



UNIVERSIDADE FEDERAL DO PARANÁ – UFPR

Departamento de Informática

Computer Vision and Perception

Introduction

Prof. Eduardo Todt
2023

Summary

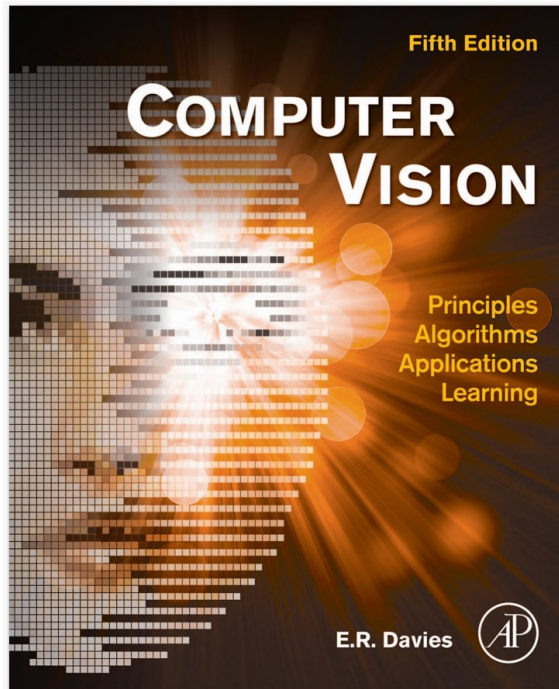
Text book

Introduction

recognition problem

image basics

Textbook



Computer Vision

Principles, Algorithms, Applications,
Learning

5th Edition - November 14, 2017

Author: E. R. Davies

Hardback ISBN: 9780128092842

9 7 8 - 0 - 1 2 - 8 0 9 2 8 4 - 2

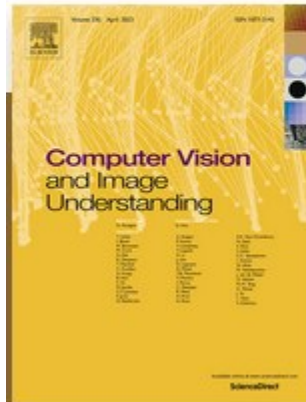
eBook ISBN: 9780128095751

Journal



ScienceDirect®

Journals & Books



Computer Vision and Image Understanding

Supports *open access*

The process of recognition

5x5 characters

NxN image

window sliding: $5^2 \times N^2$ ops

orientation: $\times 360^\circ$?

2^{N^2} possible patterns

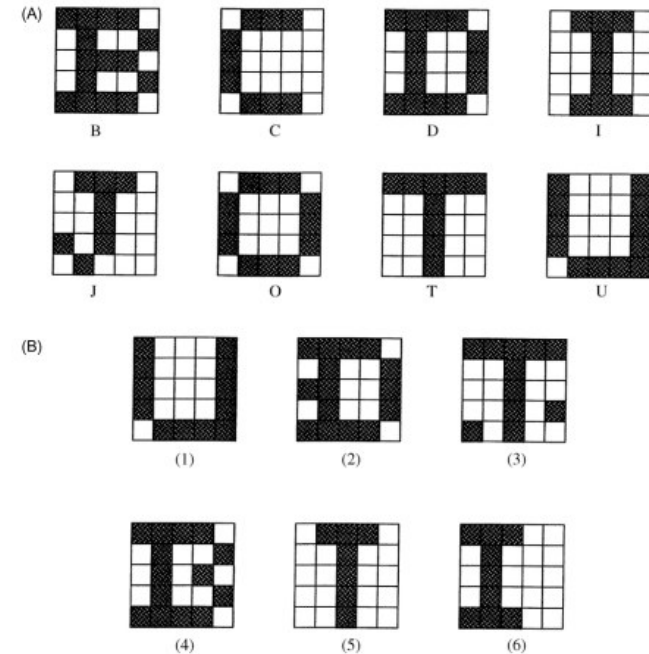


FIGURE 1.1

Some simple 25-bit patterns and their recognition classes used to illustrate some of the basic problems of recognition: (A) training set patterns (for which the known classes are indicated); (B) test patterns.

Trying to generalize

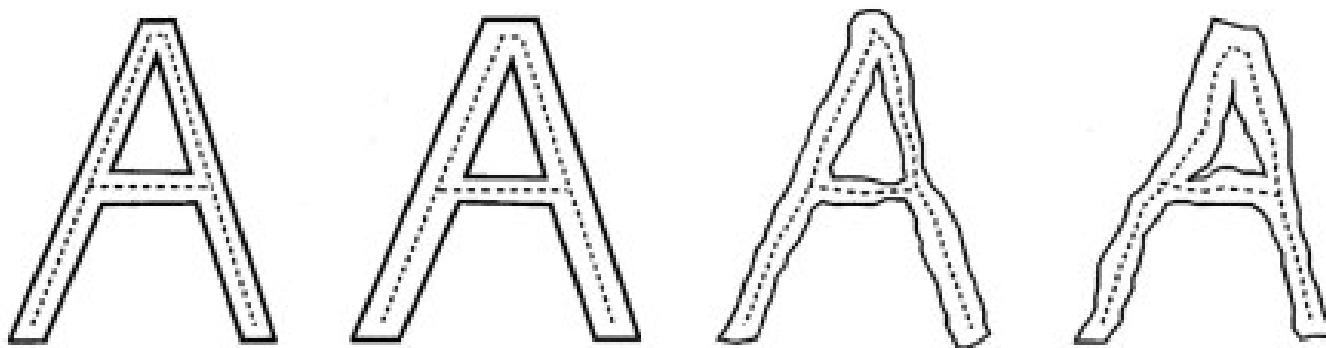


FIGURE 1.2

Use of thinning to regularize character shapes. Here character shapes of different limb widths—or even varying limb widths—are reduced to stick figures or skeletons. Thus irrelevant information is removed and at the same time recognition is facilitated.

Basic pipeline

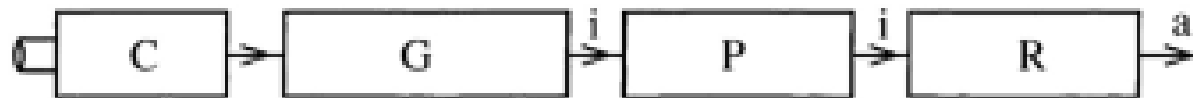


FIGURE 1.3

The two-stage recognition paradigm: C, input from camera; G, grab image (digitize and store); P, preprocess; R, recognize (i, image data; a, abstract data). The classical paradigm for object recognition is that of (1) preprocessing (image processing) to suppress noise or other artefacts and to regularize the image data and (2) applying a process of abstract (often statistical) pattern recognition to extract the very few bits required to classify the object.

Object location

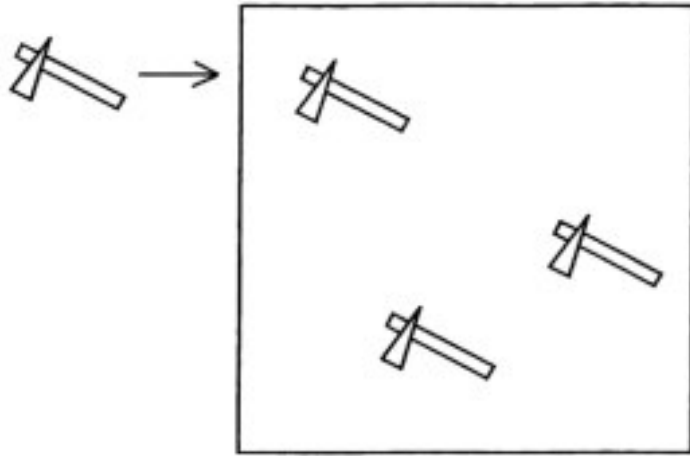


FIGURE 1.4

Template matching, the process of moving a suitable template over an image to determine the precise positions at which a match occurs, hence revealing the presence of objects of a particular type.

Generalized
Hamming distance:

$$\mathcal{D} = \sum_i |I_i - I_t|$$

For a 30x30 template
and 256x256 image
~60x10⁶ ops

Without considering
orientation and scale ...

Information reduction

Two-stage template matching

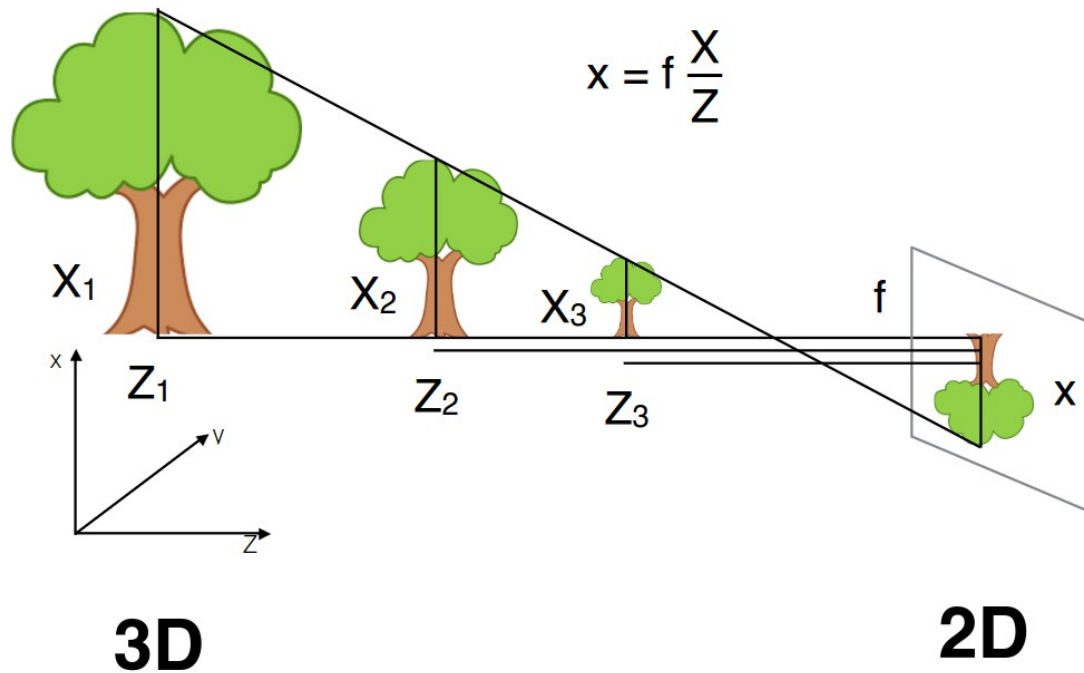
instead of template uses features

e.g. lines, corners,

the problem of feature size



Vision as inverse graphics



CG: N to 1
CV: 1 to N

N can be infinite ...

Images and operations

Binary images

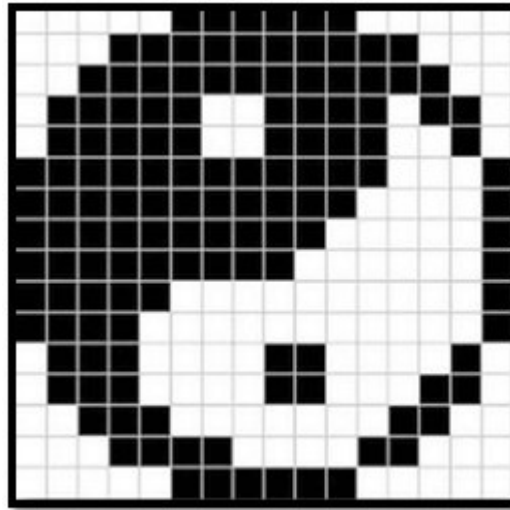


Fig. Binary image

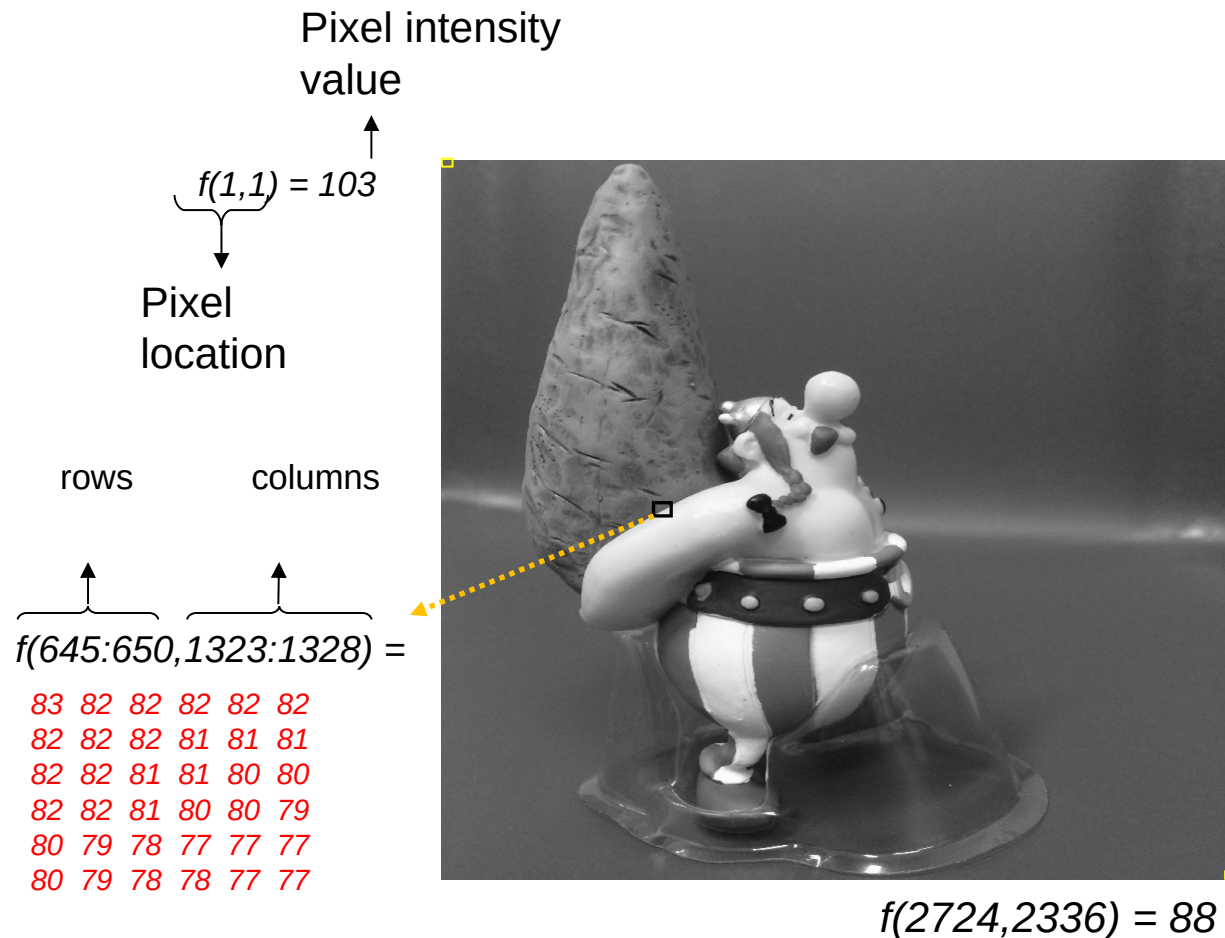
Images and operations

Gray-scale images



Fig. Gray-scale image

Typical: 8 bits/pixel

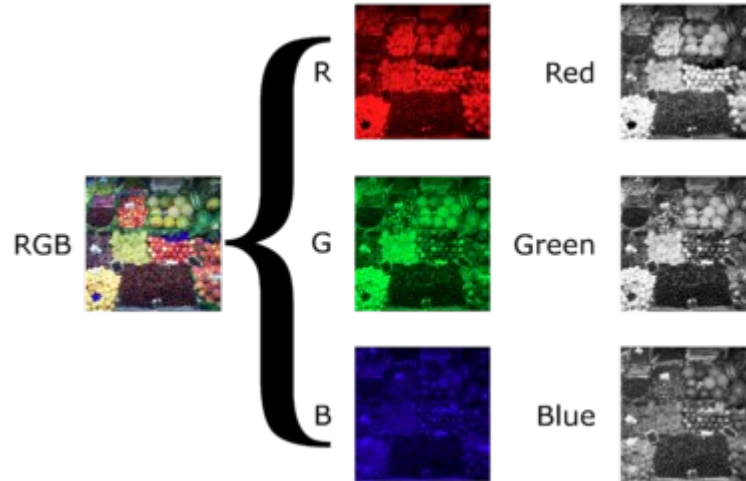


Consider the following image (2724x2336 pixels) to be 2D function or a matrix with rows and columns

In **8-bit** representation
Pixel intensity values change
between **0 (Black)** and **255 (White)**

Images and operations

color images



Images and operations

8-bit color images



Images and operations

16-bit color images

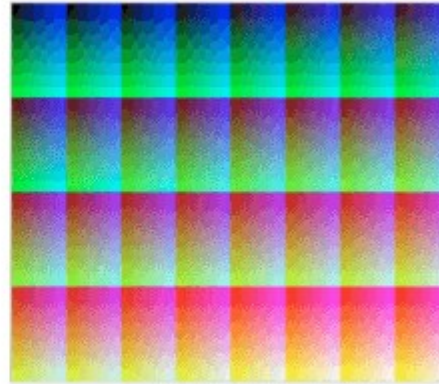
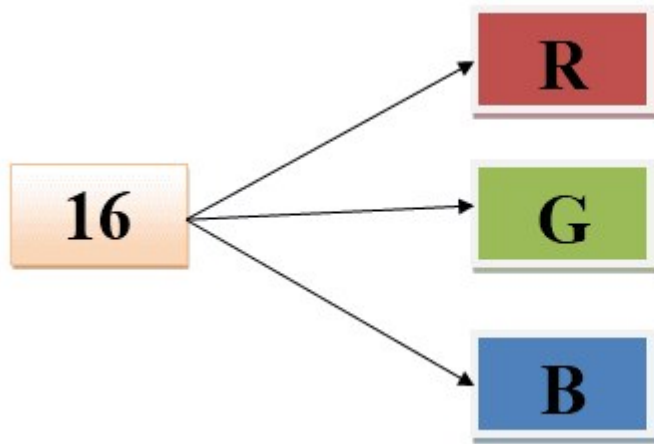


Fig: RGB 16 bits palette

R 5 bits
G 6 bits
B 5 bits

Images and operations

24-bit color images

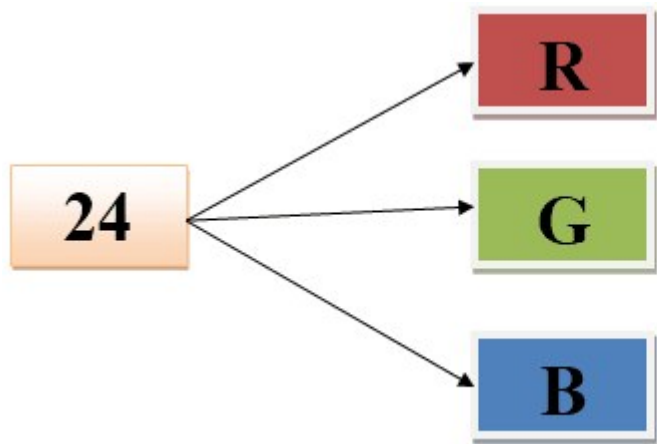


Fig: 16,777,216 colors

R 8 bits
G 8 bits
B 8 bits

OpenCV image container

Early times: *IplImage*

Open Source Computer Vision

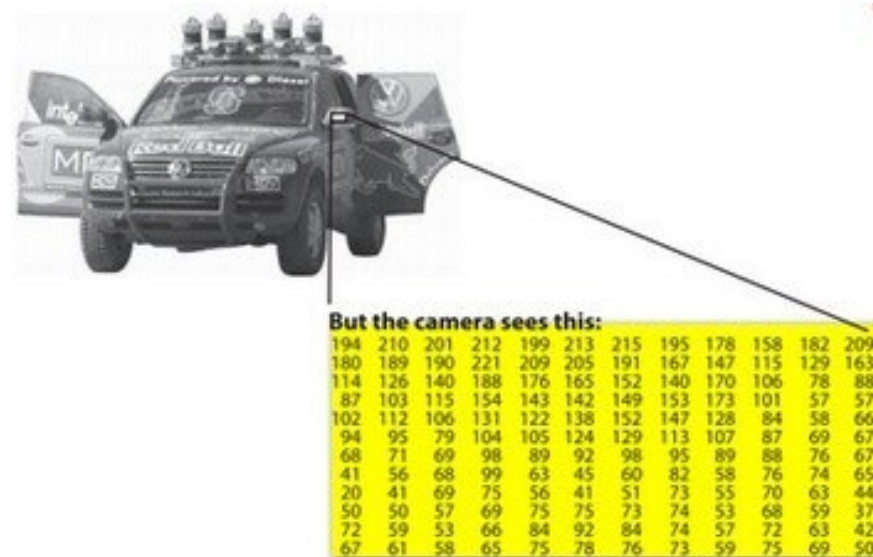
IpImage Struct Reference

Core functionality - C structures and operations

```
#include <opencv2/core/types_c.h>
```

Public Attributes

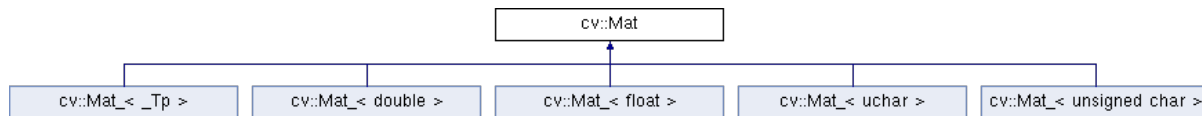
int	align
int	alphaChannel
int	BorderConst [4]
int	BorderMode [4]
char	channelSeq [4]
char	colorModel [4]
int	dataOrder
int	depth
int	height
int	ID
char *	imageData
char *	imageDataOrigin
void *	imgeld
int	imageSize
struct _IplImage *	maskROI
int	nChannels
int	nSize
int	origin
struct _IplROI *	roi
struct _IplTileInfo *	tileInfo
int	width
int	widthStep



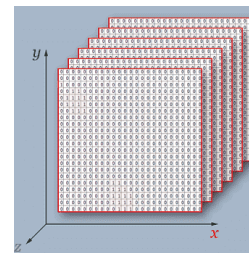
OpenCV image container

Currently: *Mat* *n-dimensional dense array*

```
//including all the necessary headers
#include "opencv2/core.hpp"
#include <iostream>
#include <opencv2/opencv.hpp>
//defining the namespace std and cv
using namespace std;
using namespace cv;
void main()
{
    //creating a matrix using mat function and
    displaying the matrix as the output on the screen
    Mat Mvalue(4, 4, CV_8UC3, Scalar(1, 0, 1));
    cout<<"The resulting matrix is:\n";
    cout << "Mvalue = " << endl << " " << Mvalue <<
    endl << endl;
}
```



```
The resulting matrix is:
Mvalue =
[ 1, 0, 1, 1, 0, 1, 1, 0, 1, 1, 0, 1;
 1, 0, 1, 1, 0, 1, 1, 0, 1, 1, 0, 1;
 1, 0, 1, 1, 0, 1, 1, 0, 1, 1, 0, 1;
 1, 0, 1, 1, 0, 1, 1, 0, 1, 1, 0, 1]
```



https://docs.opencv.org/4.x/d6/d6d/tutorial_mat_the_basic_image_container.html

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https://docs.opencv.org/4.x/d3/d63/classcv_1_1Mat.html#details

https://docs.opencv.org/4.x/d6/d6d/tutorial_mat_the_basic_image_container.html

Image processing basics

quantization, up sample, down sample

grayscale range

intensity



```
[[ 66 156  43 106 195 209 136 155 193  97]
 [229 192 146 239 231 118 103  66 142 149]
 [112 187 229 177 143 114 117 237  22 103]
 [197 226  62 125 173  99 118  47  41  43]
 [ 64 156 236  54  12 231 144 242 246 105]
 [ 25 152 164 130 184 155 178 230  87 210]
 [152 226  5  56 135  96 205 154  96  11]
 [ 19 209 138  12 153 147 162 124 198  59]
 [134 184 133  0  80 128  18  72 131  58]
 [ 65 137 212  87  35 146 135  97  33  89]]
```

<http://www.linkedin.com/in/ya%C4%9Fmur-cigdem-aktas>

Gray level transformations

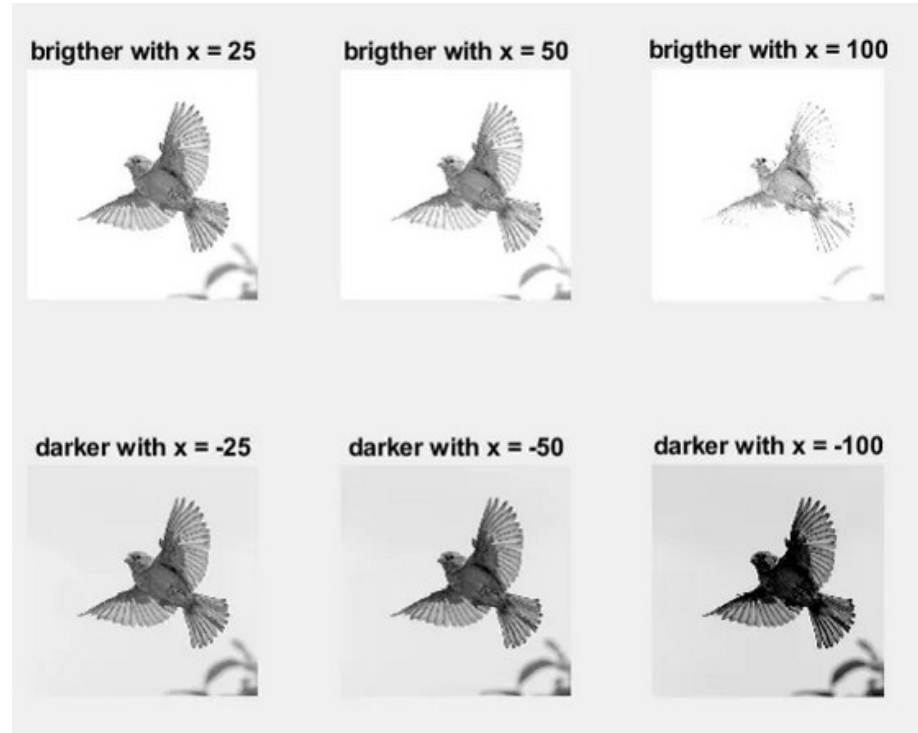
Applied to whole image

Linear transformations

$$s = cr + x$$

ex. $c=1$; $x=25, 50, \dots$

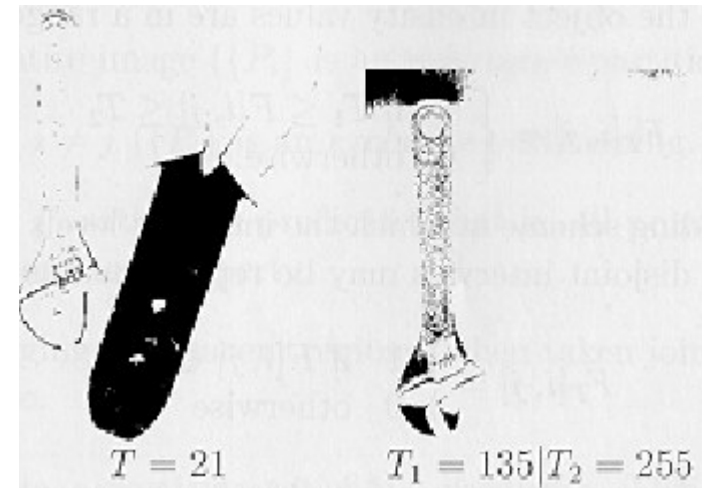
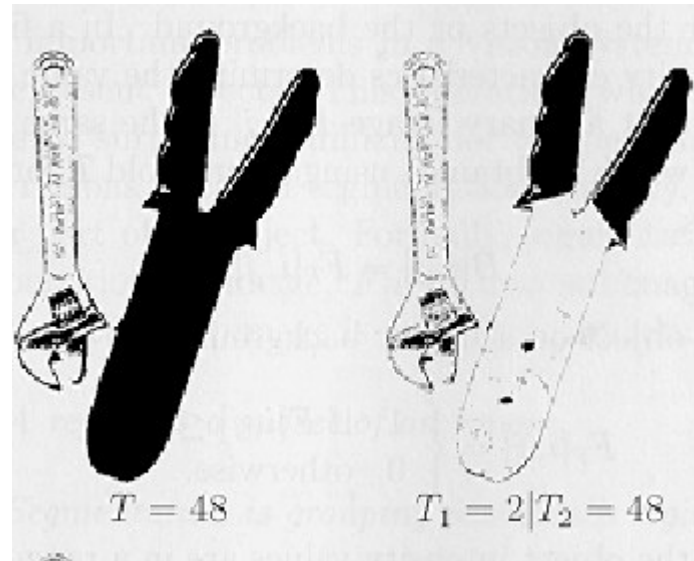
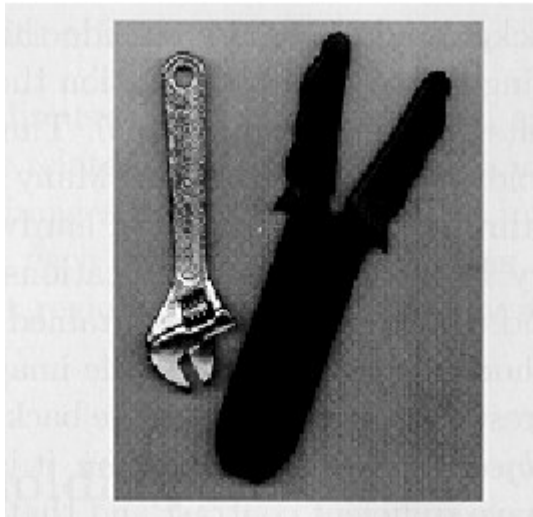
r initial pixel value
 s transformed pixel value
 x offset
 c coefficient



Thresholding

The simplest approach to segment an image is thresholding

If $f(x, y) > T$ then $f(x, y) = 0$ else $f(x, y) = 255$

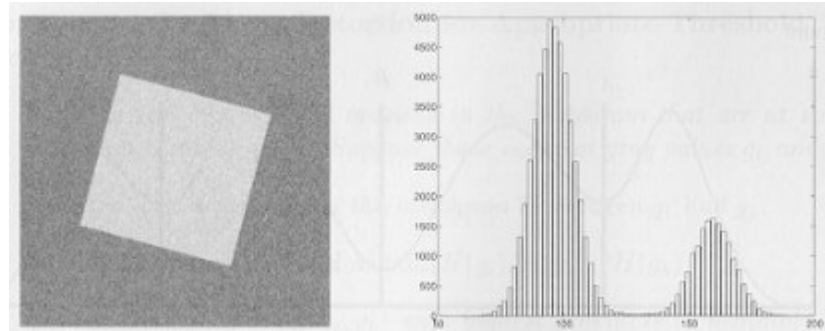


Thresholding



Automatic Thresholding

Regions with uniform intensity give rise to strong peaks in the histogram



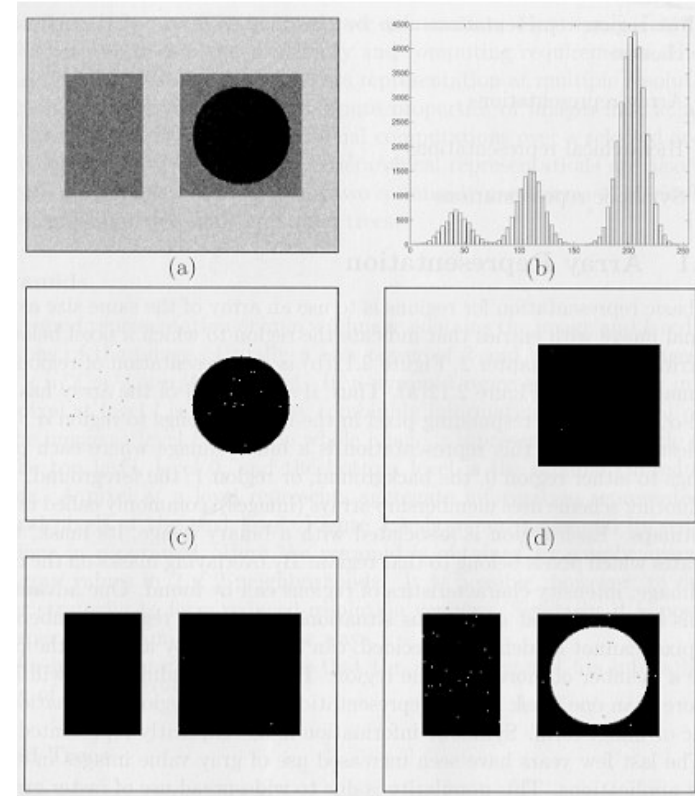
Automatic Thresholding

Multilevel thresholding is also possible

If $f(x, y) < T_1$ then $f(x, y) = 255$

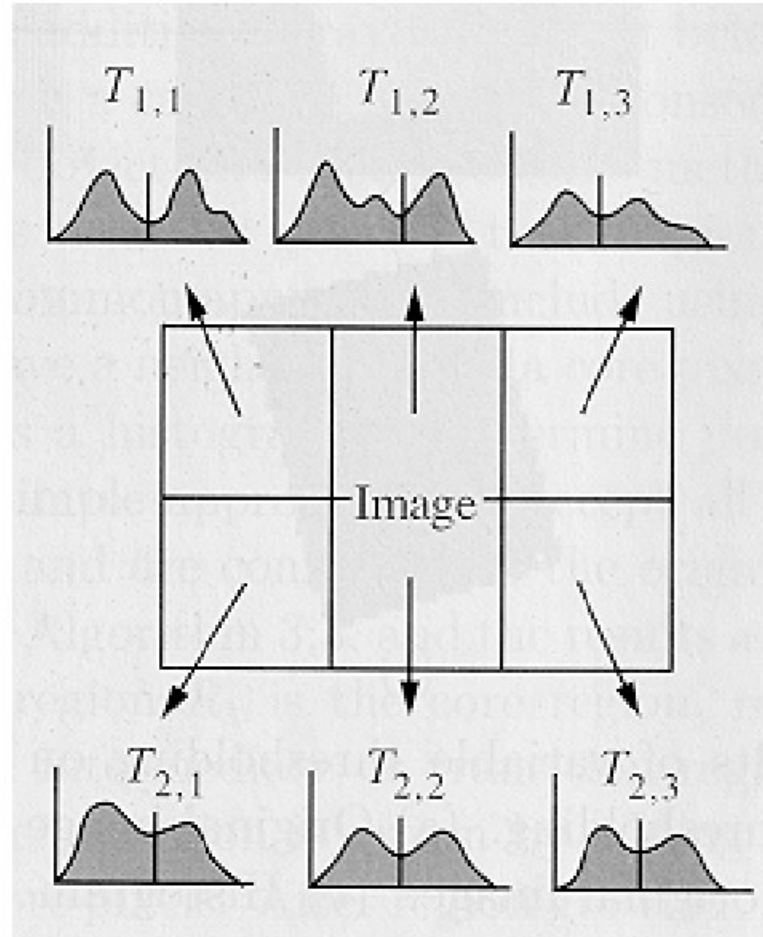
else if $T_1 \leq f(x, y) < T_2$ then $f(x, y) = 128$

else $f(x, y) = 0$



Local Thresholding

A single threshold will not work well when we have uneven illumination due to shadows or due to the direction of illumination



Gray level transformations

Applied to whole image

Log transformations

$$s = c \log(1 + r)$$

ex. $c=1$; $x=25, 50, \dots$

r initial pixel value

s transformed pixel value

c coefficient



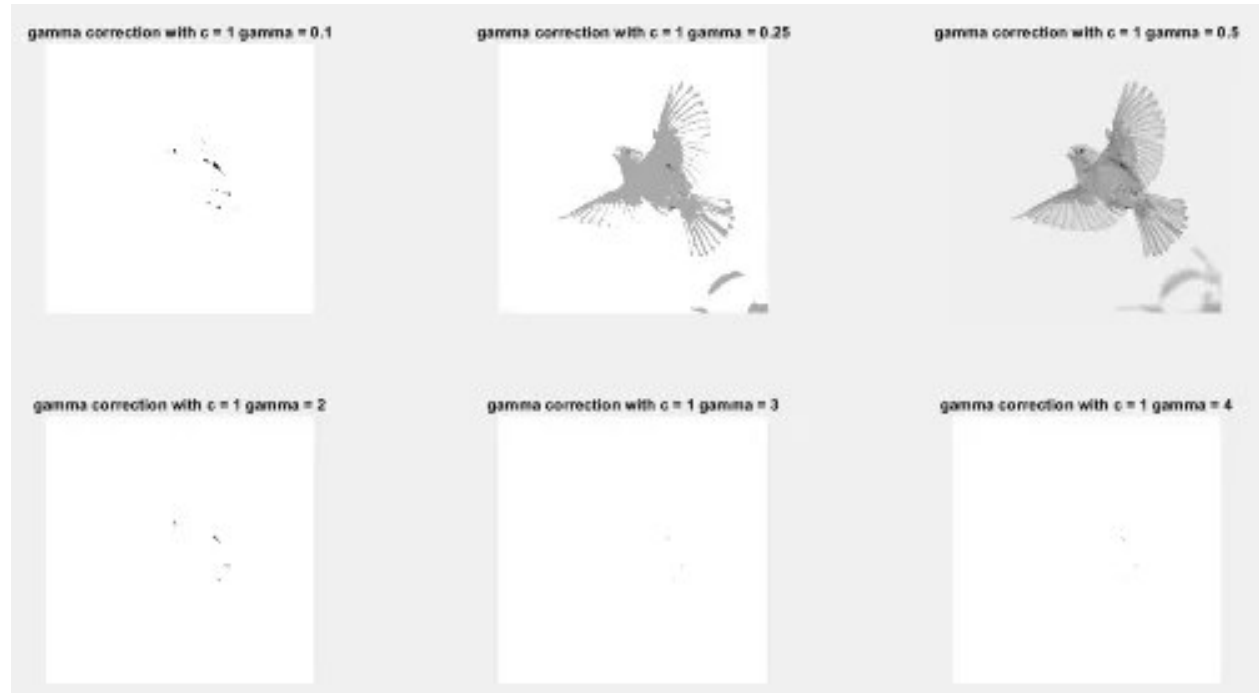
Gray level transformations

Applied to whole image

Power law transformations

Gamma correction

$$s = c r^{\gamma}$$



Gray level transformations

Applied to whole image

Generalized

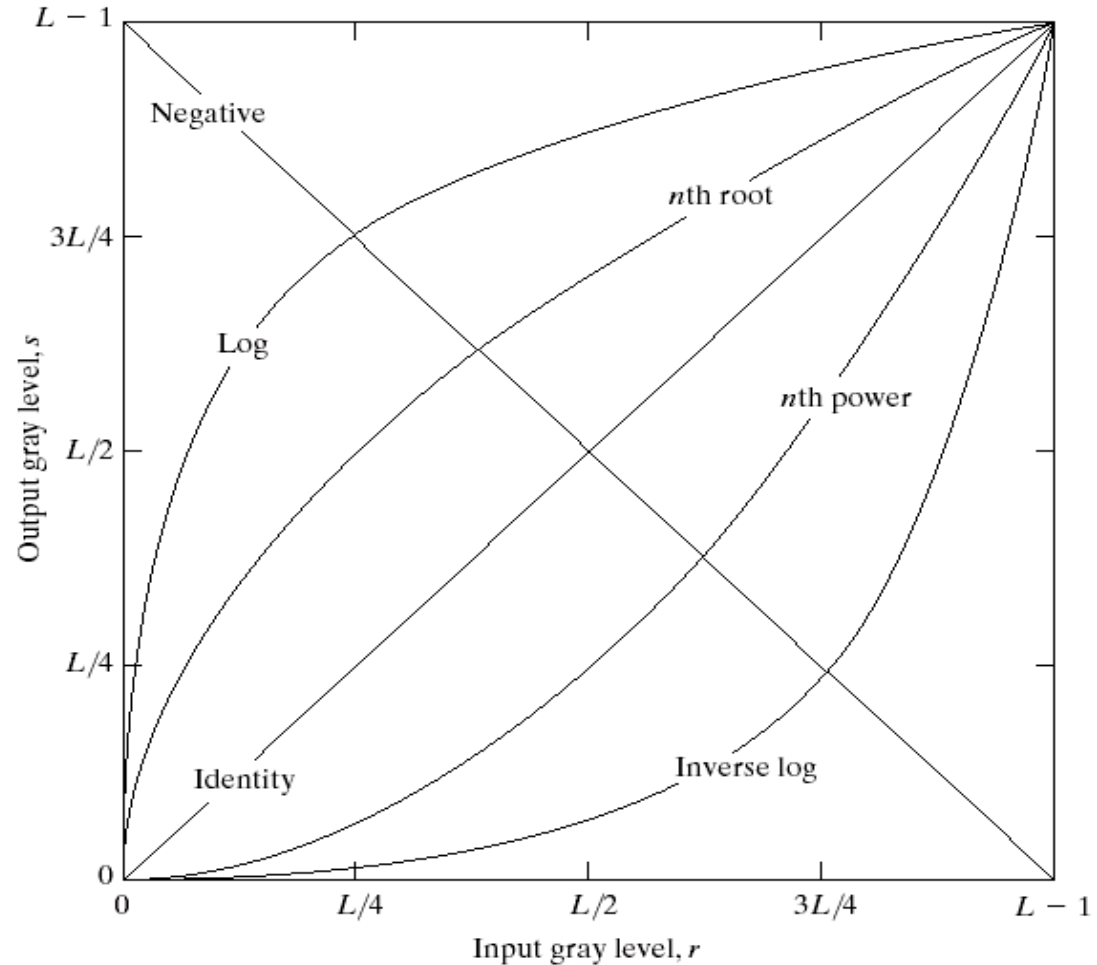
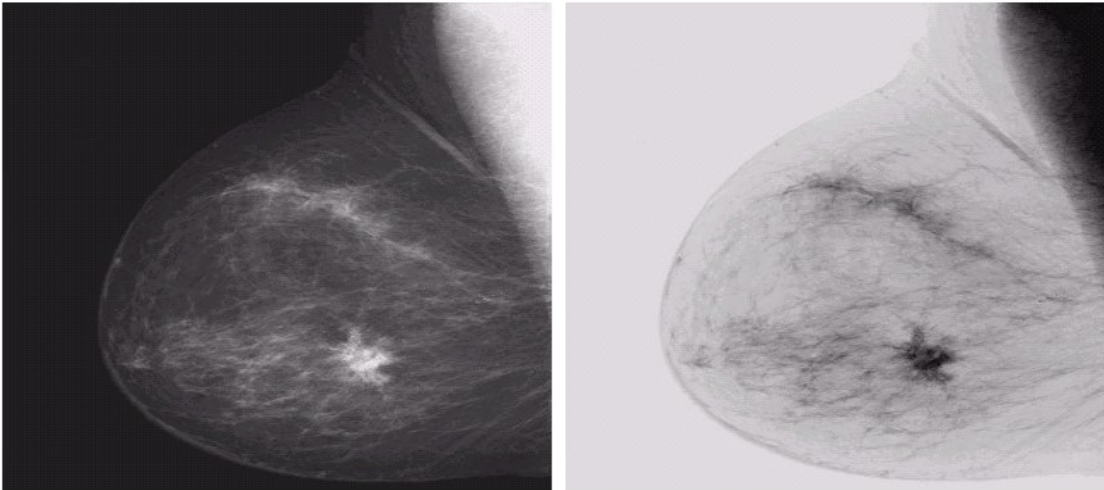


Image Negatives

$$s = (L-1) - r$$

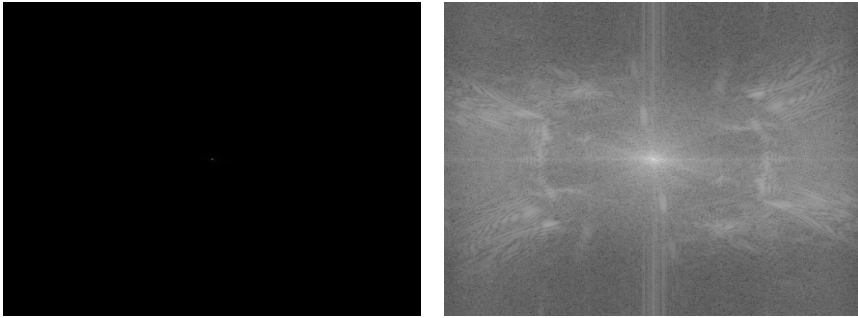


(left) Original digital mammogram. (right)
Negative image obtained using the
negative transformation

$L = 2^k$ k =número de bits

Logarithmic Transformations

$$s = c \log(1+r)$$



(left) Fourier spectrum of Barbara's image. (right)
Result of applying the log transformation



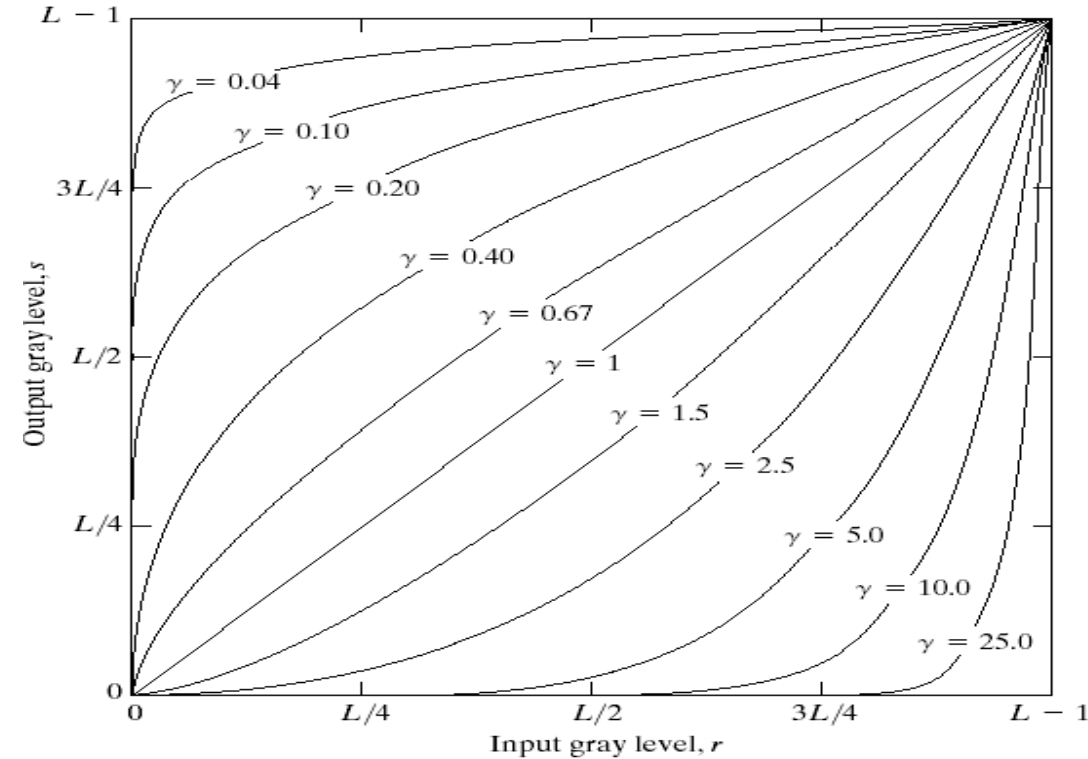
You should know Lena



Capa playboy 1973

<https://en.wikipedia.org/wiki/Lenna>

Logarithmic Transformations



$$s = c r^\gamma$$

s is the pixel value of the output image and r is the pixel value of the input image. ($\gamma \geq 0$ and $0 \leq r \leq 1$)

Plots for various values of γ ($c=1$)

Logarithmic Transformations



a	b
c	d

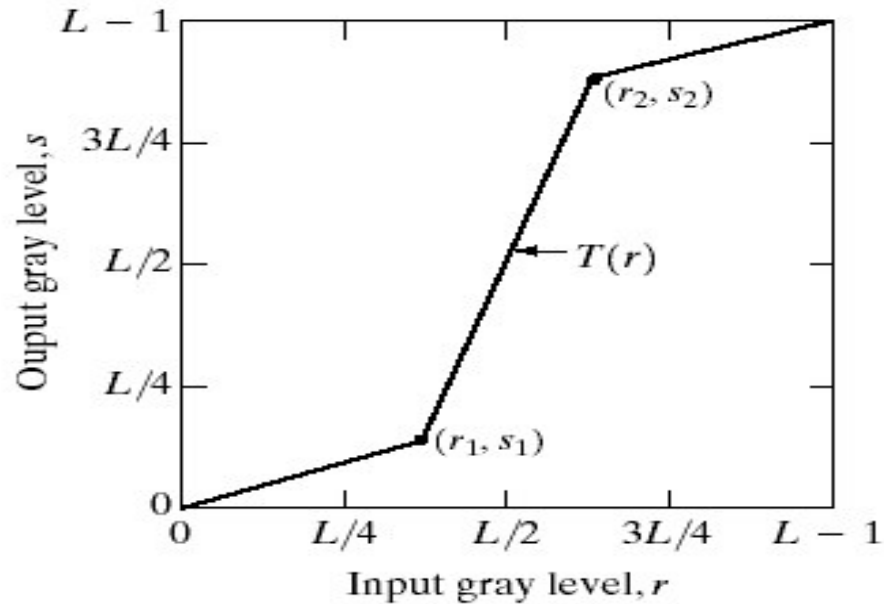
(a) original image

(b) $\gamma = 0.5$

(c) $\gamma = 0.3$

(d) $\gamma = 0.7$

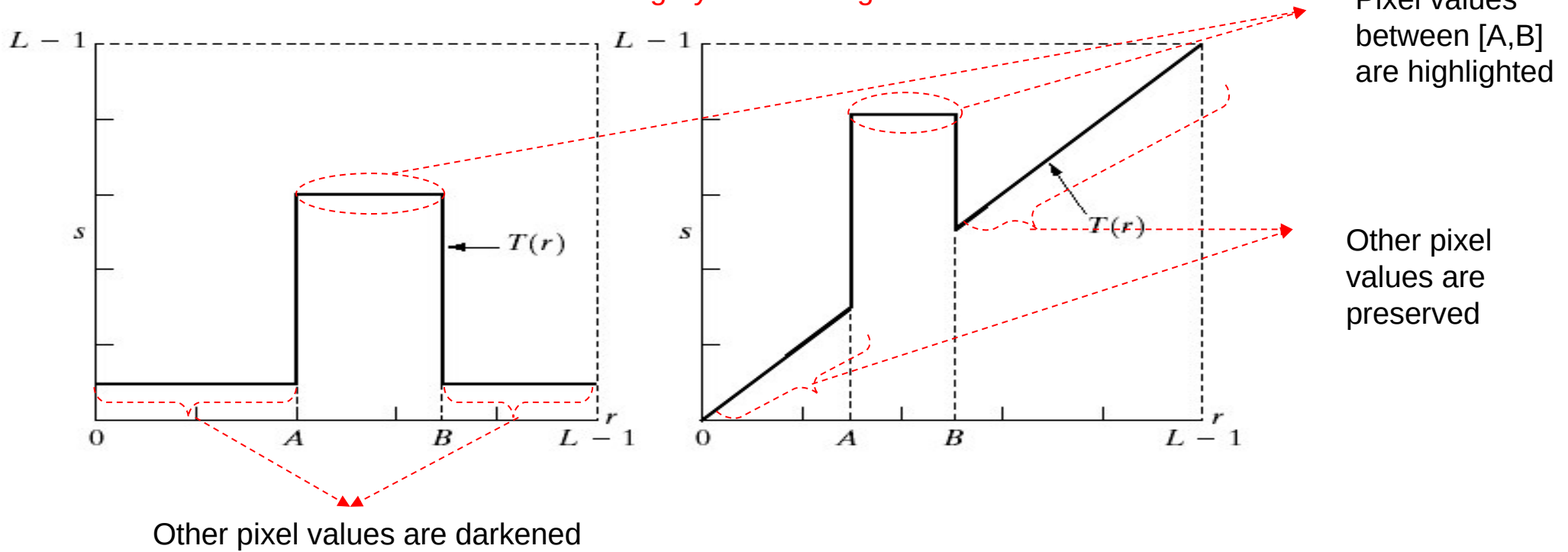
Piecewise-Linear Transformations



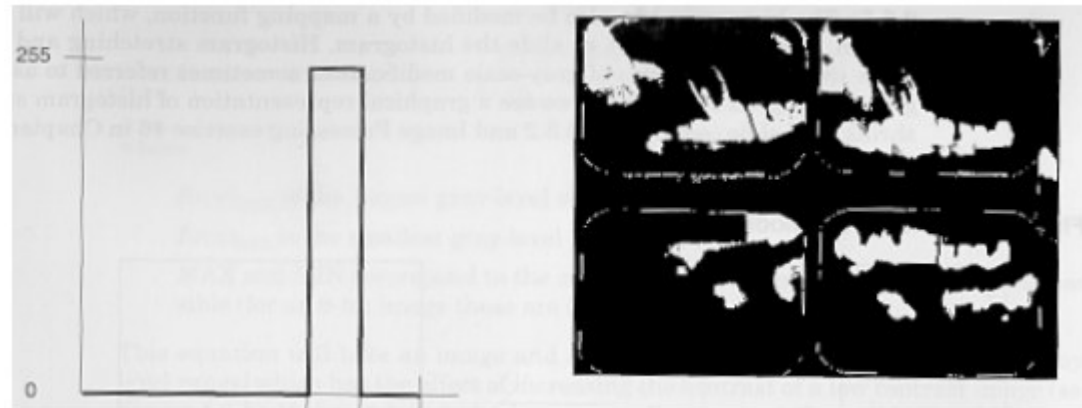
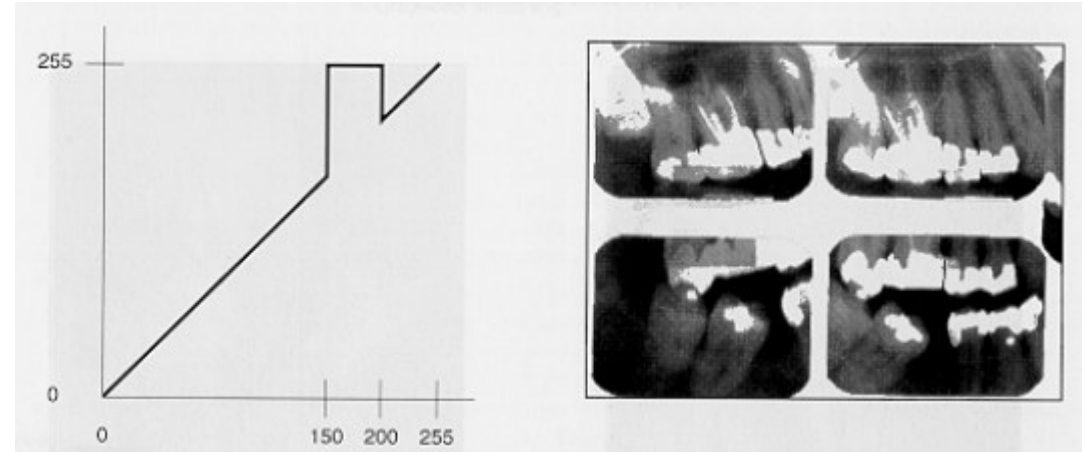
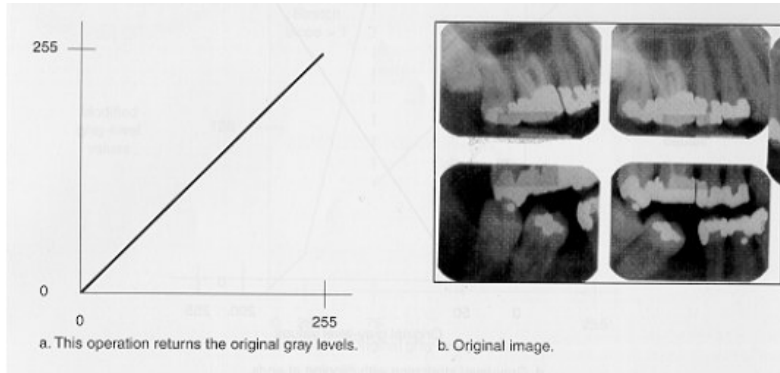
An example of piecewise linear transformation function

Piecewise-Linear Transformations

grey-level slicing

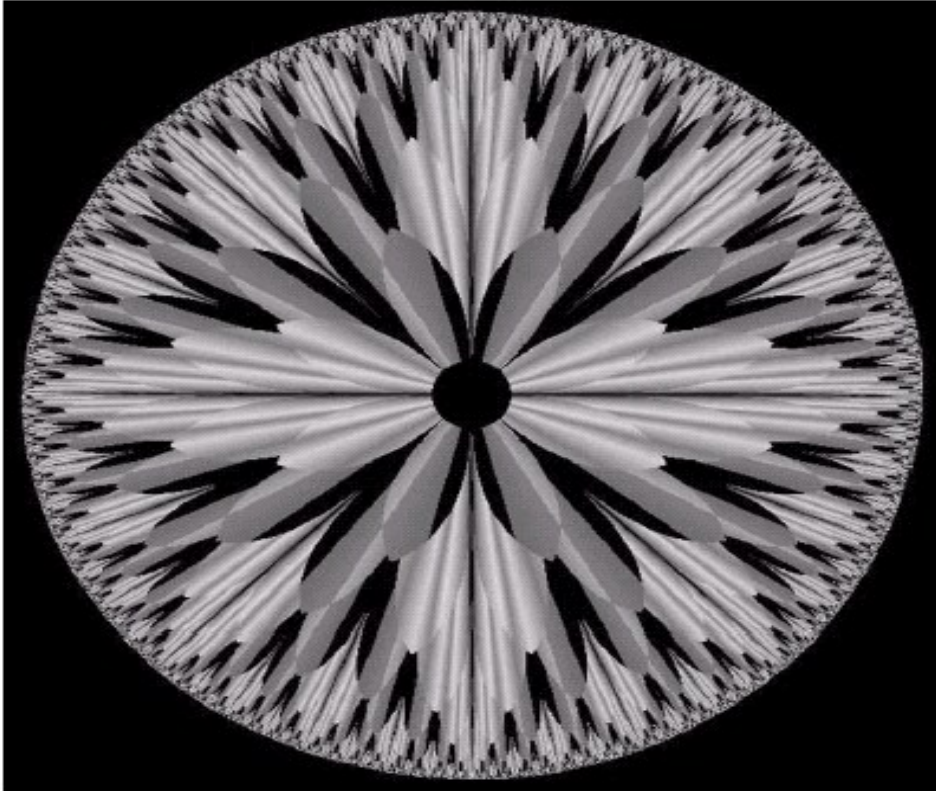


Piecewise-Linear Transformations



Piecewise-Linear Transformations

Bit Plane slicing

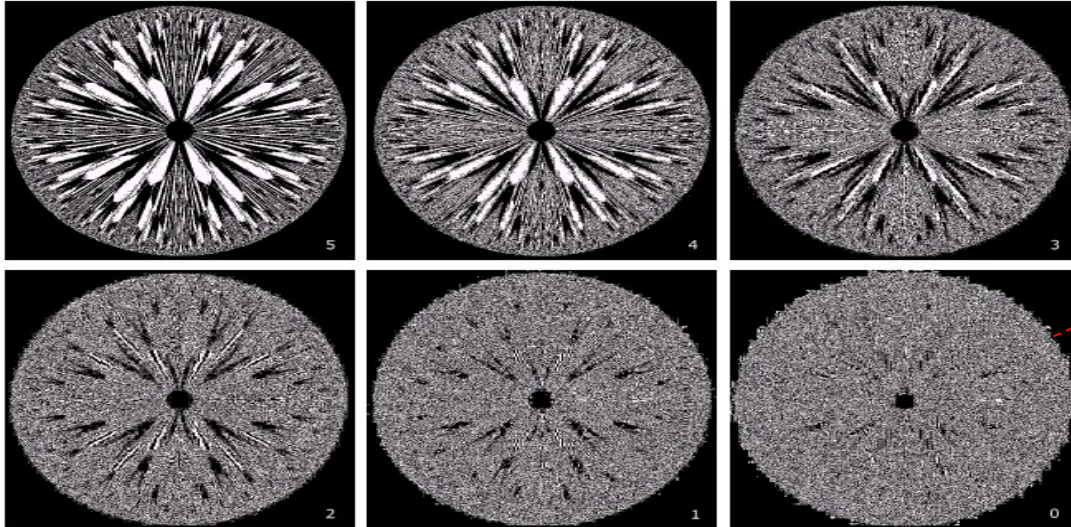
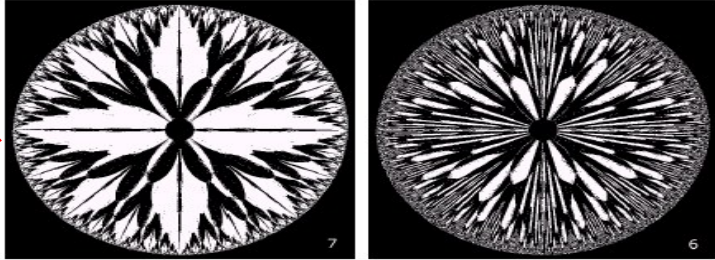


An 8-bit fractal image

Piecewise-Linear Transformations

Bit Plane slicing

MSB



LSB

Histogram Processing

Histogram : is the discrete function $h(r_k)=n_k$, where r_k is the k^{th} gray level in the range of $[0, L-1]$ and n_k is the number of pixels having gray level r_k .

Normalized histogram : is $p(r_k)=n_k/n$, for $k=0,1,\dots,L-1$ and $p(r_k)$ can be considered to give an estimate of the probability of occurrence of gray level r_k .

Histogram Processing

0	0	1	0	2	0
1	0	7	7	7	0
0	7	0	0	7	0
1	0	0	7	2	0
0	0	7	1	0	1
1	0	7	7	7	0

frequencies

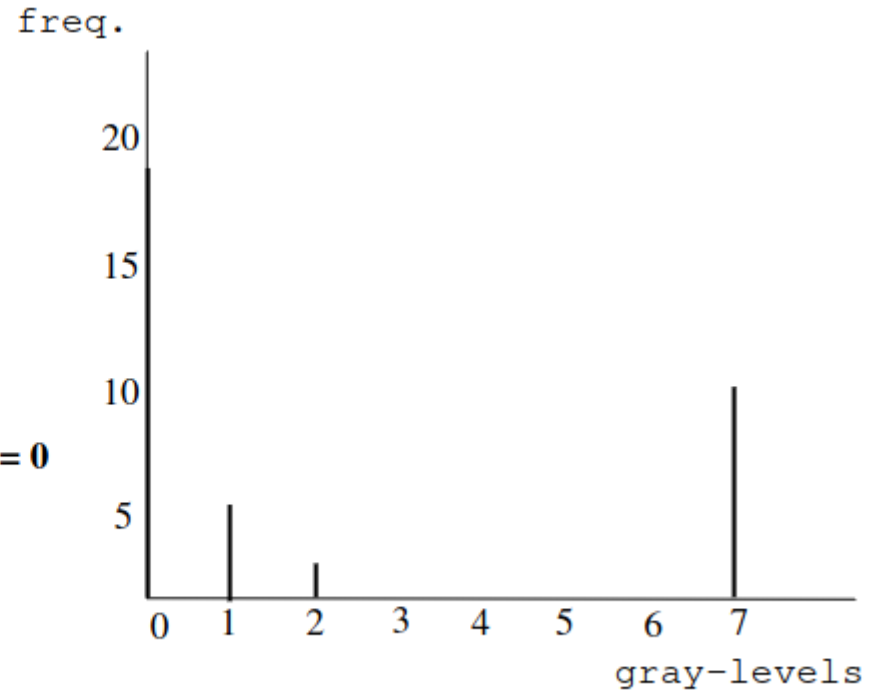
$$f(0) = 18$$

$$f(1) = 6$$

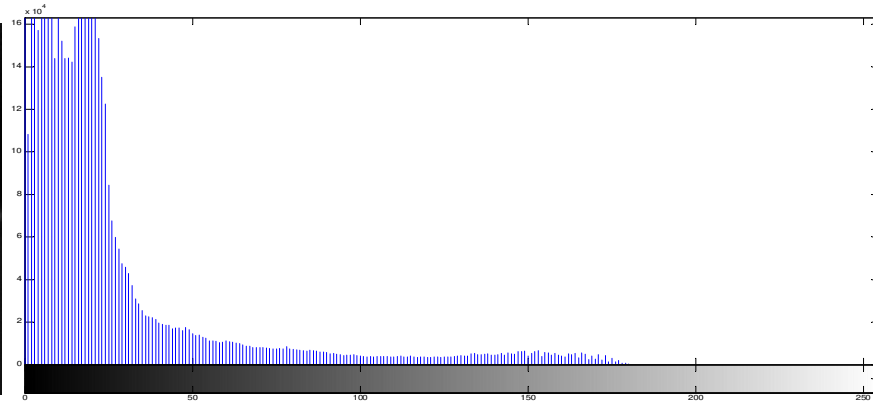
$$f(2) = 2$$

$$f(3) = f(4) = f(5) = f(6) = 0$$

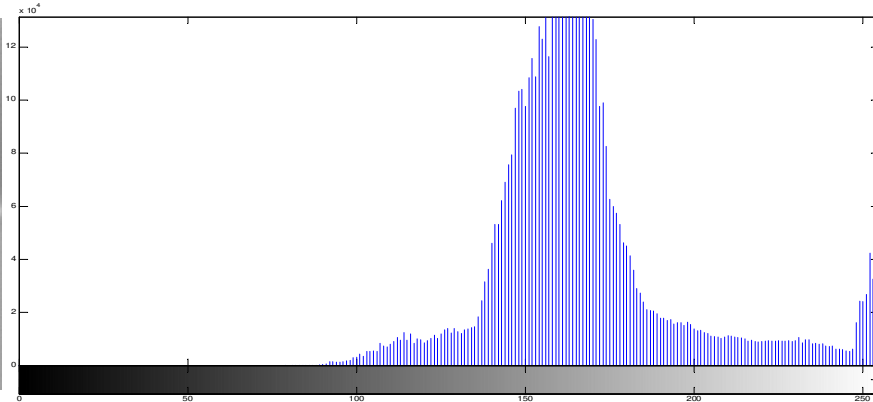
$$f(7) = 10$$



Histogram of 4 basic grey-level characteristics

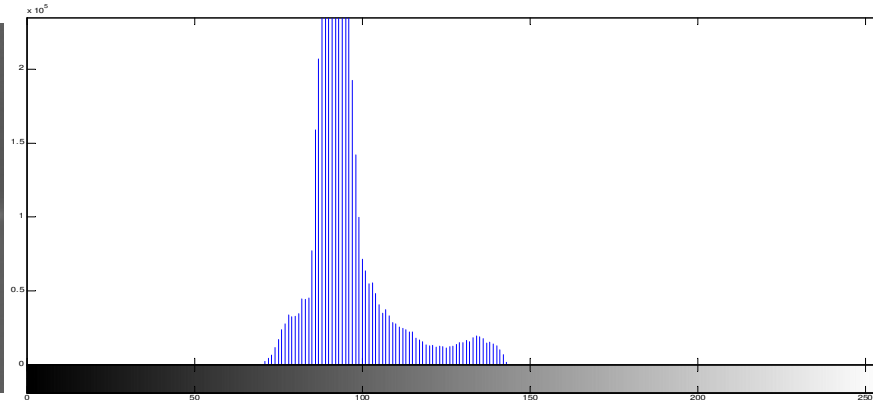
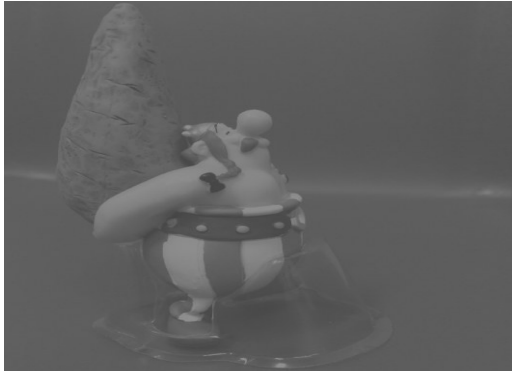


Dark image

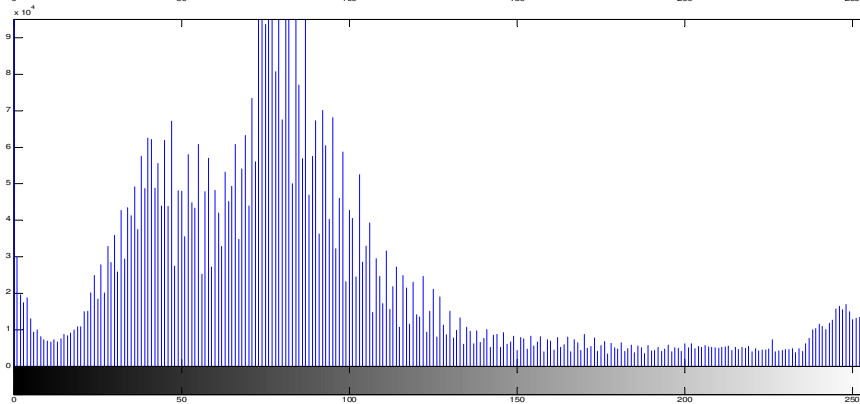


Bright image

Histogram of 4 basic grey-level characteristics



Low contrast image



High contrast image

Histogram Equalization

Histogram equalization : is a method which increases the dynamic range of the gray-levels in a low-contrast image to cover full range of gray-levels.

How-to-Do: is achieved by having a transformation function which is the Cumulative Distribution Function (CDF) of a given PDF of gray-levels in a given image.

Histogram Equalization

Histogram equalization

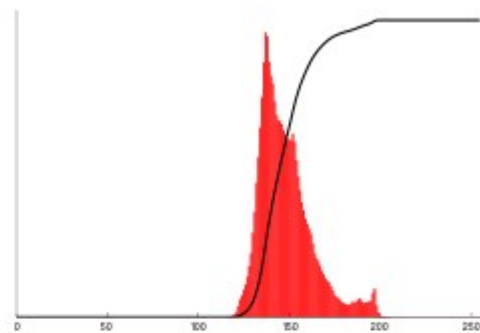
The new intensity value of pixel x is calculated by:

$$I(x) = \text{round} \left(\frac{\text{cdf}(x) - \min \text{cdf}}{1 - \min \text{cdf}} \times (L - 1) \right)$$

				256			
	original H(x)	original h'(x)	original cdf(h'(x))		new H(x)	new(h'(x))	new(cdf'(x))
1	5	0,125	0,125		32	0,024	0,024
2	3	0,075	0,200		51	0,038	0,061
3	9	0,225	0,425		108	0,080	0,142
4	16	0,400	0,825		210	0,156	0,297
5	0	0,000	0,825		210	0,156	0,453
6	4	0,100	0,925		236	0,175	0,627
7	2	0,050	0,975		249	0,184	0,811
8	1	0,025	1,000		255	0,189	1,000
total	40	1,000			1351,5	1,000	



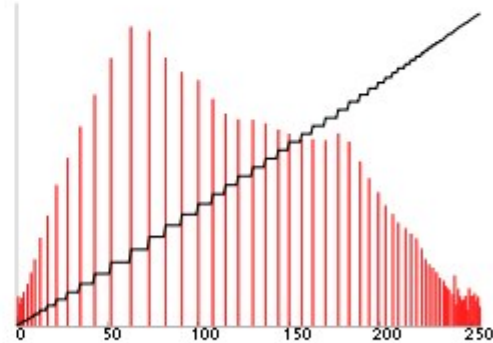
Before Histogram Equalization



Corresponding histogram (red) and cumulative histogram (black)



After Histogram Equalization



Corresponding histogram (red) and cumulative histogram (black)





Computational Vision and Perception

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