```
In [2]: import numpy as np
          import pandas as pd
          import matplotlib.pyplot as plt
          import plotly.express as px
          import seaborn as sns
          pd.set option('display.max columns', None)
          path = 'datasets/'
 In [9]: data = pd.read_csv(path + '4-train_final_96features.csv')
          data.head()
 Out[9]:
             id is_duplicate freq_qid1_x freq_qid2_x q1_len_x q2_len_x num_words_q1_x num_words_q2_x common_word_q12_x total_word_q12_x shared_words_q12_x
           0 0
                                                           57
                                                                                       12
                                           1
                                                   66
                                                                         14
                                                                                                        10
                                                                                                                       23
                                                                                                                                   0.434783
                                                                                                                                   0.200000
          1 1
                        0
                                  4
                                           1
                                                   51
                                                           88
                                                                          8
                                                                                       13
                                                                                                         4
                                                                                                                       20
           2 2
                                  1
                                           1
                                                                         14
                                                                                       10
                                                  73
                                                                                                                       24
                                                                                                                                   0.166667
           3 3
                        0
                                  1
                                           1
                                                   50
                                                           65
                                                                         11
                                                                                        9
                                                                                                         0
                                                                                                                       19
                                                                                                                                   0.000000
           4 4
                                                  76
                                                                         13
                                                                                                                       20
                                                                                                                                   0.100000
In [10]: data.shape
Out[10]: (404290, 231)
                                                                  Dividing Data
In [11]: X = data.drop(['id','is_duplicate'],axis=1)
          y = data['is duplicate']
In [12]: X.shape, y.shape
Out[12]: ((404290, 229), (404290,))
                                                             Train Test Split-[80:20]
In [14]: from sklearn.model_selection import train test split
In [38]: #train test split
          X_train, X_test, y_train, y_test = train_test_split(X, y, stratify=y, test_size=0.2,random_state=108)
In [39]: X train.shape, X test.shape, y train.shape, y test.shape
Out[39]: ((323432, 229), (80858, 229), (323432,), (80858,))
In [40]: st = 'Data points in '
          print(f'{st} [train data] ==> {X train.shape}')
          print(f'{st} [test data] ==> {X test.shape}')
          Data points in [train data] ==> (323432, 229)
          Data points in [test data] ==> (80858, 229)
          Observation:

    Number of data points in train data : (323432, 229)

           • Number of data points in test data: (80858, 229)
          Counters Link
In [41]: from collections import Counter
In [42]: print('Distribution of output variable in [ train data ]\n','***'*10)
          train distr = Counter(y train)
          train len = len(y train)
          print(f'Class-0: {int(train_distr[0])/train_len}\nClass-1: {int(train_distr[1])/train_len}')
          Distribution of output variable in [ train data ]
           ********
          Class-0: 0.6308033837097133
          Class-1: 0.36919661629028666
In [43]: print('Distribution of output variable in [ test data ]\n','***'*10)
          test distr = Counter(y test)
          test_len = len(y_test)
          print(f'Class-0: {int(test_distr[1])/test_len}\nClass-1: {int(train_distr[1])/train_len}')
          Distribution of output variable in [ test data ]
          Class-0: 0.36920279997031835
          Class-1: 0.36919661629028666
                                                           Ploting Confusion Matrices
           • C = 9,9 matrix, each cell (i,j) represents number of points of class i are predicted class j
                                                                Calculating for [ A ]
                 divid each element of the confusion matrix with sum of elements in that column
                 C = [[1, 2],
                    [3, 4]]
                 C.T = [[1, 3],
                        [2, 4]]
                 C.sum(axis = 1) axis=0 corresponds to columns and axis=1 corresponds to rows in two diamensional array
                 C.sum(axix = 1) = [[3, 7]]
                 ((C.T)/(C.sum(axis=1))) = [[1/3, 3/7]
                                            [2/3, 4/7]
                 ((C.T)/(C.sum(axis=1))).T = [[1/3, 2/3]
                                              [3/7, 4/7]]
                 sum of row elements = 1
                                                              Calculating for [ B ]
              divid each element of confusion matrix with sum of elements in that row
              C = [[1, 2],
                   [3, 4]]
               C.sum(axis = 0) axis=0 corresponds to columns and axis=1 corresponds to rows in two diamensional array
              C.sum(axix = 0) = [[4, 6]]
               (C/C.sum(axis=0)) = [[1/4, 2/6],
                                    [3/4, 4/6]]
In [45]: #function plots confusion matrices given y i, y i hat
          def plot_confusion_matrix(test_y, predict_y):
              C = confusion matrix(test y, predict y)
              A = (((C.T)/(C.sum(axis=1))).T)
              B = (C/C.sum(axis=0))
              plt.figure(figsize=(20,4))
              ####################################
              labels = [1,2]
               # representing A in heatmap format
              cmap=sns.light palette("blue")
              plt.subplot(1,3,1)
              sns.heatmap(C, annot=True, cmap=cmap, fmt=".3f", xticklabels=labels, yticklabels=labels)
              plt.xlabel('Predicted Class')
              plt.ylabel('Original Class')
              plt.title("Confusion matrix")
              plt.subplot(1,3,2)
              sns.heatmap(B, annot=True, cmap=cmap, fmt=".3f", xticklabels=labels, yticklabels=labels)
              plt.xlabel('Predicted Class')
              plt.ylabel('Original Class')
              plt.title("Precision matrix")
              plt.subplot(1,3,3)
              # representing B in heatmap format
              sns.heatmap(A, annot=True, cmap=cmap, fmt=".3f", xticklabels=labels, yticklabels=labels)
              plt.xlabel('Predicted Class')
              plt.ylabel('Original Class')
              plt.title("Recall matrix")
              plt.savefig('output_img/10-xgboost_confusionMatrix.png') #saving image output
              plt.show()
                                                                 Random Model
          Finding worst-case log-loss

    will generate 9 numbers and sum of numbers should be 1

           • one solution is to genarate 9 numbers and divide each of numbers by their sum

    will create a output array that has exactly same size as the CV data

          Generating a list of random numbers summing to 1
In [48]: from sklearn.metrics import log loss
          from sklearn.metrics import confusion matrix
In [55]: predicted y = np.zeros((test len,2))
          for i in range(test len):
              rand probs = np.random.rand(1,2)
              predicted y[i] = ((rand probs/sum(sum(rand probs)))[0])
          print(f'log_loss on [ test_data using Random_Model ] ==> {log_loss(y_test, predicted_y, eps=1e-15)}')
          predicted y = np.argmax(predicted y, axis=1)
          plot_confusion_matrix(y_test,predicted_y)#using above function
          log_loss on [ test_data using Random_Model ] ==> 0.8852872182089866
                       Confusion matrix
                                                                                                              Recall matrix
                                                                  Precision matrix
                                                                                         - 0.60
                                                                                                                                    - 0.503
                                              24000
                   25513.000
                                                              0.633
                                                                             0.629
                                                                                                         0.500
                                 25492.000
                                                                                                                                    - 0.502
            1
                                                                                         0.55
                                              22000
                                                                                                Original Class
           Original Class
                                                      Original Class
                                                                                                                                    -0.501
                                                                                         - 0.50
                                                                                                                                    -0.500
                                               20000
                                                                                                                                    - 0.499
                                                                                         0.45
                                               18000
                                                                                                                        0.504
                   14804.000
                                 15049.000
                                                               0.367
                                                                             0.371
                                                                                                          0.496
                                                                                                                                    -0.498
            2
                                                                                                                                    -0.497
                                                                                        - 0.40
                                              - 16000
                                                                                                                                   - 0.496
                                                                                                                         2
                                                                              2
                        Predicted Class
                                                                   Predicted Class
                                                                                                              Predicted Class
                                                    SGDClassifier & Hyperparameter Tuning
In [56]: #hyperparam
          alpha = [10 ** x for x in range(-5,2)]
          alpha
Out[56]: [1e-05, 0.0001, 0.001, 0.01, 0.1, 1, 10]
          SGD-Classifier Docs
In [60]: from sklearn.linear_model import SGDClassifier
          from sklearn.calibration import CalibratedClassifierCV
In [61]: alpha = [10 ** x for x in range(-5,2)]
          log error array=[]
          for i in alpha:
              clf = SGDClassifier(alpha=i,penalty='12',loss='log',random_state=108)
              clf.fit(X train,y train)
              sig_clf = CalibratedClassifierCV(clf,method="sigmoid")
              sig_clf.fit(X_train,y_train)
              predict y = sig_clf.predict_proba(X_test)
              log error array.append(log loss(y test, predict y,labels=clf.classes ,eps=1e-15))
              print(f'For values of alpha = {i}, log loss is: {log loss(y test,predict y,labels=clf.classes ,eps=1e-15)}')
          For values of alpha = 1e-05, log loss is: 0.4518226263478587
          For values of alpha = 0.0001, log loss is: 0.45451812253622154
          For values of alpha = 0.001, log loss is: 0.45102033471070324
          For values of alpha = 0.01, log loss is: 0.43661784628300165
          For values of alpha = 0.1, log loss is: 0.45141877660864926
          For values of alpha = 1, log loss is: 0.4728840456072604
          For values of alpha = 10, log loss is: 0.5257608247242521
In [87]: fig,ax = plt.subplots(nrows=1,ncols=1,figsize=(18,6))
          ax.plot(alpha,log_error_array,c='r')
          for i, txt in enumerate(np.round(log_error_array,3)):
              ax.annotate((alpha[i],np.round(txt,3)), (alpha[i],log_error_array[i]))
          #ploting grid in backend
          plt.grid()
          plt.title('Cross Validation Error for each alpha')
          plt.xlabel("Alpha i's")
          plt.ylabel('Error measure')
          plt.show()
                                                              Cross Validation Error for each alpha
                                                                                                                                 (10, 0.526)
            0.52
            0.50
           measure
0.48
                                (<del>1, 0.47</del>3)
            0.46
                      (0.0001, 0.455)
(4.005,09453)
            0.44
                     (0.01, 0.437)
                                                                                                                                10
                                                                         Alpha i's
In [63]: best_alpha = np.argmin(log_error_array)
          clf = SGDClassifier(alpha=alpha[best_alpha], penalty='12', loss='log', random_state=108)
          clf.fit(X train,y train)
          sig clf = CalibratedClassifierCV(clf, method='sigmoid')
          sig_clf.fit(X_train, y_train)
Out[63]: CalibratedClassifierCV(base_estimator=SGDClassifier(alpha=0.01, loss='log',
                                                                  random state=108))
In [64]: predict y = sig_clf.predict_proba(X_train)
          print(f'For values of best alpha = {alpha[best_alpha]}, train log loss is: {log_loss(y_train, predict_y, labels=clf.cl
          asses , eps=1e-15) )
          predict y = sig clf.predict proba(X test)
          print(f'For values of best alpha = {alpha[best_alpha]}, test log loss is: {log_loss(y_test, predict_y, labels=clf.clas
          ses_, eps=1e-15)}')
          predicted y =np.argmax(predict y,axis=1)
          print(f'Total number of data points : {len(predicted_y)}')
          plot_confusion_matrix(y_test, predicted_y)
          For values of best alpha = 0.01, train log loss is: 0.4342107739025386
          For values of best alpha = 0.01, test log loss is: 0.43661784628300165
          Total number of data points: 80858
                                                                                                               Recall matrix
                       Confusion matrix
                                                                   Precision matrix
                                               45000
                                                                                                                                     - 0.8
                                               40000
                                                                                          - 0.7
                                                                                                                                     - 0.7
                   45435.000
                                 5570.000
                                                               0.791
                                                                              0.238
                                                                                                          0.891
                                                                                                                         0.109
            П.
                                               - 35000
                                                                                          - 0.6
                                                                                                 Original Class
                                                                                                                                     - 0.6
           Original Class
                                                      Original Class
                                               30000
                                                                                          - 0.5
                                                                                                                                     - 0.5
                                               25000
                                                                                                                                     - 0.4
                                               - 20000
                                                                                          - 0.4
                                 17846.000
                                                                              0.762
                                                                                                                         0.598
                   12007.000
                                                               0.209
                                               - 15000
                                                                                                                                     - 0.3
                                                                                         - 0.3
                                              - 10000
                                                                                                                                    - 0.2
                                                                               2
                                                                                                                          2
                         Predicted Class
                                                                    Predicted Class
                                                                                                               Predicted Class
                                                      XGBoost & Hyperparameter Tuning
In [65]: import xgboost as xgb
In [66]: #global
          params = \{\}
          params['objective'] = 'binary:logistic'
          params['eval metric'] = 'logloss'
          params['eta'] = 0.02
          params['max_depth'] = 4
In [67]: X train.columns.tolist()
          type(X_train)
Out[67]: pandas.core.frame.DataFrame
In [68]: X_test.columns.tolist()
          type(X_test)
Out[68]: pandas.core.frame.DataFrame
In [69]: d train = xgb.DMatrix(X train, label=y train)
          d test = xgb.DMatrix(X test, label=y test)
In [70]: watchlist = [(d_train, 'train'), (d_test, 'valid')]
In [71]: bst = xgb.train(params, d train, 400, watchlist, early stopping rounds=20, verbose eval=10)
          xgdmat = xgb.DMatrix(X train,y train)
          predict y = bst.predict(d_test)
          print(f'test log loss is: {log loss(y test, predict y, labels=clf.classes , eps=1e-15)}')
          predicted y = np.array(predict y > 0.5, dtype=int)
          print(f'total number of data points : {len(predicted y)}')
          plot confusion matrix(y test, predicted y)
                   train-logloss:0.68461 valid-logloss:0.68474
          Multiple eval metrics have been passed: 'valid-logloss' will be used for early stopping.
```

Will train until valid-logloss hasn't improved in 20 rounds.

train-logloss:0.61512 valid-logloss:0.61529

train-logloss:0.56448

train-logloss:0.52630

train-logloss:0.49702

train-logloss:0.47420

train-logloss:0.45585

train-logloss:0.44135

train-logloss:0.42944

train-logloss:0.41994

train-logloss:0.41209

train-logloss:0.40543

train-logloss:0.39988

train-logloss:0.39501

train-logloss:0.39109

train-logloss:0.38751

test log loss is: 0.35552283332383183

total number of data points : 80858

Confusion matrix

Predicted Class

5217.000

2

45788.000

9075.000

In [73]: filename = 'models/xgboost 96.sav'

In [74]: #loading model from disk

П -

2 -

In [72]: import pickle

Original Class

valid-logloss:0.56484

valid-logloss:0.52678

valid-logloss:0.49746

valid-logloss:0.47459

valid-logloss:0.45632

valid-logloss:0.44186

valid-logloss:0.42996

valid-logloss:0.42047

valid-logloss:0.41265

valid-logloss:0.40599

valid-logloss:0.40039 valid-logloss:0.39555

valid-logloss:0.39163

valid-logloss:0.38809

[10]

[20]

[30]

[40]

[50]

[60]

[70]

[80]

[90]

[100] [110]

[120]

[130]

[140]

[150]

valid-logloss:0.38516 [160] train-logloss:0.38459 train-logloss:0.38189 valid-logloss:0.38249 [170] train-logloss:0.37960 [180] valid-logloss:0.38026 train-logloss:0.37757 [190] valid-logloss:0.37822 train-logloss:0.37583 valid-logloss:0.37650 [200] [210] train-logloss:0.37412 valid-logloss:0.37484 valid-logloss:0.37328 [220] train-logloss:0.37251 [230] train-logloss:0.37102 valid-logloss:0.37179 train-logloss:0.36958 [240] valid-logloss:0.37048 [250] train-logloss:0.36807 valid-logloss:0.36896 [260] train-logloss:0.36683 valid-logloss:0.36776 train-logloss:0.36554 valid-logloss:0.36658 [270] [280] train-logloss:0.36432 valid-logloss:0.36543 [290] train-logloss:0.36324 valid-logloss:0.36440 [300] train-logloss:0.36212 valid-logloss:0.36333 train-logloss:0.36106 [310] valid-logloss:0.36233 [320] train-logloss:0.36012 valid-logloss:0.36147 valid-logloss:0.36057 [330] train-logloss:0.35914 train-logloss:0.35824 valid-logloss:0.35972 [340] train-logloss:0.35738 valid-logloss:0.35894 [350] train-logloss:0.35652 valid-logloss:0.35816 [360] train-logloss:0.35572 valid-logloss:0.35740 [370] [380] train-logloss:0.35496 valid-logloss:0.35673 [390] train-logloss:0.35422 valid-logloss:0.35608 valid-logloss:0.35552 [399] train-logloss:0.35360

Precision matrix

Predicted Class

Saving Model

0.201

0.799

ż

0.835

0.165

- 0.8

- 0.7

- 0.6

- 0.5

- 0.4

- 0.3

- 0.2

pickle.dump(bst, open(filename, 'wb')) #write binary mode

Recall matrix

Predicted Class

0.102

0.696

ż

0.898

0.304

Ц.

2

Original Class

- 0.8

- 0.7

- 0.6

- 0.5

- 0.4

- 0.3

- 0.2

loaded model = pickle.load(open(filename, 'rb')) #read binary mode print(loaded model)

45000

- 40000

- 35000

- 30000

- 25000

- 20000

- 15000

- 10000

П.

2

Original Class

<xgboost.core.Booster object at 0x149c2fdd0>

In []: