

Table 2.1

Predefined rules for bit-pair scanning in Booth's method.

$X_i$	$X_{i-1}$	rule
0	0	no action
0	1	add shifted multiplicand
1	0	subtract shifted multiplicand
1	1	no action

When a multiplicand is added or subtracted to/from an accumulator, it is first shifted left by  $i$  bit positions, just as it is done in partial products. This process can be examined in detail by following the examples in Boxes 2.16 and 2.17.

Box 2.16

**Exercise for the reader****Consider  $9 \times 10$  (unsigned):**

1001	multiplicand 9
1010	multiplier 10
0000	( $i = 0$ , no action since bit pair = 0 and a hidden zero)
-1001	( $i = 1$ , subtract multiplicand since bit pair = 10)
+1001	( $i = 2$ , add multiplicand $\ll 2$ since bit pair = 01)
-1001	( $i = 3$ , subtract multiplicand $\ll 3$ since bit pair = 10)
+1001	( $i = 4$ , add multiplicand $\ll 4$ since bit pair = 01)
	( $i = 5$ and onwards, no action since all bit pairs = 00)

The result is therefore obtained as the summation of the following:

```

10010000
-1001000
+100100
-10010

```

Or by converting the subtractions into additions (see Section 2.4.4):

```

10010000
+10111000
+100100
+11101110
=01011010

```

**Result:**1011010 =  $64 + 16 + 8 + 2 = 90$  (correct)