## Mahyar Vahabi

## Analysis:

• The Euler formula is a sum of the series of  $1/n^2$  as 'n' is incremented by one at each iteration; as 'n' reaches infinity, the sum becomes extremely smaller.

$$\sum_{n=1}^{\infty} \frac{1}{n^2} = \frac{1}{1^2} + \frac{1}{2^2} + \frac{1}{3^2} + \dots = \frac{\pi^2}{6}$$

- The output of our program has a subtle difference between the computed approximation of Π than the <math.h> value for it.
- It returns the difference between the computed value vs the actual value which is a bit higher than other functions.

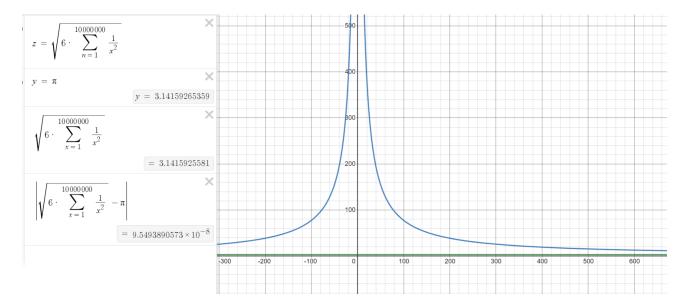
```
mvahabi@igloo:~/cse13s/asgn2$ ./mathlib-test -r -s
pi_euler() = 3.141592558096831, M_PI = 3.141592653589793, diff = 0.000000095492962
  terms = 10000000
mvahabi@igloo:~/cse13s/asgn2$
```

## Reasoning:

• In our program, we have an end condition that stops calculating the sum of each new terms after the new term is as small as  $1 * 10^{-14}$ .

- That works because the first 10,000,000 terms in this series is greater than the  $1 * 10^{-14}$ .
- Therefore, the program returns a number that is very close to  $\Pi$ , but because the series does not actually reach infinity and ends at 10,000,000 terms, it is slightly off than of the built in math library value for  $\Pi$ .

## Data:



- The blue line is a graph for the Euler's solution for pi and the green line is the value of  $\Pi$ .
- You can observe the difference in the values of the middle two sections of the table on the left, and also the computed difference on the bottom of that table.