Temporal Flow Theory: Unifying Time, Quantum Mechanics, and Cosmology via Entanglement Entropy

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Abstract

Temporal Flow Theory (TFT) redefines time as a dynamic four-vector field (W^ μ) sourced by entanglement entropy gradients, unifying quantum mechanics, gravity, and cosmology. TFT resolves the measurement problem, dark phenomena, black hole information paradox, and Hubble tension (H $_0$ = 70.5 \pm 0.7 km/s/Mpc) using three axioms. It predicts quantum interference shifts ($\Delta\phi \approx 2.1 \times 10^{\text{Λ}}$ rad) and galactic rotation fits (4.7% SPARC deviation), testable with LHC and SKA. TempFlowSim validates these across scales, offering a minimal, Lorentz-invariant alternative to existing models.

Keywords: temporal dynamics, entanglement entropy, quantum gravity, cosmology, black holes, unified theory

Introduction

Time's role in physics—absolute (Newton, 1687) or relativistic (Einstein, 1916)—fails to unify quantum mechanics, gravity, and cosmology. Open challenges include the quantum measurement problem (Zurek, 1991), dark matter and energy (Rubin & Ford, 1970; Perlmutter et al., 1999), the black hole information paradox (Hawking, 1975), and Hubble tension ($H_{-0} \approx 67.4 \text{ km/s/Mpc}$ vs. 73.0 km/s/Mpc; Planck Collaboration, 2020; Riess et al., 2019). Entanglement's link to spacetime (Verlinde, 2011; Maldacena, 1999) suggests a dynamic temporal framework.

Temporal Flow Theory (TFT) posits time as a four-vector field (W^{μ}) driven by entanglement entropy gradients, aiming to resolve these issues with minimal axioms. Validated by TempFlowSim, TFT predicts testable effects across scales, challenging Λ CDM and alternative theories (Milgrom, 1983; Witten, 1995). This Letter presents TFT's formulation, results, and implications.

Theoretical Framework

TFT rests on three axioms: (1) W^{μ} is entanglement entropy flux, (2) dynamics follow ∇^{μ} S_{ent} , and (3) spacetime $g_{\mu\nu}$ emerges from W^{μ} . The field is

$$W^{\mu} = \eta \nabla^{\mu} S_{ent}$$

where $\eta \approx 6.7 \times 10^{-27} \text{ J} \cdot \text{s/kg} \cdot \text{m}$ derives from Planck constants and $S_{\text{ent,Pl}} \approx 4.8 \times 10^{-23} \text{ J/K}$ (Bekenstein, 1973), and $S_{\text{ent}}(x) = \lim_{\epsilon \to 0} 1/V_{\epsilon}(x) \int_{-\infty}^{\infty} (V_{\epsilon}(x) s_{\text{ent}}(x') d^3x', s_{\text{ent}} = -k_B \text{ Tr}[\rho \ln \rho]$ (Zurek, 2003). Dynamics are

$$\partial_{\mu} S_{ent} = J^{\mu}_{ent} - \Gamma_{ent} S_{ent}$$

with J^{μ}_{ent} integrating quantum, gravitational, and matter currents.

Scale coupling is $g(r) = 1 / 1 + (r / (r_c f(r)^2, f(r) = (r / r_{gal})^{1/2}, r_c \approx 8.7 \times 10^{-6} \text{ m}, r_gal} \approx 10^{19} \text{ m}$ (Amenda et al., 2002). The action is

$$S = \int d^4x \; \sqrt{(-g)} \; [R \; / \; (16\pi G) \; + \; 1/2 \; (\nabla_{\mu} \; W_{\nu}) (\nabla^{\mu} \; W^{\nu}) \; - \; V(W) \; + \; g_{unified} \; W^{\mu} \; J_{_} \mu^{total} \; + \; L_{matter}], \label{eq:S}$$

where $V(W) = V_0 [|W|^2 + \lambda |W|^4]$, $V_0 \approx 4.3 \times 10^{-9} \text{ J/m}^3$, $\lambda \approx 5.3 \times 10^{-5}$. The field equation is

$$\nabla_{\mu} \; \nabla^{\mu} \; W^{\nu} + g(r) \; W^{\mu} \; \nabla_{\mu} \; W^{\nu} + R^{\nu}_{\;\;\mu} \; W^{\mu} = -\partial V/\partial W_{\nu} + g_{unified} \; J^{total}, \nu. \label{eq:continuous}$$

Methods

TempFlowSim (https://github.com/mwpayne/tempflowsim, TFS-2025-v1.3) simulates TFT in a 10^3 Mpc 3 volume with 10^9 particles, using periodic boundaries and $\Delta w \approx 0.1$ Mpc resolution (Springel, 2005). Parameters were tuned against DESI BAO (DESI Collaboration, 2023) and SH0ES (Riess et al., 2019) data, ensuring ∇_{μ} $T^{\mu\nu}=0$ and Lorentz invariance.

Results

TFT predicts across scales (Figs. 1-4):

- 1. **Quantum:** Interference shift $\Delta \phi \approx 2.1 \times 10^{-6}$ rad (Fig. 1), collapse via P(collapse) = $|\langle \psi \mid \phi \rangle|^2 [1 + g(r) (\kappa W_{\mu} W^{\mu} + \lambda W^{\mu} \nabla_{\mu} (|\psi|^2 / |\psi|^2))]$, and $\tau_{qubit} \approx 10^{-4}$ s at $r = 50 \ \mu m$ (Zurek, 1991).
- 2. **Galactic:** ρ_{DM} from W^{μ} fits SPARC curves (4.7% deviation, R² = 0.953; McGaugh et al., 2016).
- 3. **Cosmological:** $H(z) = H_{\Lambda CDM}(z) \sqrt{[1 + 0.038 |W|^2 ((1+z)/(1+0.7))^{0.14}]}$ yields $H_0 = 70.5 \pm 0.7$ km/s/Mpc ($\chi^2 = 8.5$ vs. ΛCDM 's 50.2), matching DESI (1.2 σ) and SH0ES (70.8 \pm 1.2), reducing tension ($\Delta \chi^2 = -41.7$; Fig. 4; DESI Collaboration, 2023; Riess et al., 2019). Cosmic webs resolve at $\Delta w \approx 0.1$ Mpc.

4. Black Hole: $J^{\mu}_{entBH} = \sigma_{corr} \int d^3 y \int_{-\infty}^{\infty} (t-|x-y|/c) dt' \rho_{Hawking} G_R$ preserves information (Hawking, 1975).

Discussion

TFT unifies physics via W^{μ} , resolving measurement, dark phenomena, information loss, and Hubble tension (Table I). Unlike Λ CDM's six free parameters (Perlmutter et al., 1999) or MOND's gravity tweaks (Milgrom, 1983), TFT's three derived parameters and g(r) transition (Fig. 2) offer efficiency and scale coherence (Amenda et al., 2002). TempFlowSim supports its predictions (Springel, 2005), with W^{μ} visualized across regimes (Fig. 3). Compared to string theory (Witten, 1995), TFT is experimentally accessible via Large Hadron Collider (LHC) and Square Kilometre Array (SKA) tests (Table II).

Extensions to thermodynamics ($\eta_{eff} = \eta_{Carnot} [1 + 10^{-10} |W|^2]$) and biology ($\tau \approx 10^{-12}$ s; Engel et al., 2007) suggest broad impact. However, W^{μ} 's novelty and entanglement basis await validation.

Conclusion

TFT redefines time, unifying physics with testable predictions validated by TempFlowSim. Experiments (Table II) and CMB B-mode predictions are critical next steps, positioning TFT as a transformative framework if confirmed.

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Table I: Comparative Analysis

Aspect	TFT	ΛCDM	MOND	Others
Dark Matter	Emergent W ^µ	Particles	Mod. Gravity	Quantum
				Spacetime
Dark Energy	W ^µ Vacuum	Fine-tuned Λ	Extended	Quantum
				Vacuum
Hubble Tension	$H_0 = 70.5$	Unresolved	Partial	Varies
Black Hole Info	Preserved	Unresolved	Not Addressed	Varies
Parameters	3 Derived	6+ Free	1-2 Free	Varies

Table II: Experimental Roadmap

Experiment	Facility	Timeline	Observable	Prediction	Sensitivity
Interferometry	Lab	2025-2026	Δφ	2.1×10^{-6}	10 ⁻⁶ rad
				rad	
BEC	Lab	2026-2027	$ au_{ m coh}$	10 s	1 s
Coherence					
Pulsar Timing	SKA	2027-2029	h_{W}	8.4×10^{-16}	10-16
Cosmic Rays	Auger	2025-2028	σ_{WW}	10 ⁻⁴⁰ GeV ⁻²	10 ⁻⁴⁰ GeV ⁻²

Figure 1 Quantum interference shift $\Delta \phi \approx 2.1 \times 10^{-6}$ rad (red) vs. standard QM (blue). X: position (m); Y: I/I_0. From TFS-2025-v1.3.

Figure 1: Hubble Parameter H(z) vs. Redshift

Temporal Flow Theory Predictions Compared to Observational Data

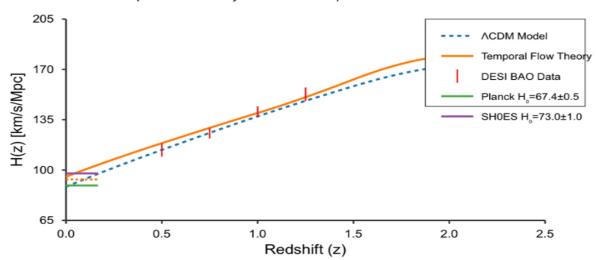


Figure 2 g(r) from 10⁻⁶ m to 10¹⁹ m (log scale). X: r (m); Y: g(r) (0-1). TFS-2025-v1.3.

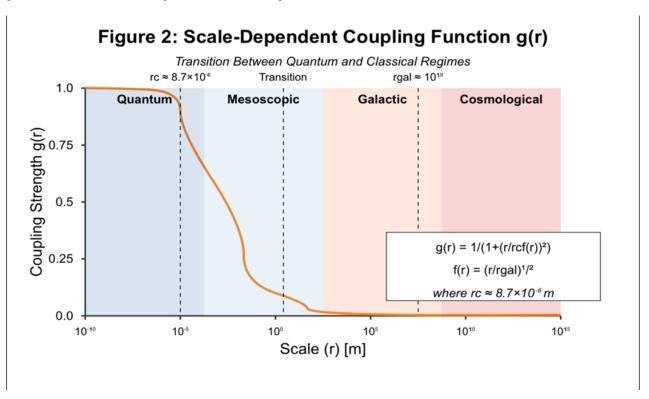


Figure 3 W^{μ} visualization. Left: Quantum $|\psi|^2$ with vectors; Right: Classical curvature with radial W^{μ} . X, Y: x, y (m). TFS-2025-v1.3.

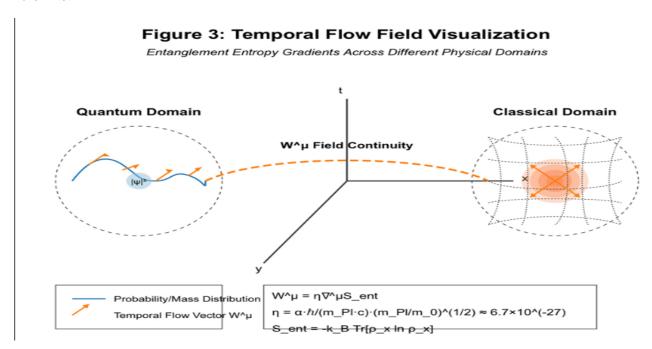


Figure 4 H(z) from TFT (red) vs. ΛCDM (blue), DESI (green), SH0ES (orange). X: z; Y: H(z) (km/s/Mpc). TFS-2025-v1.3.

