

Ans 1

- 1) Start
- 2) Declare variables n, i, flag
- 3) Initialize variables $\text{flag}=1, i=2$
- 4) Read n from user
- 5) If $n \leq 1$
 Display "Prime"
- 6) For ~~Goto~~ Stop $i < [(n/2)+1]$
 If $(n \% i == 0)$
 ~~flag~~ $\text{flag} = 0;$
 break;
 $i = i + 1$
- 7) If $\text{flag} == 0$
 Display "Prime"
Else
 Display "Not Prime"
- 8) Stop

Ans 2

- 1) Start
- 2) Declare variables A, B, C, n, i
- 3) Initialize $A=0, B=1, i=2$
- 4) ~~Display A, B~~
- 4) ~~$C = A + B$~~ for Read n from user 5) Display A, B
- 6) for $i < n$
 $C = A + B$. Display C
 $A = B$
 $B = C$
 $i = i + 1$

7) Stop

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Ans3 1) Start

2) Declare array $A[]$, n , i , x , $flag$

3) Input $A[]$, x , n & initialise $i=0$, $flag=0$

4) for $i < n$

if $(A[i] == x)$

Display " x found at index i "
~~else~~ $flag=1$

5) If $flag == 0$

Display x not found

6) Stop

Ans4 1) Start

2) Declare array $A[]$, n , l , u , mid , x

3) Input $A[]$, x , n & initialise $l=0$, $u=n-1$, $mid=(l+u)/2$

4) while $(l < u)$

$mid = (l+u)/2$

if $(A[mid] == x)$

Display " x found at index mid "

STOP

else if $(A[mid] < x)$

$l = mid + 1$

else

$u = mid - 1$

end while

5) STOP

Ans 5 The problem can be ~~solved~~ formally stated as:-

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Input: 2 binary ~~num~~^{integers} of n -bit are stored in 2 n element array of binary digits (either 0 or 1) $A = \{a_1, a_2, a_3, \dots, a_n\}$ & $B = \{b_1, b_2, b_3, \dots, b_n\}$.

Output: A $(n+1)$ bit binary integer stored in $(n+1)$ element array of binary digits (either 0 or 1) $C = \{c_1, c_2, c_3, \dots, c_n\}$ such that $A+B=C$.

Pseudo code : ADD-BINARY(A, B)

1. $n = \text{Max}(A.\text{length}, B.\text{length})$
2. let $C[n+1]$ be new array
3. carry = 0
4. for $i = 1$ to n
 $C[i] = (A[i] + B[i] + \text{carry}) \bmod 2$
 $\text{carry} = \lfloor (A[i] + B[i] + \text{carry}) / 2 \rfloor$
5. $C[n+1] = \text{carry}$
6. return C
7. Stop

Ans 6 A/c to question:-

$$100n^2 < 2^{15}n$$

$$\begin{aligned} n=1 &\Rightarrow 100 > 2^1 \\ n=2 &\Rightarrow 400 > 2^2 \\ n=4 &\Rightarrow 1600 > 2^4 \\ n=8 &\Rightarrow 6400 > 2^8 \\ n=16 &\Rightarrow 25600 < 2^{16} \\ n=15 &\Rightarrow 22500 < 2^{15} \end{aligned}$$

~~for $n=15$ to 100~~

~~so at $n=15$, A starts to run~~

So at $n=15$, an algo whose running time is $100n^2$ runs faster

Ans 7	1 sec	1 min	1 hour	1 month day	1 year month	1 year century	1 century
$\log n$	2^{10^6}	$2^{6 \cdot 10^7}$	$2^{36 \cdot 10^8}$	$2^{864 \cdot 10^8}$	$2^{25920 \cdot 10^8}$	$2^{315360 \cdot 10^8}$	$2^{31556736 \cdot 10^8}$
\sqrt{n}	10^{12}	$36 \cdot 10^{14}$	$1296 \cdot 10^{16}$	$746496 \cdot 10^{16}$	$6718464 \cdot 10^{18}$	$994519296 \cdot 10^{18}$	$9958275869 \cdot 10^{18}$
n	10^6	$6 \cdot 10^7$	$36 \cdot 10^8$	$864 \cdot 10^8$	$2592 \cdot 10^9$	$31536 \cdot 10^9$	$31556736 \cdot 10^9$
$n \log n$	62746	2801417	133378058	275514723	71870856409	797633893349	68654697441062
n^2	1000	7745	6000	293938	1609968	5615692	56175882
n^3	100	391	1532	4420	13736	31593	146677
2^n	19	25	31	36	41	44	51
$n!$	9	11	12	13	15	16	17