

# Verification

Implementation meets specification

Mo Zou

# Software is error-prone

- What is the best comment in source code you have ever encountered?
  - Top answers from *stackoverflow*

```
//When I wrote this, only God and I understood what I was doing  
//Now, God only knows
```

```
// drunk, fix later
```

```
// Magic. Do not touch.
```

# Bugs are difficult to detect and fix

- “Program testing can be used to show the presence of bugs, but never to show their absence!”---Edsger W. Dijkstra
- A Ph.D.’s friend cycle

两年内在开发CloudVisor-D时遇到过一个非常难以解决的bug，当时委托一位同学专门研究了这个问题，可是最后花了两三个月也没有太多进展。此bug困难处在于它的随机性，它会造成多VCPUs虚拟机的卡死，而且每次卡死的位置都不同。限于当时的调试手段，我们只能加打印研究现象。然而一旦加了打印，这个bug就意外地转移到了其他地方并表现出不同的行为。由于时间紧张，当时只能遗憾地选择战略绕开这个bug。

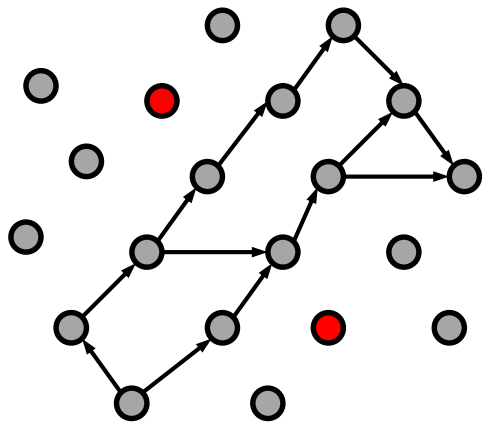
当时委托一位同学专门研究了这个问题，可是最后花了两三个月也没有太多进展。此bug的困难处在于它的随机性

万万没想到的是，两年后我又遇到了同样的bug。不同的是，这次我们有了比较高级的调试工具，能够在不加打印的情况下观察软件和硬件的状态。所以我再次鼓起勇气，花了四五十个小时，一步步跟踪分析，从底层firmware到中间的hypervisor，再追到虚拟机内核，上上下下跟了好几个来回，终于定位到了问题所在（VCPUs核间中断）。bug产生的位置距离最终虚拟机卡死的位置早已经过了不知道多少指令。

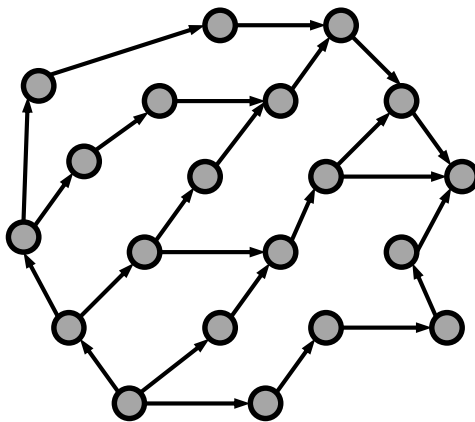
所以我再次鼓起勇气，花了四五十个小时，一步步跟踪分析[...]终于定位到了问题所在

# Do we have a way to ensure the correctness?

- Formal verification
  - the **only** known way to guarantee that a software is **free of programming errors**



Software testing



Formal verification

**Mathematical  
methods**

**Fully **verify** that  
**impl** meets **spec****

# A beginner's question/misunderstanding about verification

- 现有技术能够证明一个软件正确吗？
- 证明软件基于什么理论？
- 有实际软件是证明过的吗？
- 证明能保证软件完全正确。
- 证明需要很深的数学基础，我应该理解不了。
- 证明跟我没有关系，我以后也不会去做证明。

# Outline

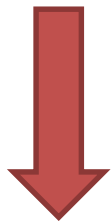
- What is verification
- A brief history of state-based verification
- Verification techniques
- Proof automation
- Verification at academia and industry



# WHAT IS VERIFICATION

# What to prove about a program

```
int x;  
inc()  
    x = x + 1;
```



Operating  
system kernel

- Safety property (functional correctness & invariant)---程序功能是否正确
- Liveness property---程序是否终止
- Security property---程序是否安全
- Resource usage property---资源使用情况
- Real-time property---时延情况
- Atomicity, crash-safety, etc.



# Specification describes what is desired

- Specification is not unfamiliar to us
  - Comments in the code
  - Natural language document
- Informal specification cannot be used in proofs

[open\(2\) — Linux manual page](#)

[NAME](#) | [SYNOPSIS](#) | [DESCRIPTION](#) | [RETURN VALUE](#) | [ERRORS](#) | [VERSIONS](#) |  
[CONFORMING TO](#) | [NOTES](#) | [BUGS](#) | [SEE ALSO](#) | [COLOPHON](#)

```
int x;  
// inc() increments the value of x by 1  
inc()  
    x = x + 1;
```

# Formal specification

- A category of specification that have rigorous meaning
- Specification language
  - Math
  - Any language that is mathematically defined
- E.g., type system

```
int x;  
// inc() increments the value of x by 1  
inc()  
    x = x + 1;
```

## Formal specification

```
Precondition:  $x = N$   
Postcondition:  $x = N + 1$ 
```

# Implementation

- Programs implemented in a programming language
  - E.g., C program
- However, C has undefined behavior

```
i = i++ + 1;
```

```
int f() { }
```

- Programming language should also be mathematically defined---i.e., defining the semantics
  - Develop a mathematical model of C subset
  - Exclude undefined behavior

# What does impl. meet spec. mean?

Implementation

Impl. meet spec.

Specification

假如前置条件满足，执行完程序，后置条件被满足

前置后置条件

Some C program

假如 $x=N$ ，执行完`inc()`， $x=N+1$

Pre:  $x = N$

Post:  $x = N + 1$

`inc()`

# What does impl. meet spec. mean?

## Correctness condition

Implementation

Impl. meet spec.

Specification

Some C program

假如前置条件满足，执行完程序，后置条件被满足

前置后置条件

程序执行前满足不变式，程序每执行一步都满足不变式

不变式

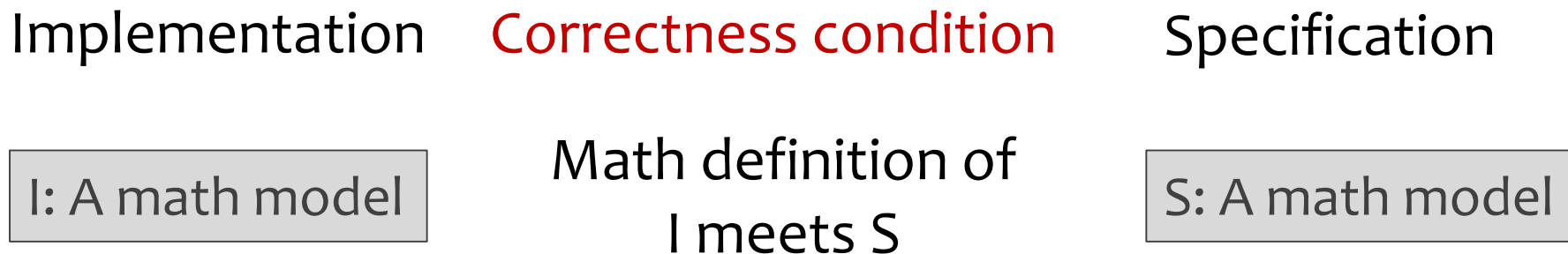
假如前置条件满足，程序能够执行完并且后置条件满足

前置后置条件+终止性

程序每执行一步，假如发生崩溃，状态仍然一致

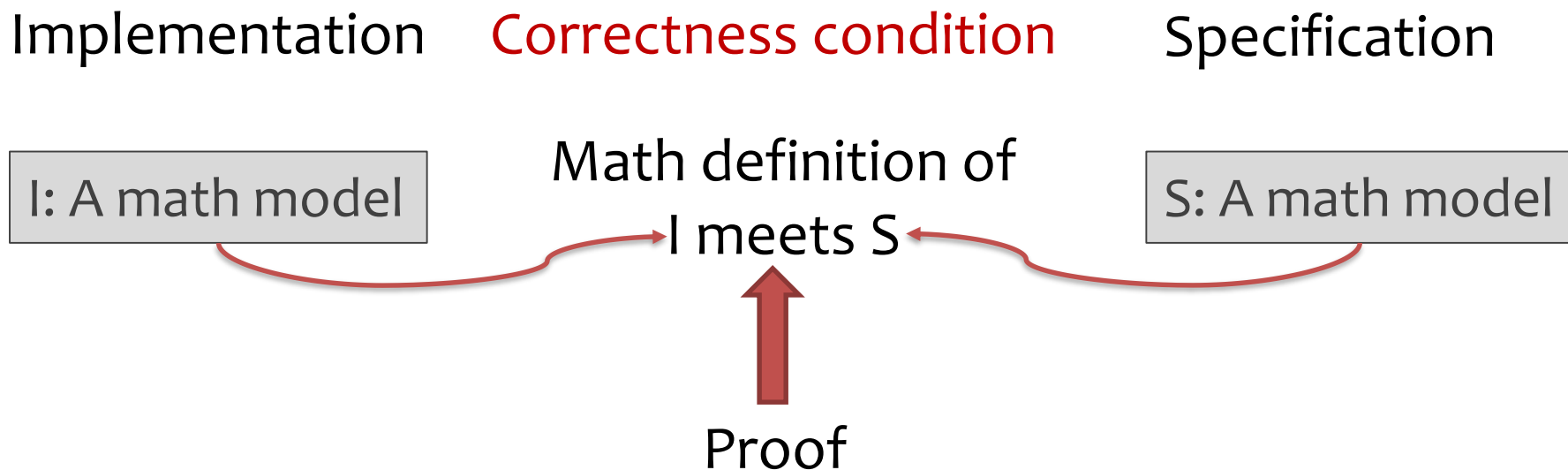
崩溃一致性

# Correctness condition defines what impl. meets spec. means



- Different correctness condition for different specification
- Two most used specification & correctness condition for functional correctness---details later

# Proof establishes correctness condition



- Proof needs to be machine-checked
- Automatic proof technique

# Summary: four parts to verification

- Specification: a precise description of the desired behavior of a system
- Implementation: an implementation of a system
- **Correctness condition**: what “impl meets spec” means
- Proof: mathematical proof showing implementation meets specification





# A BRIEF HISTORY OF STATE-BASED VERIFICATION

# Specifying sequential correctness

Correctness for  
sequential  
programs

1967

- First proposed by Robert W. Floyd in 1967
  - Receive Turing Award in 1978



# Specifying sequential correctness

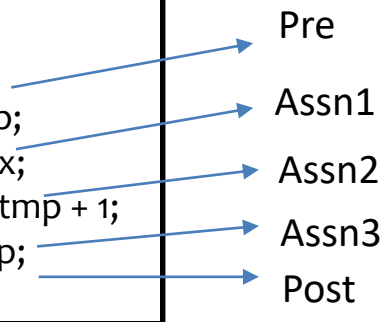
Correctness for  
sequential  
programs

1967



- Annotate each control point with an assertion

```
int x;  
inc() {  
    int tmp;  
    tmp = x;  
    tmp = tmp + 1;  
    x = tmp;  
}
```



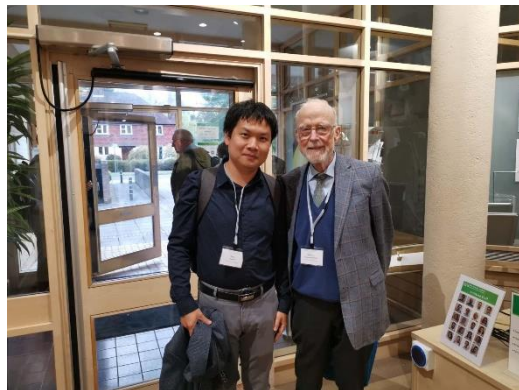
Proof decomposed into  
verification of each statement  
E.g.,  $\text{Assn}_i \text{ Command}_i \text{ Assn}_{i+1}$

# A logical framework for proving sequential program

Correctness for  
sequential  
programs



- Tony Hoare recast Floyd's method into a logical framework, known as Hoare Logic (or Floyd-Hoare Logic)
  - Receive Turing Award in 1980
- Formula in Hoare Logic:  $P \{S\} Q$
- Inference rules for proving



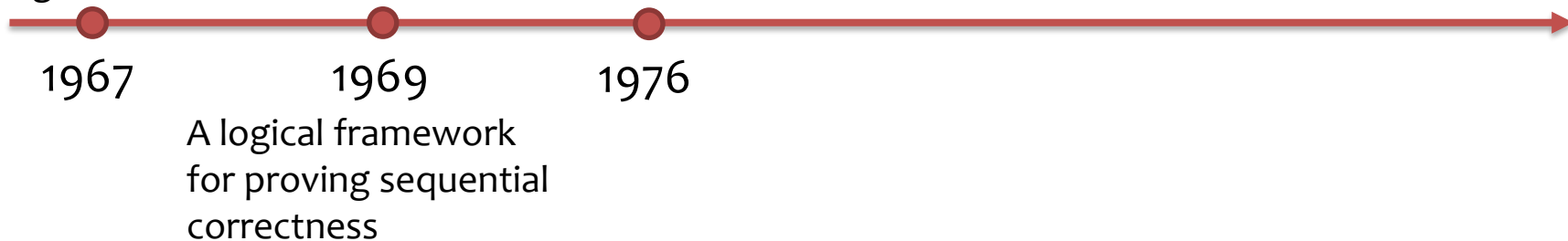
# Floyd and Hoare changed the way to think of programs

- Not as an event generator, but as a state transformer
- State are close to everyday mathematics
  - Described in terms of numbers, sequences, sets, functions and so on
    - E.g., C struct --> sequence
    - E.g., C map --> function
- Reduce program reasoning into mathematical reasoning

# History of state-based verification

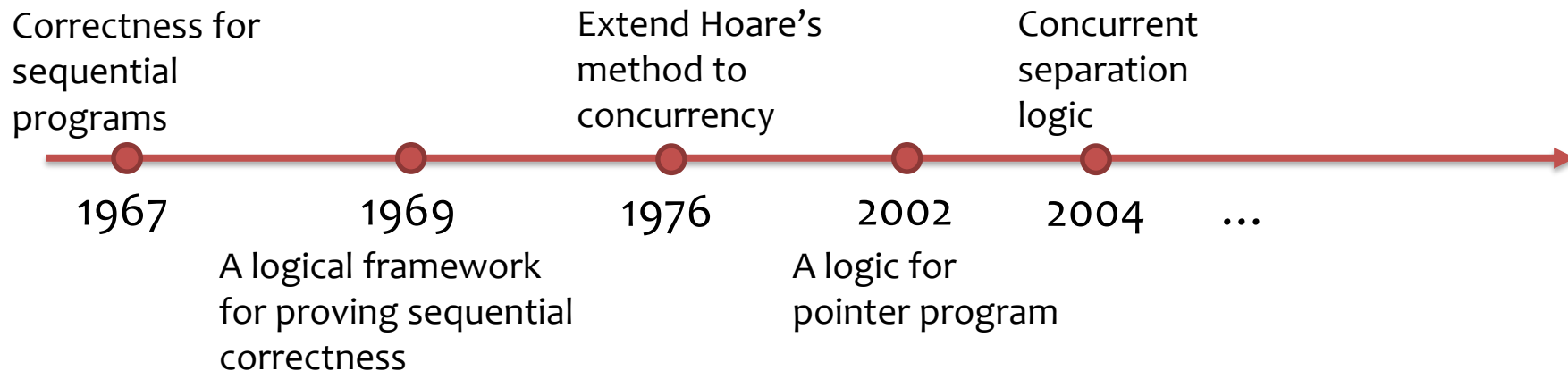
Correctness for  
sequential  
programs

Extend Hoare's  
method to  
concurrency



- A long period of time without much progress
- Because state model only has stores
  - Store: mapping of variable to values
  - Can't reason about pointer program, i.e., program with heap

# History of state-based verification



- Separation logic (2002): logic for pointer program
- Concurrent separation logic (2004)
- After that, theories get more and more complete for practical systems



# VERIFICATION TECHNIQUES



# How would you prove that this program is functional correct

```
int x;  
inc()  
    x = x + 1;
```

1. Give a math model of the implementation
2. Give a mathematically defined specification
3. Define correctness condition
4. Prove correctness condition

# Modelling programming language

- Syntactics (语法)
- State model (状态模型)
- Semantics (语义)

## Expressions:

$E ::= N \mid V \mid E_1 + E_2 \mid E_1 - E_2 \mid E_1 \times E_2 \mid \dots$

## Boolean expressions:

$B ::= T \mid F \mid E_1 = E_2 \mid E_1 \leq E_2 \mid \dots$

## Commands:

$C ::= V := E$   
|  $C_1 ; C_2$   
| IF  $B$  THEN  $C_1$  ELSE  $C_2$   
| WHILE  $B$  DO  $C$

Syntactics for a toy language

# Modelling programming language

- Syntactics (语法)
- State model (状态模型): state that the language operate
- Semantics (语义)

	A toy language	C language
State model	变量名到值的映射 (E.g., $X \rightarrow 1$ )	全局符号表, 局部符号表, 内存 (地址到值的映射)

# Modelling programming language

- Syntactics (语法)
- State model (状态模型)
- Semantics (语义): how program modifies the state

	A toy language	C language
Semantics of $V := E$ (E.g., $x = x + 1$ )	$\overset{V:=E}{st1 \longrightarrow st2}$ is defined as $st2 = st1[x \rightarrow \text{eval}(E, st1)]$ (E.g., $st1 = x \rightarrow N, st2 = x \rightarrow N+1$ )	<ol style="list-style-type: none"><li>1. 计算右值E</li><li>2. 取左边变量的地址addr</li><li>3. 将E赋给addr</li></ol>

# Using Hoare Triple as specification

- Formal reasoning about program correctness using pre- and postconditions
- Pre- and postconditions are assertions
  - E.g.,  $x = 1$ ,  $\exists n. x = n$
- Semantics of assertions
  - Assertion holds on state
  - $x = 1$  actually means  $\text{st } x = 1$

# Using Hoare Triple as correctness condition

- Syntax:  $\{P\} S \{Q\}$ 
  - P and Q are assertions
  - S is a program
- If we start in a state where P is satisfied and execute S, if S terminates in a state, then Q holds on this state
- Semantics of  $\{P\} S \{Q\}$ :
  - $\text{Correct}(P, S, Q) = \text{forall } st1 \ st2, P \ st1 \rightarrow st1 \xrightarrow{S} st2 \rightarrow Q \ st2.$

# How would you prove that this program is functional correct

```
int x;
```

```
inc()
```

```
    x = x + 1;
```

$$P(st) \triangleq st\ x = n$$

$$Q(st) \triangleq st\ x = n + 1$$

$$S \triangleq x = x + 1;$$

Goal:  $\text{Correct}(P, S, Q) = \text{forall } st1\ st2, P\ st1 \rightarrow st1 \xrightarrow{S} st2 \rightarrow Q\ st2$

Given  $\frac{P\ st1 \quad st1 \xrightarrow{S} st2}{\text{Prove } Q\ st2}$

思路:

1. 根据  $P\ st1$  以及  $st1 \xrightarrow{S} st2$  得到  $st2$
2. 将  $st2$  带入  $Q\ st2$  进行证明

# How would you prove that this program is functional correct

Given  $\frac{P \text{ st1} \quad \text{st1} \xrightarrow{S} \text{st2}}{\text{Prove } Q \text{ st2}}$



Given  $\frac{\text{st1 } x = n \quad \text{st2} = \text{st1}[x \rightarrow n+1]}{\text{Prove } \text{st2 } x = n+1}$



Prove  $\text{st1}[x \rightarrow n+1] \text{ } x = n+1$

思路:

1. 根据  $P \text{ st1}$  以及  $\text{st1} \xrightarrow{S} \text{st2}$  得到  $\text{st2}$
2. 将  $\text{st2}$  带入  $Q \text{ st2}$  进行证明

	A toy language
Semantics of $V := E$ (E.g., $x = x + 1$ )	$\text{st1} \xrightarrow{V:=E} \text{st2}$ is defined as $\text{st2} = \text{st1}[x \rightarrow \text{eval}(E, \text{st1})]$ (E.g., $\text{st1} = x \rightarrow N, \text{st2} = x \rightarrow N+1$ )



# Hoare Logic: a logical framework for proving sequential program

- A set of inference rules for proving
- Syntactical proving instead of semantics proving

$$\frac{}{\{Q[E/x]\} \ x = E \ \{Q\}} \text{ (ASSN)} \qquad \frac{\{P\} \ C_1 \ \{R\} \quad \{R\} \ C_2 \ \{Q\}}{\{P\} \ C_1; \ C_2 \ \{Q\}} \text{ (SEQ)}$$

$$\frac{P \Rightarrow P_1 \quad \{P_1\} \ C \ \{Q_1\} \quad Q_1 \Rightarrow Q}{\{P\} \ C \ \{Q\}} \text{ (CONSEQ)}$$

# Enrich program state with heap

- Heap: address points to value ( $\text{addr} \mapsto \text{value}$ )
- Read from heap  $V := [X]$ 
  - $[X]$  is heap value from address  $X$
- Write to heap  $[X] := E$

```
int *x, y;  
inc2()  
    [x] = [x] + 1;  
    [y] = [y] + 1;
```

# Challenges with heap

- $\{x \mapsto m \wedge y \mapsto n\} [x] = 1 \{x \mapsto 1 \wedge y \mapsto n\}$  ❌
  - What if  $x$  and  $y$  refer to the same place
- $\{x \mapsto m \wedge y \mapsto n \wedge x \neq y\} [x] = 1 \{x \mapsto 1 \wedge y \mapsto n \wedge x \neq y\}$  ✅
  - Can we only mention program-related memory?
- Need to support pointer alias and local reasoning

# Separation Logic

- Simplify the problem of specifying pre and post conditions by introducing new logical connectives
  - $*$ : separating conjunction
  - $*$  has  $x \neq y$  built into it
  - now we can write  $\{x \mapsto m * y \mapsto n\}[x] = 1\{x \mapsto 1 * y \mapsto n\}$

# Separation conjunction allows local reasoning

- Frame rule

$$\frac{\{P\}C\{Q\}}{\{P * R\}C\{Q * R\}} \text{ where } C \text{ doesn't modify free variables of } R$$

- Now to prove  $\{x \mapsto m * y \mapsto n\}[x] = 1\{x \mapsto 1 * y \mapsto n\}$
- We only need to prove  $\{x \mapsto m\}[x] = 1\{x \mapsto 1\}$  and apply frame rule

# Summary so far

- Hoare logic
  - Spec:  $\{\text{Pre}\} \{\text{Post}\}$
  - Impl:  $S$
  - Correctness condition:  $\text{Correct}(\text{Pre}, S, \text{Post})$
  - Proof: show  $\text{Correct}(\text{Pre}, S, \text{Post})$  establishes
- Separation logic: extend Hoare logic with separation conjunction to reason about heaps

# Limitation of Hoare Triple

- Not expressive enough
  - Concurrent interference makes assertion un-stable

```
int x;  
inc-lf() {  
    int done=0, tmp;  
    while(!done){  
        tmp = x;  
        done = cas(&x, tmp, tmp+1);  
    }  
}
```

Wrong specification:

$\{x = N\} \text{ inc-lf() } \{x = N+1\}$

Weak specification:

$\{\exists N. x = N\} \text{ inc-lf() } \{\exists N. x = N+1\}$

# Limitation of Hoare Triple

- Not expressive enough
  - Concurrent interference makes assertion un-stable
  - Some server program never ends

Precondition: P

```
while(true){  
    ...  
}
```

Postcondition: False



# Limitation of Hoare Triple

- Not expressive enough
  - Concurrent interference makes assertion un-stable
  - Some server program never ends
- Hoare Triple describes programs intentionally
- 不识庐山真面目，只缘身在此山中

Can we describe programs extensionally?

# Observable behavior

- Character program from the **observable** behavior
  - Internal observer: program state
  - External observer: program output or abort ✓
- E.g., externally observable behavior of main is  $\{(0,1)\}$

```
int x=0;  
main()  
    print(x);  
    inc-lf();  
    print(x);
```

# Observable behavior (Cont)

- A trickier case: another thread running inc-lf()
  - Observable behavior is  $\{(0,1), (0,2), (1,2)\}$
  - If also count prefix:  $\{(0,1), (0,2), (1,2), (0), (1), \emptyset\}$

Given  $x = 0$

```
thread1:  
print(x);  
inc-lf();  
print(x);
```

```
thread2:  
inc-lf();
```

What if another program  
produce the same behavior?

# Another program with same observable behavior

Given  $x = 0$

replace `inc-lf()` with

```
thread1:  
print(x);  
inc-lf();  
print(x);
```

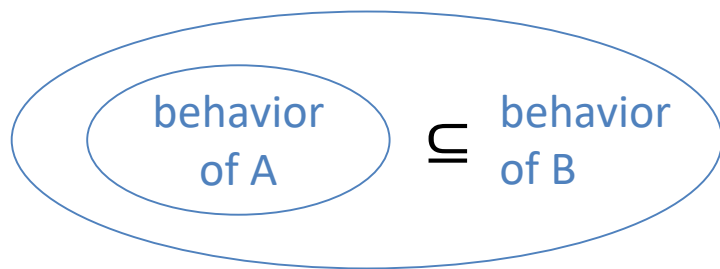
```
thread2:  
inc-lf();
```

```
inc-lock()  
  lock;  
  x=x+1;  
  unlock;
```

The new program can serve as the specification for the old program, and vice versa.

# Refinement relation

- If program A has **no more** behavior than program B, then A **refines** B (A是B的一个精化)



```
int x=0;  
main()  
  print(x);  
  inc-lf();  
  print(x);
```

and

```
int x=0;  
main()  
  print(x);  
  inc-lock();  
  print(x);
```

refines each other

# Refinement relation (Cont)

- If program A has **no more** behavior than program B, then A **refines** B (A是B的一个精化)
- Why **no more**---spec is more loose than impl
  - Spec: you can return x or y
  - Impl: I choose to return x

# Refinement relation examples (1)

```
int x=0;  
main()  
  print(x);  
  x = x+1;  
  print(x);
```

```
int x=0;  
main()  
  print(x);  
  x = x+1;  
  print(x);  
  print(x);
```

full trace

$\{(0,1)\}$

$\{(0,1,1)\}$

prefix trace

$\{(0,1), (0), \emptyset\}$

$\{(0,1), (0), \emptyset, (0,1,1)\}$

Depends on definition of behaviors

# Refinement relation examples (2)

```
int x=0;  
main()  
  print(x);  
  x = x+1;  
  print(x);
```

```
int y=0;  
main()  
  print(y);  
  y = y+1;  
  print(y);
```

Implementation doesn't matter. Program A  
and B can use even different language



# Refinement relation examples (3)

```
int x=0;  
main()  
  print(x);  
  x = x+1;  
  print(x);
```

case (1)

```
int y=1;  
main()  
  print(y);  
  y = y+1;  
  print(y);
```

```
int x=0;  
main()  
  print(x);  
  x = x+1;  
  print(x);
```

case (2)

```
int y=2;  
main()  
  print(y-2);  
  y = y-1;  
  print(y);
```

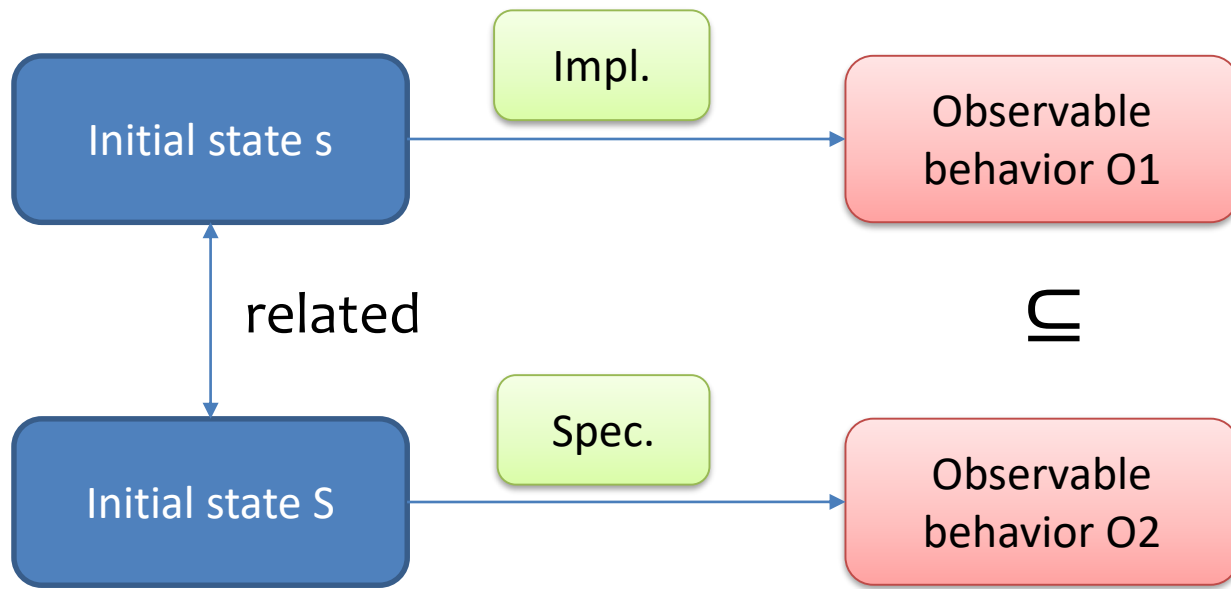
For two un-related program, the refinement is not useful

We usually request the initial state of two program map

E.g., in case (1), we require  $x = y$

# Refinement definition

Impl. refines spec. is defined as



# Context

Impl. and spec. are full program (E.g., impl1 and impl2)

We only care about the inc implementation

Impl1

```
main()
  print(x);
  inc-lf();
  print(x);
```

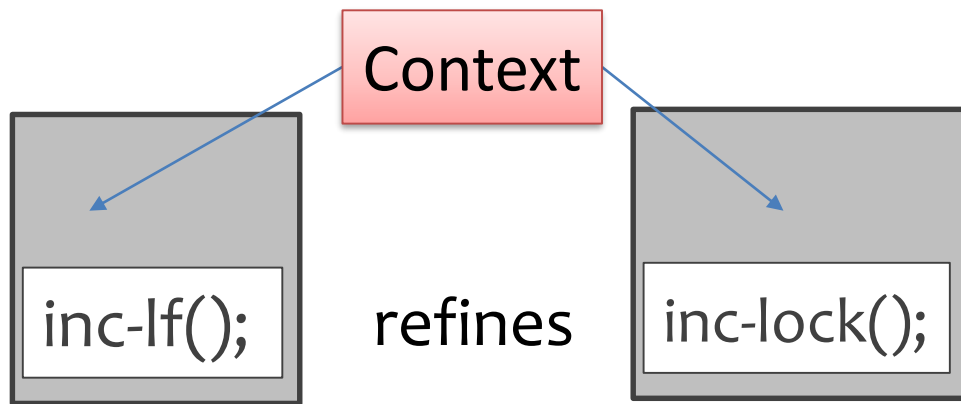
Impl2

```
thread1:
  print(x);
  inc-lf();
  print(x);
```

```
thread2:
  inc-lf();
```

Need a correctness condition that generalizes context

# Contextual refinement



For any context, invoking impl. refines invoking spec,  
then impl. is the contextual refinement of spec.

# What is unsaid?

- How to prove contextual refinement?
  - Consider all possible context?
  - Ans: **simulation**
- How to prove concurrent context?
  - Consider all possible interleavings?
  - Ans: **CSL and RG**
- How to prove other properties?
  - **Many open problems!**

# Summary so far

- Introduce some widely used verification techniques
  - Hoare Logic and Separation Logic
  - Refinement
- Foundation for verifying practical systems

How do these theories apply to practical systems?  
Are there new challenges?



# PROOF AUTOMATION

# Theorem proving is costly

- seL4: the first verified microkernel [SOSP'09]
  - A milestone in verification history
  - 8700 lines of C and 600 lines of assembler
- Total proof effort is 25 py (person year)
  - Redoing a similar proof requires 8 py

Do we have better ways to do proofs?



# Classification of proof methods

	Push-button verification	Auto-active verification	Interactive verification
中文	一键证明	半自动证明	交互式证明
自动化程度	高	中	低
证明能力	低	中	高
证明	SMT Solver	SMT Solver	手动
包含范围	符号执行、模型检验	最弱前置条件、Dafny	Coq、Isabelle/HOL
问题	无法处理无界循环	无法处理并发	成本高

# SMT solver

- Automatically decide whether some first-order logic formula is solvable
  - Output unsat or give an example
- Mostly used SMT solver: Z3

---

```
1 context cxt;  
2 expr a = cxt.int_const("a");  
3 expr b = cxt.int_const("b");  
4 solver s(cxt);  
5  
6 //判断是否存在整数 a 和 b 使得 a>=0 和 b<a 同时成立  
7 s.add(a >= 0);  
8 s.add(b < a);  
9  
10 //输出判断结果 sat  
11 cout << s.check();
```

---

# Use SMT solver in verification

- Encode correctness condition as  $C$
- Check if  $\sim C$  holds
  - “unsat” means  $C$  always holds
  - Otherwise give a counter-example when  $C$  doesn't hold

# Push-button verification---symbolic execution

- Symbolic execution: treat input as symbolic

```
int x;  
inc()  
    x = x + 1;
```

Given	$P \text{ st1}$	$\overset{S}{\text{st1}} \rightarrow \text{st2}$
Prove	$Q \text{ st2}$	

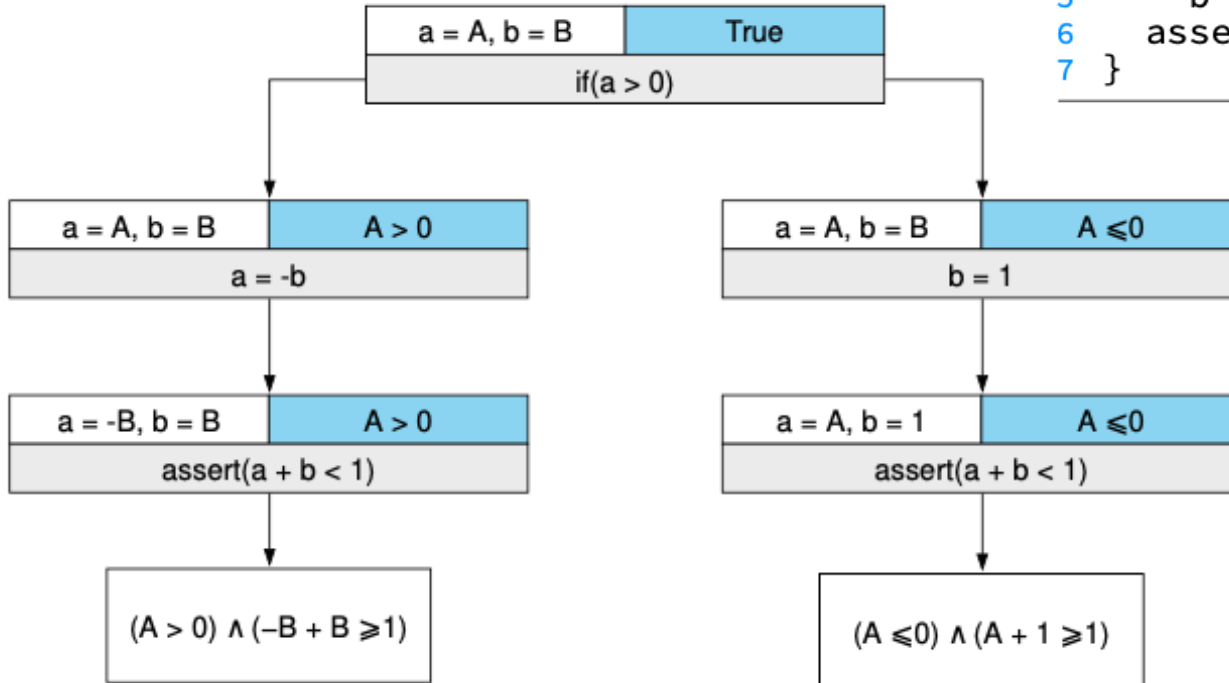
Interpret the program and compute st2

Leave Z3 to prove the goal

# Push-button verification---symbolic execution

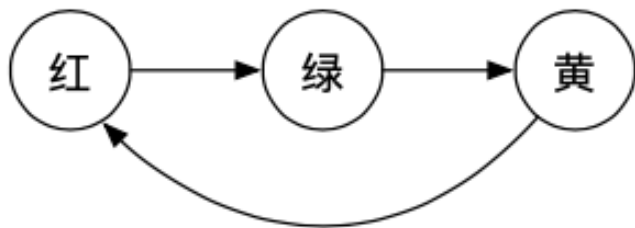
- A more complex case

```
1 void func(int a, int b) {  
2   if(a > 0)  
3     a = -b;  
4   else  
5     b = 1;  
6   assert(a + b < 1);  
7 }
```



# Push-button verification---model checking

- Three parts to model checking
  - Model: a model of the system, represented as a state transition graph
  - Specification: usually written in temporal logic
  - Algorithm: exhaustive search



Spec: lights always go red

# Limitation of push-button verification

- Exhaustive search cannot handle unbounded loop
  - SMT solver cannot return in a limited time
- To use push-button verification, rewrite program to remove unbounded loop

# Auto-active verification---weakest precondition

- $W$  is the weakest precondition of  $C$  and  $Q$  is defined as
  - for all  $P$ , if  $P \Rightarrow W$ , then  $\{P\} C \{Q\}$  holds
  - Represented as  $wp(C, Q)$
- E.g.,  $wp(x=x+1, x>2)$  is  $x>1$
- To prove  $\{P\} C \{Q\}$ , we need to show  $P \Rightarrow wp(C, Q)$
- E.g., to prove  $\{x=2\} x=x+1 \{x>2\}$ , we prove  $x=2 \Rightarrow x>1$



# Auto-active verification---Dafny

- Developed by Microsoft
- Users can add annotation to help the proof
  - Able to handle unbounded loop

---

```
1 method func(a : int, b : int) returns (c : int)
2   requires a > 0
3   ensures c < 1
4   {
5     var tmp1 := a;
6     var tmp2 := b;
7     if a > 0
8     { tmp1 := -b;}
9     else
10    { tmp2 := 1;}
11    return tmp1 + tmp2;
12  }
```

---

# Interactive verification---Coq

- Winner, 2013 ACM Software System Award
- “Coq is playing an essential role in our transition to a new era of formal assurance in mathematics, semantics and program verification”
- Have built-in domain specific automatic tactics
  - E.g., lia for Presburger arithmetic

```
Example silly_presburger_example :  $\forall m n o p,$   
   $m + n \leq n + o \wedge o + 3 = p + 3 \rightarrow$   
   $m \leq p.$   
Proof.  
  intros. lia.  
Qed.
```

# Interactive verification---Coq

- Have a tactic language (Ltac) for developing automatic tactics
- We can invoke SMT solver in tactics

```
Theorem xor_zero_equal:
forall x,y,
xor x,y=zero→x=y.
Proof.
intros.apply same_bits_eq.
intros.assert(xorb(testbit x,i)(testbit y,i)=false).
rewrite←bits_xor; auto.
rewrite H.apply biths_zero.destruct(testbit x,i).destruct(testbit y,i).
reflexivity||discriminate.
Qed.
```

```
Theorem xor_zero_equal: forall x,y,
xor x,y=zero→x=y.
Proof.
smt4coq.
Qed.
```



# VERIFICATION IN ACADEMIA AND INDUSTRY

# Verification has gain popularity recently

- Formally verified microkernels
  - seL4(SOSP'09): first practical verified microkernel
  - CertiKOS(OSDI'16): first concurrent microkernel
- Formally verified compilers
  - CompCert (2008): a verified C compiler
  - Vellvm(2012): verified LLVM

# Verification has gain popularity recently

- Formally verified file systems
  - FSCQ (SOSP'15): first verified crash-safe file system
  - AtomFS (SOSP'19): first verified concurrent file system
- Distributed systems, networks, cryptology, bitcoin ...
- Next ten years will see a surge of verification efforts

# Program analysis is widely deployed in industry

- Formal methods: mathematical method for developing and proving

## 形式化方法

形式化证明			
	定理证明（半自动）	模型检验（自动）	程序分析（自动）
应用场景	核心系统软件（如OS、hypervisor）	软件/协议/算法验证	WCET/漏洞查找
包含范围	数学建模/程序逻辑/定理证明器	时序逻辑/模型检验工具	覆盖率分析/控制流分析/数据流分析

# Automated verification techniques is more popular in industry

- Amazon: use model checking tools (TLA+) to help ensure correctness of products since 2011
  - “A big success at AWS”
- Microsoft research pioneers in automated verification
  - Verification tools: Z3, Dafny
  - Verification projects
    - Vale: verified low-level crypto (adopted by Linux)
    - Everest: verified HPPTS replacement
- Huawei makes huge investment in verification



# Future of verification

- A uniform platform for doing verification
- More applications of verification to real-world systems
- Big challenges and opportunities

# Conclusion

- What is verification?
- Verification techniques
- Now and future of verification

Thanks! Q&A