Name - Muskan Agarwal Design Analysis and Algorithms University Pollno-12016860 Tutorial - 3 Section - F

an element in a sorted array with minimum comparison.

for (i = 0 to n)

if (arr [i] = = value)

letement from d

Od. Hifte Psuedo Code for iterative & recursive insertion sort. Insertion sort is called Online sorting. Why? What about other sorting algorithms that has been discussed?

= Iterative !

```
void insertion_sort (Int arit], int n)

for(Int i=1; icn; itt)

j=i-1;

x=arrti];

while (j7-1 44 arrti] >x)

arr Tj+1 J =arrti];

arrti+1J=1;

}
```

```
Recorsive:

Vold insertion-sort (mt one [] [nt n)

if (n <=1)

retarn;

insertion-sort (arr, n-1);

int lost = arr[n-1];

int | j=n-2;

while (j7=0 4f arr[j]7 last)

arr[j+1] = arr[j];

arr[j+1] = arr[j];
```

Inserten Sort is called "Online Sort" because it does not used to know anything about what values it will sort and information is required while algorithm is running.

Other Sorting Algorithms !-

- Bubble Sort
- · Ovick Sort
- · Merge Sort
- · Count Soit
- · Selection Soit
- · Hear Sort

```
else of ( ky < aritmy)
            r=m-1;
         else
          return -1;
     Recursive.
      Port be-search ( int are []; intl, ent or, ent key)
          while (IC=8) )
           in+ m= (1+1) 12;
           if ( key = = arr[m])
            return m;
            else if ( key / arr[m])
               setuin b-search (asr, I, mid-1, key);
               eilse
                seturn b-search Carr, midtl, 1, key);
             return -1;
       Time complexity: -
   1) Linear Search - O(n)
      Brasy Seach - Oclogn)
O6. With recurrence relation for binary recursive seach.
=
                                  -0
        T(n) = T(n/L) + 1
       T(n(2) = T(n(4)+1
                            - 0
        7(n/4) = 7(n/8)+1
       T(n) = T(n/2) + 1
            = T(n/4) +1+1
             = 7(18)+1+1+1
```

T(n/2") +1 (Ktimes)

Let $g^k = n$ k = log n T(n) = T(n/n) + log n T(n) = T(1) + log n $T(n) = O(log n) \rightarrow Answer.$

- Q7. Find two inclexes such that ACIJ + ACIJ = K in minimum time complexity.
 - for Ci = 0; i < n; i + i)

 for Ci = 0; i < n; i + i)

 for Ci = 0; i < n; i + i)

 if (aCi) + aCi) = = k)

 Print f = ("y.d", i, i),
 - 08. Which sorting is best for practical uses? Explain.
 - Duick sort is fostest general-purpose sort. In most practical situations quicksort is the method of choice as stability is important and space is available, mergesort might be best.
 - Oq. What do you mean by inversions in an array? Gount the no. of inversions in Array asi [] = 17,21,31,8,10,1, 10,6,4,5) using merge sort.
 - A Parr (A[i], A[i]) is said to be priversion if

 A[i] > A[i]
 - . ? < ;
 - · Total no. of inversions in given array are 3)

. a il Lit con

Or Oro. In which cases Quick sort will give least 4 worst case time complexity.

A

Horst Case O(n2) - The worst case occurs when the pivot element is an element (smallest /largest) element. This happens when input array is sorted or reverse sorted and either first or last element is selected as pivot.

Best (ase O(nlogn) -) The best case occurs when we will select pivot element as a mean

Ou. Write fecurien felation of Herge / Quick Sort in best I worst care. What are the similarities of difference between complexities of two algorithm Swhy?

E) Merger Sort!
Best (ase \longrightarrow T(n) = 2T(n12) +0(n)

worst case \longrightarrow T(n) = 2T(n12) +0(n)

Quick Sort!
Best case \rightarrow T(n) = 2T (n12) + O(n) \rightarrow O(nlogn)

Woust case \rightarrow T(n) = T(n-1)+O(n) \rightarrow O(n2)

In quick sort, array of element is divided ento 2 parts respectively until it is not possible to divide it further.

In merge sort the elements are split into 2 oubarray (n/2) again 4 again until only one element

Q12. Selection Sort is not stable by default but can you write a version of stable selection sort?

Amfor (ent i=0; i < n-1; i+t)

int min = i;

for (int j = i+1; j < n; j+t)

if (a [min] > a[j])

min = 1;

int key = a [min];

while (min > i)

a [min] = a [min-9];

men --;

af i = key;

- Q113. Bubble sort scans array even when array is sorted, Can you modify the bubble sort so that it does not scan the whole array once it is sorted.
 - A letter version of bubble sort, known as m bubble sort includes a flag that is set of a exthange is made after an entire pass over. If no exchange is made then it should be called the array is already order because no two elements need to be switched.

```
vord bubble ( ent all, int n)
e for (int i= 0; ikn; itt)
   int swaps= 0;
    for ( Pot j= 0; j< n-(-j j )++)
      if [aci] >acj+17)
           mt t = alj])
                atjj= atj+1],
                0[j+1] = t;
                swap ++ )
        if (swap = = 0)
        breal;
     3
```