Deep Learning Project: Automated Speech Recognition

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1.1 Setting Up Random Number Generator

This step specifies the seed for the MATLAB® random number generator. For example, rng(1) initializes the <u>Mersenne Twister</u> generator using a seed of 1. By setting the same seed, different runs of the simulation will produce identical results, assuming all other variables remain constant

```
clear all;
%Setting up the random number generator using Mersenne Twister method to get the
constant value
rng(1,'twister');
```

1.2 Load the spectogram data

The spectogram data is divided in to two part, which consist of Training data and Validation data. The data is consisted of 12 different voice classes where consist of background, down, go, left, no, off, on, right, stop, unknown, up, and yes.

- Training data: Data that is used to train, or fit, a machine learning model in order to make predictions or perform tasks based on this data.
- Validation data: Data that is used to evaluate a model's performance during the training process which indicated by accuracy.

The validation data encompasses a more substantial portion compared to the training data. This discrepancy could have implications for the performance and generalizability of the model, as the proportion of data used for validation exceeds that of training.

```
Labels: [background; background; background ... and 1998 more categorical]
   AlternateFileSystemRoots: {}
                  ReadSize: 1
                                                      "tif"
                                     "jpg"
                                             "jpeg"
                                                              "tiff"]
     SupportedOutputFormats: ["png"
        DefaultOutputFormat: "png"
                   ReadFcn: @readDatastoreImage
% create an image validation data store from the validation images
imdsVal =
imageDatastore('speechImageData\ValData', "IncludeSubfolders", true, "LabelSource", "fol
dernames")
imdsVal =
 ImageDatastore with properties:
                     Files: {
                             ...\Project\speechImageData\ValData\background\image val 1112.png';
                             ...\Project\speechImageData\ValData\background\image val 1113.png';
                             ...\Project\speechImageData\ValData\background\image val 1114.png'
                            ... and 1168 more
                   Folders: {
                             ...\Courses\Sem 2 (Spring)\Deep Learning\Project\speechImageData\ValData'
                    Labels: [background; background; background ... and 1168 more categorical]
   AlternateFileSystemRoots: {}
                  ReadSize: 1
     SupportedOutputFormats: ["png"
                                     "jpg"
                                             "jpeg"
                                                      "tif"
                                                              "tiff"]
        DefaultOutputFormat: "png"
                   ReadFcn: @readDatastoreImage
% Count labels in the training datastore
labelCountTrain = countEachLabel(imdsTrain);
% Count labels in the validation datastore
labelCountVal = countEachLabel(imdsVal);
% Plot for Training Data
subplot(2,1,1); % This will place the training data plot in the left pane
bar(labelCountTrain.Label, labelCountTrain.Count);
title('Training Data Label Distribution');
xlabel('Labels');
ylabel('Count');
% Plot for Validation Data
subplot(2,1,2); % This will place the validation data plot in the right pane
bar(labelCountVal.Label, labelCountVal.Count);
title('Validation Data Label Distribution');
xlabel('Labels');
```

ylabel('Count');



1.3 Image Preprocessing and Data Augmentation

This parameter ensures the application of a color preprocessing step to each image, specifically converting grayscale images into RGB format. This transformation is particularly advantageous if the original dataset predominantly consists of grayscale images, while the model in use is designed to process three-channel RGB images.

The size of the image is would be 98×50 pixel which shown by the OutputSize from dsVal and dsTrain.

```
%Image preprocessing
image_size = [98 50];
dsTrain = augmentedImageDatastore(image_size,imdsTrain,'ColorPreprocessing',
'gray2rgb');
dsVal = augmentedImageDatastore(image_size,imdsVal,'ColorPreprocessing',
'gray2rgb');
```

1.4 Performing Multi-objective network design using Bayesian Optimization

Since Deep Learning is consist of layers of interconnected nodes, it also could be called as Artifical Neural Network. It has a unique challenge with expensive computation in the evaluation since its calculate vast amount of processing data through many layers.

To ensure the effectiveness of a machine learning model, it's crucial to find the optimal set of hyperparameters. Hyperparameters are external configurations to the model, unlike model parameters, which are learned from the data. They play a significant role in the learning process and the overall performance of the model.

In pursuit of the lowest possible value of the loss function, which indicates the disparity between the predicted and actual outcomes, conducting hyperparameter optimization becomes a necessity. Here's the step-by-step:

- 1. Define the objective function with the variable NetworkTraining
- 2. $\hat{f}(.) \approx J(x)$ is the model objective function
- 3. $\hat{f}(.) \sim N(\mu_f(x), \sigma_f^2)$ is the bayesian model
- 4. To update the process in order to maximise an acquisition function $x_{t+1} = \arg \max_{x} \alpha(x, \hat{f}(.))$ in order to determine the next point to evaluate the objective function which likely to improve minimization of loss value.

1.4.1 Define the Constant Parameter

In this part, we need to define the parameters constant parameters which would be used in the network

- num_classes = 12 : Given that the database's output comprises 12 distinct classes, it's necessary to configure the network's output layer to match this number, ensuring that each category is adequately represented.
- filter_size = 3 : To effectively extract features from input data transformed into RGB format by the augmentedImageDatastore function, it is essential to employ three filters. Each filter is dedicated to extracting features from one color channel—Red, Green, or Blue—in the spectrogram data, ensuring a comprehensive analysis of the full color spectrum.
- timePoolSize = 12 : Since the input is 2D data, we need to reduce the dimensionality or capture the most significant features along one specific axis of the data to make the network more computationally efficient.
- dropout = 0.2 : Dropout is a regularization technique used in neural networks to prevent overfitting which during training, dropout randomly sets a fraction (in this case, 20%) of the input units to zero at each update of the training phase.

```
% Constant Parameter
num_classes = 12;  % number of classes
filter_size = 3;  % number of filters
timePoolSize = 12;  % Pool Size
dropout_rate = 0.2;  % The value of dropout layer
Maxpool_value = 3;  % Define the number of Maxpool value
```

1.4.2 Define the objective function of Bayesian Optimization

In this section, the objective_function will explore the optimal hyperparameters within specified ranges. it will evaluate the number of layers between 4 and 7, and the number of filters from 5 to 14, to determine the best configuration using optimizeVariable.

the objective_function is defined as a separated function outside which named as trainNetworkForDeeplearning.m

The result of bayesian optimization will be stored in result_bayesopt.

```
% Define the Objective Function
objective_function = @(x)trainNetworkForDeeplearning(x, dsTrain, dsVal, imdsVal,
num_classes, num_filters, image_size, timePoolSize, dropout_rate, Maxpool_value)
```

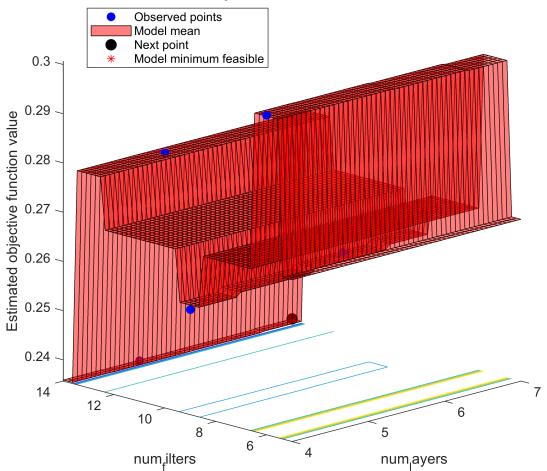
objective_function = function_handle with value:
 @(x)trainNetworkForDeeplearning(x,dsTrain,dsVal,imdsVal,num_classes,num_filters,image_size,timePoolSize,dropout_

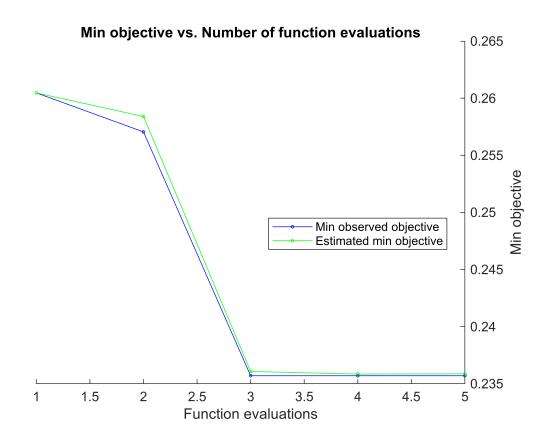
```
% Set up the Hyperparameter Space
hyperparameterSpace = [
    optimizableVariable('num_layers', [4, 7], 'Type', 'integer');
    optimizableVariable('num_filters', [5, 14], 'Type', 'integer')
];

% perform Bayesian optimization
result_bayesopt = bayesopt(objective_function, hyperparameterSpace,
'MaxObjectiveEvaluations', 5);
```

	======											
İ	Iter	Eval result	Objective	Objective runtime	BestSoFar (observed)	BestSoFar (estim.)	num_layers 	num_filters				
	======					=========		========				
j	1	Best	0.26046	74.697	0.26046	0.26046	6	9				
	2	Best	0.25705	60.323	0.25705	0.25839	4	9				
	3	Best	0.2357	62.503	0.2357	0.23607	5	14				
	4	Accept	0.3006	59.702	0.2357	0.23585	4	6				
	5	Accept	0.27925	63.344	0.2357	0.23587	5	13				

Objective function model





Optimization completed.

 ${\tt MaxObjectiveEvaluations\ of\ 5\ reached.}$

Total function evaluations: 5

Total elapsed time: 325.4579 seconds

Total objective function evaluation time: 320.5686

Best observed feasible point:
 num_layers num_filters

5 14

Observed objective function value = 0.2357 Estimated objective function value = 0.23587 Function evaluation time = 62.5027

Best estimated feasible point (according to models):

num_layers num_filters

5 14

Estimated objective function value = 0.23587 Estimated function evaluation time = 63.8963

1.5 Implementing Ensemble Method (Bootstrap Aggregating)

Bagging is a distinct ensemble learning technique in which models are trained on various subsets of the original dataset. In this particular case, 3 different model would be produced in the the process and constraint. However, even when using identical architecture and data, the model is likely to generate varying patterns of learning.

This variation arises because the training process involves the random initialization of weights, leading to distinct learning pathways for each model.

```
%Establish the number of models to be utilized
model cell = 5
model\_cell = 5
%Define the cell to stored the trained model
models_list = cell(1:model_cell)
models list = 5-D cell array
models_list(:,:,1,1,1) =
     \{0 \times 0 \text{ double}\}\ \{0 \times 0 \text{ double}\}\
models_list(:,:,2,1,1) =
     \{0\times0 \text{ double}\}\ \{0\times0 \text{ double}\}
models_list(:,:,3,1,1) =
     \{0 \times 0 \text{ double}\}\ \{0 \times 0 \text{ double}\}\
models_list(:,:,1,2,1) =
     \{0\times0 \text{ double}\}\ \{0\times0 \text{ double}\}
models_list(:,:,2,2,1) =
     {0×0 double} {0×0 double}
models_list(:,:,3,2,1) =
     \{0 \times 0 \text{ double}\}\ \{0 \times 0 \text{ double}\}\
models_list(:,:,1,3,1) =
     \{0 \times 0 \text{ double}\}\ \{0 \times 0 \text{ double}\}\
models_list(:,:,2,3,1) =
     \{0\times0 \text{ double}\}\ \{0\times0 \text{ double}\}
models_list(:,:,3,3,1) =
     \{0\times0 \text{ double}\}\ \{0\times0 \text{ double}\}
```

models_list(:,:,1,4,1) =

 $\{0\times0 \text{ double}\}\$ $\{0\times0 \text{ double}\}$

```
models_list(:,:,2,4,1) =
     {0×0 double} {0×0 double}
models_list(:,:,3,4,1) =
     \{0\times0 \text{ double}\}\ \{0\times0 \text{ double}\}
models_list(:,:,1,1,2) =
     {0×0 double} {0×0 double}
models_list(:,:,2,1,2) =
     \{0\times0 \text{ double}\}\ \{0\times0 \text{ double}\}
models_list(:,:,3,1,2) =
     \{0\times0 \text{ double}\}\ \{0\times0 \text{ double}\}
models_list(:,:,1,2,2) =
     \{0\times0 \text{ double}\}\ \{0\times0 \text{ double}\}
models_list(:,:,2,2,2) =
    {0×0 double} {0×0 double}
models_list(:,:,3,2,2) =
     {0×0 double} {0×0 double}
models_list(:,:,1,3,2) =
     {0×0 double} {0×0 double}
models_list(:,:,2,3,2) =
     \{0\times0\ double\} \{0\times0\ double\}
models_list(:,:,3,3,2) =
     \{0\times0 \text{ double}\}\ \{0\times0 \text{ double}\}
models_list(:,:,1,4,2) =
     \{0 \times 0 \text{ double}\}\ \{0 \times 0 \text{ double}\}\
models_list(:,:,2,4,2) =
```

 $\{0\times0 \text{ double}\}\$ $\{0\times0 \text{ double}\}$

```
models_list(:,:,3,4,2) =
     {0×0 double} {0×0 double}
models_list(:,:,1,1,3) =
     \{0\times0 \text{ double}\}\ \{0\times0 \text{ double}\}
models_list(:,:,2,1,3) =
     \{0\times0 \text{ double}\}\ \{0\times0 \text{ double}\}
models_list(:,:,3,1,3) =
     \{0\times0\ double\} \{0\times0\ double\}
models_list(:,:,1,2,3) =
      \{0 \times 0 \text{ double}\}\ \{0 \times 0 \text{ double}\}\
models_list(:,:,2,2,3) =
     {0×0 double} {0×0 double}
models_list(:,:,3,2,3) =
     \{0\times0 \text{ double}\}\ \{0\times0 \text{ double}\}
models_list(:,:,1,3,3) =
     \{0 \times 0 \text{ double}\}\ \{0 \times 0 \text{ double}\}\
models_list(:,:,2,3,3) =
     \{0\times0\ double\} \{0\times0\ double\}
models_list(:,:,3,3,3) =
     \{0 \times 0 \text{ double}\}\ \{0 \times 0 \text{ double}\}\
models_list(:,:,1,4,3) =
     \{0\times0 \text{ double}\}\ \{0\times0 \text{ double}\}
models_list(:,:,2,4,3) =
      \{0 \times 0 \text{ double}\}\ \{0 \times 0 \text{ double}\}\
models_list(:,:,3,4,3) =
```

```
\{0\times0 \text{ double}\}\ \{0\times0 \text{ double}\}
models list(:,:,1,1,4) =
      {0×0 double} {0×0 double}
models_list(:,:,2,1,4) =
      \{0\times0\ double\} \{0\times0\ double\}
models_list(:,:,3,1,4) =
      \{0 \times 0 \text{ double}\}\ \{0 \times 0 \text{ double}\}\
models_list(:,:,1,2,4) =
      \{0 \times 0 \text{ double}\}\ \{0 \times 0 \text{ double}\}\
models_list(:,:,2,2,4) =
      \{0\times0 \text{ double}\}\ \{0\times0 \text{ double}\}
models list(:,:,3,2,4) =
      \{0\times0 \text{ double}\}\ \{0\times0 \text{ double}\}
models_list(:,:,1,3,4) =
      \{0 \times 0 \text{ double}\}\ \{0 \times 0 \text{ double}\}\
models_list(:,:,2,3,4) =
      \{0\times0 \text{ double}\}\ \{0\times0 \text{ double}\}
models_list(:,:,3,3,4) =
      \{0 \times 0 \text{ double}\}\ \{0 \times 0 \text{ double}\}\
models_list(:,:,1,4,4) =
      \{0 \times 0 \text{ double}\}\ \{0 \times 0 \text{ double}\}\
models_list(:,:,2,4,4) =
      \{0\times0 \text{ double}\}\ \{0\times0 \text{ double}\}
models_list(:,:,3,4,4) =
      \{0 \times 0 \text{ double}\}\ \{0 \times 0 \text{ double}\}\
models_list(:,:,1,1,5) =
```

```
\{0 \times 0 \text{ double}\}\ \{0 \times 0 \text{ double}\}\
models_list(:,:,2,1,5) =
      \{0 \times 0 \text{ double}\}\ \{0 \times 0 \text{ double}\}\
models_list(:,:,3,1,5) =
      {0×0 double} {0×0 double}
models_list(:,:,1,2,5) =
      \{0 \times 0 \text{ double}\}\ \{0 \times 0 \text{ double}\}\
models_list(:,:,2,2,5) =
      \{0 \times 0 \text{ double}\}\ \{0 \times 0 \text{ double}\}\
models_list(:,:,3,2,5) =
      \{0 \times 0 \text{ double}\}\ \{0 \times 0 \text{ double}\}\
models_list(:,:,1,3,5) =
      \{0\times0 \text{ double}\}\ \{0\times0 \text{ double}\}\
models_list(:,:,2,3,5) =
      \{0\times0 \text{ double}\}\ \{0\times0 \text{ double}\}
models_list(:,:,3,3,5) =
      \{0\times0 \text{ double}\}\ \{0\times0 \text{ double}\}
models_list(:,:,1,4,5) =
      \{0\times0 \text{ double}\}\ \{0\times0 \text{ double}\}
models_list(:,:,2,4,5) =
      \{0 \times 0 \text{ double}\}\ \{0 \times 0 \text{ double}\}\
models_list(:,:,3,4,5) =
      \{0\times0 \text{ double}\}\ \{0\times0 \text{ double}\}\
```

1.6 Defining Network Architecture

To establish the network's architecture, we will utilize the outcomes of Bayesian optimization to ensure the optimal quantities of filters and layers. This will be achieved by extracting the number

of layers and number of filters from result_bayesopt.XAtMinEstimatedObjective.num_layers and result_bayesopt.XAtMinEstimatedObjective.num_filters, respectively.

```
% Execute the loop process for 5 different model
for model_index = 1:model_cell
    % get the best hyperparameters
    number_layers = result_bayesopt.NextPoint.num_layers;
    number_filters = result_bayesopt.NextPoint.num_filters;
```

1.6.1 Define the Input Network Layer

Since we had 3 channel input data that defined by RGB, we need to defined the imageInputLayer as $[98 \times 50 \times 3]$

```
% define the network input layers
network_layer = [
   imageInputLayer([image_size 3])
];
```

1.6.2 Establish Convolutional Layer

This loop constructs the layers of the CNN. For each layer from 1 to num_layers:

- A convolutional layer (convolution2dLayer) is added. This layer applies a number of filters (defined by num_filters) to the input. Each filter is of size filter_size, and 'Padding' is set to 'same' to ensure the output size is the same as the input size.
- A batch normalization layer (batchNormalizationLayer) follows, which normalizes the output of the convolutional layer, reducing internal covariate shift and improving training stability.
- A ReLU (Rectified Linear Unit) layer (reluLayer) is added next, introducing non-linearity to the network, allowing it to learn more complex patterns.

```
% add the convolutional layers
for i = 1:number_layers
   network_layer = [
        network_layer
        convolution2dLayer(filter_size, num_filters, Padding="same")
        batchNormalizationLayer
        reluLayer
];
```

To restrict the extent of max pooling and mitigate its potential reduction of the input data's spatial dimensionality, the application of max pooling will be limited to only the first three layers.

```
num_filters = num_filters * 2; % double the number of filters for the next
layer
end

% add the rest of the layers
network_layer = [
    network_layer
    maxPooling2dLayer([timePoolSize,1])
    dropoutLayer(dropoutProb)
    fullyConnectedLayer(num_classes)
    softmaxLayer
    classificationLayer
];
```

Network Structure:



The trainingOptions function specifies the configuration for training the network, including the use of the Adam optimizer, mini-batch size, learning rate, number of epochs, data shuffling method, validation data and frequency, verbosity, progress plots, and the execution environment (GPU).

In the part of training optimisation, Adaptive Moment Estimation (Adam) will be utilized. The Adam optimization algorithm is a popular method for training deep learning models, particularly neural networks. It combines ideas from two other popular optimization techniques: Adaptive Gradient Algorithm (AdaGrad) and Root Mean Square Propagation (RMSProp).

$$m_{\ell} = \beta_1 m_{\ell-1} + (1 - \beta_1) \nabla E(\theta_{\ell})$$
$$v_{\ell} = \beta_2 v_{\ell-1} + (1 - \beta_2) [\nabla E(\theta_{\ell})]^2$$

Decay rate is defined using GradientDecayFactor $(\nabla E(\theta_{\ell}))$ and SquaredGradientDecayFactor $[\nabla E(\theta_{\ell})]^2$.

Adam uses the moving averages to update the network parameters as

$$\theta_{\ell+1} = \theta_{\ell} - \frac{\alpha m_l}{\sqrt{v_l + \varepsilon}}$$

If gradients over many iterations are similar, then using a moving average of the gradient enables the parameter updates to pick up momentum in a certain direction. If the gradients contain mostly noise, then the moving average of the gradient becomes smaller, and so the parameter updates become smaller too.

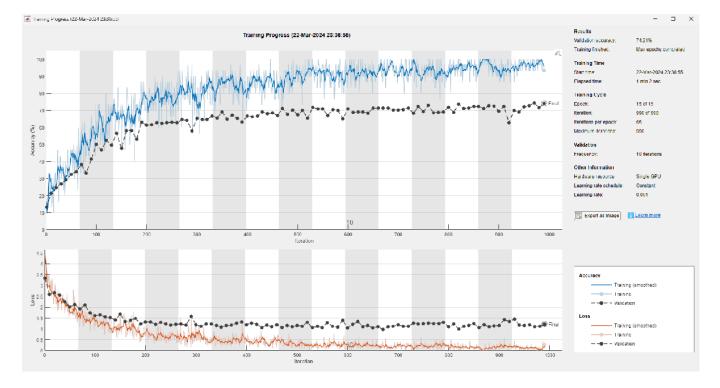
Afterward, each five model will be stored in model_list.

```
% training options
    options = trainingOptions('adam', ...
        "MiniBatchSize",30, ...
        'InitialLearnRate',0.001, ...
        'MaxEpochs',15, ...
        'Shuffle', 'every-epoch', ...
        'ValidationData', dsVal, ...
        'ValidationFrequency',10, ...
        'Verbose', true, ...
        'Plots', 'training-progress',...
        'ExecutionEnvironment', 'gpu');
    % train each model network
    net = trainNetwork(dsTrain,layers,options);
    % store the trained network in the prepared storage of models_list
    models_list{model_index} = net;
end
```

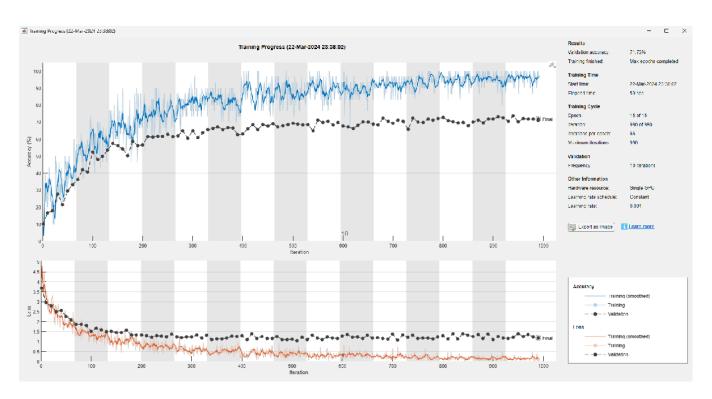
Given that five models have been established, the accuracy of each model will be evaluated through a classification process. This will be conducted using the classify command, with the outcomes of the classifications being stored in the variable YPreds.

The Result of 5 trained networks:

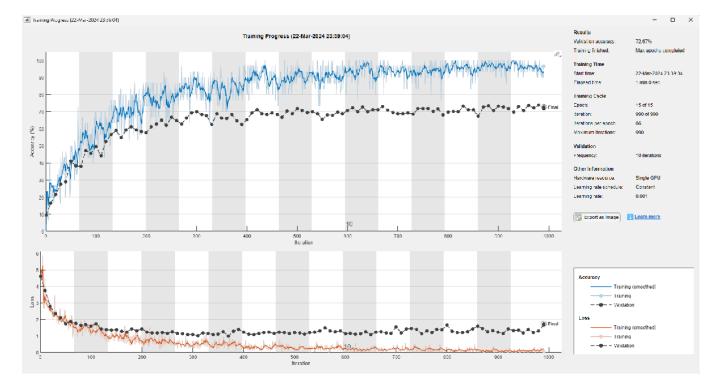
1st Training



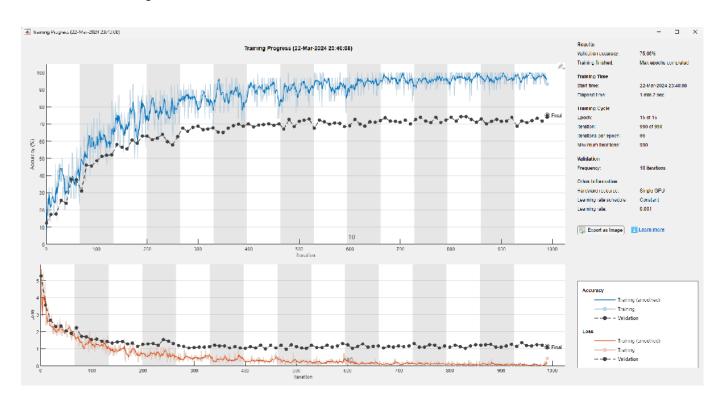
• 2nd Training



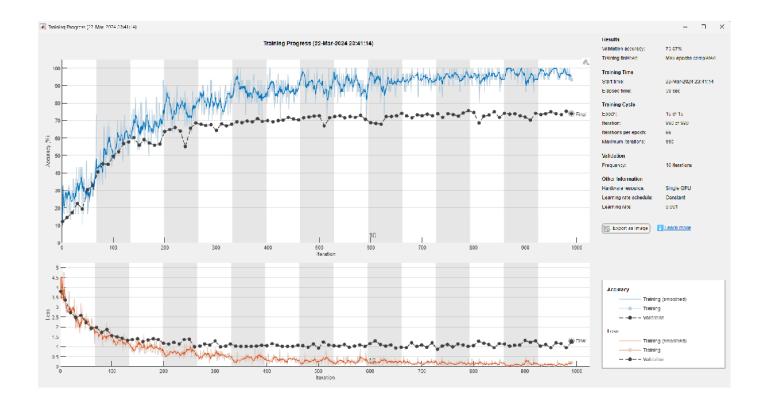
• 3rd Training



• 4th Training



• 5th Training



1.7 Execute Ensemble method and Accuracy

After all model has been stored in YPreds, each result of classification of the model will be most frequent prediction (mode).

Finally, the ensemble accuracy achieved is 78.1383 %, influenced by several key factors:

- The number of layers utilized in the models,
- The number of filters in each layer,
- The number of models combined through Bootstrap Aggregating (Bagging) technique.

The Result of Confusion Matrix

Confusion Matrix

	background	60	0	2	0	0	0	1	0	1	3	1	0	88.2%
	background	5.1%	0.0%	0.2%	0.0%	0.0%	0.0%	0.1%	0.0%	0.1%	0.3%	0.1%	0.0%	11.8%
		0	83	8	2	14	7	5	2	3	3	1	1	64.3%
	down	0.0%	7.1%	0.7%	0.2%	1.2%	0.6%	0.4%	0.2%	0.3%	0.3%	0.1%	0.1%	35.7%
		0	8	71	0	5	0	2	0	1	11	3	0	70.3%
	go	0.0%	0.7%	6.1%	0.0%	0.4%	0.0%	0.2%	0.0%	0.1%	0.9%	0.3%	0.0%	29.7%
	left	0	0	1	90	0	2	1	3	0	12	3	2	78.9%
	leit	0.0%	0.0%	0.1%	7.7%	0.0%	0.2%	0.1%	0.3%	0.0%	1.0%	0.3%	0.2%	21.1%
	no	0	8	13	0	82	0	2	0	0	3	1	3	73.2%
		0.0%	0.7%	1.1%	0.0%	7.0%	0.0%	0.2%	0.0%	0.0%	0.3%	0.1%	0.3%	26.8%
SS	-66	0	0	0	2	0	79	1	2	1	0	3	0	39.8%
ä	off	0.0%	0.0%	0.0%	0.2%	0.0%	6.7%	0.1%	0.2%	0.1%	0.0%	0.3%	0.0%	10.2%
o		0	2	1	1	0	6	87	2	0	25	0	0	70.2%
Ĭ	on	0.0%	0.2%	0.1%	0.1%	0.0%	0.5%	7.4%	0.2%	0.0%	2.1%	0.0%	0.0%	29.8%
Output Class		0	0	0	5	0	2	0	92	0	37	0	0	67.6%
õ	right	0.0%	0.0%	0.0%	0.4%	0.0%	0.2%	0.0%	7.9%	0.0%	3.2%	0.0%	0.0%	32.4%
		0	0	2	0	0	0	1	0	81	0	1		95.3%
	stop	0.0%	0.0%	0.2%	0.0%	0.0%	0.0%	0.1%	0.0%	6.9%	0.0%	0.1%	0.0%	4.7%
		0	0	0	0	0	0	0	0	3	7	0	0	70.0%
	unknown	0.0%	0.0%	0.0%	0.0%	0.0%	0.0%	0.0%	0.0%	0.3%	0.6%	0.0%	0.0%	30.0%
		0	0	3	1	0	5	1	0	11	0	88	0	30.7%
	up	0.0%	0.0%	0.3%	0.1%	0.0%	0.4%	0.1%	0.0%	0.9%	0.0%	7.5%	0.0%	19.3%
		0	0	0	0	0	0	0	0	0	0	0	95	100%
	yes	0.0%	0.0%	0.0%	0.0%	0.0%	0.0%	0.0%	0.0%	0.0%	0.0%	0.0%	8.1%	0.0%
		100%	32.2%	70.3%	39.1%	81.2%	78.2%	36.1%	91.1%	80.2%	6.9%	B7.1%	94.1%	78.1%
		0.0%	17.8%	29.7%	10.9%	18.8%	21.8%	13.9%	8.9%	19.8%	93.1%	12.9%	5.9%	21.9%
		-6	٠.٥	.0	16st	40	10	or	~~	-	٠.	.0	-6	
		OHU	90ML	00	10,	6.	Ò,	Ò,	ight	Stop	COM	76	405	
	packe)	-							JU	TOWN			
	Pos													

Target Class

```
lgraph = layerGraph(net); % Create a layer graph from the network
figure;
plot(lgraph); % Plot the layer graph

% calculate the most frequent prediction
YPred = mode(cat(5, YPreds{:}), 5);

% extract ground truth labels
YVal = imdsVal.Labels;

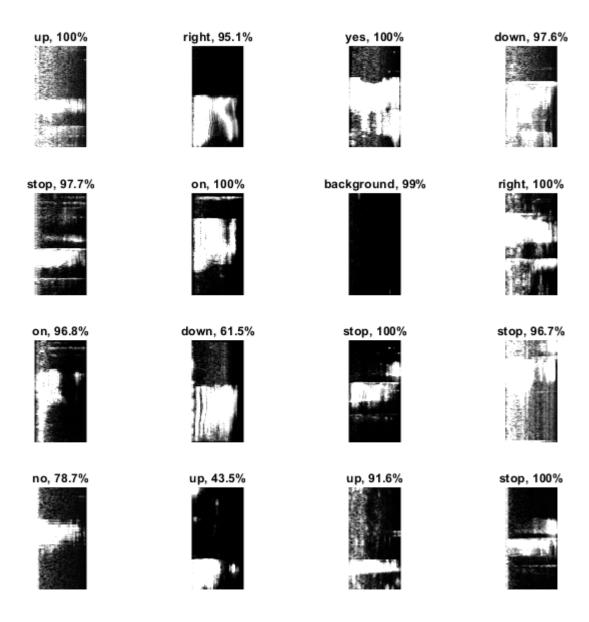
% Calculate the accuracy
accuracy = (sum(YPred == YVal)/numel(YVal))*100;
disp(['The accuracy is: ' num2str(accuracy)])

% plot confusion matrix
figure;
```

```
plotconfusion(YVal,YPred)

disp(["Set of Validation Accuracy: " num2str(accuracy) "%"]);
```

1.7.1 Result of Modelling Prediction with Labelling the data



```
% Display sample test images with predicted labels and
% the predicted probabilities of the images having those labels.
idx = randperm(numel(imdsVal.Files),16);
figure
for i = 1:16
    subplot(4,4,i)
    I = readimage(imdsVal,idx(i));
```

```
imshow(I)
label = YPred(idx(i));
title(string(label)+ ", "+num2str(100*max(probs(idx(i),:)),3)+"%");
end
```

1.8 Objective Function (Seperated Externally)

```
% Define the function trainAndEvaluateNetwork
function loss = trainNetworkForDeeplearning(params, dsTrain, dsVal, imdsVal,
num_classes, filter_size, image_size, timePoolSize, dropout_rate, Maxpool_value)
    num_layers = params.num_layers;
    num_filters = params.num_filters;
   % define the network layers
    layers1 = [
        imageInputLayer([image_size 3])
    ];
   % add the convolutional layers
    for i = 1:num_layers
        layers1 = [
            layers1
            convolution2dLayer(filter_size, num_filters, Padding="same")
            batchNormalizationLayer
            reluLayer
        ];
        if i <= Maxpool_value</pre>
        layers1 = [
                layers1
                maxPooling2dLayer(filter_size, Stride=2, Padding="same")
            1;
        end
        num_filters = num_filters * 2; % double the number of filters for the next
layer
    end
    % add the rest of the layers
    layers1 = [
        layers1
        maxPooling2dLayer([timePoolSize,1])
        dropoutLayer(dropout_rate)
        fullyConnectedLayer(num_classes)
        softmaxLayer
        classificationLayer
    ];
    % training options
    options = trainingOptions('adam', ...
        "MiniBatchSize",30, ...
        'InitialLearnRate',0.001, ...
        'MaxEpochs',15, ...
```

```
'Shuffle','every-epoch', ...
'ValidationData',dsVal, ...
'ValidationFrequency',10, ...
'Verbose',false, ... % turn off text output
'Plots','none', ... % turn off plots
'ExecutionEnvironment','gpu');

% train the network
net = trainNetwork(dsTrain,layers1,options);

% classify the validation output using the trained network
[YPred,probs] = classify(net,dsVal);

% extract ground truth labels
YVal = imdsVal.Labels;

% calculate the loss
loss = 1 - mean(YPred == YVal); % loss is 1 - accuracy
end
```