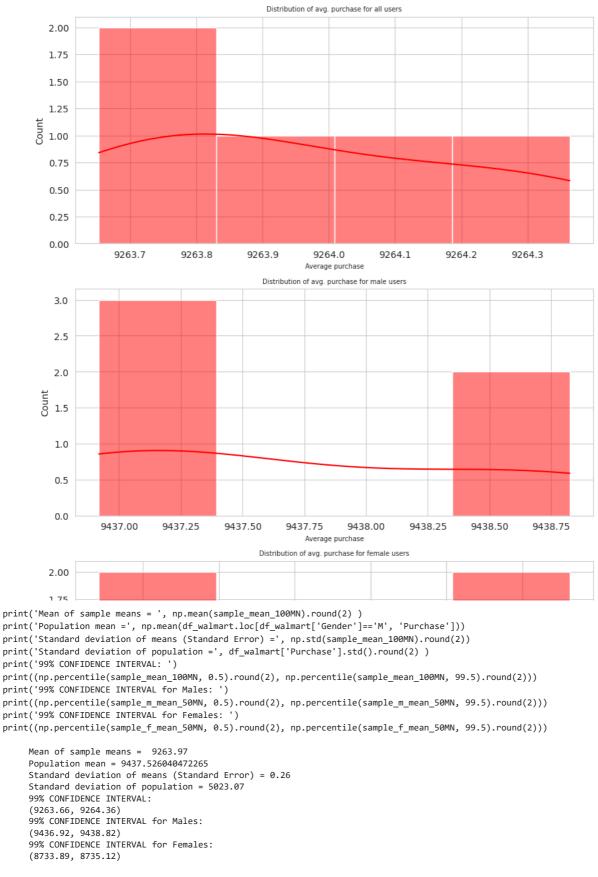
Insights-

- 1) This is the target product purchase value for customers with Gender='Male' with 95% CI --> (9154.95, 9726.51).
- 2) This is the target product purchase value for customers with Gender='Female' with 95% CI --> (8417.18, 9017.82).

Do women spend more than men on Black Friday? Assume 50 MN men and 50 MN women.

```
#Average purchase by gender on black Friday (50 MN male and female customers)
fig = plt.figure(figsize=(10,15))
fig, ax= plt.subplots(3, 1, figsize=(10,15))
plt.subplot(3, 1, 1)
sample_mean_100MN = [np.mean(df_walmart['Purchase'].sample(100000000, replace=True)) for i in range(5)]
sns.histplot(data=sample_mean_100MN, kde=True, ax=ax[0], color='r')
plt.title('Distribution of avg. purchase for all users', fontsize=7)
plt.xlabel('Average purchase', fontsize=7)
plt.subplot(3, 1, 2)
sample m mean 50MN = [np.mean(df walmart[df walmart['Gender'] == 'M']['Purchase'].sample(50000000, replace=True)) for i in range(5)]
sns.histplot(data=sample_m_mean_50MN, kde=True, ax=ax[1], color='r')
plt.title('Distribution of avg. purchase for male users', fontsize=7)
plt.xlabel('Average purchase', fontsize=7)
plt.subplot(3, 1, 3)
sample\_f\_mean\_50MN = [np.mean(df\_walmart[df\_walmart['Gender'] =='F']['Purchase'].sample(50000000, replace=True)) \quad for \ i \ in \ range(5)]
sns.histplot(data=sample_f_mean_50MN, kde=True, ax=ax[2], color='r')
plt.title('Distribution of avg. purchase for female users', fontsize=7)
plt.xlabel('Average purchase', fontsize=7)
plt.show()
```





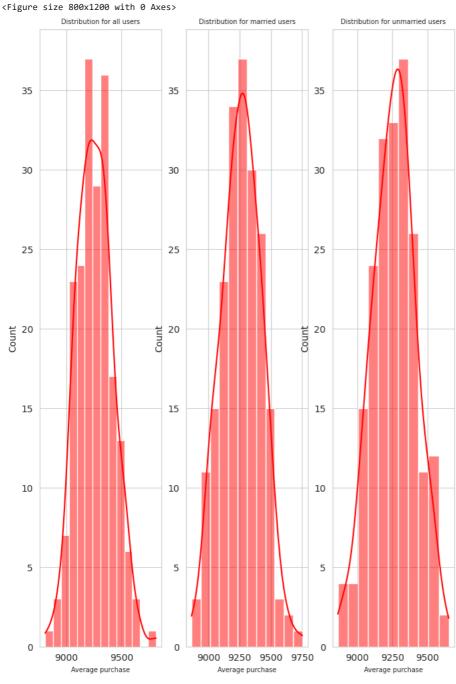
Insight (black friday): We can clearly say with 99% confidence that there is no overlap between Men and Women for a sample of 50MN men and 50 MN women. Therefore, we can safely conclude that Men spent more than Women on Black Friday.

```
#Average purchase by Marital_Status
avg_purchase_by_marital_status=df_walmart.groupby('Marital_Status')['Purchase'].mean()
avg_purchase_by_marital_status

Marital_Status
0 9265.907619
```

```
9261.174574
Name: Purchase, dtype: float64
```

```
#Sample mean for Marital Status
fig = plt.figure(figsize=(8,12))
fig, ax= plt.subplots(1, 3, figsize=(8,12))
plt.subplot(1, 3, 1)
sample_mean_1000 = [np.mean(df_walmart['Purchase'].sample(1000)) for i in range(200)]
sns.histplot(data=sample_mean_1000, kde=True, ax=ax[0], color='r')
plt.title('Distribution for all users', fontsize=7)
plt.xlabel('Average purchase', fontsize=7)
plt.subplot(1, 3, 2)
sample_married_mean_1000 = [np.mean(df_walmart[df_walmart['Marital_Status'] == 1]['Purchase'].sample(1000)) for i in range(200)]
sns.histplot(data=sample_married_mean_1000, kde=True, ax=ax[1], color='r')
plt.title('Distribution for married users', fontsize=7)
plt.xlabel('Average purchase', fontsize=7)
plt.subplot(1, 3, 3)
sample_unmarried_mean_1000 = [np.mean(df_walmart[df_walmart['Marital_Status'] == 0]['Purchase'].sample(1000)) for i in range(200)]
sns.histplot(data=sample_unmarried_mean_1000, kde=True, ax=ax[2], color='r')
plt.title('Distribution for unmarried users', fontsize=7)
plt.xlabel('Average purchase', fontsize=7)
plt.show()
```



```
# Finding different confidence intervals for married & unmarried
print('Mean of sample means = ', np.mean(sample_mean_1000).round(2) )
print('Population mean =', np.mean(df_walmart['Purchase']).round(2))
print('Standard deviation of means (Standard Error) =', np.std(sample_mean_1000).round(2))
print('Standard deviation of population =',df_walmart['Purchase'].std().round(2) )
print('90% CONFIDENCE INTERVAL: ')
print((np.percentile(sample_mean_1000, 5.0).round(2), np.percentile(sample_mean_1000, 95.0).round(2)))
print('90% CONFIDENCE INTERVAL for Married: ')
print((np.percentile(sample\_married\_mean\_1000,\ 5.0).round(2),\ np.percentile(sample\_married\_mean\_1000,\ 95.0).round(2)))
print('90% CONFIDENCE INTERVAL for Unmarried: ')
print((np.percentile(sample_unmarried_mean_1000, 5.0).round(2), np.percentile(sample_unmarried_mean_1000, 95.0).round(2)))
print('95% CONFIDENCE INTERVAL: ')
print((np.percentile(sample_mean_1000, 2.5).round(2), np.percentile(sample_mean_1000, 97.5).round(2)))
print('95% CONFIDENCE INTERVAL for Married: ')
print((np.percentile(sample_married_mean_1000, 2.5).round(2), np.percentile(sample_married_mean_1000, 97.5).round(2)))
print('95% CONFIDENCE INTERVAL for Unmarried: ')
print((np.percentile(sample_unmarried_mean_1000, 2.5).round(2), np.percentile(sample_unmarried_mean_1000, 97.5).round(2)))
print('99% CONFIDENCE INTERVAL: ')
print((np.percentile(sample_mean_1000, 0.5).round(2), np.percentile(sample_mean_1000, 99.5).round(2)))
print('99% CONFIDENCE INTERVAL for Married: ')
print((np.percentile(sample_married_mean_1000, 0.5).round(2), np.percentile(sample_married_mean_1000, 99.5).round(2)))
print('99% CONFIDENCE INTERVAL for Unmarried: ')
print((np.percentile(sample_unmarried_mean_1000, 0.5).round(2), np.percentile(sample_unmarried_mean_1000, 99.5).round(2)))
     Mean of sample means = 9259.47
     Population mean = 9263.97
     Standard deviation of means (Standard Error) = 156.32
     Standard deviation of population = 5023.07
     90% CONFIDENCE INTERVAL:
     (9033.43, 9556.43)
     90% CONFIDENCE INTERVAL for Married:
     (8980.25, 9489.82)
     90% CONFIDENCE INTERVAL for Unmarried:
     (8963.58, 9491.21)
     95% CONFIDENCE INTERVAL:
     (8963.53, 9588.78)
     95% CONFIDENCE INTERVAL for Married:
     (8952.37, 9572.27)
     95% CONFIDENCE INTERVAL for Unmarried:
     (8933.83, 9562.54)
     99% CONFIDENCE INTERVAL:
     (8887.81, 9645.6)
     99% CONFIDENCE INTERVAL for Married:
     (8823.45, 9613.92)
     99% CONFIDENCE INTERVAL for Unmarried:
     (8838.98, 9647.99)
```

Observations:

- 1) Average purchase value for married customers is 9261.17.
- 2) Average purchase value for unmarried customers is 9265.90.
- 3) For example, there's is overlap between for both in case of their 95% confidence intervals. We don't have enough statistical evidence to compare their expenses.

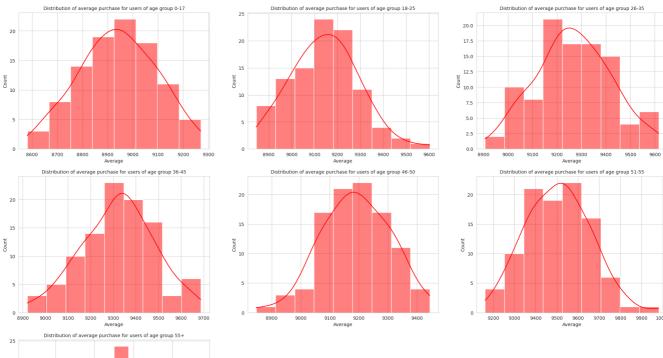
Insights

- 1) Walmart can target products in the following price range for customers with Marital_Status='Married' with 95% CI -> (8979.49, 9490.5).
- 2) Walmart can target products in the following price range for customers with Marital_Status='Unmarried' with 95% CI -> (8963.36, 9524.05).

```
#Average purchase by Age
avg_purchase_by_age=df_walmart.groupby('Age')['Purchase'].mean()
avg_purchase_by_age
     Age
     0-17
              8933.464640
     18-25
              9169.663606
     26-35
              9252.690633
     36-45
              9331.350695
              9208.625697
     46-50
     51-55
              9534.808031
     55+
              9336,280459
     Name: Purchase, dtype: float64
# Taking 100 samples of 1000 entries for each age group and
# Plotting HIST/KDE plots to verify if their distribution looks gaussian
plt.figure(figsize=(25,18))
x = 1
for age_cat in ['0-17', '18-25', '26-35', '36-45', '46-50', '51-55', '55+']:
```

20

```
for i in range(100):
        temp = df_walmart.loc[df_walmart['Age'] == age_cat, 'Purchase'].sample(1000)
        avg = temp.mean()
        means.append(avg)
    plt.subplot(3,3,x)
    sns.histplot(x = means, kde=True, color = 'r')
    if age_cat == '0-17':
        means_0_17 = means
    elif age_cat == '18-25':
        means_18_25 = means
    elif age_cat == '26-35':
        means_26_35 = means
    elif age_cat == '36-45':
       means_36_45 = means
    elif age_cat == '46-50':
        means_46_50 = means
    elif age_cat == '51-55':
       means_51_55 = means
    elif age_cat == '55+':
       means_55 = means
    plt.title('Distribution of average purchase for users of age group {age}'.format(age = age\_cat), fontsize=10)
    plt.xlabel('Average')
    x += 1
plt.show()
```



```
# Finding confidence intervals for mean purchase for each age group
for age_cat in ['0-17', '18-25', '26-35', '36-45', '46-50', '51-55', '55+']:
    print('For {age}-'.format(age = age_cat))
    if age_cat == '0-17':
        means = means_0_17
    elif age_cat == '18-25':
        means = means_18_25
    elif age_cat == '26-35':
        means = means_26_35
    elif age_cat == '36-45':
        means = means_36_45
```

Average

```
elif age_cat == '46-50':
   means = means 4650
elif age_cat == '51-55':
   means = means 51 55
elif age_cat == '55+':
   means = means_55
print('Mean of sample means =',np.mean(means).round(2))
print('Population mean =', np.mean(df_walmart[df_walmart['Age']==age_cat]['Purchase'].mean()).round(2) )
print('Standard deviation of means (Standard Error) =', np.std(means).round(2))
print('Standard deviation of population =',df_walmart[df_walmart['Age'] == age_cat]['Purchase'].std().round(2) )
print('99% CONFIDENCE INTERVAL for mean expense by users of age group {age}-'.format(age = age_cat))
print((np.percentile(means, 0.5).round(2), np.percentile(means, 99.5).round(2)))
print('95% CONFIDENCE INTERVAL for mean expense by users of age group {age}-'.format(age = age_cat))
print((np.percentile(means, 2.5).round(2), np.percentile(means, 97.5).round(2)))
print('90% CONFIDENCE INTERVAL for mean expense by users of age group {age}-'.format(age = age_cat))
print((np.percentile(means, 5).round(2), np.percentile(means, 95).round(2)))
print('*'*100)
Population mean = 9252.69
Standard deviation of means (Standard Error) = 150.98
Standard deviation of population = 5010.53
99% CONFIDENCE INTERVAL for mean expense by users of age group 26-35-
 (8926.08, 9603.1)
 95% CONFIDENCE INTERVAL for mean expense by users of age group 26-35-
 (9001.41, 9570.41)
 90% CONFIDENCE INTERVAL for mean expense by users of age group 26-35-
 (9024.03, 9540.86)
                 For 36-45-
Mean of sample means = 9321.38
Population mean = 9331.35
 Standard deviation of means (Standard Error) = 159.17
 Standard deviation of population = 5022.92
 99% CONFIDENCE INTERVAL for mean expense by users of age group 36-45-
 (8929.06, 9659.11)
 95% CONFIDENCE INTERVAL for mean expense by users of age group 36-45-
 (9003.17, 9625.18)
 90% CONFIDENCE INTERVAL for mean expense by users of age group 36-45-
 (9063.06, 9606.68)
 For 46-50-
Mean of sample means = 9190.3
Population mean = 9208.63
 Standard deviation of means (Standard Error) = 117.54
 Standard deviation of population = 4967.22
 99% CONFIDENCE INTERVAL for mean expense by users of age group 46-50-
 (8879.81, 9443.28)
95% CONFIDENCE INTERVAL for mean expense by users of age group 46-50-
 (8969.32, 9412.96)
 90% CONFIDENCE INTERVAL for mean expense by users of age group 46-50-
 (9013.66, 9363.43)
For 51-55-
 Mean of sample means = 9506.92
Population mean = 9534.81
 Standard deviation of means (Standard Error) = 150.37
Standard deviation of population = 5087.37
 99% CONFIDENCE INTERVAL for mean expense by users of age group 51-55-
 (9189, 24, 9904, 24)
 95% CONFIDENCE INTERVAL for mean expense by users of age group 51-55-
 (9241.08, 9794.3)
90% CONFIDENCE INTERVAL for mean expense by users of age group 51-55-
 (9274.15, 9738.59)
          ********************************
 For 55+-
 Mean of sample means = 9310.44
Population mean = 9336.28
Standard deviation of means (Standard Error) = 153.01
Standard deviation of population = 5011.49
99% CONFIDENCE INTERVAL for mean expense by users of age group 55+-
 (8895.39, 9705.54)
95% CONFIDENCE INTERVAL for mean expense by users of age group 55+-
 (9004.51, 9582.78)
 90% CONFIDENCE INTERVAL for mean expense by users of age group 55+-
 (9046.6, 9548.92)
        *************************
```

Observations:

1) 99% Confidence Interval for 0-17 is less than 51-55 without overlap. We can say with 99% confidence that average purchase value of 0-17 is less compared to average purchase value of 51-55 age group.

Insights:

- 1) Products that cost between (9163.53, 9821.14) can be the target for 51-55 year age group.
- 2) Products that cost between (8626.28, 9228.37) can be the target for 0-17 year age group.

Observations and Recommendations

- *Observations: *
- 1) Walmart has more 'Male' than 'Female' customers.
- 2) In general, 'Male' customers are spending than 'Female' customers both in terms of average purchase as well as the overall revenue.
- 3) Unmarried people are buying more than married people.
- 4) Top 3 product categories are: 5, 1 & 8. Prioritize these product categories to improve their visibility in stores.
- 5) Top 3 occupations are: 4, 0 & 7. Target people in these top occupations.
- 6) Top 3 age groups are: 26-35, 36-45 and 18-25, esp. 26-35 as they they are making the most purchases. Target people in this age bracket.
- 7) People of city category 'B' are the biggest buyers at Walmart. Inventory in these cities must be boosted to ensure we have no shortages.
- 8) People who have spent between 1 to 2 years in their current city of stay are more likely to spend at Walmart.
- 9) Top 5 products are as follows:

P00265242 1880

P00025442 1615

P00110742 1612

P00112142 1562

P00057642 1470

Recommendations

- 1) Promotions to tap into the potential of city category B.
- 2) Promotions to tap into the potential of top 5 products by ensuring their visibility in all Walmart stores.
- 3) Promotions to maximize revenue potential for customers with stay in their current city between 1 to 2 years.
- 4) As people spend more than 2 years in their current city, their preference for Walmart seems to dip. Walmart should look into this issue, and devise a strategy to ensure loyalty of customers beyond 2 years into their current city.
- 5) As the unmarried customers buy more from Walmart, Walmart should keep doing things that are being done right today with respect to Unmarried customers.
- 6) Walmart should check what can be additionally done to increase the wallet share of Married customers.
- 7) Male customers buy more than female customers. Target 'Female' segment with gender specific promotions & come up with a clear strategy to get more wallet share from this gender.
- 8) There are certain age groups where affordability is higher & their share in Walmart revenue is higher than others. For example: 26-35 years age group. Walmart must ensure that NPS of this segment stays high through brand loyalty programs.
- 9) Address different customer segments like 'Gender', 'Marital Status' and 'Age' based on their preference and purchase capacity.