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# Linear Algebra

Retake

**5/5** points earned (100%)

Course Home

Excellent!



1/1 points

Let two matrices be

$$A = egin{bmatrix} 1 & -4 \ -2 & 1 \end{bmatrix}, \qquad B = egin{bmatrix} 0 & 3 \ 5 & 8 \end{bmatrix}$$

$$B = egin{bmatrix} 0 & 3 \ 5 & 8 \end{bmatrix}$$

What is A + B?

$$\begin{array}{cc}
 & \begin{bmatrix} 1 & -1 \\ 7 & 9 \end{bmatrix}
\end{array}$$

$$\begin{array}{ccc}
O & \begin{bmatrix} 1 & -7 \\ -7 & -7 \end{bmatrix}
\end{array}$$

$$\begin{array}{cc}
 \begin{bmatrix}
 1 & 7 \\
 7 & 9
\end{bmatrix}$$

$$\begin{bmatrix}
1 & -1 \\
3 & 9
\end{bmatrix}$$

# Correct

To add two matrices, add them element-wise.

Let 
$$x = egin{bmatrix} 2 \ 7 \ 4 \ 1 \end{bmatrix}$$

What is  $\frac{1}{2} * x$ ?

O [4 14 8 2]
O 
$$\left[1 \ \frac{7}{2} \ 2 \ \frac{1}{2}\right]$$

$$\begin{array}{c}
 \begin{bmatrix}
 1 \\
 \frac{7}{2} \\
 2 \\
 \frac{1}{2}
 \end{array}$$

To multiply the vector x by  $\frac{1}{2}$ , take each element of x and multiply that element by  $\frac{1}{2}$ .



1/1 points

3.

Let u be a 3-dimensional vector, where specifically

$$u = egin{bmatrix} 3 \ 5 \ 1 \end{bmatrix}$$

What is  $u^{\mathrm{T}}$ ?

$$\begin{array}{c}
 \begin{bmatrix}
 1 \\
 5 \\
 3
 \end{array}$$

$$\begin{array}{c}
\mathbf{O} & \begin{bmatrix} 3 \\ 5 \\ 1 \end{bmatrix}
\end{array}$$

1/1 points

Let u and v be 3-dimensional vectors, where specifically

$$u = \left[egin{array}{c} 4 \ -4 \ -3 \end{array}
ight]$$

and

$$v = egin{bmatrix} 4 \ 2 \ 4 \end{bmatrix}$$

What is  $u^T v$ ?

(Hint:  $\boldsymbol{u}^T$  is a

1x3 dimensional matrix, and v can also be seen as a 3x1

matrix. The answer you want can be obtained by taking

4. the matrix product of  $\boldsymbol{u}^T$  and  $\boldsymbol{v}$ .) Do not add brackets to your answer.

-4



5.

Let A and B be 3x3 (square) matrices. Which of the following

must necessarily hold true? Check all that apply.

lacksquare If C=A\*B , then C is a 6x6 matrix.

**Un-selected is correct** 

## Correct

We add matrices element-wise. So, this must be true.

If A is the 3x3 identity matrix, then A\*B=B\*A

## Correct

Even though matrix multiplication is not commutative in general (  $A*B \neq B*A$  for general matrices A,B), for the special case where A=I, we have A\*B=I\*B=B, and also B\*A=B\*I=B. So, A\*B=B\*A.

**Un-selected** is correct