

Practical 1

Aim: Design a Simple Neural Network Model.

This image shows a full page of blank, lined paper. It features approximately 20 horizontal blue lines spaced evenly across the page, typical of standard notebook paper. The lines are thin and light blue, set against a plain white background. There is no handwriting or other markings on the page.

Practical 1-A:-

Aim: Design a Simple Neural Network Model.

Code:

```
x = float(input("Enter value of x: "))
w = float(input("Enter value of weight w: "))
b = float(input("Enter value of bias b: "))
net = int(w * x + b)

if (net<0):
    out = 0
elif ((net>=0) and (net<=1)):
    out = net
else:
    out = 1

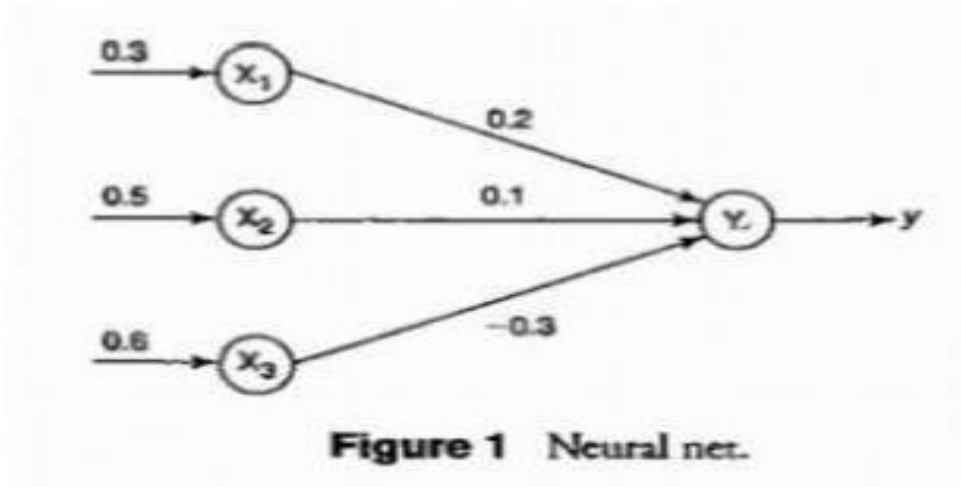
print("net=",net)
print("output=",out)
```

Output:

```
PS C:\Users\raman> python .\example.py
Enter value of x: 1
Enter value of weight w: 65
Enter value of bias b: 50
net= 115
output= 1
```

Practical 1-B:-

Aim: Calculate the output of a Neural Net using both binary and bipolar sigmoidal function.



Code:

```
# number of elements as input
n = int(input("Enter number of elements : "))

# In[2]:
print("Enter the inputs")

# creating an empty list for inputs
inputs = []

# iterating till the range
for i in range(0, n):
    ele = float(input())
    inputs.append(ele)

# adding the element
print(inputs) # In[3]:
print("Enter the weights")

# creating an empty list for weights
weights = []
# iterating till the range
for i in range(0, n):
    ele = float(input())
    weights.append(ele)

# adding the element
print(weights)

# In[4]:
print("The net input can be calculated as  $Y_{in} = x_1w_1 + x_2w_2 + x_3w_3$ ")
```

```
# In[5]:  
Yin = []  
for i in range(0, n):  
    Yin.append(inputs[i]*weights[i])  
print(round(sum(Yin),3))
```

Output:

```
PS C:\Users\raman> python .\example.py  
Enter number of elements : 3  
Enter the inputs  
1  
2  
3  
[1.0, 2.0, 3.0]  
Enter the weights  
10  
20  
30  
[10.0, 20.0, 30.0]  
The net input can be calculated as  $Yin = x_1w_1 + x_2w_2 + x_3w_3$   
140.0
```

Practical 2

Aim: Implementation of AND.NOT function using McCulloch-Pitts neuron (use binary data representation).

[illegible]

Practical 2-A:-

Aim: Implementation of AND.NOT function using McCulloch-Pitts neuron (use binary data representation).

Code:

```
# enter the no of inputs
num_ip = int(input("Enter the number of inputs : "))

#Set the weights with value 1
w1 = 1
w2 = 1
print("For the ", num_ip , " inputs calculate the net input using yin = x1w1 + x2w2 ")
x1 = []
x2 = []
for j in range(0, num_ip):
    ele1 = int(input("x1 = "))
    ele2 = int(input("x2 = "))
    x1.append(ele1)
    x2.append(ele2)
print("x1 = ",x1)
print("x2 = ",x2)
n = x1 * w1
m = x2 * w2
Yin = []
for i in range(0, num_ip):
    Yin.append(n[i] + m[i])
    print("Yin = ",Yin)

#Assume one weight as excitatory and the other as inhibitory, i.e.,
Yin = []
for i in range(0, num_ip):
    Yin.append(n[i] - m[i])

print("After assuming one weight as excitatory and the other as inhibitory Yin = ",Yin)

#From the calculated net inputs, now it is possible to fire the neuron for input (1, 0)
#only by fixing a threshold of 1, i.e.,  $\theta \geq 1$  for Y unit.
#Thus, w1 = 1, w2 = -1;  $\theta \geq 1$ 

Y=[]
for i in range(0, num_ip):
    if(Yin[i]>=1):
        ele= 1
        clear
        Y.append(ele)
```

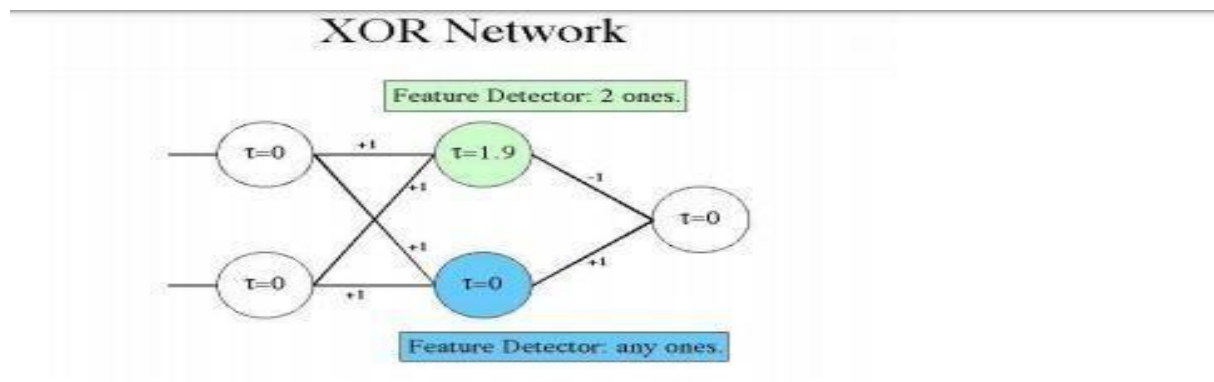
```
if(Yin[i]<1):  
    ele= 0  
    Y.append(ele)  
print("Y = ",Y)
```

Output:

```
PS C:\Users\raman> python example.py  
Enter the number of inputs : 4  
For the 4 inputs calculate the net input using  $yin = x1w1 + x2w2$   
x1 = 0  
x2 = 0  
x1 = 1  
x2 = 0  
x1 = 0  
x2 = 1  
x1 = 1  
x2 = 1  
x1 = [0, 1, 0, 1]  
x2 = [0, 0, 1, 1]  
Yin = [0]  
Yin = [0, 1]  
Yin = [0, 1, 1]  
Yin = [0, 1, 1, 2]  
After assuming one weight as excitatory and the other as inhibitory Yin = [0, 1, -1, 0]  
Y = [0, 1, 0, 0]
```

Practical 2-B:-

Aim: Generate XOR function using McCulloch-Pitts neural net.



The XOR (exclusive or) function is defined by the following truth table:

Input1	Input2	XOR Output
0	0	0
0	1	1
1	0	1
1	1	0

Code:

```

import numpy as np

#Getting weights and threshold value
print('Enter weights')
w11=int(input('Weight w11='))
w12=int(input('weight w12='))

w21=int(input('Weight w21='))
w22=int(input('weight w22='))
v1=int(input('weight v1='))
v2=int(input('weight v2='))
print('Enter Threshold Value')
theta=int(input('theta='))
x1=np.array([0, 0, 1, 1])
x2=np.array([0, 1, 0, 1])
z=np.array([0, 1, 1, 0])
con=1
y1=np.zeros((4,))
y2=np.zeros((4,))
y=np.zeros((4,))
if con==1:
    zin1=np.zeros((4,))
    zin2=np.zeros((4,))
    zin1=x1*w11+x2*w21
    zin2=x1*w21+x2*w22
print("z1",zin1)

```



```
print("z2",zin2)
for i in range(0,4):
    if zin1[i]>=theta:
        y1[i]=1
    else:
        y1[i]=0
    if zin2[i] >= theta:
        y2[i]=1
    else:
        y2[i]=0
yin = np.array([])
yin = y1*v1+y2*v2
for i in range(0,4):
    if yin[i]>=theta:
        y[i]=1
    else:
        y[i]=0
    print("yin",yin)
    print('Output of Net')
    y = y.astype(int)
    print("y",y)
    print("z",z)
if np.array_equal(y,z):
    con=0
else:
    print("Net is not learning enter another set of weights and Threshold value")
    w11=input("Weight w11=")
    w12=input("weight w12=")

    w21=input("Weight w21=")
    w22=input("weight w22=")

    v1=input("weight v1=")
    v2=input("weight v2=")
    theta=input("theta=")
print("McCulloch-Pitts Net for XOR function")
print("Weights of Neuron Z1")
print(w11)
print(w21)
print("weights of Neuron Z2")
print(w12)
print(w22)
print("weights of Neuron Y")
print(v1)
print(v2)
print("Threshold value")
print(theta)
```

Output:

```
PS C:\Users\raman> python example.py
Enter weights
Weight w11=1
weight w12=-1
Weight w21=-1
weight w22=1
weight v1=1
weight v2=1
Enter Threshold Value
theta=1
z1 [ 0 -1  1  0]
z2 [ 0  1 -1  0]
yin [0.  1.  1.  0.]
Output of Net
y [0 0 0 0]
z [0 1 1 0]
yin [0.  1.  1.  0.]
Output of Net
y [0 1 1 0]
z [0 1 1 0]
McCulloch-Pitts Net for XOR function
Weights of Neuron Z1
1
-1
weights of Neuron Z2
-1
1
weights of Neuron Y
1
1
Threshold value
1
```

Practical 3

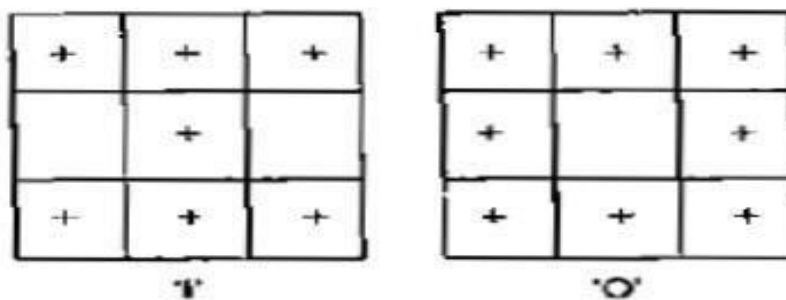
Aim: Write a program to implement Hebb's Rule.

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Practical 3-A:-

Aim: Write a program to implement Hebb's Rule.

Using the Hebb rule, find the weights required to perform the following classifications of the given input patterns shown in Figure 16. The pattern is shown as 3×3 matrix form in the squares. The "+" symbols represent the value "1" and empty squares indicate "-1." Consider "I" belongs to the members of class (so has target value 1) and "O" does not belong to the members of class (so has target value -1).



Code:

```
import numpy as np

x1 = np.array([1,1,1,-1,1,-1,1,1,1])
x2 = np.array([1,1,1,1,-1,1,1,1,1])
b = 0
y = np.array([1,-1])
wtold = np.zeros((9,))
wtnew = np.zeros((9,))
wtnew = wtnew.astype(int)
wtold = wtold.astype(int)
bias = 0
print("First input with target =1")

for i in range(0,9):
    wtold[i] = wtold[i] + x1[i] * y[0]

wtnew = wtold
b = b + y[0]

print("new wt =", wtnew)
print("Bias value",b)

print("Second input with target =-1")
```

```
for i in range(0,9):  
    wtnew[i] = wtold[i] + x2[i] * y[1]  
b = b + y[1]  
print("new wt =", wtnew)  
print("Bias value",b)
```

Output:

```
PS C:\Users\raman> python .\Hebb.py  
First input with target =1  
new wt = [ 1  1  1 -1  1 -1  1  1  1]  
Bias value 1  
Second input with target =-1  
new wt = [ 0  0  0 -2  2 -2  0  0  0]  
Bias value 0
```

Practical 3-B:-

Aim: Write a program to implement Delta Rule.

Code:

```
# Supervised Learning
import numpy as np
import time
np.set_printoptions(precision=2)
x=np.zeros((3,))
weights=np.zeros((3,))
desired=np.zeros((3,))
actual=np.zeros((3,))
for i in range(0,3):
    x[i]=float(input("Initial inputs:"))
for i in range(0,3):
    weights[i]=float(input("Initial weights:"))
for i in range(0,3):
    desired[i]=float(input("Desired output:"))

a = float(input("Enter learning rate:"))
actual = x*weights
print("actual",actual)
print("desired",desired)

while True:
    if np.array_equal(desired,actual):
        break #no change
    else:
        for i in range(0,3):
            weights[i]=weights[i]+a*(desired[i]-actual[i])
            actual=x*weights
print("weights",weights)
print("actual",actual)
print("desired",desired)
print("***30)
print("Final output")
print("Corrected weights",weights)
print("actual",actual)
print("desired",desired)
```

Output:

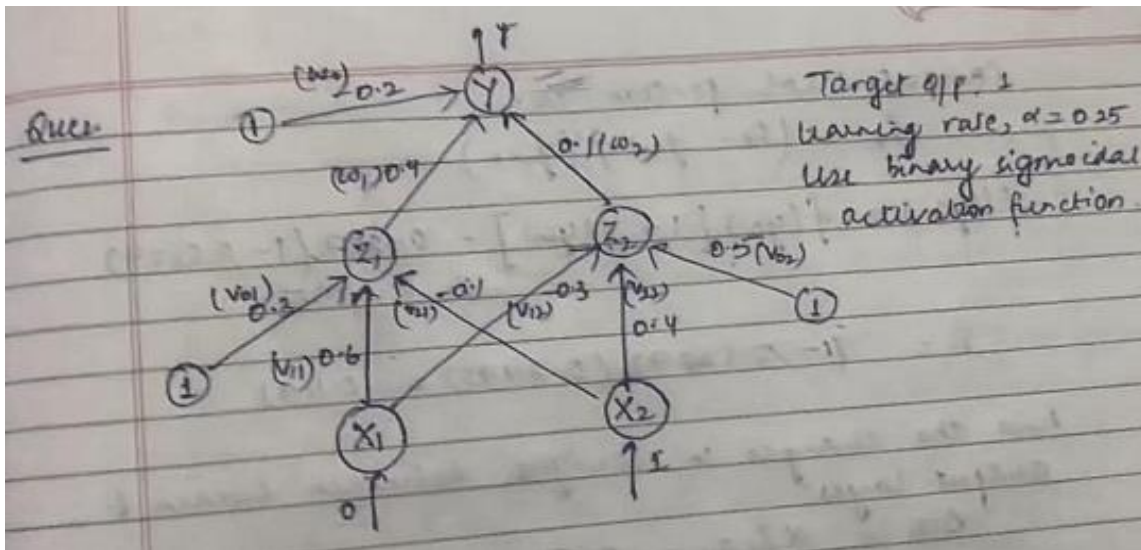
```
PS C:\Users\raman> python .\Delta.py
Initial inputs:1
Initial inputs:1
Initial inputs:1
Initial weights:1
Initial weights:1
Initial weights:1
Desired output:2
Desired output:3
Desired output:4
Enter learning rate:1
actual [1. 1. 1.]
desired [2. 3. 4.]
weights [2. 3. 4.]
actual [2. 3. 4.]
desired [2. 3. 4.]
*****
Final output
Corrected weights [2. 3. 4.]
actual [2. 3. 4.]
desired [2. 3. 4.]
```

Aim: Write a program for Back Propagation Algorithm.

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Practical 4-A:-

Aim: Write a program for Back Propagation Algorithm.



Code:

```
import numpy as np
import math
import decimal

np.set_printoptions(precision=2)

v1=np.array([0.6, 0.3])
v2=np.array([-0.1, 0.4])
w=np.array([-0.2,0.4,0.1])
b1=0.3
b2=0.5
x1=0
x2=1
alpha=0.25

print("calculate net input to z1 layer")
zin1=round(b1+ x1*v1[0]+x2*v2[0],4)

print("z1=",round(zin1,3))
print("calculate net input to z2 layer")
zin2=round(b2+ x1*v1[1]+x2*v2[1],4)

print("z2=",round(zin2,4))
print("Apply activation function to calculate output")
z1=1/(1+math.exp(-zin1))
z1=round(z1,4)
z2=1/(1+math.exp(-zin2))
z2=round(z2,4)
```

```
print("z1=",z1)
print("z2=",z2)
print("calculate net input to output layer")
yin=w[0]+z1*w[1]+z2*w[2]
print("yin=",yin)
print("calculate net output")
y=1/(1+math.exp(-yin))

print("y=",y)
fyin=y *(1- y)
dk=(1-y)*fyin

print("dk",dk)
dw1= alpha * dk * z1
dw2= alpha * dk * z2
dw0= alpha * dk

print("compute error portion in delta")
din1=dk* w[1]
din2=dk* w[2]

print("din1=",din1)
print("din2=",din2)

print("error in delta")
fzin1= z1 *(1-z1)

print("fzin1",fzin1)
d1=din1* fzin1
fzin2= z2 *(1-z2)

print("fzin2",fzin2)
d2=din2* fzin2

print("d1=",d1)
print("d2=",d2)

print("Changes in weights between input and hidden layer")
dv11=alpha * d1 * x1

print("dv11=",dv11)
dv21=alpha * d1 * x2

print("dv21=",dv21)
dv01=alpha * d1

print("dv01=",dv01)
dv12=alpha * d2 * x1
```

```

print("dv12=",dv12)
dv22=alpha * d2 * x2

print("dv22=",dv22)
dv02=alpha * d2

print("dv02=",dv02)
print("Final weights of network")
v1[0]=v1[0]+dv11
v1[1]=v1[1]+dv12

print("v=",v1)
v2[0]=v2[0]+dv21
v2[1]=v2[1]+dv22

print("v2",v2)
w[1]=w[1]+dw1
w[2]=w[2]+dw2
b1=b1+dv01
b2=b2+dv02
w[0]=w[0]+dw0
print("w=",w)
print("bias b1=",b1, " b2=",b2)

```

Output:

```

PS C:\Users\raman> python .\BackPropogation.py
calculate net input to z1 layer
z1= 0.2
calculate net input to z2 layer
z2= 0.9
Apply activation function to calculate output
z1= 0.5498
z2= 0.7109
calculate net input to output layer
yin= 0.09101
calculate net output
y= 0.5227368084248941
dk 0.11906907074145694
compute error portion in delta
din1= 0.04762762829658278
din2= 0.011906907074145694
error in delta
fzin1 0.24751996
fzin2 0.20552119000000002
d1= 0.011788788650865037
d2= 0.0024471217110978417
Changes in weights between input and hidden layer
dv11= 0.0
dv21= 0.0029471971627162592
dv01= 0.0029471971627162592
dv12= 0.0
dv22= 0.0006117804277744604
dv02= 0.0006117804277744604
Final weights of network
v= [0.6 0.3]
v2 [-0.1 0.4]
w= [-0.17 0.42 0.12]
bias b1= 0.30294719716271623 b2= 0.5006117804277744

```

Practical 4-B:-

Aim: Write a program for Error Back Propagation Algorithm(EBPA).

Code:

```
import math

a0 = -1
t = -1

w10 = float(input("Enter weight first network: "))
b10 = float(input("Enter base first network: "))
w20 = float(input("Enter weight second network: "))
b20 = float(input("Enter base second network: "))
c = float(input("Enter learning coefficient: "))

n1 = float(w10*c+b10)
a1 = math.tanh(n1)
n2 = float(w20*a1+b20)
a2 = math.tanh(float(n2))

e = t-a2
s2 = -2*(1-a2*a2)*e
s1 = (1-a1*a1)*w20*s2
w21 = w20-(c*s2*a1)
w11 = w10-(c*s1*a0)
b21 = b20-(c*s2)
b11 = b10-(c*s1)

print("The updated weight of first n/w w11= ",w11)
print("The uploaded weight of second n/w w21= ",w21)
print("The updated base of first n/w b10= ",b10)
print("The updated base of second n/w b20= ",b20)
```

Output:

```
PS C:\Users\raman> python .\ErrorBackPropogation.py
Enter weight first network: 12
Enter base first network: 35
Enter weight second network: 23
Enter base second network: 45
Enter learning coefficient: 11
The updated weight of first n/w w11= 12.0
The uploaded weight of second n/w w21= 23.0
The updated base of first n/w b10= 35.0
The updated base of second n/w b20= 45.0
```

Practical 5

Aim: Write a program for Hopfield Network.

This image shows a full page of blank, lined paper. It features approximately 20 horizontal blue lines spaced evenly across the page, typical of notebook paper. The lines are thin and light blue, set against a plain white background. There is no handwriting or other markings on the page.

Practical 5-A:-

Aim: Write a program for Hopfield Network.

Code:

```
import numpy as np
import matplotlib.pyplot as plt
import seaborn as sns
sns.set_palette('Set2')
N = 400
P = 100
N_sqrt = np.sqrt(N).astype('int32')
NO_OF_ITERATIONS = 40
NO_OF_BITS_TO_CHANGE = 200

epsilon = np.asarray([np.random.choice([1, -1], size=N)])
for i in range(P-1):
    epsilon = np.append(epsilon, [np.random.choice([1, -1], size=N)], axis=0)

print(epsilon.shape)

random_pattern = np.random.randint(P)
test_array = epsilon[random_pattern]
random_pattern_test = np.random.choice([1, -1], size=NO_OF_BITS_TO_CHANGE)
test_array[:NO_OF_BITS_TO_CHANGE] = random_pattern_test

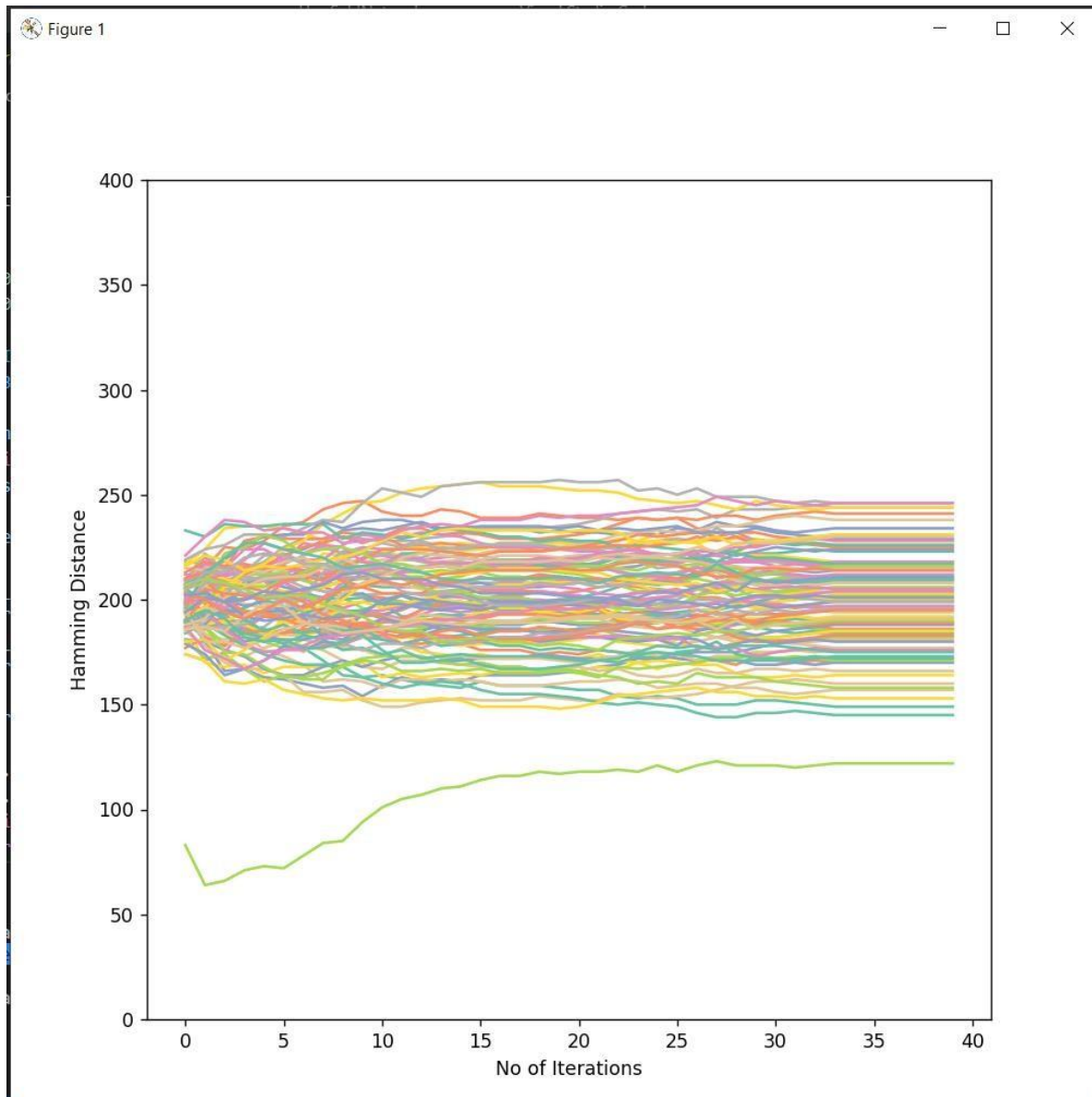
print(random_pattern)

w = np.zeros((N, N))
h = np.zeros(N)
for i in range(N):
    for j in range(N):
        for p in range(P):
            w[i, j] += (epsilon[p, i]*epsilon[p, j]).sum()
        if i==j:
            w[i, j] = 0
w /= N
hamming_distance = np.zeros((NO_OF_ITERATIONS, P))
for iteration in range(NO_OF_ITERATIONS):
    for _ in range(N):
        i = np.random.randint(N)
        h[i] = 0
        for j in range(N):
            h[i] += w[i, j]*test_array[j]
        test_array = np.where(h<0, -1, 1)

    for i in range(P):
```

```
    hamming_distance[iteration, i] = ((epsilon - test_array)[i]!=0).sum()

fig = plt.figure(figsize = (8, 8))
plt.plot(hamming_distance)
plt.xlabel('No of Iterations')
plt.ylabel('Hamming Distance')
plt.ylim([0, N])
plt.show()
```

Output:

Practical 5-B:-

Aim: Write a program for Radial Basis Function.

Code:

```
from scipy import *
from scipy.linalg import norm, pinv
from matplotlib import pyplot as plt
from numpy import random as random
import numpy as np

class RBF:
    def __init__(self, indim, numCenters, outdim):
        self.indim = indim
        self.outdim = outdim
        self.numCenters = numCenters
        self.centers = [random.uniform(-1, 1, indim)
                        for i in range(numCenters)]
        self.beta = 8
        self.W = random.random((self.numCenters, self.outdim))

    def _basisfunc(self, c, d):
        assert len(d) == self.indim
        return np.exp(-self.beta * norm(c-d)**2)

    def _calcAct(self, X):
        # calculate activations of RBFs
        G = np.zeros((X.shape[0], self.numCenters), float)
        for ci, c in enumerate(self.centers):
            for xi, x in enumerate(X):
                G[xi, ci] = self._basisfunc(c, x)
        return G

    def train(self, X, Y):
        """ X: matrix of dimensions n x indim
            y: column vector of dimension n x 1 """
        # choose random center vectors from training set
        rnd_idx = random.permutation(X.shape[0])[:self.numCenters]
        self.centers = [X[i, :] for i in rnd_idx]
        print("center", self.centers)
        # calculate activations of RBFs
        G = self._calcAct(X)
        print(G)
        # calculate output weights (pseudoinverse)
        self.W = np.dot(pinv(G), Y)

    def test(self, X):
        """ X: matrix of dimensions n x indim """
        G = self._calcAct(X)
        Y = np.dot(G, self.W)
        return Y

if __name__ == '__main__':
    # ----- 1D Example -----
    n = 100
```



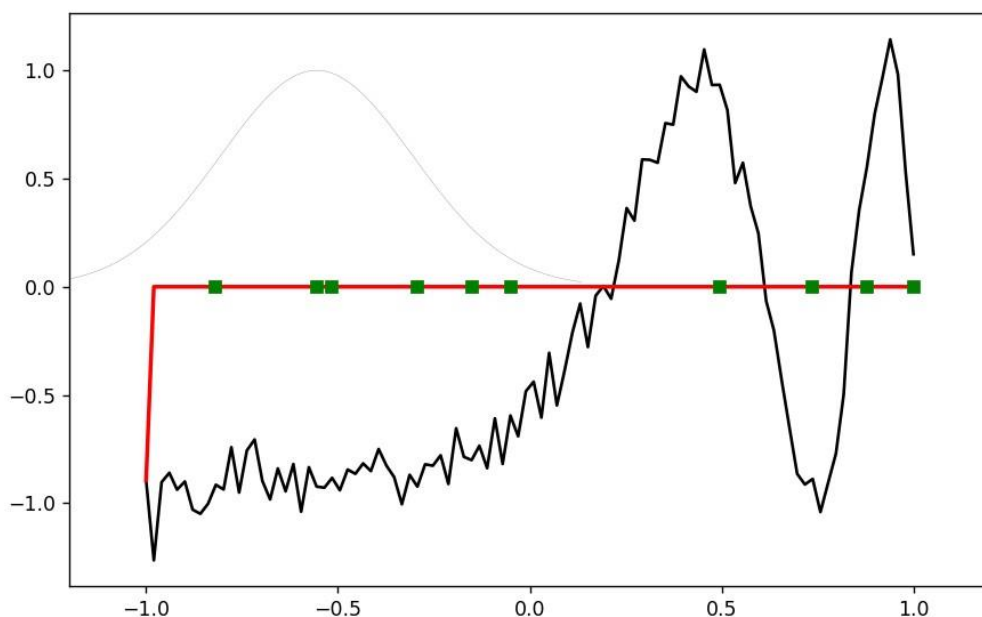
```

x = np.mgrid [-1:1:complex(0,n)].reshape(n, 1)
# set y and add random noise
y = np.sin(3*(x+0.5)**3-1)
y += random.normal(0, 0.1, y.shape)
# rbf regression
rbf = RBF(1, 10, 1)
rbf.train(x, y)
z = rbf.test(x)
# plot original data
plt.figure(figsize=(12, 8))
plt.plot(x, y, 'k-')
# plot learned model
plt.plot(x, z, 'r-', linewidth=2)
# plot rbfs
plt.plot(rbf.centers, np.zeros(rbf.numCenters), 'gs')
for i in range(1):
    # RF prediction lines
    ix = np.arange(i-0.7, i+0.7, 0.01)
    iy = [rbf._basisfunc(np.array([ix_]), np.array([i])) for ix_ in ix]
    plt.plot(ix, iy, '-', color = 'gray', linewidth = 0.2)
plt.xlim(-1.2, 1.2)
plt.show()

```

Output:

Figure 1



Practical 6

Aim: Write a program for Self-Organising Maps.

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Practical 6-A:-

Aim: Write a program for Self-Organising Maps.

Code:

```
from mvpa2.suite import *

colors=np.array( [[0.,0.,0.],
                  [0.,0.,1.],
                  [0.,0.,0.5],
                  [0.125,0.529,1.0],
                  [0.33,0.4,0.67],
                  [0.6,0.5,1.0],
                  [0.,1.,0.],
                  [1.,0.,0.],
                  [0.,1.,1.],
                  [1.,0.,1.],
                  [1.,1.,0.],
                  [1.,1.,1.],
                  [.33,.33,.33],
                  [.5,.5,.5],
                  [.66,.66,.66]])

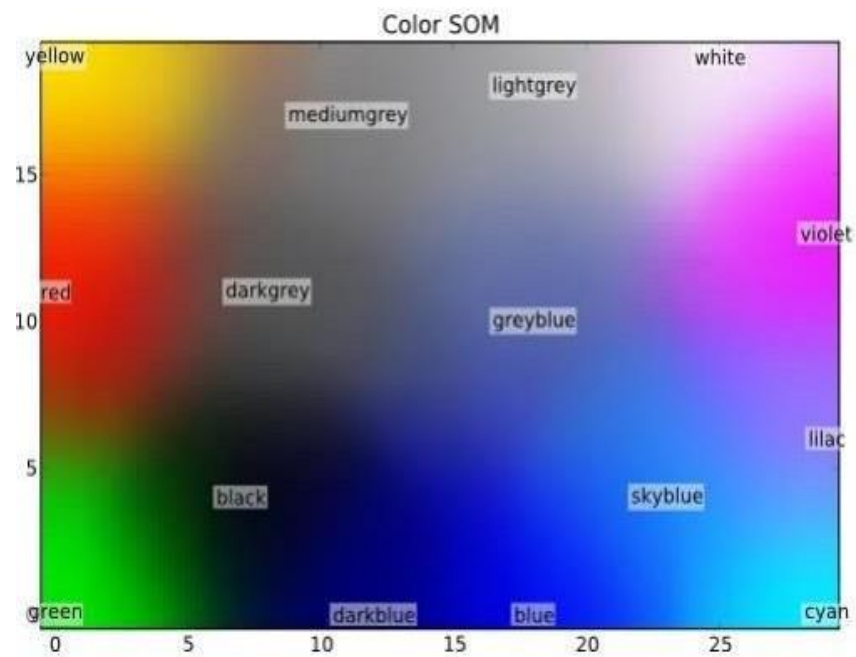
color_names = ['black','blue','darkblue','skyblue',
               'greyblue','lilac','green','red',
               'cyan','violet','yellow','white',
               'darkgrey','mediumgrey','lightgrey']

som = SimpleSOMMapper((20,30),400,learning_rate=0.05)

som.train(colors)
pl.imshow(som.K,origin='lower')
mapped = som(colors)
pl.title('Color SOM')

# SOM's kshape is (rows x columns), while matplotlib wants (X x Y)
for i,minenumerate(mapped):
    pl.text(m[1],m[0],color_names[i],ha='center',va='center',
    bbox=dict(facecolor='white',alpha=0.5,lw=0))
```

Output:



Practical 6-B:-

Aim: Write a program for Adaptive Resonance Theory.

Code:

```
import numpy as np
VIGILANCE = 0.6 # trashhold 0 - 1.0
LEARNING_COEF = 0.5 # standard
train = np.array([[1,0,0,0,0,0],
                  [1,1,1,1,1,0],
                  [1,0,1,0,1,0],
                  [0,1,0,0,1,1],
                  [1,1,1,0,0,0],
                  [0,0,1,1,1,0],
                  [1,1,1,1,1,0],
                  [1,1,1,1,1,1]], np.float)

test = np.array([[1,1,1,1,1,1],
                 [1,1,1,1,1,0],
                 [1,1,1,1,0,0],
                 [1,1,1,0,0,0],
                 [1,1,0,0,0,0],
                 [1,0,0,0,0,0],
                 [0,0,0,0,0,0]], np.float)

L1_neurons_cnt = len(train[0])
L2_neurons_cnt = 1
# Init weights from the first neuron
bottomUps = np.array([[1/(L1_neurons_cnt + 1) for _ in
range(L1_neurons_cnt)]], np.float)
topDowns = np.array([[1 for _ in range(L1_neurons_cnt)]], np.float)

for tv in train:
    print(" ----- ")
    print('Train vector:', tv)
    createNewNeuron = True
    outputs = [bottomUps[i].dot(tv) for i in range(L2_neurons_cnt)]
    counter = L2_neurons_cnt
    while counter > 0:
        winning_output = max(outputs)
        winner_neuron_idx = outputs.index(winning_output)
        # NOTE!!! Sometimes there can be more than one winning neurons
        # Then we should select them randomly. For sake of simplicity,
        # this was not implemented for sake of simplicity

        # Because `sum(tv)` can be 0 and we can not divide by zero :(
        tv_sum = sum(tv)
        if tv_sum == 0:
            similarity = 0
```

```

        else:
            similarity = topDowns[winner_neuron_idx].dot(tv)/(sum(tv))
            print(" ", topDowns[winner_neuron_idx])
            print("    Bottom Ups Weights:", bottomUps[winner_neuron_idx])
            print("    Similarity:", similarity)
            if similarity >= VIGILANCE:
                # Found similar neuron -> update their weights
                createNewNeuron = False
                new_bottom_weights = tv *
topDowns[winner_neuron_idx]/(LEARNING_COEF+tv.dot(topDowns[winner_neuron_idx])
)
                new_top_weights = tv * topDowns[winner_neuron_idx]
                topDowns[winner_neuron_idx] = new_top_weights
                bottomUps[winner_neuron_idx] = new_bottom_weights
                break
            else:
                # Didn't find similar neuron
                outputs[winner_neuron_idx] = -1 # So it won't be selected in the
next iteration
                counter -= 1

        if createNewNeuron:
            print("    Creating a new new neuron")
            new_bottom_weights = np.array([[i/(LEARNING_COEF + sum(tv)) for i in
tv]], np.float)
            new_top_weights = np.array([[i for i in tv]], np.float)
            print("    Weights bottomUps:", new_bottom_weights)
            print("    Weights topDowns:", new_top_weights)
            bottomUps = np.append(bottomUps, new_bottom_weights, axis=0)
            topDowns = np.append(topDowns, new_top_weights, axis=0)
            L2_neurons_cnt += 1

print("=====")
print(f"Total Classes: {L2_neurons_cnt}")
print("Center of masses")
print(topDowns)
for tv in test:
    A = list(range(L2_neurons_cnt))
    createNewNeuron = True
    outputs = [bottomUps[i].dot(tv) for i in A]
    winning_weight = max(outputs)
    winner_neuron_idx = outputs.index(winning_weight)
    print(f"Class {winner_neuron_idx} for train vector {tv}")

```

Output:

```

-----
Train vector: [1. 0. 0. 0. 0. 0.]
[1. 1. 1. 1. 1. 1.]
Bottom Ups Weights: [0.14285714 0.14285714 0.14285714 0.14285714 0.14285714 0.14285714]
Similarity: 1.0
-----
Train vector: [1. 1. 1. 1. 1. 0.]
[1. 0. 0. 0. 0. 0.]
Bottom Ups Weights: [0.66666667 0. 0. 0. 0. 0.]
Similarity: 0.2
Creating a new new neuron

```

```

-----
Train vector: [1. 0. 1. 0. 1. 0.]
[1. 0. 0. 0. 0. 0.]
Bottom Ups Weights: [0.66666667 0. 0. 0. 0. 0.]
Similarity: 0.3333333333333333
[1. 1. 1. 1. 1. 0.]
Bottom Ups Weights: [0.18181818 0.18181818 0.18181818 0.18181818 0.18181818 0.]
Similarity: 1.0
-----
Train vector: [0. 1. 0. 0. 1. 1.]
[1. 0. 1. 0. 1. 0.]
Bottom Ups Weights: [0.28571429 0. 0.28571429 0. 0.28571429 0.]
Similarity: 0.3333333333333333
[1. 0. 0. 0. 0. 0.]
Bottom Ups Weights: [0.66666667 0. 0. 0. 0. 0.]
Similarity: 0.0
Creating a new new neuron
Weights bottomUps: [[0. 0.28571429 0. 0. 0.28571429 0.28571429]]
Weights topDowns: [[0. 1. 0. 0. 1. 1.]]

```

```

-----
Train vector: [1. 1. 1. 0. 0. 0.]
[1. 0. 0. 0. 0. 0.]
Bottom Ups Weights: [0.66666667 0. 0. 0. 0. 0.]
Similarity: 0.3333333333333333
[1. 0. 1. 0. 1. 0.]
Bottom Ups Weights: [0.28571429 0. 0.28571429 0. 0.28571429 0.]
Similarity: 0.6666666666666666
-----
Train vector: [0. 0. 1. 1. 1. 0.]
[1. 0. 1. 0. 0. 0.]
Bottom Ups Weights: [0.4 0. 0.4 0. 0. 0.]
Similarity: 0.3333333333333333
[0. 1. 0. 0. 1. 1.]
Bottom Ups Weights: [0. 0.28571429 0. 0. 0.28571429 0.28571429]
Similarity: 0.3333333333333333
[1. 0. 0. 0. 0. 0.]
Bottom Ups Weights: [0.66666667 0. 0. 0. 0. 0.]
Similarity: 0.0
Creating a new new neuron

```

```

Creating a new new neuron
Weights bottomUps: [[0.          0.          0.28571429 0.28571429 0.28571429 0.          ]]
Weights topDowns: [[0. 0. 1. 1. 1. 0.]]
-----
Train vector: [1. 1. 1. 1. 1. 0.]
[0. 0. 1. 1. 1. 0.]
Bottom Ups Weights: [0.          0.          0.28571429 0.28571429 0.28571429 0.          ]
Similartiy: 0.6
-----
Train vector: [1. 1. 1. 1. 1. 1.]
[0. 1. 0. 0. 1. 1.]
Bottom Ups Weights: [0.          0.28571429 0.          0.          0.28571429 0.28571429]
Similartiy: 0.5
[0. 0. 1. 1. 1. 0.]
Bottom Ups Weights: [0.          0.          0.28571429 0.28571429 0.28571429 0.          ]
Similartiy: 0.5
[1. 0. 1. 0. 0. 0.]
[1. 0. 0. 0. 0. 0.]
Bottom Ups Weights: [0.66666667 0.          0.          0.          0.          0.          ]
Similartiy: 0.16666666666666666
Creating a new new neuron
Weights bottomUps: [[0.15384615 0.15384615 0.15384615 0.15384615 0.15384615 0.15384615]]
Weights topDowns: [[1. 1. 1. 1. 1. 1.]]
=====

```

```

=====
Total Classes: 5
Center of masses
[[1. 0. 0. 0. 0. 0.]
 [1. 0. 1. 0. 0. 0.]
 [0. 1. 0. 0. 1. 1.]
 [0. 0. 1. 1. 1. 0.]
 [1. 1. 1. 1. 1. 1.]]
Class 4 for train vector [1. 1. 1. 1. 1. 1.]
Class 3 for train vector [1. 1. 1. 1. 1. 0.]
Class 1 for train vector [1. 1. 1. 1. 0. 0.]
Class 1 for train vector [1. 1. 1. 0. 0. 0.]
Class 0 for train vector [1. 1. 0. 0. 0. 0.]
Class 0 for train vector [1. 0. 0. 0. 0. 0.]
Class 0 for train vector [0. 0. 0. 0. 0. 0.]

```


Practical 7

Aim: Line Separation

[illegible]

Code:

```

import numpy as np
import matplotlib.pyplot as plt
def create_distance_function(a, b, c):
    """  $0 = ax + by + c$  """
    def distance(x, y):
        """ returns tuple (d, pos)
        d is the distance
        If pos == -1 point is below the line,
        0 on the line and +1 if above the line
        """
        nom = a * x + b * y + c
        if nom == 0:
            pos = 0
        elif (nom < 0 and b < 0) or (nom > 0 and b > 0):
            pos = -1
        else:
            pos = 1
        return (np.absolute(nom) / np.sqrt( a ** 2 + b ** 2 ), pos)
    return distance
def main():
    points = [ (3.5, 1.8), (1.1, 3.9) ]
    fig, ax = plt.subplots()
    ax.set_xlabel("sweetness")
    ax.set_ylabel("sourness")
    ax.set_xlim([-1, 6])
    ax.set_ylim([-1, 8])
    X = np.arange(-0.5, 5, 0.1)
    colors = ["r", ""] # for the samples
    size = 10
    for (index, (x, y)) in enumerate(points):
        if index == 0:
            ax.plot(x, y, "o", color="darkorange", markersize=size)
        else:
            ax.plot(x, y, "oy", markersize=size)
    step = 0.05
    for x in np.arange(0, 1+step, step):
        slope = np.tan(np.arccos(x))
        dist4line1 = create_distance_function(slope, -1, 0)
        #print("x: ", x, "slope: ", slope)
        Y = slope * X
        results = [(3.9, -1)]
    for point in points:
        results.append(dist4line1(*point))
        print(slope, results)

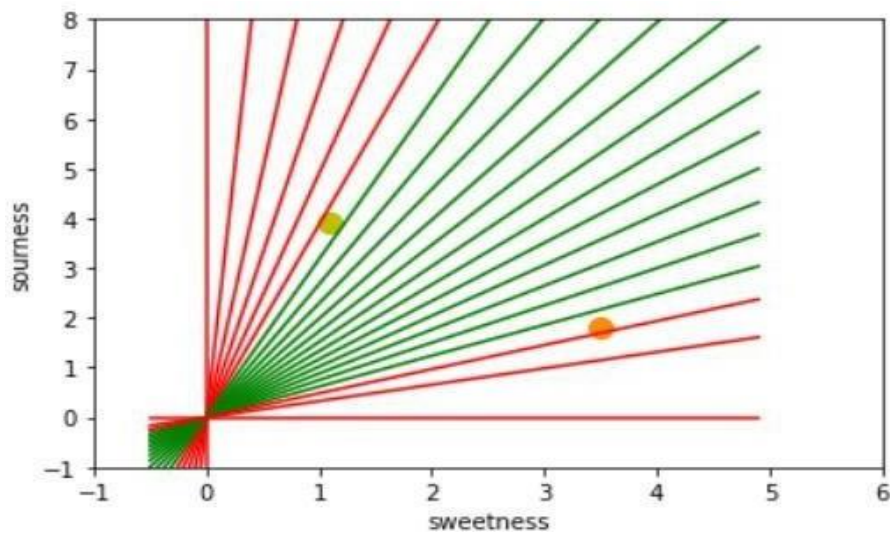
    if (results[0][1] != results[1][1]):
        ax.plot(X, Y, "g-")

```

```
else:
    ax.plot(X, Y, "r-")
plt.show()

if __name__ == "__main__":
    main()
```

Output:



Practical 8

Aim: Implementation of Membership and Identity operators (in, not in) & (is, is not).

This image shows a full page of blank, lined paper. It features approximately 20 evenly spaced horizontal blue lines across its entire width. The paper is otherwise completely empty, with no margins, text, or other markings.

Practical 8-A:-

Aim: Implementation of Membership and Identity operators (in, not in).

Code:

(in):

```
# Python program to illustrate
# Finding common member in list
# without using 'in' operator
# Define a function() that takes two lists
def overlapping(list1,list2):
    c=0
    d=0
    for i in list1:
        c+=1
    for i in list2:
        d+=1
    for i in range(0,c):
        for j in range(0,d):
            if(list1[i]==list2[j]):
                return 1
            else:
                return 0
def main():
    list1=[1,2,3,4,5]
    list2=[1,2,3,4,5,6,7,8,9]
    if(overlapping(list1,list2)):
        print("overlapping")
    else:
        print("not overlapping")

if __name__ == "__main__":
    main()
```

(not in):

```
def main():
    x = 14
    list = [1,2,3,4,5,6,7,8,9]
    if x not in list:
        print("not overlapping")
    else:
        print("overlapping")

if __name__ == "__main__":
    main()
```

Output:

(in):

```
PS C:\Users\raman> python example.py  
overlapping
```

(Not in):

```
overlapping  
PS C:\Users\raman> python example.py  
not overlapping
```

Practical 8-B:-

Aim: Implementation of Membership and Identity operators (is, is not).

Code:

(Is):

```
# Python program to illustrate the use
# of 'is' identity operator
x = 5
if (type(x) is int):
    print ("true")
else:
    print ("false")
```

(Is not):

```
# Python program to illustrate the
# use of 'is not' identity operator
x = 5.2
if (type(x) is not float):
    print ("true")
else:
    print ("false")
```

Output:

(is):

```
not overlapping
PS C:\Users\raman> python example.py
true
```

(Is not):

```
true
PS C:\Users\raman> python example.py
false
```

Aim: Find the ratios using Fuzzy Logic.

This image shows a full page of blank, lined paper. It features approximately 20 evenly spaced horizontal blue lines across its entire width. The paper is otherwise completely empty, with no margins, text, or other markings.

Practical 9-A:-

Aim: Find the ratios using Fuzzy Logic.

Code:

```
from fuzzywuzzy import fuzz
from fuzzywuzzy import process
s1 = "I love fuzzysforfuzzys"
s2 = "I am loving fuzzysforfuzzys"
print ("\nFuzzyWuzzy Ratio:", fuzz.ratio(s1, s2))
print ("\nFuzzyWuzzyPartialRatio: ", fuzz.partial_ratio(s1, s2))
print ("\nFuzzyWuzzyTokenSortRatio: ", fuzz.token_sort_ratio(s1, s2))
print ("\nFuzzyWuzzyTokenSetRatio: ", fuzz.token_set_ratio(s1, s2))
print ("\nFuzzyWuzzyWRatio: ", fuzz.WRatio(s1, s2),'\n')
# for process library,
query = 'fuzzys for fuzzys'
choices = ['fuzzy for fuzzy', 'fuzzy fuzzy', 'g. for fuzzys']
print ("List of ratios: ")
print (process.extract(query, choices), '\n')
print ("Best among the above list: ",process.extractOne(query, choices))
```

Output:

```
PS C:\Users\raman> python .\Fuzzy.py

FuzzyWuzzy Ratio: 86

FuzzyWuzzyPartialRatio: 86

FuzzyWuzzyTokenSortRatio: 86

FuzzyWuzzyTokenSetRatio: 87

FuzzyWuzzyWRatio: 86

List of ratios:
[('g. for fuzzys', 95), ('fuzzy for fuzzy', 94), ('fuzzy fuzzy', 86)]

Best among the above list: ('g. for fuzzys', 95)
```

Practical 9-B:-

Aim: Solve Tipping Problem using Fuzzy Logic.

Code:

```
import numpy as np
import skfuzzy as fuzz
from skfuzzy import control as ctrl

# New Antecedent/Consequent objects hold universe variables and membership
functions
quality = ctrl.Antecedent(np.arange(0, 11, 1), 'quality')
service = ctrl.Antecedent(np.arange(0, 11, 1), 'service')
tip = ctrl.Consequent(np.arange(0, 26, 1), 'tip')

# Auto-membership function population is possible with .automf(3, 5, or 7)
quality.automf(3)
service.automf(3)

# Custom membership functions can be built interactively with a familiar,
# Pythonic API
tip['low'] = fuzz.trimf(tip.universe, [0, 0, 13])
tip['medium'] = fuzz.trimf(tip.universe, [0, 13, 25])
tip['high'] = fuzz.trimf(tip.universe, [13, 25, 25])

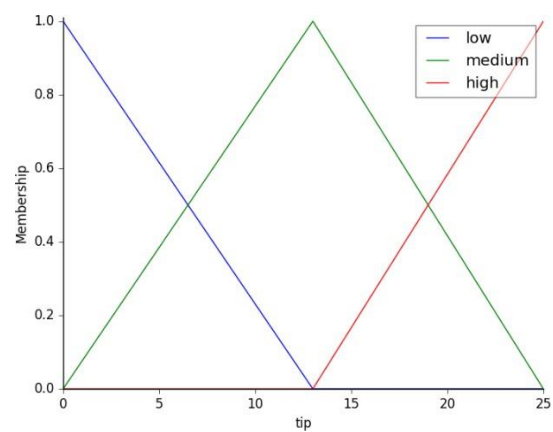
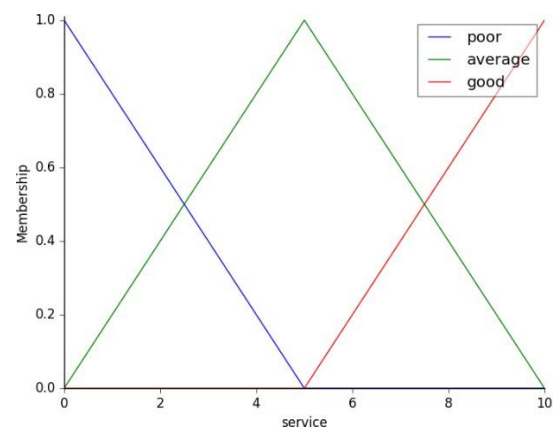
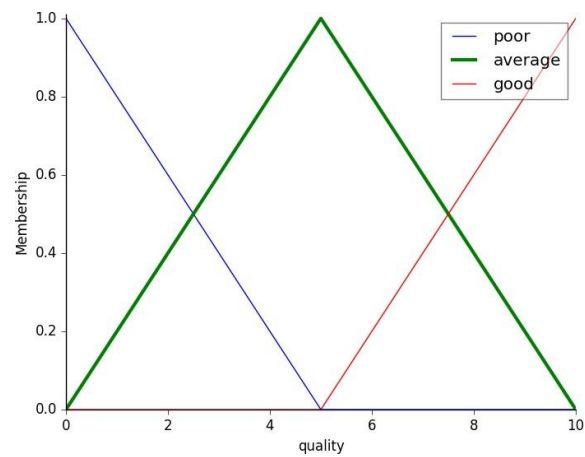
""" To help understand what the membership looks like, use the ``view``
methods. """
# You can see how these look with .view()
quality['average'].view()

""" .. image:: PLOT2RST.current_figure """
(service.view())

""" .. image:: PLOT2RST.current_figure """
tip.view()

""" .. image:: PLOT2RST.current_figure """
tip['medium'].view()
```

Output:



Aim: Implementation of Simple Genetic Algorithm.

This image shows a full page of blank, lined paper. It features approximately 20 horizontal blue lines spaced evenly across the page, typical of notebook paper. The lines are thin and light blue, set against a plain white background. There is no handwriting or other markings on the page.

Practical 10-A:-

Aim: Implementation of Simple Genetic Algorithm.

Code:

```
import random

#Number of population
POPULATION_SIZE = 250

# Random Genes
GENES = '''abcdefghijklmnopqrstuvwxyzABCDEFGHIJKLMNOPQRSTUVWXYZ 1234567890, .-
;:_!"#%&/()=?@${[]}'''

# Target string
TARGET = "Hello"

# Class to represent individuals in population
class Individual(object):

    # Intialize the chromosome and calculate the fitness
    def __init__(self, chromosome):
        self.chromosome = chromosome
        self.fitness = self.cal_fitness()

    #Create random genes for mutation
    @classmethod
    def mutated_genes(self):
        global GENES
        gene = random.choice(GENES)
        return gene

    #Create a chromosome or string of genes till target length
    @classmethod
    def create_gnome(self):
        global TARGET
        gnome_len = len(TARGET)
        return [self.mutated_genes() for _ in range(gnome_len)]

    #Calculate Fitness
    def cal_fitness(self):

        global TARGET
        fitness = 0
        for gs, gt in zip(self.chromosome, TARGET):
            if gs != gt: fitness += 1
        return fitness

    #Perform reproduction and create new offspring
```

```
def crossover(self, par2):

    #offspring
    child_chromosome = []

    for gp1, gp2 in zip(self.chromosome, par2.chromosome):

        #prob
        prob = random.random()

        if prob < 0.50:
            child_chromosome.append(gp1)

        elif prob < 0.90:
            child_chromosome.append(gp2)

        else:
            child_chromosome.append(self.mutated_genes())

    return Individual(child_chromosome)

#Selection operation
def selection(population):

    population = sorted(population, key = lambda x:x.fitness)
    return population

def main():

    global POPULATION_SIZE

    #Current Generation
    generation = 1

    #Booleans for solution
    found = False
    population = []

    for _ in range(POPULATION_SIZE):
        gnome = Individual.create_gnome()
        population.append(Individual(gnome))

    while not found:

        population = Individual.selection(population)

        if population[0].fitness <= 0:
            found = True
```

```
        break

    #New Generation
    new_generation = []

    #Perform Elitism, selecting 10% fittest from the population
    #This will go to the next generation
    #so we dnt destroy our solution

    s = int((10 * POPULATION_SIZE) / 100)
    new_generation.extend(population[:s])

    s = int((90 * POPULATION_SIZE)/100)
    for _ in range(s):
        parent1 = random.choice(population[:50])
        parent2 = random.choice(population[:50])

        #Perform crossover
        child = parent1.crossover(parent2)

        #Append the new generation
        new_generation.append(child)

        #Population will have the new generation
        population = new_generation

        #Print the generations
        print("Generations: {}\tString: {}\tFitness: {}".\
              format(generation, "".join(population[0].chromosome),
                    population[0].fitness))

        generation += 1

    #Print the generations
    print("Generations: {}\tString: {}\tFitness: {}".\
          format(generation, "".join(population[0].chromosome),
                population[0].fitness))

if __name__ == '__main__':
    main()
```

Output:

```
Generations: 643      String: He{lo  Fitness: 1
Generations: 644      String: He{lo  Fitness: 1
Generations: 645      String: He{lo  Fitness: 1
Generations: 646      String: He{lo  Fitness: 1
Generations: 647      String: He{lo  Fitness: 1
Generations: 648      String: He{lo  Fitness: 1
Generations: 649      String: He{lo  Fitness: 1
Generations: 650      String: He{lo  Fitness: 1
Generations: 651      String: He{lo  Fitness: 1
Generations: 652      String: He{lo  Fitness: 1
Generations: 653      String: He{lo  Fitness: 1
Generations: 654      String: He{lo  Fitness: 1
Generations: 655      String: He{lo  Fitness: 1
Generations: 656      String: He{lo  Fitness: 1
Generations: 657      String: He{lo  Fitness: 1
Generations: 658      String: He{lo  Fitness: 1
Generations: 659      String: He{lo  Fitness: 1
Generations: 660      String: He{lo  Fitness: 1
Generations: 661      String: He{lo  Fitness: 1
Generations: 662      String: He{lo  Fitness: 1
Generations: 663      String: He{lo  Fitness: 1
Generations: 664      String: He{lo  Fitness: 1
Generations: 665      String: He{lo  Fitness: 1
Generations: 666      String: He{lo  Fitness: 1
Generations: 667      String: He{lo  Fitness: 1
Generations: 668      String: He{lo  Fitness: 1
Generations: 669      String: He{lo  Fitness: 1
Generations: 670      String: He{lo  Fitness: 1
Generations: 671      String: He{lo  Fitness: 1
Generations: 672      String: He{lo  Fitness: 1
Generations: 673      String: He{lo  Fitness: 1
Generations: 674      String: He{lo  Fitness: 1
Generations: 675      String: He{lo  Fitness: 1
Generations: 676      String: Hello  Fitness: 0
PS C:\Users\raman>
```


Practical 10-B:-

Aim: Implementation of Simple Genetic Algorithm.

Code:

```
import numpy as np
import matplotlib.pyplot as plt
import copy

# cost function
def sphere(x):
    return sum(x**2)

def roulette_wheel_selection(p):
    c = np.cumsum(p)
    r = sum(p) * np.random.rand()
    ind = np.argwhere(r <= c)
    return ind[0][0]

def crossover(p1, p2):
    c1 = copy.deepcopy(p1)
    c2 = copy.deepcopy(p2)

    # Uniform crossover
    alpha = np.random.uniform(0, 1, *(c1['position'].shape))
    c1['position'] = alpha*p1['position'] + (1-alpha)*p2['position']
    c2['position'] = alpha*p2['position'] + (1-alpha)*p1['position']

    return c1, c2

def mutate(c, mu, sigma):
    y = copy.deepcopy(c)
    flag = np.random.rand(*(c['position'].shape)) <= mu # array of True and
False, indicating at which position to perform mutation
    ind = np.argwhere(flag)
    y['position'][ind] += sigma * np.random.randn(*ind.shape)
    return y

def bounds(c, varmin, varmax):
    c['position'] = np.maximum(c['position'], varmin)
    c['position'] = np.minimum(c['position'], varmax)

def sort(arr):
    n = len(arr)
    for i in range(n-1):
        for j in range(0, n-i-1):
            if arr[j]['cost'] > arr[j+1]['cost'] :
                arr[j], arr[j+1] = arr[j+1], arr[j]
    return arr
```

```

def ga(costfunc, num_var, varmin, varmax, maxit, npop, num_children, mu,
sigma, beta):
    population = {}
    for i in
range(npop):
        # each
        individual has position(chromosomes) and cost,
        population[i] = {'position': None, 'cost':
None}
        # create individual as many as population
        size(npop)
        # Best solution found
        bestsol = copy.deepcopy(population)
        bestsol_cost =
np.inf
        # initial best
        cost is infinity
        # Initialize population - 1st Gen
        for i in range(npop):
            population[i]['position'] = np.random.uniform(varmin, varmax,
num_var)
            # randomly initialize the chromosomes and cost
            population[i]['cost'] = costfunc(population[i]['position'])
            if population[i]['cost'] <
bestsol_cost:
                # if cost of an individual is
                less(best) than best cost,
                bestsol =
copy.deepcopy(population[i])
                # replace the
                best solution with that individual
            # Best cost of each generation/iteration
            bestcost = np.empty(maxit)
            # Main loop
            for it in range(maxit):
                # Calculating probability for roulette wheel selection
                costs = []
                for i in range(len(population)):
                    costs.append(population[i]['cost'])
            # list of all the population cost
            costs = np.array(costs)
            avg_cost =
np.mean(costs)
            # taking
            average of the costs
            if avg_cost != 0:
                costs = costs/avg_cost
                probs = np.exp(-
beta*costs)
                # probability is
                exponensial of -ve beta times costs
                for _ in
range(num_children//2):
                    # we will
                    be having two off springs for each crossover

```

```

# hence divide number of children by 2
# Roulette wheel selection
p1 = population[roulette_wheel_selection(probs)]
p2 = population[roulette_wheel_selection(probs)]
# crossover two parents
c1, c2 = crossover(p1, p2)
# Perform mutation
c1 = mutate(c1, mu, sigma)
c2 = mutate(c2, mu, sigma)
# Apply bounds
bounds(c1, varmin, varmax)
bounds(c2, varmin, varmax)

# Evaluate first off spring
c1['cost'] =
costfunc(c1['position']) # calculate cost
function of child 1

    if type(bestsol_cost) == float:
        if c1['cost'] <
bestsol_cost: # replacing best
solution in every generation/iteration
        bestsol_cost = copy.deepcopy(c1)
    else:
        if c1['cost'] <
bestsol_cost['cost']: # replacing best
solution in every generation/iteration
        bestsol_cost = copy.deepcopy(c1)

# Evaluate second off spring
if c2['cost'] <
bestsol_cost['cost']: # replacing best
solution in every generation/iteration
        bestsol_cost = copy.deepcopy(c2)

# Merge, Sort and Select
population[len(population)] = c1
population[len(population)] = c2

population = sort(population)

# Store best cost
bestcost[it] = bestsol_cost['cost']

# Show generation information
print('Iteration {}: Best Cost = {}'.format(it, bestcost[it]))

```

```
    out = population
    Bestsol = bestsol
    bestcost = bestcost
    return (out, Bestsol, bestcost)

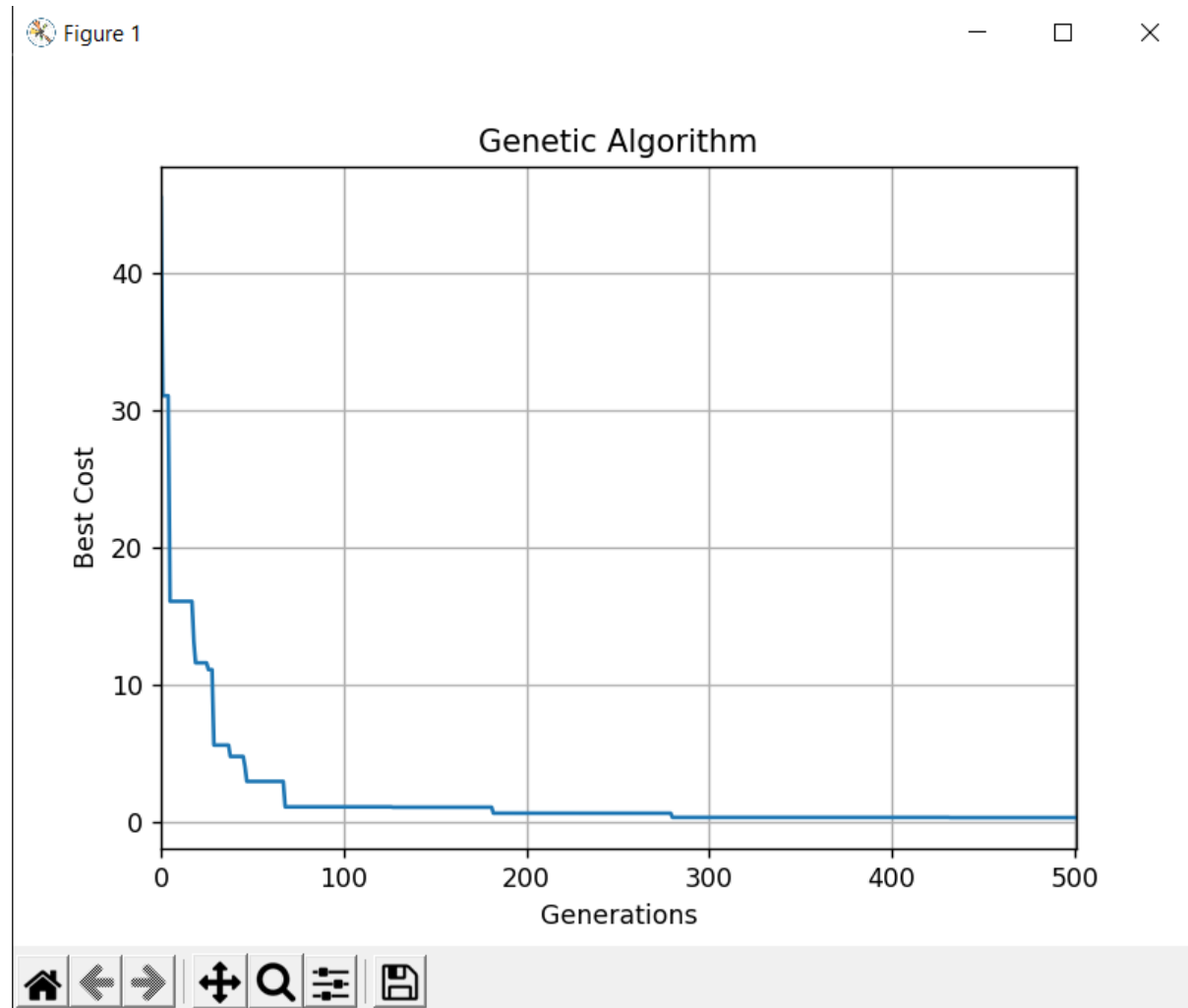
# Problem definition
costfunc = sphere
num_var = 5          # number of decision variables
varmin = -10         # lower bound
varmax = 10          # upper bound

# GA Parameters
maxit = 501          # number of
iterations           # initial population
npop = 20            # initial population
size
beta = 1
prop_children = 1     # proportion of
children to population
num_children = int(np.round(prop_children * npop/2)*2) # making sure it
always an even number
mu = 0.2             # mutation rate 20%,
205 of 5 is 1, mutating 1 gene
sigma = 0.1          # step size of
mutation

# Run GA
out = ga(costfunc, num_var, varmin, varmax, maxit, npop, num_children, mu,
sigma, beta)

# Results
#(out, Bestsol, bestcost)
plt.plot(out[2])
plt.xlim(0, maxit)
plt.xlabel('Generations')
plt.ylabel('Best Cost')
plt.title('Genetic Algorithm')
plt.grid(True)
plt.show()
```

Output:



```
Iteration 484: Best Cost = 0.31722424870157534
Iteration 485: Best Cost = 0.31722424870157534
Iteration 486: Best Cost = 0.31722424870157534
Iteration 487: Best Cost = 0.31722424870157534
Iteration 488: Best Cost = 0.31722424870157534
Iteration 489: Best Cost = 0.31722424870157534
Iteration 490: Best Cost = 0.31722424870157534
Iteration 491: Best Cost = 0.31722424870157534
Iteration 492: Best Cost = 0.31722424870157534
Iteration 493: Best Cost = 0.31722424870157534
Iteration 494: Best Cost = 0.31722424870157534
Iteration 495: Best Cost = 0.31722424870157534
Iteration 496: Best Cost = 0.31722424870157534
Iteration 497: Best Cost = 0.31722424870157534
Iteration 498: Best Cost = 0.31722424870157534
Iteration 499: Best Cost = 0.31722424870157534
Iteration 500: Best Cost = 0.31722424870157534
```