Writing functions

Steps In Writing a Function

Explain: Describe the task in words

Concrete: Write code for a specific example

Abstract: Identify the variables and decide if

they are required or have defaults

Encapsulate: Wrap the code into a function where the parameters are the general variables **Test:** Check the function works as expected with your original data AND try the function on test cases with other data

So far we have relied on the built-in functionality of R to carry out our analyses. In the next several lectures, we cover:

- How to write your own functions
- How to use control flow
- Debugging your code when something goes wrong
- The meaning of environments and variable scope
- Timing and writing efficient code

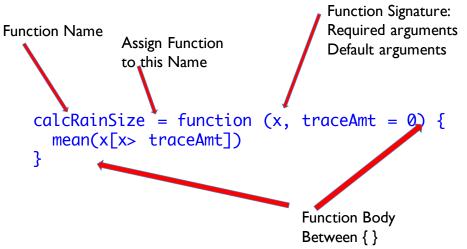
Writing your own functions in R

The code we have been writing so far in R has been

- made up of a sequence of commands, one after another
- specific to the particular dataset we are working with.

Functions allow us to

- organize our code into tasks
- reuse the same code on different datasets by making the data an *argument* to the function.



Typically we assign the function to a particular name. This should describe what the function does. Using a VERB in the name is a good idea.

A few notes on specifying the arguments:

When you're writing your own function, it's good practice to put the most important arguments first. Often these will not have default values.

This allows the user of your function to easily specify the arguments by position, eg.

```
calcRainSize(xvec)
```

rather than calcRainSize(x = xvec)

```
function ( arguments ) body
```

The keyword **function** just tells R that you want to create a function.

Recall that the *parameters* to a function are its inputs, which may have default values.

```
> args(median)
function (x, na.rm = FALSE)
```

Here, if we do not explicitly specify na.rm when we call median, it will be assigned the default value of FALSE.

Next we have the *body* of the function, which typically consists of expressions surrounded by curly brackets. Think of these as performing some operations on the input values given by the arguments.

```
{
    expression 1
    expression 2
    return(value)
}
```

The return expression hands control back to the caller of the function and returns a given value

If the function returns more than one thing, this is done using

```
a named list, for example:
return(list(total = sum(x), avg = mean(x)))
```

In the absence of a return expression, a function will return the *last* evaluated expression. This is particularly common if the function is short.

That is the case for our simple function:

```
calcRainSize = function(x) mean(x[x>0])
```

Here we don't need brackets {}, since there is only one expression in the function.

A return expression anywhere in the function will cause the function to return control to the user *immediately*, without evaluating the rest of the function.

Anonymous functions

Considerations when writing a function:

- What will the function do?
- What should we call it? (Relate the name to what it does)
- What will be the arguments?
- Which arguments have default values and what are they?
- What (if anything) should the function return?

Apply calcRainSize to rain

```
sapply(rain, calcRainSize)
```

We don't actually have to go through the hassle of writing a function definition.

We can use an anonymous function:

```
sapply(rain, function(station) {
  mean(station[station > 0])
  }
)
```

Multiple Inputs and Apply

We can specify the value for traceAmt as an additional argument to sapply

What if we want to specify a different value of traceAmt for each weather station?

Roulette Wheel Study

This function used for a *Monte Carlo study*: Use a computer to simulate random variables (a random experiment). Use the simulations to learn about properties of the random process

Multiple Inputs and Apply

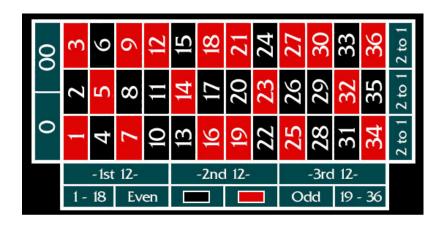
Recall another version of function was:

```
calcRainSize =
  function(x, tA = 0, sumFun = mean)
{
   sumFun(x[x > tA])
}
```

The Wheel



The Table



Inside Bets

• Straight up (single Pays 35 to 1 number)

• Split (2 numbers) Pays 17 to 1

Street (3 numbers) Pays 11 to 1

• Corner (4 numbers) Pays 8 to 1

Outside Bets

Red or Black

Even or Odd

Low or High

Even Odds (PAY I to I)

Place \$1 bet,

If win keep your \$1 and

get \$1 more

If lose, house gets your \$1

• 1st, 2nd, or 3rd dozen

• 1st, 2nd, or 3rd column

PAY 2 to 1)
Place \$1 bet,
If win keep your \$1 and get
\$2 more

If lose, house gets your \$1

How do winnings from 100 bets of \$1 on Red compare to 1 bet of \$100 one Red?

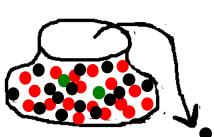
Let's write a function that can simulate these two situations – 100 \$1 bets I \$100 bet

Explain

Simulate the spins from a roulette wheel and track the winnings for a specified number of bets for a specified bet size

Explain

Spins from a roulette wheel behave like draws from an urn



18 Red Balls18 Black Balls2 Green Balls

Draw 1 ball Win if it's Red Replace ball in urn Ready to play again

Code an example

Simplify Code

Code for Other Scenario

Generalize

What are the inputs?

- A. Number of spins
- B. Size of bet
- C. Number of +1s and -1s
- D. A & B
- E. A, B, & C

Generalize

What are reasonable default values?

- A. Number of spins
- B. Size of bet
- C. Number of +1s and -1s

```
1 spin
$1 bet
18 +1s and 20 -1s
```

Encapsulate

Try out

```
> betRed(1, 100)
                        > betRed(100, 1)
[1] - [0]
                        [1]8
> betRed(1, 100)
                        > betRed(100, 1)
[1] 100
                        [1] -8
                        > betRed(100, 1)
> betRed(1, 100)
[1] 100
                        [1] 10
> betRed(1, 100)
                        > betRed(100, 1)
[1] - [0]
                        [1] -8
                        > betRed(100, 1)
> betRed(1, 100)
                        [1]-20
[1] - [0]
> betRed(1, 100)
                        > betRed(100, 1)
[1] -100
                        [1] -2
> betRed(1, 100)
                        > betRed(100, 1)
[1] -100
                        [1] -4
```

The winnings look different, but if we could play the game over and over again, how would they compare?

Call function many times

Notice that the calls to betRed do not depend on the input – shortcut

```
replicate(10000, betRed(100, 1))
```

What next?

We have the results from 10000 roulette spins for each scenario.

Mean

