

Project Euler #125: Palindromic sums

Problem Statement

The palindromic number \$595\$ is interesting because it can be written as the sum of consecutive squares: $6^2 + 7^2 + 8^2 + 9^2 + 10^2 + 11^2 + 12^2$.

The palindromic number \$696\$ is also nice because it can be written as $10^2 + 12^2 + 14^2 + 16^2$, where the bases form an [arithmetic progression](#) with common difference \$2\$.

There are exactly eleven palindromes below one-thousand that can be written as consecutive square sums, and the sum of these palindromes is \$4164\$. Note that \$1 = 0^2 + 1^2\$ has not been included as this problem is concerned with the squares of positive integers. Also, there has to be at least two terms in the sum.

Given \$N\$ and \$d\$, find the sum of all the numbers less than \$N\$ that are both palindromic and can be written as the sum of squares whose bases form an arithmetic progression with common difference \$d\$.

Input Format

The first line of input contains \$T\$, the number of test cases.

Each test case consists of a single line containing two integers \$N\$ and \$d\$, separated by a space.

Constraints

$1 \leq T \leq 20$
 $1 \leq N \leq 10^9$
 $1 \leq d \leq 10^9$

Output Format

For each test case, output a single line containing a single integer, the answer for that test case.

Sample Input

```
2
1000 1
1000 2
```

Sample Output

```
4164
3795
```

Explanation

The first test case corresponds to the example given in the problem statement.

In the second test case, \$d = 2\$, and there are \$6\$ such numbers less than \$1000\$. Two such numbers are:

$696 = 10^2 + 12^2 + 14^2 + 16^2$
 $969 = 1^2 + 3^2 + 5^2 + 7^2 + 9^2 + 11^2 + 13^2 + 15^2 + 17^2$

