

FORMULA SHEET MADE WITH LOVE

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PHYSICAL CONSTANTS

Speed of Light C = 3x108 m/s

Plank constant h = 6.63 × 10-34 Js hc=1242 eV-nm

Gravitation constant 6 = 6.67 × 10" N m / kg2

Boltzmann constant $k = 1.38 \times 10^{-23} \text{ J/K}$

Molar gas constant R = 8.314 J/mol K

Avogadro's number NA = 6.023 × 1023/mol

Charge of electron e = 1.602 x 10-4 C

Permeability of vacuum Mo = 4TT x 10-7 N/A2 Permitivity of vacuum 6 = 8.85 × 10-12 F/m

Coulomb constant $\sqrt{4\pi\epsilon_0} = 4 \times 10^9 \text{ N m}^2/c^2$

Faraday constant F = 96485 C/mol

Mass of electron $m_e = 9.1 \times 10^{-31} \text{ kg}$ Mass of proton $m_p = 1.6726 \times 10^{-27} \text{ kg}$

Mass of neutron $m_n = 1.6749 \times 10^{-27} \text{ kg}$

Crashup Atomic mass unit $u = 1.66 \times 10^{-27} \text{ kg}$ Stefan-Boltzmann constant = 5.67 x 10-8 w/mx K4

Rydberg constant R = 1.097 × 107/m

Bohr magnetron $u_B = 9.27 \times 10^{-24} J/T$

Bohr radius a = 0.529 x 10-10 m

Standard atmosphere atm = 1.01325 × 105 Pa Wien displacement constant $b = 2.9 \times 10^{-3} \text{ mK}$

VECTORS =

a = a, î + a, ĵ + a, k $|\vec{a}| = \sqrt{a_{x}^{2} + a_{y}^{2} + a_{z}^{2}}$

DOT PRODUCT a.b = axbx + ayby + azbz

= abcos 0 CROSS PRODUCT ax = absin 0

a a a a a = +(a, be - b, ae)-(a, be - b, ae)+(ax be

KINEMATICS WWW

Varg = DS/Dt Virst = d3/At

ang = AV/At ainst = dV/dt

s=ut + 1/2 RELATIVE VELOCITY v = u + atVA/B = VA - VB

PROJECTILE MOTION

v2= u2 + 2as

U = UCOSO ↑ / TE H= U2 Sim20/29 Uy = Usine /0

Time of Flight = 2 Uy/g => T = 2Usino/g Range = Un. T => R = U2sin 20/4

 $y = tam\theta \cdot \kappa - \left(\frac{g}{2u^2 \cos^2\theta}\right) \cdot \kappa^2$

LAWS OF MOTION

1st LAW: INERTIA 2nd LAW: F = dP/dt = ma 3td LAW: Action ≥ Reaction Friction: fratic maximum = us N

Centripetal force = mv2 = mw2r Tsind= mv2/Y VERTICAL Tcoso= mg CIRCULAR √59l



CURVED BANKING $\frac{V^2}{rg} = \tan \theta$ $\frac{V^2}{rg} = \frac{\mu \pm \tan \theta}{1 \mp \mu \tan \theta}$

WOKK, POWER & ENERGY

KE = 12 mv2 WORK = F.S = FS cos0 POTENTIAL ENERGY (U) Ug = mgh

= (F.ds F.ds = 0 {work by Conservative } force in a closed path }

POWER = dw/dt = F.V

SEUDO

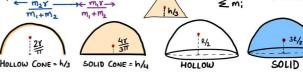
-maref.frame

MORE

VIDEOS

WORK-ENERGY Uspring = 1/2 kx2 THEOREM

CENTER OF MASS $\vec{V}_{cm} = \frac{\leq m_i \vec{v}_i}{\leq m_i}$



COLLISION 3

MOMENTUM CONSERVATION {Always? $m_1 u_1 + m_2 u_2 = m_1 v_1 + m_2 v_2$

 $m_1 >> m_2$ m, - undisturbed motion Solve using COR in m, Frame INELASTIC

 $C_0R = e = \frac{V_{SEPARATION}}{V_{APPROACH}} = \frac{V_2 - V_1}{U_1 - U_2}$ ENERGY CONSERVATION {Elastic} $\frac{1}{2}m_1U_1^2 + \frac{1}{2}m_2U_2^2 = \frac{1}{2}m_1V_1^2 + \frac{1}{2}m_2V_2^2$

 $m_1 = m_2$ Velocity Exchange for Elastic

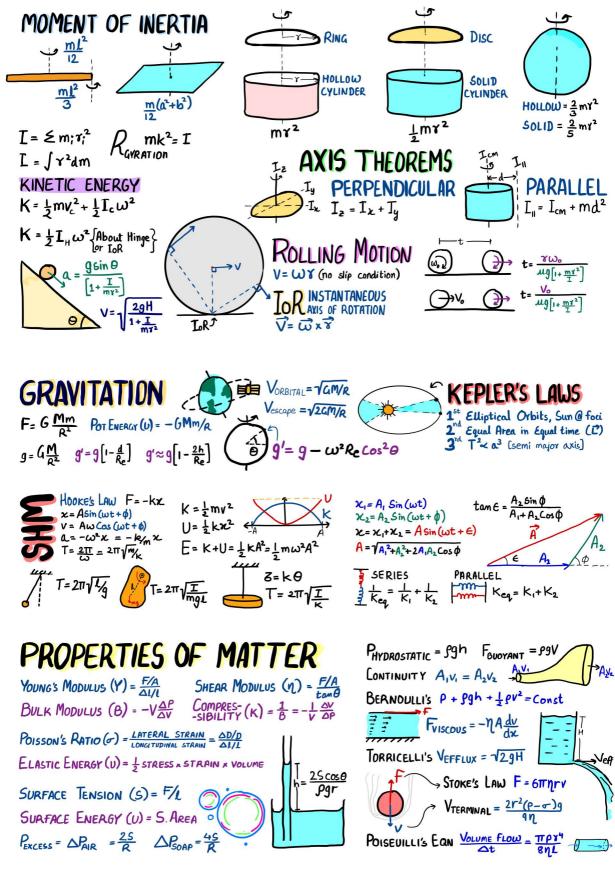
RIGID BODY DYNAMICS

 $\omega = \frac{\Delta \theta}{\Delta t} = \frac{d\theta}{dt} \quad \kappa = \frac{\Delta \omega}{\Delta t} = \frac{d\omega}{dt} \quad \vec{V} = \vec{\omega} \times \vec{Y}$

θ = Wot + Let2 I I = 8xp = mvx

 $\omega = \omega_0 + \alpha t$ B= IX = d 1/dt 言マxデ= YIF= Yf sin 0 $\omega^2 = \omega_0^2 + 2 \times \theta$

EQUILIBRIUM: Fnet = 0 = 3net $\omega = 2\pi f$ W= V1/8



 $Y_1 = A_1 \sin(\kappa x - \omega t)$ $Y_2 = A_2 \sin(\kappa x - \omega t + \emptyset)$ **WAVES** $\approx \frac{3^{2}y}{3x^{2}} = \frac{1}{v^{2}} \frac{3^{2}y}{3t^{2}}$ $Y = A Sin(Kx - \omega t + \epsilon)$ $A^2 = \sqrt{(A_1 + A_2 (\omega s \phi)^2 + (A_2 Sin \theta)^2)^2}$ Ø = 2nπ (even) : Constructive $Y = A Sin(kx - \omega t)$ $tom \in = \frac{A_2 \sin \phi}{A + A_2 \cos \phi}$ =(2n+1) TT (odd) : destructive = A Sin [2m(共 - 集]] $P_{AVG} = 2\pi^2 \mu \nu A \nu^2$ $T = \frac{1}{D} = \frac{2\pi}{C}$ $V = D\lambda$ Wave Number $(k) = \frac{2\pi}{C}$ STANDING WAVES » OPEN $y_1 = A \sin(\kappa x - \omega t)$ $y_2 = A \sin(\kappa x + \omega t)$ Y = 2A coskx sinut Node if is zero > x= (n+3) > SONOMETER STANDING LONGITUDINAL WAVES KESONANCE COLUMN LITED SOUND WAVES P=P Sin[w(t-x/)] P= Sin[w(t+x/)] 1,+d= > 12+d= 31 V= 2(L-L)2 S=S, sin[w(t-x)) | Vsolid=VY/e P=P+P= 2P coskx Sinwt BEATS (if $\omega_1 \approx \omega_2$) P= 12 cos[w(t-x/)] Via= 1B/9 CLOSED ORGAN PIPE P= Po sin w(t - x/V) P2= Po sin w2(t-x/V) L= (2n+1) \(\frac{\lambda}{4} \) \(\nu = (2n+1) \frac{\lambda}{4} \) Vgas=VrP/R P= 28 cos Δω(t-x/) Sin ω(t-x/) OPEN ORGAN PIPE $\omega = (\frac{\omega_1 + \omega_2}{2})$ Beats $\rightarrow \Delta \omega = \omega_1 - \omega_2$ $\left[= \frac{2\Pi^2 B}{V} \le V^2 = \frac{P_0^2 V}{2B} = \frac{P_0}{3EV} \right]$ DOPPLER V= V+1/2 % $L=n\frac{\lambda}{2}$ $v=n\frac{V}{2}$ LIGHT WAVES Young's Double SLIT EXPERIMENT Path diff: Dx = y & Phase diff= &= 2 Dx PLANE WAVES E=E, sin w(t-x/); I=I. CONSTRUCTIVE I DESTRUCTIVE 8=2nπ; Δx= nλ | 8=(2n+1)λ; Δx=(n+/2)λ SPHERICAL WAVES $E = \frac{\Delta E}{r} \sin \omega (t - \frac{r}{v})$; $I = \frac{I_0}{r}$ Intensity $I = I_1 + I_2 + 2\sqrt{I_1 I_2} \cos \int_{\text{max/min}} = (\sqrt{I_1} \pm \sqrt{I_2})$ 0~tan0= 4/D Fringe Width w=> P Optical Path Dx = UDX DIFFRACTION DR= bsin0 = b0 LAW of MALUS 1 INTERFERENCE THROUGH THIN FILM Minima 60= nx Dx = 2 ud = nλ → Constructive
(2n+1)λ/2 destructive Resolution Sin 0= 1.22) PRISM SPHERICAL SURFACE REFRACTION S=i+i'-A $u = \frac{C}{V} = \frac{(\text{vacuum})}{(\text{Medium})}$ SNAIL'S LAW U, Sin i = M2 SinT (ii) Li=Lr APPARENT DEPTH d'= d/u (i) i, 8 & normal in Some plane LENS MAKER'S $\frac{1}{4} = (u-1)(\frac{1}{R} - \frac{1}{R})$ f = R/2TIR CRITICAL ANGLE. Smim = (11-1)A u sin Oc= singon 1 LENS FORMULA 1 - L = L; m= 4 - + t = + For small 'A' Magnification m= - 4 POWER P= 1/4 MICROSCOPE TELESCOPE THIN LENSES == ++++ Simple m= D/f Compound L= fo+ fe $m = \frac{V}{U} \frac{D}{fe}$ Resolving Pow $R = \frac{1}{\Delta d}$ DISPERSION Cauchy's u= u0 + A/x A>0 For small Asi mean deviation $S_y = (u_y - 1)A$ DISPERSION ONLY Angular dispersion $\theta = (\mu_y - \mu_r)A$ $(u_y-1)A + (u'_y-1)A'=0$ Dispersive Power DEVIATION ONLY YOUTUBE.COM $\omega = \frac{\mu_v - \mu_r}{\mu_y - 1} \approx \frac{\theta}{\delta_y}$ $(u_v-u_r)A=(u_v-u_r)A'$

HEAT AND TEMP

F= 32 + &C $L=L_o(1+\nabla\Delta T)$ K=C+273.16

 $A = A_o (1 + 2 \times \Delta T)$ V = V (1 + 3x DT) EQUIPARTITION OF ENERGY

K= 1 kT For each DoF

MAXWELL DISTRIBUTION

 $V_{RMS} = \sqrt{\frac{3kT}{m}} = \sqrt{\frac{3RT}{M}}$ $V_{avg} = \overline{V} = \sqrt{\frac{8kT}{\pi m}} = \sqrt{\frac{8RT}{\pi M}}$ Vmost probable = $\sqrt{\frac{2kT}{m}} = \sqrt{\frac{2RT}{M}}$

P= 1 p VRMS

Ideal Gas → PV = nRT THERMAL STRESS $\left(P + \frac{a}{\sqrt{2}}\right)\left(V - b\right) = nRT$ 長=YAL

K = FkT for f Degrees of freedom Internal Energy U= FnRT

THERMODYNAMICS

ISTLAW DQ = DU+W W=/pdV

F=3 (monatomic); 5 (diatomic)

SPECIFIC HEAT Specific heat $S = \frac{Q}{m\Delta T}$ Latent heat L=Q/m $C_v = \frac{f}{2}R$ $C_p = C_v + R$ $r = \frac{C_p}{C_v}$

ADIABATIC $W = \frac{\rho_1 V_1 - \rho_2 V_2}{r-1}$ ISOTHERMAL W= nRT Ln(V2)

 $N = \frac{W}{Q_1} = 1 - \frac{Q_2}{Q_1} = 1 - \frac{T_2}{T_1} \quad CoP = \frac{Q_2}{W} = \frac{T_{cold}}{\Delta T}$

 $C_{v} = \frac{n_{1}C_{V1} + n_{2}C_{V2}}{n_{1} + n_{2}} \qquad F = \frac{n_{1}C_{P1} + n_{2}C_{P2}}{n_{1}C_{V1} + n_{2}C_{V2}}$

Thermal Resistance = X

ELECTROSTATICS

COULOMB'S LAW $F = \frac{1}{4\pi\epsilon} \frac{q_1 q_2}{r^2} \hat{r}$

POTENTIAL (V)= 4 TE Y

ISOBARIC W= p(V2-V1) ADIABATIC: DQ=0; PV=Const INDLAW ENTROPY &S= 40

DIAPOLE MOMENT

P= qd -

UNIFORMLY CHARGED SPHERE UNIFORM SHELL | LINE CHARGE E = $\frac{\lambda}{2\pi\epsilon_0 Y}$

DIAPOLE

WIEN'S DISPLACEMENT STEFAN-BOLTZMANN

TE AMT = b 2 > DOBE = TEAT 4

KIRCHHOF'S LAW Emmisive Power = Ebody = Eblackbody

GAUSS'S LAW

HEAT TRANSFER

van der Waals

CONDUCTION AG = -KA AT

SX NEWTON'S COOLING AT = - bA(T-T)

\$ Φ= 91n/6 FLUX Φ= Φ E.ds

 $E = \frac{1}{4\pi\epsilon_0} \frac{q}{l^2} \cos\theta$

YOUTUBE COM LUP

BALANCED

WHEAT

STONE BRIDGE

PARALLEL $C_{eq} = C_1 + C_2$ Force by plates = $\frac{Q^2}{2AC_0}$ SERIES $\frac{1}{C_{eq}} = \frac{1}{C_1} + \frac{1}{C_2}$ $U = \frac{1}{2}CV^2 = \frac{Q^2}{2C} = \frac{1}{2}QV$

DENSITY j = 1/A = JE PARALLEL $V_{drift} = \frac{1}{2} \frac{eE6}{m} = \frac{i}{neA}$ RwiRE = PL/A P= 1/2 R=R. (1+ KDT) SERIES Reg = R,+ R2 OHM'S LAW V=iR

CURRENT ELECTRICITY

KIRCHHOF'S LAWS *JUNCTION LAW ≤ I;=0 Sum of all i towards a node=0 *LOOP LAW ZOV =0

CONDUCTING SURFACE E= =

Sum of all DV in closed loop = O POWER = 12R = V/R = 1V

WITH DIELECTRIC C = E.KA

