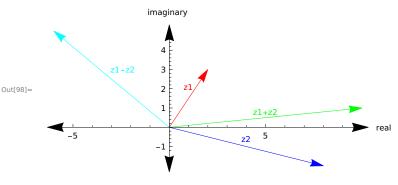
PRACTICAL 1

DECLARING A COMPLEX NUMBER AND ITS GRAPHICAL REPRESENTATION

```
Ques 1. z1 = 2+3 I and z2 = 8-2I
```

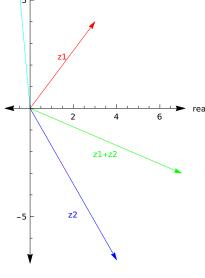
```
ln[92] := z1 = 2 + 3 I
       z2 = 8 - 2 I
       z1plot = Graphics[{Red, Arrow[{{0, 0}, {Re[z1], Im[z1]}}}, Text["z1", {Re[z1]/2, 0.7 Im[z1]}]},
            Axes → True, AxesStyle → Arrowheads[{-0.05, 0.05}], AxesLabel → {real, imaginary}];
       z2plot = Graphics[{Blue, Arrow[{{0, 0}, {Re[z2], Im[z2]}}],
             Text["z2", {Re[z2]/2, 0.3 Im[z2]}]}, Axes \rightarrow True];
       a = Graphics[\{Green, Arrow[\{\{0, 0\}, \{Re[z1 + z2], Im[z1 + z2]\}\}],
             Text["z1+z2", {Re[z1 + z2]/2, 0.8 Im[z1 + z2]}], Axes \rightarrow True];
       b = Graphics[{Cyan, Arrow[{{0, 0}, {Re[z1-z2], Im[z1-z2]}}}],
             Text["z1-z2", \{0.4 \text{ Re}[z1-z2], 0.6 \text{ Im}[z1-z2]\}\}, Axes \rightarrow True];
       Show[
         z1plot,
         z2plot,
         а,
         b]
       2 + 3 i
Out[92]=
       8 - 2i
Out[93]=
```



Ques 2. z1 = 3+4 I and z2 = 4-7 I

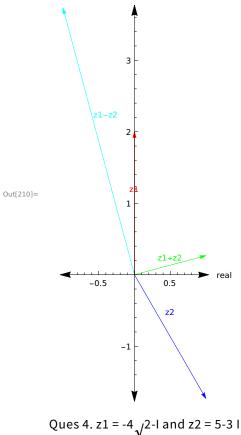
```
z1 = 3 + 4I
In[141]:=
        z2 = 4 - 7 I
        z1plot = Graphics[{Red, Arrow[{{0, 0}, {Re[z1], Im[z1]}}}, Text["z1", {Re[z1]/2, 0.6 Im[z1]}]},
            Axes → True, AxesStyle → Arrowheads[{-0.05, 0.05}], AxesLabel → {real, imaginary}];
        z2plot = Graphics[{Blue, Arrow[{{0, 0}, {Re[z2], Im[z2]}}],
             Text["z2", {Re[z2]/2, 0.7 Im[z2]}]}, Axes \rightarrow True];
        a = Graphics[\{Green, Arrow[\{\{0, 0\}, \{Re[z1 + z2], Im[z1 + z2]\}\}],
             Text["z1+z2", {Re[z1 + z2]/2, 0.7 Im[z1 + z2]}}, Axes \rightarrow True];
        b = Graphics[{Cyan, Arrow[{{0, 0}, {Re[z1-z2], Im[z1-z2]}}}],
             Text["z1-z2", \{0.005 \text{ Re}[z1-z2], 0.6 \text{ Im}[z1-z2]\}\}, Axes \rightarrow True];
        Show[z1plot, z2plot, a, b]
        3 + 4i
Out[141]=
Out[142]=
        4 - 7i
         imaginary
          10
```

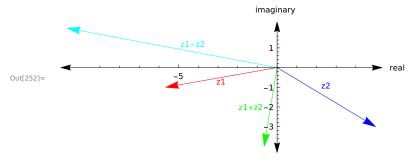




Ques 3. z1 = 2 I and $z2 = 1 - \sqrt{3} I$

```
In[204]:= Z1 = 2 I
        z2 = 1 - \sqrt{3} I
        z1plot = Graphics[{Red, Arrow[{{0, 0}, {Re[z1], Im[z1]}}}, Text["z1", {Re[z1]/2, 0.6 Im[z1]}]},
             Axes \rightarrow True, AxesStyle \rightarrow Arrowheads [\{-0.07, 0.07\}], AxesLabel \rightarrow {real, imaginary}];
        z2plot = Graphics[{Blue, Arrow[{{0, 0}, {Re[z2], Im[z2]}}],
              Text["z2", {Re[z2]/2, 0.3 Im[z2]}]}, Axes \rightarrow True];
        a = Graphics[\{Green, Arrow[\{\{0, 0\}, \{Re[z1 + z2], Im[z1 + z2]\}\}],
              Text["z1+z2", {Re[z1 + z2]/2, 0.9 Im[z1 + z2]}], Axes \rightarrow True];
        b = Graphics[{Cyan, Arrow[{{0, 0}, {Re[z1-z2], Im[z1-z2]}}}],
              Text["z1-z2", {0.4 Re[z1 - z2], 0.6 Im[z1 - z2]}]}, Axes \rightarrow True];
        Show[z1plot, z2plot, a, b]
         2 i
Out[204]=
         1-i\sqrt{3}
Out[205]=
                    imaginary
```



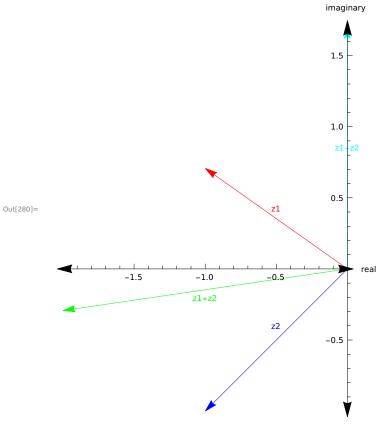


Ques 5. $z1 = -1 + (1/\sqrt{2}) I$ and z2 = -1 - I

$$z1 = -1 + (1/\sqrt{2}) \, \text{I} \\ z2 = -1 - \text{I} \\ z1 \text{plot} = \text{Graphics}[\{\text{Red}, \text{Arrow}[\{\{0, 0\}, \{\text{Re}[z1], \text{Im}[z1]\}\}], \text{Text}["z1", \{\text{Re}[z1]/2, 0.6 \text{Im}[z1]\}]\}, } \\ \text{Axes} \rightarrow \text{True}, \text{AxesStyle} \rightarrow \text{Arrowheads}[\{-0.05, 0.05\}], \text{AxesLabel} \rightarrow \{\text{real}, \text{imaginary}\}]; } \\ \text{z2plot} = \text{Graphics}[\{\text{Blue}, \text{Arrow}[\{\{0, 0\}, \{\text{Re}[z2], \text{Im}[z2]\}\}], } \\ \text{Text}["z2", \{\text{Re}[z2]/2, 0.4 \text{Im}[z2]\}]\}, \text{Axes} \rightarrow \text{True}]; } \\ \text{a} = \text{Graphics}[\{\text{Green}, \text{Arrow}[\{\{0, 0\}, \{\text{Re}[z1 + z2], \text{Im}[z1 + z2]\}\}], } \\ \text{Axes} \rightarrow \text{True}]; } \\ \text{b} = \text{Graphics}[\{\text{Cyan}, \text{Arrow}[\{\{0, 0\}, \{\text{Re}[z1 - z2], \text{Im}[z1 - z2]\}\}], } \\ \text{Axes} \rightarrow \text{True}]; } \\ \text{begraphics}[\{\text{Cyan}, \text{Arrow}[\{\{0, 0\}, \{\text{Re}[z1 - z2], \text{Im}[z1 - z2]\}\}], } \\ \text{Axes} \rightarrow \text{True}]; } \\ \text{Show}[z1plot, z2plot, a, b] } \\ \text{Out}[274] = -1 + \frac{i}{-1} \\ \text{Cout}[274] = -1 + \frac{i}{-1} \\ \text{Cout}$$

Out[274]=
$$-1+\frac{1}{\sqrt{2}}$$

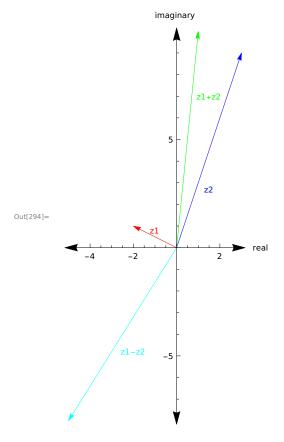
Out[275]= -1 - i



Ques 6. z1 = -2+1 and z2 = 3+91

```
z1 = -2 + I
In[288]:=
        z2 = 3 + 9 I
        z1plot = Graphics[{Red, Arrow[{{0, 0}, {Re[z1], Im[z1]}}}, Text["z1", {Re[z1]/2, 0.8 Im[z1]}]},
             Axes \rightarrow True, AxesStyle \rightarrow Arrowheads [\{-0.07, 0.07\}], AxesLabel \rightarrow {real, imaginary}];
        z2plot = Graphics[{Blue, Arrow[{{0, 0}, {Re[z2], Im[z2]}}],
              Text["z2", {Re[z2]/2, 0.3 Im[z2]}]}, Axes \rightarrow True];
        a = Graphics[\{Green, Arrow[\{\{0, 0\}, \{Re[z1 + z2], Im[z1 + z2]\}\}],
              Text["z1+z2", \{1.5 \text{ Re}[z1+z2], 0.7 \text{ Im}[z1+z2]\}\}, Axes \rightarrow True];
        b = Graphics[{Cyan, Arrow[{{0, 0}, {Re[z1-z2], Im[z1-z2]}}}],
              Text["z1-z2", {0.4 Re[z1 - z2], 0.6 Im[z1 - z2]}]}, Axes \rightarrow True];
        Show[z1plot, z2plot, a, b]
        -2 + i
Out[288]=
```

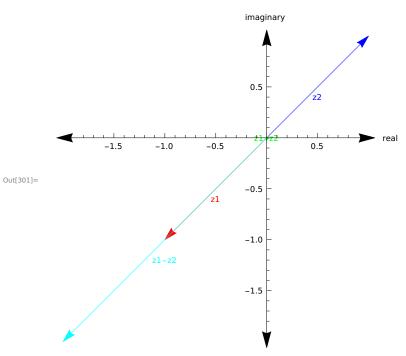
Out[289]= 3 + 9i



Ques 7. z1 = -1 - 1 and z2 = 1 + 1

```
In[295] := Z1 = -1 - I
        z2 = 1 + I
        z1plot = Graphics[{Red, Arrow[{{0, 0}, {Re[z1], Im[z1]}}}, Text["z1", {Re[z1]/2, 0.6 Im[z1]}]},
             Axes \rightarrow True, AxesStyle \rightarrow Arrowheads [\{-0.05, 0.05\}], AxesLabel \rightarrow {real, imaginary}];
        z2plot = Graphics[{Blue, Arrow[{{0, 0}, {Re[z2], Im[z2]}}],
              Text["z2", {Re[z2]/2, 0.4 Im[z2]}]}, Axes \rightarrow True];
        a = Graphics[\{Green, Arrow[\{\{0, 0\}, \{Re[z1 + z2], Im[z1 + z2]\}\}],
              Text["z1+z2", {Re[z1 + z2]/2, 0.7 Im[z1 + z2]}}, Axes \rightarrow True];
        b = Graphics[{Cyan, Arrow[{{0, 0}, {Re[z1-z2], Im[z1-z2]}}}],
              Text["z1-z2", \{0.5 \text{ Re}[z1-z2], 0.6 \text{ Im}[z1-z2]\}\}, Axes \rightarrow True];
        Show[z1plot, z2plot, a, b]
        -1 - i
Out[295]=
```

Out[296]= 1 + i



Ques 8. $z1 = 2\sqrt{3-3}\sqrt{2} \text{ I and } z2 = \text{I}$

```
ln[323]:= z1 = 2 × \sqrt{3} - 3 × \sqrt{2} I
        z2 = I
         ziplot = Graphics[{Red, Arrow[{{0, 0}, {Re[z1], Im[z1]}}}], Text["z1", {Re[z1]/2, 0.5 Im[z1]}]},
             Axes \rightarrow True, AxesStyle \rightarrow Arrowheads [\{-0.05, 0.05\}], AxesLabel \rightarrow {real, imaginary}];
        z2plot = Graphics[{Blue, Arrow[{{0, 0}, {Re[z2], Im[z2]}}],
               Text["z2", {Re[z2]/2, 0.3 Im[z2]}]}, Axes \rightarrow True];
         a = Graphics[\{Green, Arrow[\{\{0, 0\}, \{Re[z1 + z2], Im[z1 + z2]\}\}],
               Text["z1+z2", {Re[z1 + z2]/2, 0.4 Im[z1 + z2]}], Axes \rightarrow True];
        b = Graphics[{Cyan, Arrow[{{0, 0}, {Re[z1-z2], Im[z1-z2]}}}],
              Text["z1-z2", {0.4 Re[z1 - z2], 0.5 Im[z1 - z2]}]}, Axes \rightarrow True];
         Show[z1plot, z2plot, a, b]
         -3i\sqrt{2} + 2\sqrt{3}
Out[323]=
Out[324]=
         imaginary
                       1.0
                             1.5
                                  2.0
                                        2.5
                               z1+z2
Out[329]=
           -2
           -3
           -4
        Ques 9. z1 = \sqrt{2 + (1/\sqrt{2})} - I and z2 = \sqrt{7} I
```

Ques 10. z1 = 4 I and z2 = 5+0 I

```
z1 = 4I
In[351]:=
        z2 = 5 + 0 I
        z1plot = Graphics[{Red, Arrow[{{0, 0}, {Re[z1], Im[z1]}}}, Text["z1", {Re[z1]/2, 0.6 Im[z1]}]},
             Axes \rightarrow True, AxesStyle \rightarrow Arrowheads [\{-0.03, 0.03\}], AxesLabel \rightarrow {real, imaginary}];
        z2plot = Graphics[{Blue, Arrow[{{0, 0}, {Re[z2], Im[z2]}}],
              Text["z2", {Re[z2]/2, 0.3 Im[z2]}]}, Axes \rightarrow True];
        a = Graphics[\{Green, Arrow[\{\{0, 0\}, \{Re[z1 + z2], Im[z1 + z2]\}\}],
              Text["z1+z2", {Re[z1 + z2]/2, 0.7 Im[z1 + z2]}}, Axes \rightarrow True];
        b = Graphics[{Cyan, Arrow[{{0, 0}, {Re[z1-z2], Im[z1-z2]}}}],
              Text["z1-z2", \{0.4 \text{ Re}[z1-z2], 0.6 \text{ Im}[z1-z2]\}\}, Axes \rightarrow True];
        Show[z1plot, z2plot, a, b]
         4 i
Out[351]=
Out[352]=
         5
                                  imaginary
                                                  z1+z2
Out[357]=
```

-2