

# Managing Customer Dynamics

Dr. Ashutosh Singh



# Learning Objectives

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- **Understand why an effective marketing strategy must manage customer dynamics**
- **Critically explain the main approaches for managing customer dynamics**
  - Dynamic customer segmentation approach
  - Customer lifetime value approach
- **Use the analytical tools:**
  - Choice model
  - Customer lifetime value



# Customer Dynamics

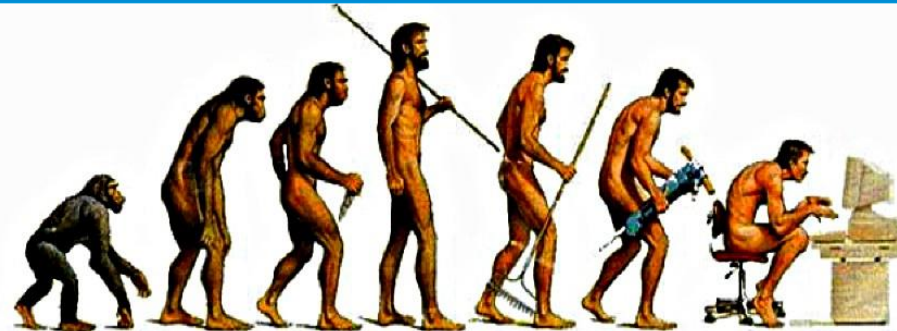
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- **Change in the customer's preferences over time**
- **Customer's desires/needs for most products and services change over time or due to specific events**
  - Individual consumer needs change (age, experience, and due to trigger events)
  - Customers are embedded in industries/markets, which change overtime (PCs 20 years ago and now)
- **Customer's needs vary not only due to inherent differences in people (heterogeneity) but also as people and markets change (dynamics)**
- **Thus, we need to adapt our “static” segmentation of all customers based on “generic” needs by focusing on our existing customers and accounting for their time dependent needs.**

# Customer Dynamics

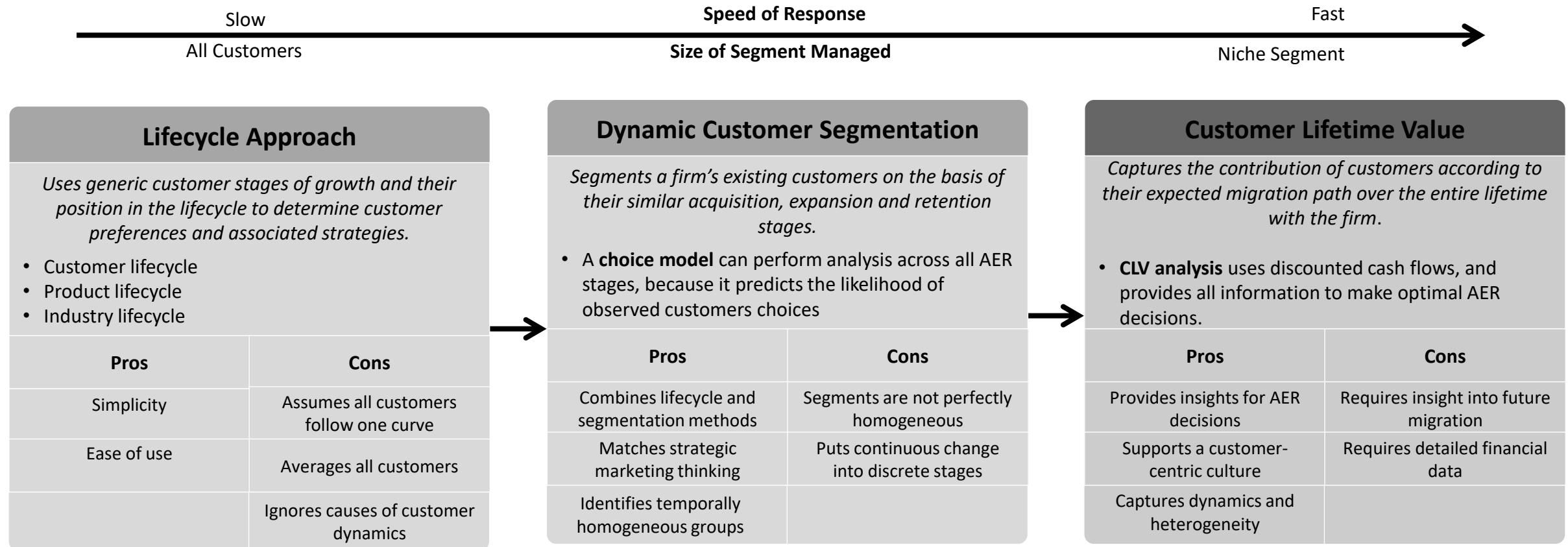
- Thus, customer dynamics is a fundamental “problem” that all firms must address when developing an effective marketing strategy
- Customers change; failure to understand and address these dynamics will lead to poor business performance

**Marketing principle #2: all customers change and an effective marketing strategy must manage customer dynamics**





# Approaches for Managing Customer Dynamics



# Managing Customer Dynamics I


## Choice Model

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# Example



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Brand	
Location	10 minutes ride to destination
Restaurant	Restaurant within walking distance
Gym	No gym
Wireless	Wireless Internet connection throughout the hotel
Rewards	Earn Standard Rewards Points
Room Rate	\$200
Choice	Yes or No

# Example



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## Nielsen Home Scan

By scanning the items you purchase (from cereal at the store to a candy bar in a snack machine) retailers see where you shop, what you buy, ...



Customer ID	Date	Store ID	Brand	Quantity	Regular Price	Discount	Display	Feature
1001	3/1/2016	2345	Tide	50oz	\$3.55	\$0.43	No	No
1001	3/29/2016	5678	Tide	64oz	\$3.99	\$0.54	Yes	Yes
1001	4/25/2016	2345	Tide	50oz	\$3.55	\$0.45	No	No
1001	5/28/2016	5678	All	50oz	\$2.99	\$0.50	Yes	No
1001	6/27/2016	2345	Tide	50oz	\$3.60	\$0.45	No	No
1001	7/22/2016	5678	Tide	50oz	\$3.60	\$0.20	No	No
1001	8/29/2016	2345	All	64oz	\$3.15	\$0.60	Yes	Yes
1001	9/24/2016	5678	Tide	50oz	\$3.65	\$0.42	No	No
1001	10/28/2016	2345	All	50oz	\$4.99	\$1.00	Yes	Yes
1001	11/25/2016	5678	Tide	50oz	\$3.99	\$0.50	No	No





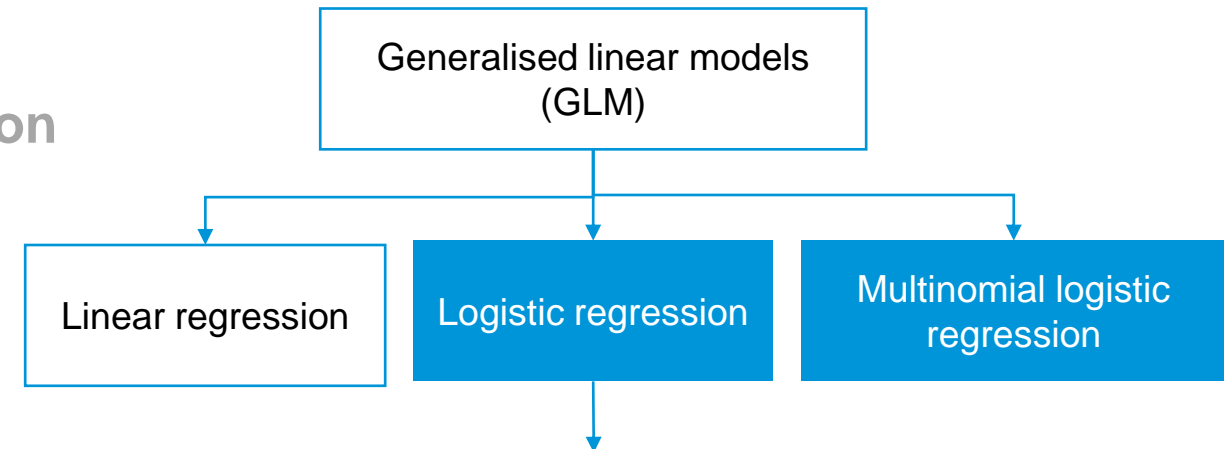
# Choice Model

- **A choice model attempts to determine the impact of different factors (price, promotion) on consumer's individual choices (joining, cross buying, leaving). It is the most popular individual-level response model.**
- **Input:**
  - Use database of past marketing actions and demographics linked to actual customer responses (choices) in a stage.
  - Uses past behavioral data; no need to survey or get customer input (infers weights from past customer's behaviors)
- **Output**
  - Coefficient estimates for every input variable on outcome (e.g., how does age, kids, credit, and direct mail impact choice)
  - Probabilities of customer's choice (probability of upselling, retaining, and can run on lists for acquisition targeting)

# Choice Model

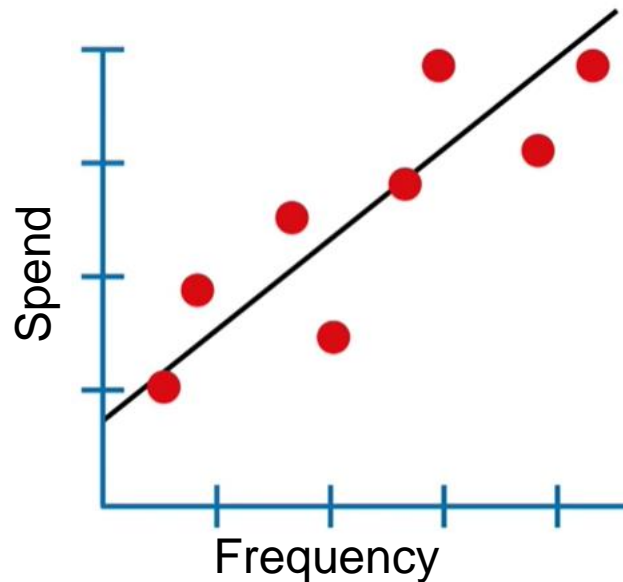
- **Binary choice: logistic regression**
- **Multiple choice: multinomial logistic regression**

- Response to marketing efforts
  - Did the customer buy after being sent a coupon or an email ad?
- Online/Catalogue purchase (Buy/No-Buy)
  - Recency, Frequency, Monetary value (RFM) measures as predictors of purchase.



- There is a set of variables (x's) that we can use to explain and predict the binary outcome variable
- The outcome variable is binary
  - coded:  $Y = 1$  (if "Yes") and  $Y = 0$  (if "No")

# A Quick Look at Linear Regression



$$\text{Spend} = \beta_1 \text{Frequency} + \beta_0$$

The line slope: the effect of frequency on money spend.

The intercept: the money spend when frequency is 0.

Linear regression uses the data to estimate  $\beta_1$  and  $\beta_0$

$$\text{Spend} = 0.5 \text{Frequency} + 0.6$$

Then using this regression model, we can predict the money spend given a frequency.

# Logistic Regression

If one customer has an 80% probability of purchase, then what are the customer's odds of purchase?



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$$\text{odds} = \frac{\text{Probability of purchase}}{\text{Probability of no-purchase}} = \frac{p}{1-p}$$

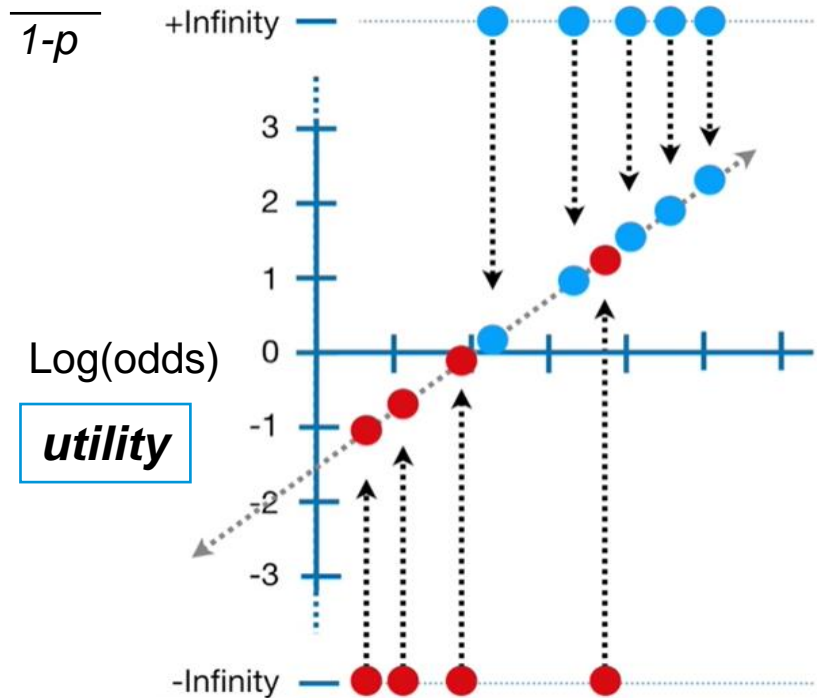
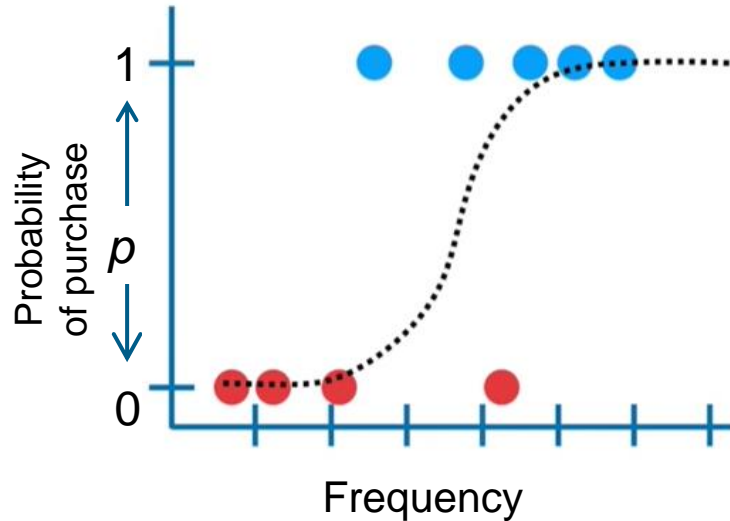
$$\log\left(\frac{p}{1-p}\right) = \log(\text{odds})$$

$$p = \frac{e^{\log(\text{odds})}}{1 + e^{\log(\text{odds})}}$$

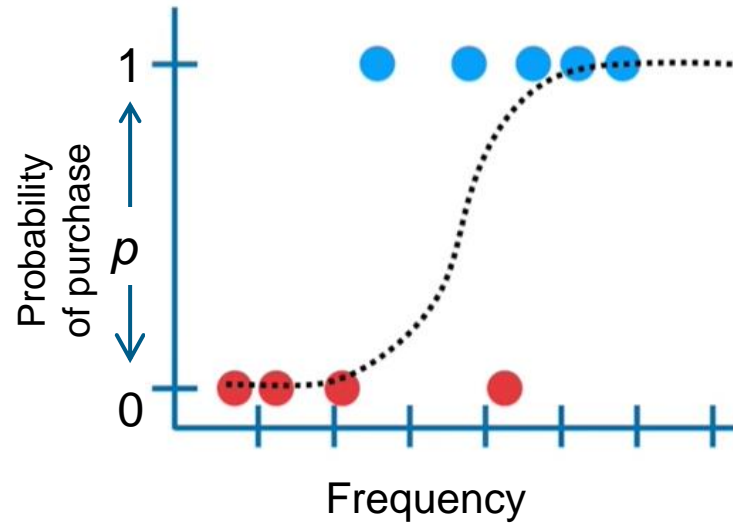
$$p = \beta_1 \text{ frequency} + \beta_0$$

$$\text{Log(odds)} = \beta_1 \text{ frequency} + \beta_0$$

The slope is the effect of frequency on log(odds), i.e. utility



# Logistic Regression



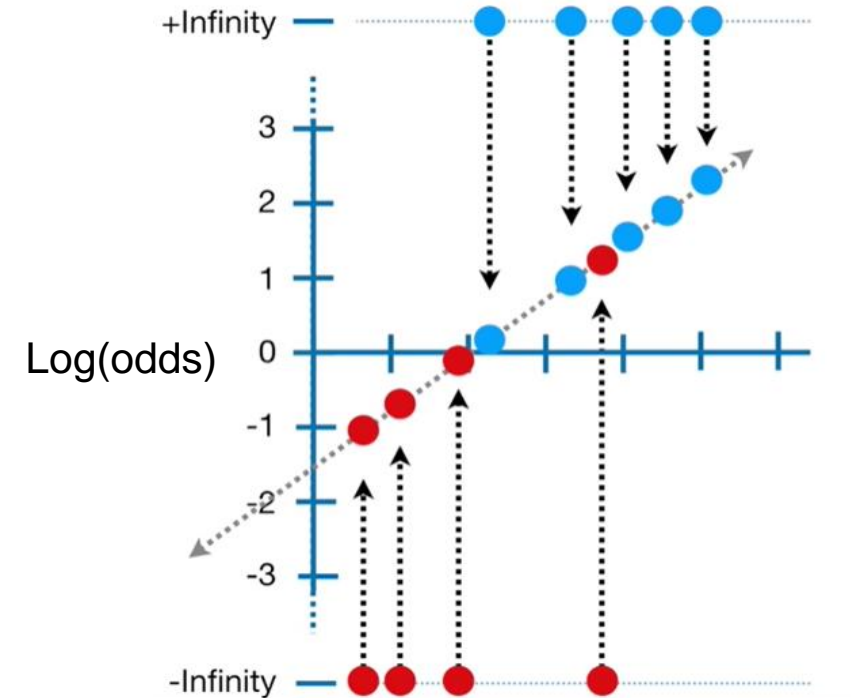
$$p = \beta_1 \text{ frequency} + \beta_0$$

**Logit: qlogis()**

$$\log\left(\frac{p}{1-p}\right) = \log(\text{odds})$$

$$p = \frac{e^{\log(\text{odds})}}{1 + e^{\log(\text{odds})}}$$

**Logistic: plogis()**



$$\text{Log}(\text{odds}) = \beta_1 \text{ frequency} + \beta_0$$

# Odds and Choice Probability

- Utility:

$$V_b = \log\left(\frac{p}{1-p}\right)$$

**Logit: qlogis()**

- Odds

$$\text{odds} = \exp(V_b) = \frac{p}{1-p}$$

- Probability

$$p = \frac{\exp(V_b)}{\exp(V_b) + 1}$$

**Logistic: plogis()**

- Given the utility from buying  $V_b = 2$ , what are the following values (note:  $e = 2.718$ ):

- Utility from not buying:  $V_n = 0$
- Odds of buying:  $\exp(2) = e^2 = 7.39$
- Odds of not buying:  $\exp(0) = 1$
- Probability of buying:

$$p = \frac{\exp(2)}{\exp(2)+1} = \frac{7.39}{7.39+1} = 0.88$$



# Utility

- **The model states that a consumer has a utility from buying and a utility from not buying (keep the money)**
  - Utility from buying:  $V_b$
  - Utility from not buying:  $V_n=0$
  - Consumer buys if  $V_b > V_n=0$
- **For RFM data, the utility of buying varies across customers as a Function of RFM variables**
  - $V_b = \beta_0 + \beta_1 \text{Recency} + \beta_2 \text{Frequency} + \beta_3 \text{Monetary}$
- **Logistic regression uses the data to estimate the model parameters (the betas)**



# Example: Catalogue Data

- **Dependent Variable**
  - Purchase (Yes/No)
- **Explanatory Variables**
  - Recency – how many days since last purchase
  - Frequency – how many times the consumer buys
  - Monetary Value – Total \$ amount spent

	Recency	Frequency	Monetary	Purchase
1	120	7	41.66	0
2	90	9	46.71	0
3	120	6	103.99	1
4	270	17	37.13	1
5	60	5	88.92	0





# Logistic Regression Output

## Likelihood ratio test

	Resid. Df	Resid. Dev	Df	Deviance	Pr(>Chi)
	99	137.62776	NA	NA	NA
	96	30.48715	3	107.1406	0

P-value

Significance-level

## Logistic regression estimates

	beta	SE	z val.	Pr(> z )	exp(beta)
(Intercept)	-30.2976692	8.5522913	-3.542638	0.0003961	0.000000
Recency	0.1114175	0.0309797	3.596464	0.0003226	1.117862
Frequency	0.5941268	0.2429393	2.445577	0.0144620	1.811448
Monetary	0.1677054	0.0465645	3.601572	0.0003163	1.182588

Regression coefficients measure  
impact of x (e.g., Frequency) on utility.

Should be less than 0.05

# Logistic Regression Output:

## Interpretation of Exp(beta)



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Logistic regression estimates

	beta	SE	z val.	Pr(> z )	odds exp(beta)
(Intercept)	-30.2976692	8.5522913	-3.542638	0.0003961	0.000000
Recency	0.1114175	0.0309797	3.596464	0.0003226	1.117862
Frequency	0.5941268	0.2429393	2.445577	0.0144620	1.811448
Monetary	0.1677054	0.0465645	3.601572	0.0003163	1.182588

- More generally, the odds of buying are 1.183 higher for each increase of Monetary Value by \$1.
- Consider two consumers (1 & 2) with identical values on Recency and Frequency, but consumer 1 has \$1 more on Monetary than consumer 2.
  - Then the odds of buying for consumer 1 are 1.183 higher than the odds of buying for consumer 2.



# Predicting Purchase Probabilities

- **Estimated utility function in RFM data:**

$$V = -30.29 + .111\text{Recency} + .594\text{Frequency} + .168\text{Monetary}$$

- **Predicting purchase probability:**  $p = \frac{\exp(V)}{\exp(V) + 1}$

	Recency	Frequency	Monetary	Purchase	Probability
1	120	7	41.66	0	0.0030728
2	90	9	46.71	0	0.0008332
3	120	6	103.99	1	0.9833225
4	270	17	37.13	1	0.9999999
5	60	5	88.92	0	0.0032378



# Lift Calculation

- **Impact of Increasing Monetary Value by \$1 on Purchase Probability**

- **Compute new utility of purchase**

$$V_{\text{new}} = -30.29 + .111\text{Recency} + .594\text{Frequency} + .168(\text{Monetary}+1)$$

- **Compute new probability of purchase**  $p_{\text{new}} = \frac{\exp(V_{\text{new}})}{\exp(V_{\text{new}}) + 1}$

- **Lift**  $\text{Lift} = \frac{p_{\text{new}} - p_{\text{base}}}{p_{\text{base}}}$



# Lift Calculation

	Recency	Frequency	Monetary	Purchase	Base.Probability	New.Probability
1	120	7	41.66	0	0.0030728	0.0036319
2	90	9	46.71	0	0.0008332	0.0009852
3	120	6	103.99	1	0.9833225	0.9858611
4	270	17	37.13	1	0.9999999	0.9999999
5	60	5	88.92	0	0.0032378	0.0038267

Avg. base probability=0.45    Avg. new probability=0.45789

- $\text{Lift} = (0.45789 - 0.45) / 0.45 = 1.75\%$



# Classification

- All people with probability less  $\frac{1}{2}$  → No purchase
- All people with probability above  $\frac{1}{2}$  → Purchase

	Recency	Frequency	Monetary	Purchase	Base.Probability	Predicted.Purchase
1	120	7	41.66	0	0.0030728	0
2	90	9	46.71	0	0.0008332	0
3	120	6	103.99	1	0.9833225	1
4	270	17	37.13	1	0.9999999	1
5	60	5	88.92	0	0.0032378	0



# Classification (Hit Rate)

## Confusion Matrix and Statistics

Reference		
Prediction	0	1
0	51	2
1	4	43

Accuracy : 0.94  
95% CI : (0.874, 0.9777)  
No Information Rate : 0.55  
P-Value [Acc > NIR] : <2e-16

Kappa : 0.8793  
McNemar's Test P-Value : 0.6831

Sensitivity : 0.9556  
Specificity : 0.9273  
Pos Pred Value : 0.9149  
Neg Pred Value : 0.9623  
Prevalence : 0.4500  
Detection Rate : 0.4300  
Detection Prevalence : 0.4700  
Balanced Accuracy : 0.9414

'Positive' Class : 1

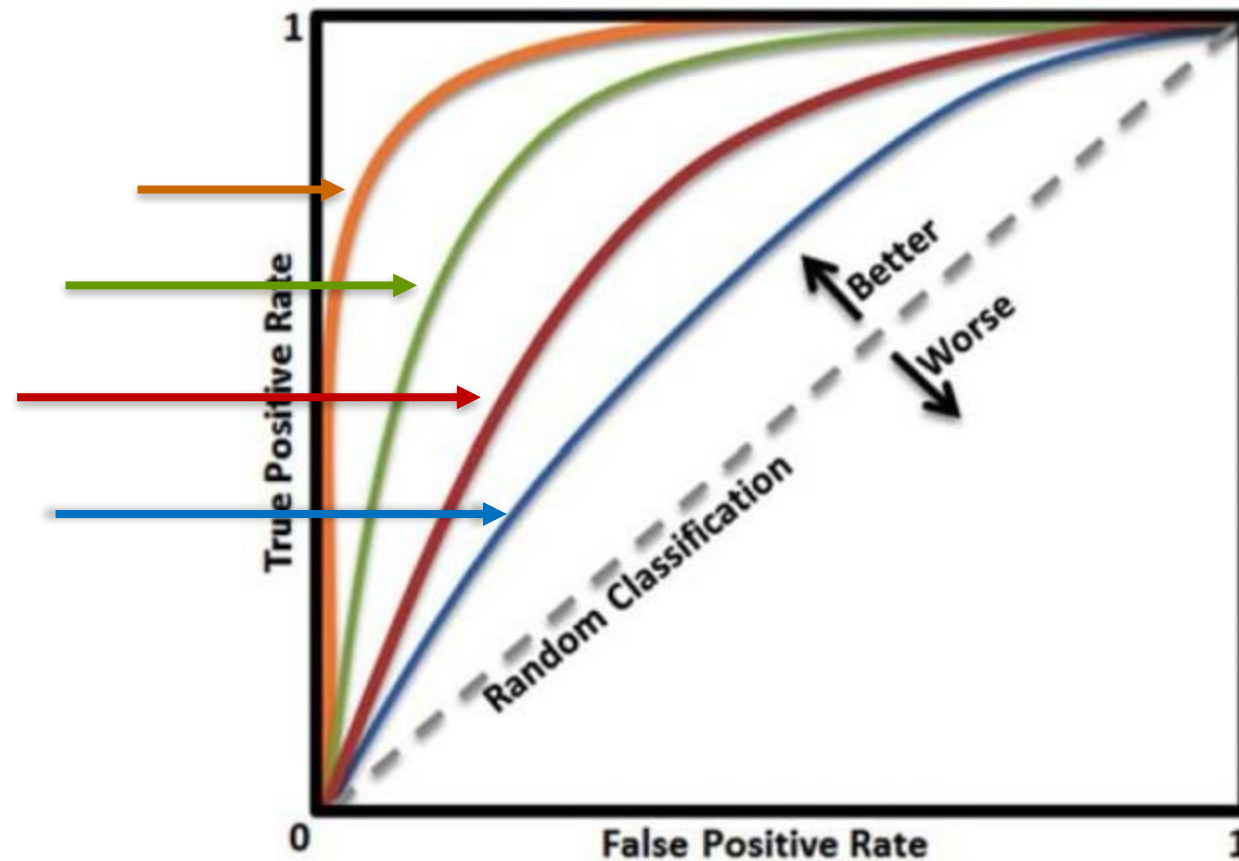
Accuracy: Hit Rate= $(51+43)/100=94\%$

Sensitivity: True positive rate= $43/(43+2)=96\%$

Specificity: True negative rate= $51/(51+4)=93\%$   
False positive rate =  $1-93\%=7\%$

# ROC (Receiver Operating Characteristic) Curve

- ROC Values
  - $>0.9$ : excellent
  - $0.8 - 0.9$ : Good
  - $0.7 - 0.8$ : Fair
  - $0.6 - 0.7$ : Poor







# Dynamic Segmentation

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- **Rank customers from highest to lowest on a probability scale. Target those clients who:**
  - Are at the top X% (“Customer Management/Allocation of Resources”)
  - Who have probability above some cutoff (“Good Prospects”)
  - Who have slipped below some cutoff (About to “die” customers, Marketing Dashboard)



# Takeaway

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- **A choice model is a mathematical model that predicts how the likelihood of an observed customer choice, is influenced by a firm's marketing.**
- **Choice modelling is quite pervasive in marketing research**
  - Used to understand all kind of consumer decisions
- **Two popular methods for choice analysis**
  - Logistic regression for binary choice
  - Multinomial logistic model for more than two alternatives in the choice set

- **RFM Analysis**