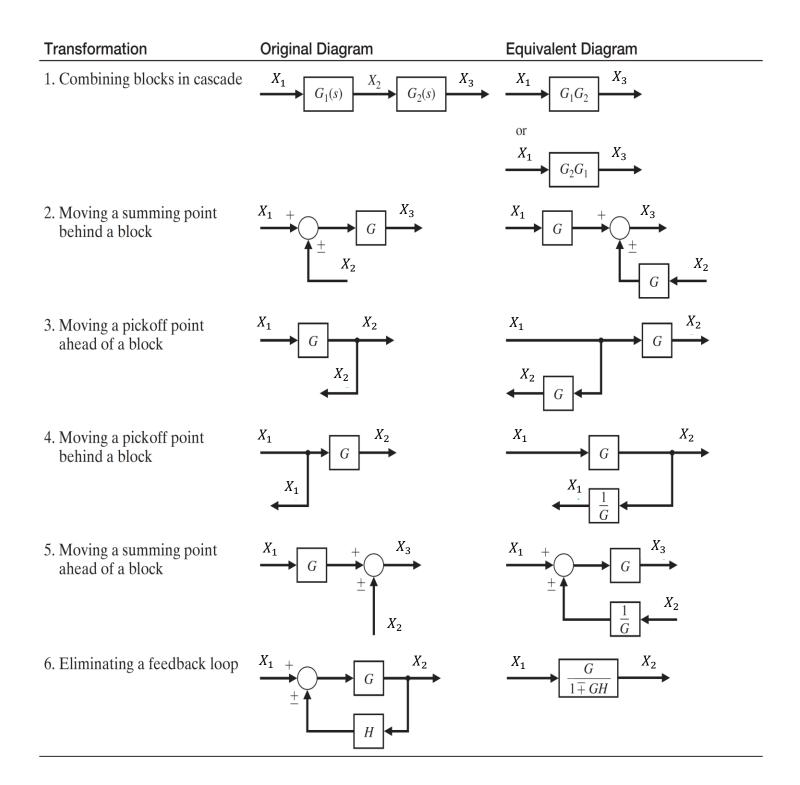
Block Diagram Transformation



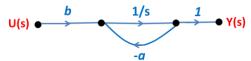
Relation Between Block Diagrams & SFGs

| Transfer Function | Block Diagram | Signal Flow Diagram |
|--|---|--|
| One block System $\frac{Y(s)}{R(s)} = G(s)$ | (a) | (b) |
| | R(s) $G(s)$ $Y(s)$ | R(s) $G(s)$ $Y(s)$ |
| Cascade $\frac{Y(s)}{R(s)} = G_1(s) G_2(s)$ | (c) | (d) |
| | $R(s)$ $G_1(s)$ $A(s)$ $G_2(s)$ $Y(s)$ | $\begin{array}{cccccccccccccccccccccccccccccccccccc$ |
| Parallel | (e) | (f) |
| $\frac{Y(s)}{R(s)} = G_1(s) + G_2(s)$ | $R(s)$ $R(s)$ $A_1(s)$ $A_2(s)$ $A_2(s)$ $A_3(s)$ | $R(s)$ $A_1(s)$ $Y(s) = A_2(s) + A_3(s)$ |
| Feedback | (g) | (h) |
| $\frac{Y(s)}{R(s)} = \frac{G(s)}{1 + G(s) H(s)}$ | R(s) $E(s)$ $G(s)$ $H(s)$ | R(s) E(s) |

Relation Between Basic Transfer Functions & SFGs

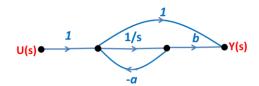
☐ First-order Transfer Function with no Zero:

$$\frac{Y(s)}{U(s)} = \frac{b}{s+a}$$



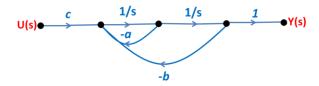
☐ First-order Transfer Function with a single Zero:

$$\frac{Y(s)}{U(s)} = \frac{s+b}{s+a}$$



☐ Second-order Transfer Function with no Zero:

$$\frac{Y(s)}{U(s)} = \frac{c}{s^2 + as + b}$$



☐ Second-order Transfer Function with a single Zero:

$$\frac{Y(s)}{U(s)} = \frac{s+c}{s^2 + as + b}$$

