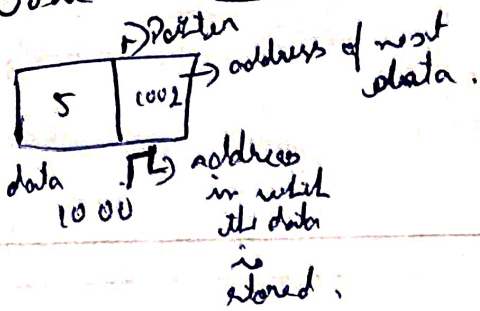
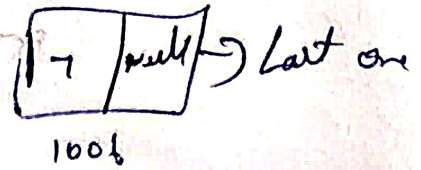
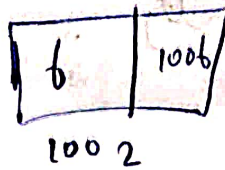


st Node



Linked List \rightarrow Multiple list linked



Normal list

num = [5, 7, 8, 9]

first (id (num[0])) \rightarrow whenever runs, it changes frequently as it is getting memory from RAM.
 next index element id \Rightarrow different \Rightarrow 32
 \Rightarrow 4 bytes.

But in linked list

different ids but all are linked based on the addresses stored.

node

First \Rightarrow Head

Last \Rightarrow Tail.

Operations:
 * Insertion
 * Deletion.

~~diff.~~ diff. datatypes included.

	Start	Middle	End
Insert	$O(1)$	$O(n)$	$O(n)$
Delete	$O(1)$	$O(n)$	$O(n)$
Search	$O(n)$		

Linked list can be effectively used in OOPS.

Time Complexity & Space Complexity

Big O notation:

- i) $O(1)$ \rightarrow Constant
- ii) $O(n)$ \rightarrow Linear
- iii) $O(\log n)$ \rightarrow Logarithmic \rightarrow Two pointer technique \rightarrow Binary search.
- iv) $O(N \log N)$ \rightarrow Linear logarithmic \rightarrow Merge Sorting.
- v) $O(n^2)$ \rightarrow Quadratic.

i) $\text{print}("Hi")$ \rightarrow Constant $O(1)$ \rightarrow No. of times.
(or) $n=1$ print
 $n=2$ $(2+1)$

ii) $l = [1, 2, 3, 4, 5]$ $\rightarrow O(n)$
for i in l
 $\text{print}(i)$

iii) $O(n^2)$ $l = [1, 2, 3, 4, 5]$
for i in l
 for j in l
 $\text{print}(i, j)$
 $n^2 = 5^2 = 25$

\rightarrow 25 combinations come out

Space Complexity

↳ Space occupied by program.

* $O(1)$ \Rightarrow Constant space. (Note: Same datatype, same variable)
 $a=10$. \rightarrow Even $a=100$ occupies same size.

* $O(n)$ Linear.

$l = [1, 2, 3, 4, 5]$

↳ based on values in list it occupies space.

Both Constant & Linear.

$a=10$

$l=20$

$c = [1, 2, 3]$

↳ Highest space occupied \rightarrow take it. $O(n)$

* $O(\log n)$ \Rightarrow Recursive \Rightarrow Stack

* $O(n^2)$ \Rightarrow Matrix form of array
rows + columns

$l = \begin{bmatrix} [1, 2, 3] \\ [1, 3, 2] \\ [1, 1, 3] \end{bmatrix}$

Auxiliary space

$l=10$

\rightarrow give $O(1)$

$K = []$

\hookleftarrow but we are taking $O(n)$

for i in range(1, l+1):

This is auxiliary space.

$K.append(i)$

Max. is $O(n)$.

$O(1)$

\rightarrow Efficient

$O(\log n)$

$O(n)$

$O(n \log n)$

$O(n^2)$



Array - $K = [1, 2, 3, 4]$

Based on this \Rightarrow Time complexity $O(n)$
 when added to as position the elements in that position shift to next position

* Access
 $O(1)$
 $K[2] \rightarrow$ band a index

+ Insert
 1st, middle,
 $O(n-i)$
 Last index
 $O(1)$

* Delete * Search

After deleting 1 value, all the values shift to 1 position before
 $O(n-i)$
 Last
 $O(1)$

$O(n)$

Words are always in order

$[1, 2, 3, 4, 5]$

check 5 in list

\Rightarrow word are last position

last case

$[5, 2, 3, 4]$

Searching algorithms

* Linear Search

$l = [1, 2, 3, 4]$

$x = 3$

for i in l :

if $i == x$

print i

normal

if we meet index?

* Binary Search

$[1, 2, 3, 4, 5]$

Search for the value in list, if it is present in

left, middle or right.

then again divide & see where it is

eliminate other values.

Recursion

factorial.

$n \leq 5$

def fact(n)

if $n == 1$:

$5 \times 4 \times 3 \times 2 \times 1$

return $n \times \text{fact}(n-1)$

It will be stored in stack.

1
 2
 3
 4
 5

1×1
 2×1
 3×2
 4×3
 5×4

\Rightarrow condition $1! = 1$

Given $1 \times 2 \times 3 \times 4 \times 5 = 120$