

<b>Course Code:</b> CS481	<b>Course Name:</b> Data Science
<b>Instructor Name:</b> Dr Muhammad Atif Tahir and Zeeshan Khan	
<b>Student Roll No:</b>	<b>Section No:</b>

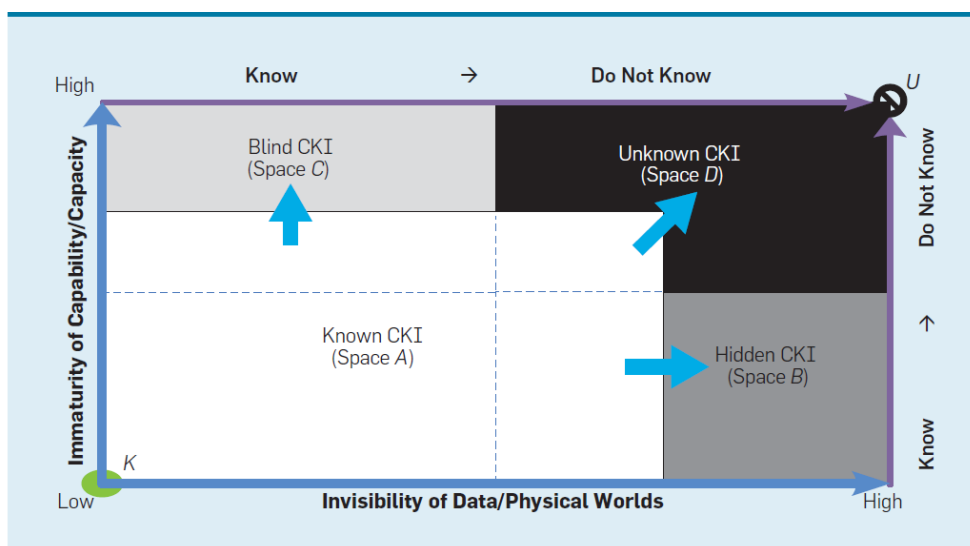
Instructions:

- Return the question paper.
- Read each question completely before answering it. There are **3** questions and **2** pages
- Show all steps clearly.

**Time:** 60 minutes.

**Max Marks:** 12.5 points

**Question 2 [1.5 Points]:** Figure 1 outlines data science progression aiming to reduce the immaturity of capabilities and capacity. Complete the table below regarding space A, B, C, D. (If u wish, you can answer directly in question paper)



**Figure 1: Data Science Space.**

Space	Description	Example
A (Known space)	I know what I know	Profiling and Descriptive Analysis
B (Hidden space)		
C (Blind space)		
D (unknown space)		

**Question 3 [6 Points]**

Consider the algorithm below published in paper titled “Weighted k-Nearest-Neighbor Techniques and Ordinal Classification”. This algorithm discusses weighted kNN classifier. You need to classify new data points from Table below using wKNN classifier. Use  $k = 4$ , city block distance:  $d(p,q) = \sum_i |p_i - q_i|$ , and compute kernel using inversion kernel  $(1/|d|)$ . Note that  $I(x)$  is the indicator function which evaluates to 1 when the argument  $x$  is true and 0 otherwise

Instance #	Att1	Att2	Actual Class	Instance #	Att1	Att2	Predicted Class
------------	------	------	--------------	------------	------	------	-----------------

1	2	3	0
2	1	5	1
3	4	2	1
4	2	5	0
5	6	8	0

1	3	1	?
2	2	2	?

Training and Test Data for Question 3.

---

*Weighted k-Nearest-Neighbor classification (wkNN)*

1. Let  $L = \{(y_i, x_i), i = 1, \dots, n_L\}$  be a learning set of observations  $x_i$  with given class membership  $y_i$  and let  $x$  be a new observation, whose class label  $y$  has to be predicted.
2. Find the  $k + 1$  nearest neighbors to  $x$  according to a distance function  $d(x, x_i)$ .
3. The  $(k + 1)$ th neighbor is used for standardization of the  $k$  smallest distances via

$$D_{(i)} = D(x, x_{(i)}) = \frac{d(x, x_{(i)})}{d(x, x_{(k+1)})} \quad .$$

4. Transform the normalized distances  $D_{(i)}$  with any kernel function  $K(\cdot)$  into weights  $w_{(i)} = K(D_{(i)})$ .
5. As prediction for the class membership  $y$  of observation  $x$  choose the class, which shows a weighted majority of the  $k$  nearest neighbors

$$\hat{y} = \max_r \left( \sum_{i=1}^k w_{(i)} I(y_{(i)} = r) \right) \quad .$$


---

Figure 2: wkNN classifier.

**BEST OF LUCK!**