

Discrete Structures

• Premises, Conclusions, Arguments

• Theorem: is a statement that can be shown to be true.

• Proof: Valid Argument that establishes the truth of a theorem

- Thursday Quiz
 - Application of propositional logic
 - Rules of inference

- Assignment
 - 19-9-24

① Direct Proof

② Proof of contraposition

③ Proof of contradiction

Direct Proof

Q- If n is an odd integer, then n^2 is odd

• $P(n) \rightarrow n$ is an odd integer

$Q(n) \rightarrow n^2$ is an odd integer

$\forall n (P(n) \rightarrow Q(n))$; m be any odd integer

$$m = 2k + 1$$

$$m^2 = (2k+1)^2$$

$$m^2 = 4k^2 + 4k + 1$$

Contraposition Proof

- If q is false, then p is false