

## BITWISE Operators :-

Bitwise OR : (|)

A	B	A B
0	0	0
0	1	1
1	0	1
1	1	1

(^) : XOR operator

A	B	A
0	0	0
0	1	1
1	0	1
1	1	0

Def:

It's a binary operator. It returns bit by bit OR of input values and the result of manipulation is shown in the preceding table.

ex:

$$5 | 7 \rightarrow \begin{array}{l} \underline{\hspace{2cm}} \\ \underline{\hspace{2cm}} \end{array} \text{OR} \begin{array}{l} \underline{\hspace{2cm}} \\ \underline{\hspace{2cm}} \end{array} \\ = \underline{\hspace{2cm}} = 7 \text{ in decimal}$$

notes:

Every bitwise operator is a binary operator which is making binary bit operations not as usual.

Bitwise AND : (&)

A	B	A&B
0	0	0
1	0	0
0	1	0
1	1	1

ex:  $5 \& 7 \rightarrow 00000101 \text{ AND } 00000111$   
 $= 00000101 = 5 \text{ in decimal}$

### Bitwise XOR : (^)

(1) :- 30 studies

A	B	$A \wedge B$
0	0	0
1	0	1
0	1	1
1	1	0

A	B
0	0
1	0
0	1
1	1

ex:  $5^7 \rightarrow 00000101 \text{ XOR } 00000111$   
 $= 00000010 = 2 \text{ in decimal}$

### Bitwise Complement (~)

A	$\sim A$
0	1
1	0

ex:  $\sim 5 \rightarrow \text{NOT Complement } 00000101$   
 $= 11111010 = -6 \text{ in decimal}$   
 (Sign (+, -))

note: The last bit in any numeral type is storing the sign of the number if it is negative number or positive number.

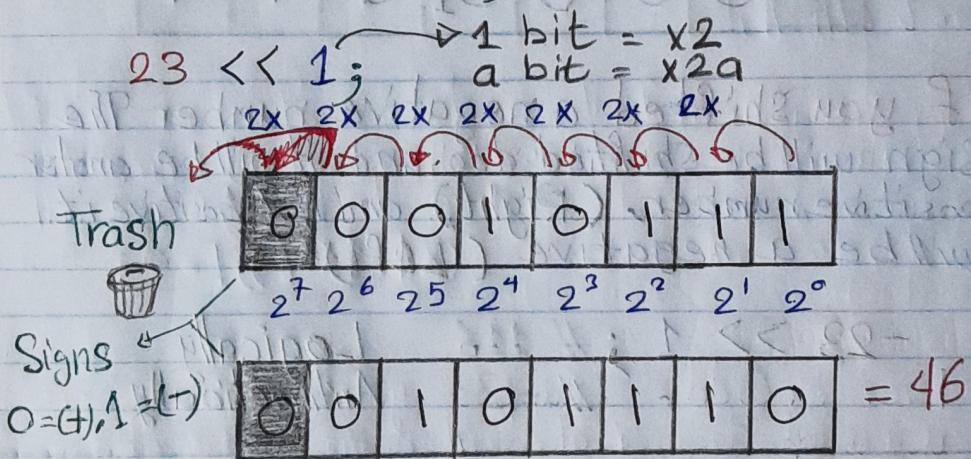
## Shifting Operators :-

### Signed Left Shift $\ll$ (Left)

Def: The left shift operator move all bits by a given number of bits to the left and we can write it as following Syntax :-

operand                          Amount of shifting Bits  
 $\text{num1} \ll \text{num2};$

Ex:



### Signed Right Shift $\gg$ (Right)

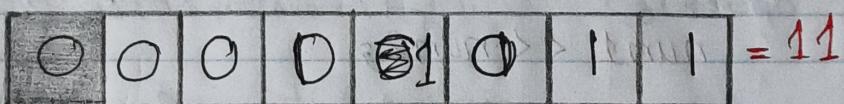
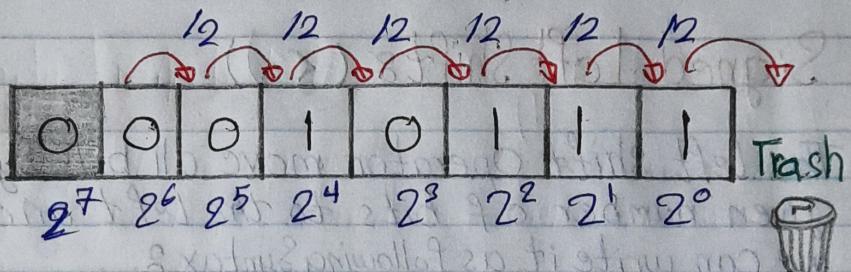
Def: The Left Right Shift Operator move all bits by a given number of bits to the Right and we can write it As following Syntax :-

$\text{num1} \gg \text{num2};$



Ex:

$$23 >> 1; \rightarrow 1 \text{ bit} = 12 \\ \text{a bit} = 102$$



Note:

If you shifted a negative number. The sign will be shifted too and it will be another positive number. (Right) and if it positive it will be a negative (Left).

Ex:

-23 >> 1; // 116 Logically  
// -12 | Arithmetically

Unsigned

Unsigned Left Shift 8 (<<)

Def:

Unlike unsigned Right Shift, There is no "<<" Operator in java because its identical To "<<" Operator Logically and arithmetically.

## UnSigned Right Shift >>>

Def: it is the same as the signed right shift, but  
The vacant <sup>→</sup> leftmost position is filled  
with 0 instead of The sign bit.

## Bit Masks :-

### Introduction To Bits :-

In This part we want to control on every bit in any single byte. and we will learn some operations on bits.

### Get i<sup>th</sup> Bit :-

Def: Suppose you want to make indication on some bit we will use the & Bitwise AND operator, cause it's only need activated bit from the byte, so all the bits must be 0. ~~(X & 1) == 0~~

### Ex:-

Even or Odd :- Suppose you have a number you want to indicate whether its even or odd. you only want to check on the Right most bit by anding it with 1 :-

								→ Right most Bit
0	0	1	0	1	1	0	0	= 44
2 <sup>7</sup>	2 <sup>6</sup>	2 <sup>5</sup>	2 <sup>4</sup>	2 <sup>3</sup>	2 <sup>2</sup>	2 <sup>1</sup>	2 <sup>0</sup>	&

								→ Right most Bit
0	0	0	0	0	0	0	1	= 1
2 <sup>7</sup>	2 <sup>6</sup>	2 <sup>5</sup>	2 <sup>4</sup>	2 <sup>3</sup>	2 <sup>2</sup>	2 <sup>1</sup>	2 <sup>0</sup>	

The result would be 0, Cause the result of anding  
The right most bits is 0 So 44 is even number.

$$5 \& 1 = 1 \text{ odd number}$$

$$2 \& 1 = 0 \text{ even number}$$

## Modify Bits

### ① Set i<sup>th</sup> Bit :-

Def: is to change value of a cleared bit or 0<sup>th</sup> bit to 1 Bit

ex:

0	0	0	0	0	1	1	0
7	6	5	4	3	2	1	0

$\rightarrow$

0	0	1	0	0	1	1	0
7	6	5	4	3	2	1	0

first we want to make a mask for the  $i^{th}$  position as following figure :-

and we will perform the following statement

0	0	1	0	0	0	0
7	6	5	4	3	2	1

$$\text{mask} = 1 \ll i;$$

Code:  $(X \& \sim \text{mask}) | (\sim 1 \& \text{mask});$

let me explain what's happen here :-

$$\sim \text{mask} 11011111 \& X 00000110 = 00000110$$

$$\sim 1 11111111 \& \text{mask} 00100000 = 00100000$$

$$00000110 | 00100000 = 00100110.$$

note: we can add another simple Syntax To perform  
This operation

$(X | (1 \& 1 \ll i)) ;$

## [2] Clear i<sup>th</sup> Bit :-

Def: Is to change a value of 1 Bit to a 0 Bit

ex:

0	0	0	0	0	1	1	0	
7	6	5	4	3	2	1	0	i

$\rightarrow$

0	0	0	0	0	0	0	1	0
7	6	5	4	3	2	1	0	

first we want To make a mask for our specified position as following figure

and we will perform the following statement

0	0	0	0	0	1	0	0

$mask = 1 \ll i ;$

Code:  $(X \& \sim mask) | (0 \& mask)$

let me explain what's happen here :-

$\sim mask = 11111011 \& X = 00000110 = 00000010$

$0 = 00000000 \& mask = 00000010 = 00000000$

$0000010 | 00000000 = 0000010$

note: we can modify The operations into one operation

$(X \& \sim mask);$

## Examples on Bitwise Operations 8

[1] Check IF power of 2 :-

$$(x \& x-1) == 0$$

→ 4 00000100 & 300000011 = 00000000  
So 4 is power of 2 .

→ 5 00000101 & 400000100 = 00000100  
So 5 isn't power of 2 .

[2] number with odd occurrence :-

int arr[] = { 2, 3, 5, 4, 5, 2, 4, 3, 5, 2, 4, 4, 2 } ;

```
int result;
for (int i = 0; i < arr.length; i++)
    result ^= arr[i];
return result;
```

[3] Counting number of different bits between 2 ints :-

```
int num1 = X, num2 = Y; int count = 0;
```

```
int num = num1 ^ num2;
```

```
while (num) {
    count += num & 1; T. Complexity O(log n)
    num >>= 1;
```

```
}
```

```
return count;
```