



### 用OpenMP进行共享内存编程

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## 课程内容

- •参考资料:
  - 并行程序设计导论, Peter S Pacheco, 机械工业出版 社, 2016
  - Chapter 5 Shared-Memory Programming With OpenMP

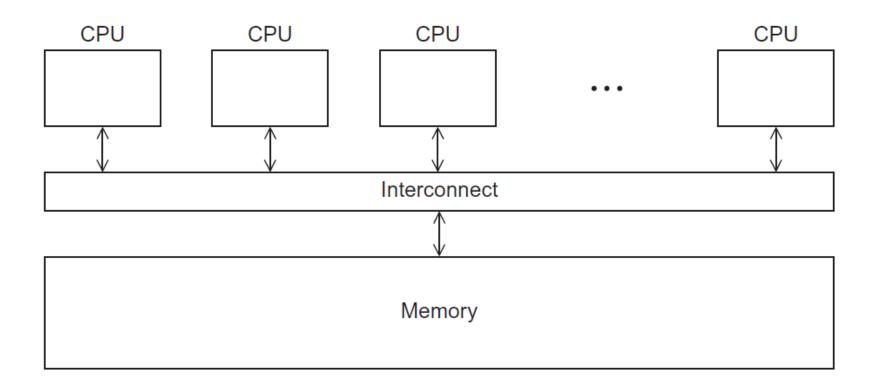
#### Roadmap

- Writing programs that use OpenMP.
- Using OpenMP to parallelize many serial for loops with only small changes to the source code.
- Task parallelism.
- Explicit thread synchronization.
- Standard problems in shared-memory programming.

#### OpenMP

- An API for shared-memory parallel programming.
- MP = multiprocessing
- Designed for systems in which each thread or process can potentially have access to all available memory.
- System is viewed as a collection of cores or CPU's, all of which have access to main memory.

### A shared memory system



#### Pragmas (编译指示)

- Special preprocessor instructions.
- Typically added to a system to allow behaviors that aren't part of the basic C specification.
- Compilers that don't support the pragmas ignore them.

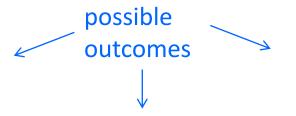
#pragma

```
#include < stdio.h>
#include < stdlib . h>
#include <omp.h>
void Hello(void); /* Thread function */
int main(int argc, char* argv[]) {
   /* Get number of threads from command line */
   int thread_count = strtol(argv[1], NULL, 10);
   pragma omp parallel num_threads(thread_count)
   Hello();
   return 0;
} /* main */
void Hello(void) {
   int my_rank = omp_get_thread_num();
   int thread_count = omp_get_num_threads();
   printf("Hello from thread %d of %d\n", my_rank, thread_count);
  /* Hello */
```

#### gcc -g -Wall -fopenmp -o omp\_hello omp\_hello.c

./ omp\_hello 4 compiling running with 4 threads

Hello from thread 0 of 4 Hello from thread 1 of 4 Hello from thread 2 of 4 Hello from thread 3 of 4



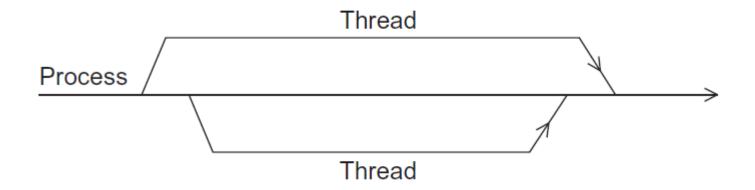
Hello from thread 1 of 4 Hello from thread 2 of 4 Hello from thread 0 of 4 Hello from thread 3 of 4 Hello from thread 3 of 4 Hello from thread 1 of 4 Hello from thread 2 of 4 Hello from thread 0 of 4

#### OpenMp pragmas

- # pragma omp parallel
- Most basic parallel directive (指令) .

 The number of threads that run the following structured block of code is determined by the runtime system.

# A process forking and joining two threads



## Clause (子句)

- Text that modifies a directive.
- The num\_threads clause can be added to a parallel directive.
- It allows the programmer to specify the number of threads that should execute the following block.

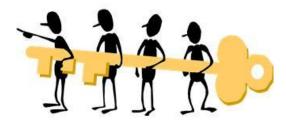
# pragma omp parallel num\_threads (thread\_count)

#### Of note...

- There may be system-defined limitations on the number of threads that a program can start.
- The OpenMP standard doesn't guarantee that this will actually start thread\_count threads.
- Most current systems can start hundreds or even thousands of threads.
- Unless we're trying to start a lot of threads, we will almost always get the desired number of threads.

#### Some terminology

- The collection of threads executing the parallel block is called a team
- the original thread is called the master, and the additional threads are called slaves.



# In case the compiler doesn't support OpenMP

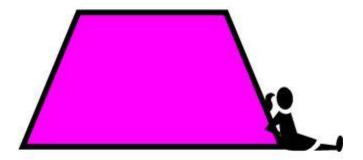
```
# include <omp.h>

#ifdef _OPENMP

# include <omp.h>
#endif
```

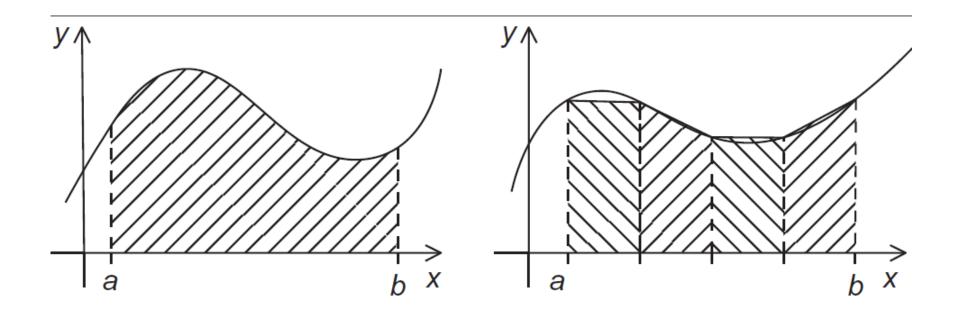
# In case the compiler doesn't support OpenMP

```
# ifdef _OPENMP
  int my_rank = omp_get_thread_num ();
  int thread_count = omp_get_num_threads ();
# else
  int my_rank = 0;
  int thread_count = 1;
# endif
```



## The Trapezoidal Rule

### The trapezoidal rule



#### Serial algorithm

Sum of trapezoid areas =  $h[f(x_0)/2 + f(x_1) + f(x_2) + \dots + f(x_{n-1}) + f(x_n)/2]$ 

```
/* Input: a, b, n */
h = (b-a)/n;
approx = (f(a) + f(b))/2.0;
for (i = 1; i <= n-1; i++) {
    x_i = a + i*h;
    approx += f(x_i);
}
approx = h*approx;</pre>
```

#### A First OpenMP Version

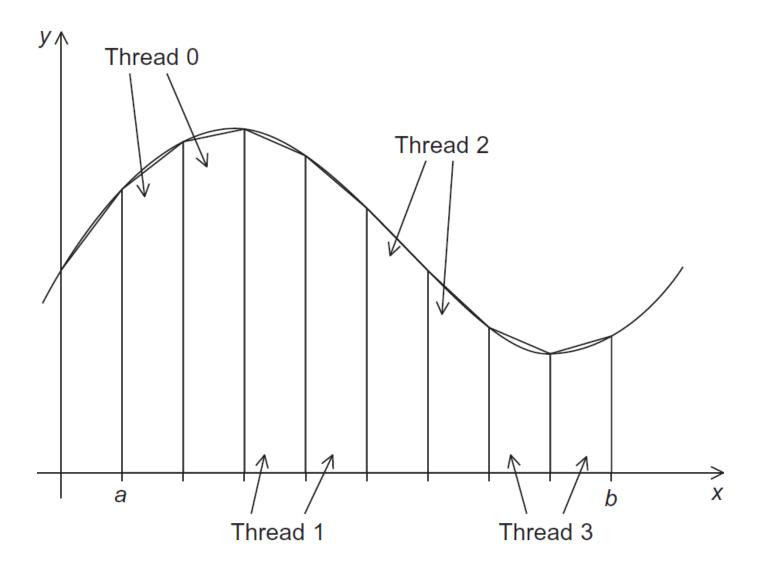
- 1) We identified two types of tasks:
  - a) computation of the areas of individual trapezoids
  - b) adding the areas of trapezoids.
- 2) There is no communication among the tasks in the first collection, but each task in the first collection communicates with task 1b.

#### A First OpenMP Version

3) We assumed that there would be many more trapezoids than cores.

So we aggregated tasks by assigning a contiguous block of trapezoids to each thread (and a single thread to each core).

#### Assignment of trapezoids to threads



Time	Thread 0	Thread 1
0	global_result = 0 to register	finish my_result
1	my_result = 1 to register	global_result = 0 to register
2	add my_result to global_result	my_result = 2 to register
3	<pre>store global_result = 1</pre>	add my_result to global_result
4		<pre>store global_result = 2</pre>

Unpredictable results when two (or more) threads attempt to simultaneously execute:



#### Mutual exclusion

```
# pragma omp critical
global_result += my_result;
```

only one thread can execute the following structured block at a time

```
#include < stdio.h>
#include < stdlib.h>
#include <omp.h>
void Trap(double a, double b, int n, double* global result p);
int main(int argc, char* argv[]) {
   double global_result = 0.0; /* Store result in global_result */
   double a, b;
                                 /* Left and right endpoints
                                                                  */
   int
                                 /* Total number of trapezoids
                                                                   */
          n:
   int
          thread count:
   thread count = strtol(argv[1], NULL, 10);
   printf("Enter a, b, and n\n");
   scanf("%lf %lf %d", &a, &b, &n);
  pragma omp parallel num_threads(thread_count)
   Trap(a, b, n, &qlobal_result);
   printf("With n = %d trapezoids, our estimate\n", n);
   printf("of the integral from %f to %f = %.14e\n",
      a, b, global result);
   return 0:
   /* main */
```

```
void Trap(double a, double b, int n, double* global_result_p) {
   double h, x, my_result;
   double local_a, local_b;
   int i, local n;
   int my rank = omp get thread num();
   int thread_count = omp_get_num_threads();
   h = (b-a)/n;
   local n = n/thread count;
   local_a = a + my_rank*local_n*h;
   local b = local a + local n*h;
   my_result = (f(local_a) + f(local_b))/2.0;
   for (i = 1; i \le local_n-1; i++)
     x = local a + i*h;
    my_result += f(x);
   my result = my result *h;
   pragma omp critical
   *global_result_p += my_result;
} /* Irap */
```



## Scope of Variables

#### Scope

• In serial programming, the scope of a variable consists of those parts of a program in which the variable can be used.

 In OpenMP, the scope of a variable refers to the set of threads that can access the variable in a parallel block.

#### Scope in OpenMP

 A variable that can be accessed by all the threads in the team has shared scope.

 A variable that can only be accessed by a single thread has private scope.

 The default scope for variables declared before a parallel block is shared.



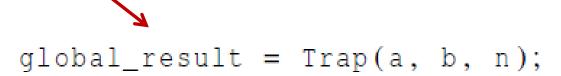
The Reduction Clause

## We need this more complex version to add each thread's local calculation to get *global\_result*.

```
void Trap(double a, double b, int n, double* global_result_p);
```

Although we'd prefer this.

double Trap(double a, double b, int n);



#### If we use this, there's no critical section!

```
double Local_trap(double a, double b, int n);
```

#### If we fix it like this...

```
global_result = 0.0;
# pragma omp parallel num_threads(thread_count)
{
# pragma omp critical
    global_result += Local_trap(double a, double b, int n);
}
```

... we force the threads to execute **sequentially**.

We can avoid this problem by declaring a private variable inside the parallel block and moving the critical section after the function call.

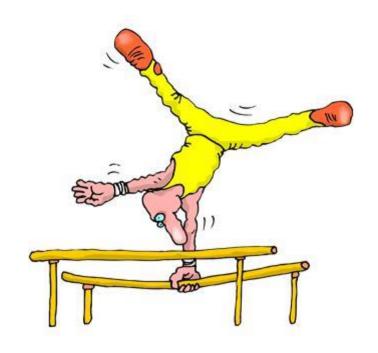
```
global_result = 0.0;
# pragma omp parallel num_threads(thread_count)
{
    double my_result = 0.0; /* private */
    my_result += Local_trap(double a, double b, int n);
# pragma omp critical
    global_result += my_result;
}
```



#### Reduction operators

- A reduction operator is a binary operation (such as addition or multiplication).
- A reduction is a computation that repeatedly applies the same reduction operator to a sequence of operands in order to get a single result.
- All of the intermediate results of the operation should be stored in the same variable: the reduction variable.

A reduction clause can be added to a parallel directive.



#### The "Parallel For" Directive

#### Parallel for

- Forks a team of threads to execute the following structured block.
- However, the structured block following the parallel for directive must be a for loop.
- Furthermore, with the parallel for directive the system parallelizes the for loop by dividing the iterations of the loop among the threads.

```
h = (b-a)/n;
approx = (f(a) + f(b))/2.0;
for (i = 1; i \le n-1; i++)
   approx += f(a + i*h);
approx = h*approx;
      h = (b-a)/n;
      approx = (f(a) + f(b))/2.0;
   # pragma omp parallel for num_threads(thread_count) \
         reduction(+: approx)
      for (i = 1; i \le n-1; i++)
         approx += f(a + i*h);
      approx = h*approx;
```

# Legal forms for parallelizable for statements

#### Caveats

- The variable index must have integer or pointer type (e.g., it can't be a float).
- The expressions start, end, and incr must have a compatible type. For example, if index is a pointer, then incr must have integer type.

#### Caveats

- The expressions start, end, and incr must not change during execution of the loop.
- During execution of the loop, the variable index can only be modified by the "increment expression" in the for statement.

# Data dependencies

```
fibo[0] = fibo[1] = 1;
        for (i = 2; i < n; i++)
           fibo[i] = fibo[i-1] + fibo[i-2];
                                              note 2 threads
        fibo[0] = fibo[1] = 1;
      # pragma omp parallel for num_threads(2)
        for (i = 2; i < n; i++)
          fibo[i] = fibo[i-1] + fibo[i-2];
                                         but sometimes
                                         we get this
1 1 2 3 5 8 13 21 34 55
 this is correct
                             1123580000
                                                          42
```

# What happened?

- OpenMP compilers don't check for dependencies among iterations in a loop that's being parallelized with a parallel for directive.
- A loop in which the results of one or more iterations depend on other iterations cannot be correctly parallelized by OpenMP.



## Estimating $\pi$

$$\pi = 4 \left[ 1 - \frac{1}{3} + \frac{1}{5} - \frac{1}{7} + \cdots \right] = 4 \sum_{k=0}^{\infty} \frac{(-1)^k}{2k+1}$$
**double** factor = 1.0;
**double** sum = 0.0;
**for** (k = 0; k < n; k++) {
 sum += factor/(2\*k+1);
 factor = -factor;
}

pi\_approx = 4.0\*sum;

# OpenMP solution #1

# double factor = 1.0, double sum = 0.0; # pragma omp parallel for num\_threads(thread\_count) \ reduction(+: sum) for (k = 0; k < n; k++) { sum += factor/(2\*k+1); factor = -factor; } pi\_approx = 4.0\*sum;</pre>

# OpenMP solution #2

#### The default clause

 Lets the programmer specify the scope of each variable in a block.

default (none)

 With this clause the compiler will require that we specify the scope of each variable we use in the block and that has been declared outside the block.

#### The default clause

```
double sum = 0.0;
pragma omp parallel for num_threads(thread_count) \
    default(none) reduction(+:sum) private(k, factor) \
    shared(n)

for (k = 0; k < n; k++) {
    if (k % 2 == 0)
        factor = 1.0;
    else
        factor = -1.0;
    sum += factor/(2*k+1);
}</pre>
```



# More About Loops in OpenMP: Sorting

#### **Bubble Sort**

```
for (list_length = n; list_length >= 2; list_length--)
   for (i = 0; i < list_length -1; i++)
      if (a[i] > a[i+1]) {
         tmp = a[i];
         a[i] = a[i+1];
        a[i+1] = tmp;
```

### Serial Odd-Even Transposition Sort

```
for (phase = 0; phase < n; phase++)
  if (phase % 2 == 0)
    for (i = 1; i < n; i += 2)
       if (a[i-1] > a[i]) Swap(&a[i-1],&a[i]);
  else
    for (i = 1; i < n-1; i += 2)
       if (a[i] > a[i+1]) Swap(&a[i], &a[i+1]);
```

## Serial Odd-Even Transposition Sort

	Subscript in Array						
Phase	0		1		2		3
0	9	$\longleftrightarrow$	7		8	$\longleftrightarrow$	6
	7		9		6		8
1	7		9	$\longleftrightarrow$	6		8
	7		6		9		8
2	7	$\leftrightarrow$	6		9	$\longleftrightarrow$	8
	6		7		8		9
3	6		7	$\longleftrightarrow$	8		9
	6		7		8		9

# First OpenMP Odd-Even Sort

```
for (phase = 0; phase < n; phase++) {
      if (phase \% 2 == 0)
#
         pragma omp parallel for num_threads(thread_count) \
            default(none) shared(a, n) private(i, tmp)
         for (i = 1; i < n; i += 2)
            if (a[i-1] > a[i]) {
               tmp = a[i-1];
               a[i-1] = a[i];
               a[i] = tmp;
      else
#
         pragma omp parallel for num_threads(thread_count) \
            default(none) shared(a, n) private(i, tmp)
         for (i = 1; i < n-1; i += 2)
            if (a[i] > a[i+1]) {
               tmp = a[i+1];
               a[i+1] = a[i];
               a[i] = tmp;
```

# Second OpenMP Odd-Even Sort

```
pragma omp parallel num_threads(thread_count) \
      default(none) shared(a, n) private(i, tmp, phase)
   for (phase = 0; phase < n; phase++) {
      if (phase \% 2 == 0)
#
         pragma omp for
         for (i = 1; i < n; 1 += 2)
            if (a[i-1] > a[i])
               tmp = a[i-1];
                                                 Tells OpenMP to
               a[i-1] = a[i]:
                                                 parallelize the
               a[i] = tmp;
                                                 for loop with
                                                 existing team of
      else
         pragma omp for
                                                 threads
         for (i = 1; i < n-1; i += 2)
            if (a[i] > a[i+1]) {
               tmp = a[i+1];
               a[i+1] = a[i];
               a[i] = tmp;
```

# Odd-even sort with two **parallel for** directives and two **for** directives.

(Times are in seconds.)

thread_count	1	2	3	4
Two parallel for directives	0.770	0.453	0.358	0.305
Two <b>for</b> directives	0.732	0.376	0.294	0.239





Scheduling Loops

#### Our definition of function *f*.

```
double f(int i) {
   int j, start = i*(i+1)/2, finish = start + i;
   double return_val = 0.0;

   for (j = start; j <= finish; j++) {
      return_val += sin(j);
   }
   return return_val;
} /* f */</pre>
```

The time required by the call to f is proportional to the size of i

# We want to parallelize this loop.

sum = 
$$0.0$$
;  
for (i =  $0$ ; i <= n; i++)  
sum +=  $f(i)$ ;

Thread	Iterations		
0	$0, n/t, 2n/t, \ldots$		
1	$1, n/t + 1, 2n/t + 1, \dots$		
:	:		
t-1	$t-1, n/t+t-1, 2n/t+t-1, \dots$		

Assignment of work using cyclic partitioning.

#### Results

- f(i) calls the sin function i times.
- Assume the time to execute f(2i) requires
  approximately twice as much time as the time to
  execute f(i).

- n = 10,000
  - one thread
  - run-time = 3.67 seconds.

#### Results

- n = 10,000
  - two threads
  - default assignment
  - run-time = 2.76 seconds
  - speedup = **1.33**
- n = 10,000
  - two threads
  - cyclic assignment
  - run-time = 1.84 seconds
  - speedup = **1.99**



#### The Schedule Clause

```
sum = 0.0;

pragma omp parallel for num_threads(thread_count) \
    reduction(+:sum)

for (i = 0; i <= n; i++)
    sum += f(i);</pre>
```

#### • Cyclic schedule:

```
# pragma omp parallel for num_threads(thread_count) \
    reduction(+:sum) schedule(static,1)

for (i = 0; i <= n; i++)
    sum += f(i);</pre>
```

# schedule (type, chunksize)

#### Type can be:

- static: the iterations can be assigned to the threads before the loop is executed.
- dynamic or guided: the iterations are assigned to the threads while the loop is executing.
- auto: the compiler and/or the run-time system determine the schedule.
- runtime: the schedule is determined at runtime.

# The Static Schedule Type

twelve iterations, 0, 1, . . . , 11, and three threads

```
schedule(static,1)
```

Thread 0: [0,3,6,9]

Thread 1: 1,4,7,10

Thread 2: 2,5,8,11

# The Static Schedule Type

twelve iterations, 0, 1, . . . , 11, and three threads

```
schedule(static,2)
```

Thread 0: [0,1,6,7]

Thread 1: (2,3,8,9)

Thread 2: [4,5], 10, 11

# The Static Schedule Type

twelve iterations, 0, 1, . . . , 11, and three threads

schedule(static,4)

Thread 0: [0,1,2,3]

Thread 1: [4,5,6,7]

Thread 2: [8,9,10,11]

# The **Dynamic** Schedule Type

- The iterations are also broken up into chunks of chunksize consecutive iterations.
- Each thread executes a chunk, and when a thread finishes a chunk, it requests another one from the run-time system.
- This continues until all the iterations are completed.

# The Guided Schedule Type

 Each thread also executes a chunk, and when a thread finishes a chunk, it requests another one.

 However, in a guided schedule, as chunks are completed, the size of the new chunks decreases.

Thread	Chunk	Size of Chunk	Remaining Iterations
0	1 - 5000	5000	4999
1	5001 – 7500	2500	2499
1	7501 – 8750	1250	1249
1	8751 – 9375	625	624
0	9376 – 9687	312	312
1	9688 – 9843	156	156
0	9844 – 9921	78	78
1	9922 – 9960	39	39
1	9961 – 9980	20	19
1	9981 – 9990	10	9
1	9991 – 9995	5	4
0	9996 – 9997	2	2
1	9998 – 9998	1	1
0	9999 – 9999	1	0

Assignment of trapezoidal rule iterations 1–9999 using a guided schedule with two threads.

# The Runtime Schedule Type

 The system uses the environment variable OMP\_SCHEDULE to determine at run-time how to schedule the loop.

 The OMP\_SCHEDULE environment variable can take on any of the values that can be used for a static, dynamic, or guided schedule.



# Producers and Consumers

#### Queues

- Can be viewed as an abstraction of a line of customers waiting to pay for their groceries in a supermarket.
- A natural data structure to use in many multithreaded applications.
- For example, suppose we have several "producer" threads and several "consumer" threads.
  - Producer threads might "produce" requests for data.
  - Consumer threads might "consume" the request by finding or generating the requested data.

## Message-Passing

- Each thread could have a shared message queue
- When one thread wants to "send a message" to another thread, it could enqueue the message in the destination thread's queue.
- A thread could receive a message by dequeuing the message at the head of its message queue.

### Message-Passing

## Sending Messages

```
mesg = random();
dest = random() % thread_count;

# pragma omp critical
Enqueue(queue, dest, my_rank, mesg);
```

### Receiving Messages

```
if (queue_size == 0) return;
else if (queue_size == 1)

# pragma omp critical
    Dequeue(queue, &src, &mesg);
else
    Dequeue(queue, &src, &mesg);
Print_message(src, mesg);
```

#### Termination Detection

```
queue_size = enqueued - dequeued;
if (queue_size == 0 && done_sending == thread_count)
   return TRUE;
else
   return FALSE;
```

each thread increments this after completing its for loop



# Startup (1)

 When the program begins execution, a single thread, the master thread, will get command line arguments and allocate an array of message queues: one for each thread.

 This array needs to be shared among the threads, since any thread can send to any other thread, and hence any thread can enqueue a message in any of the queues.

# Startup (2)

- One or more threads may finish allocating their queues before some other threads.
- We need an explicit barrier so that when a thread encounters the barrier, it blocks until all the threads in the team have reached the barrier.
- After all the threads have reached the barrier, all the threads in the team can proceed.

# pragma omp barrier

# The Atomic Directive (1)

 Unlike the critical directive, it can only protect critical sections that consist of a single C assignment statement.

```
# pragma omp atomic
```

 Further, the statement must have one of the following forms:

```
x <op>= <expression >;
x++;
++x;
x--;
--x;
```

# The Atomic Directive (2)

Here <op> can be one of the binary operators

$$+, *, -, /, \&, ^, |, <<, or>>$$

 Many processors provide a special load-modifystore instruction.

 A critical section that only does a load-modify-store can be protected much more efficiently by using this special instruction.

#### Critical Sections

 OpenMP provides the option of adding a name to a critical directive:

```
# pragma omp critical(name)
```

- When we do this, two blocks protected with critical directives with different names can be executed simultaneously.
- However, the names are set during compilation, and we want a different critical section for each thread's queue.

#### Locks

• A **lock** consists of a data structure and functions that allow the programmer to explicitly enforce mutual exclusion in a critical section.



#### Locks

```
/* Executed by one thread */
Initialize the lock data structure;
/* Executed by multiple threads */
Attempt to lock or set the lock data structure;
Critical section;
Unlock or unset the lock data structure;
/* Executed by one thread */
Destroy the lock data structure;
```

# Using Locks in the Message-Passing Program

```
# pragma omp critical

/* q_p = msg_queues[dest] */

Enqueue (q_p, my_rank, mesg);
```

```
/* q_p = msg_queues[dest] */
omp_set_lock(&q_p->lock);
Enqueue(q_p, my_rank, mesg);
omp_unset_lock(&q_p->lock);
```

# Using Locks in the Message-Passing Program

```
#
   pragma omp critical
   /* q_p = msg_queues[my_rank] */
   Dequeue (q_p, &src, &mesg);
          /* q_p = msg_queues[my_rank]
          fomp_set_lock(&q_p->lock);
          Dequeue(q_p, &src, &mesg);
          omp_unset_lock(&q_p->lock);
```

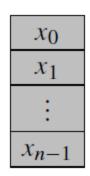
#### Some Caveats

- You shouldn't mix the different types of mutual exclusion for a single critical section.
  - E.g., critical may not exclude atomic.
- There is no guarantee of fairness in mutual exclusion constructs.
  - E.g., it is possible that a thread can be blocked forever
- It can be dangerous to "nest" mutual exclusion constructs.

### Matrix-vector multiplication

$$y_i = a_{i0}x_0 + a_{i1}x_1 + \dots + a_{i,n-1}x_{n-1}$$

<i>a</i> <sub>00</sub>	$a_{01}$	• • •	$a_{0,n-1}$
<i>a</i> <sub>10</sub>	$a_{11}$	• • •	$a_{1,n-1}$
:	:		:
$a_{i0}$	$a_{i1}$	• • •	$a_{i,n-1}$
<i>a</i> <sub>i0</sub> :	<i>a</i> <sub>i1</sub> :	•••	$a_{i,n-1}$ :



	Уо			
	У1			
	•			
	$y_i = a_{i0}x_0 + a_{i1}x_1 + \cdots + a_{i,n-1}x_{n-1}$			
	:			
	$y_{m-1}$			

```
for (i = 0; i < m; i++) {
   y[i] = 0.0;
   for (j = 0; j < n; j++)
      y[i] += A[i][j]*x[j];
}</pre>
```

### Matrix-vector multiplication

	Matrix Dimension						
	$8,000,000 \times 8$		$8000 \times 8000$		$8 \times 8,000,000$		
Threads	Time	Eff.	Time	Eff.	Time	Eff.	
1	0.322	1.000	0.264	1.000	0.333	1.000	
2	0.219	0.735	0.189	0.698	0.300	0.555	
4	0.141	0.571	0.119	0.555	0.303	0.275	

```
char* lines[] /* in/out */,
     int line_count /* in */,
     int thread_count /* in */) {
                                                Thread-Safety
   int my rank, i, j;
   char *my token;
  pragma omp parallel num_threads(thread_count) \
      default(none) private(my_rank, i, j, my_token)
     shared(lines, line count)
     my rank = omp get thread num();
#
     pragma omp for schedule (static, 1)
     for (i = 0; i < line count; i++)
        printf("Thread %d > line %d = %s", my rank, i, lines[i]);
        i = 0;
        my_token = strtok(lines[i], " \t\n");
        while ( my_token != NULL ) {
           printf("Thread %d > token %d = %s\n", my_rank, j, my_token);
           my token = strtok(NULL, " \t\n");
           j++;
     } /* for i */
   } /* omp parallel */
  /* Tokenize */
```

void Tokenize(

# Concluding Remarks (1)

- OpenMP is a standard for programming sharedmemory systems.
- OpenMP uses both special functions and preprocessor directives called pragmas.
- OpenMP programs start multiple threads rather than multiple processes.
- Many OpenMP directives can be modified by clauses.

# Concluding Remarks (2)

 A major problem in the development of shared memory programs is the possibility of race conditions.

- OpenMP provides several mechanisms for insuring mutual exclusion in critical sections.
  - Critical directives
  - Named critical directives
  - Atomic directives
  - Simple locks

# Concluding Remarks (3)

• By default most systems use a block-partitioning of the iterations in a parallelized for loop.

OpenMP offers a variety of scheduling options.

 In OpenMP the scope of a variable is the collection of threads to which the variable is accessible.

# Concluding Remarks (4)

 A reduction is a computation that repeatedly applies the same reduction operator to a sequence of operands in order to get a single result.