# An Introduction to reinforcement learning

#### **Reinforcement Learnings**

Reinforcement learning is learning what to do—how to map situations to actions—so as to maximize a numerical reward signal.

# Markov Decision Process

RL problems can be mathematically formulated as a finite Markov Decision Process(MDP). This is one approach to formulate a reinforcement learning problem. Finite MDPs can be solved by multiple methods: dynamic programming, Monte Carlo method, Temporal difference methods.

- **Agent**: The learner and decision maker is called the agent. *Ex, a self-driving car, a house cleaning robot, etc.*
- **Environment**: Everything outside the agent is called the environment. It is the surroundings the Agent interacts with.
  - Ex, road, warehouse, etc.
- State: state as a signal conveying to the agent some sense of "how the environment
  - is" at a particular time.
  - Ex, position/orientation of a robot, climate of a particular day, etc.
- Action: It is the decision the Agent takes at a particular time.
  Ex, move forward, lift something, get back to the charging point, etc

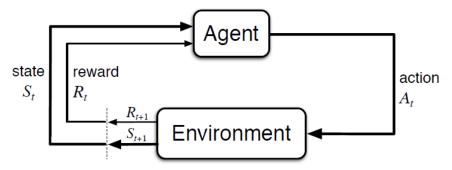


Figure 3.1: The agent–environment interaction in a Markov decision process.

#### Reward (R<sub>t</sub>)

- The numerical signal that the agent receives from the environment at each time step is called the reward.
- Agent's goal is to maximize the total amount of reward it receives. This means maximizing not immediate reward, but cumulative reward in the long run.
- We must provide rewards to it in such a way that in maximizing them the agent will achieve the final goal.

# Return (G<sub>1</sub>)

It is the total reward that the Agent receives over a long run.

$$G_t \doteq R_{t+1} + R_{t+2} + R_{t+3} + \dots + R_T$$

# **Discounting**

The agent tries to select actions so that the sum of the discounted rewards it receives over the future is maximized. In particular, it chooses  $A_t$  to maximize the expected discounted return

$$G_t \doteq R_{t+1} + \gamma R_{t+2} + \gamma^2 R_{t+3} + \dots = \sum_{k=0}^{\infty} \gamma^k R_{t+k+1},$$

where  $\gamma$  is a parameter,  $0 \le \gamma \le 1$ , called the discount rate.

As  $\gamma$  approaches 1, the return objective takes future rewards into account more strongly; the agent becomes more farsighted.

#### Value functions

functions of states (or of state–action pairs) that estimate how good it is for the agent to be in a given state (or how good it is to perform a given action in a given state).

- State value functions

$$v_{\pi}(s) \doteq \mathbb{E}_{\pi}[G_t \mid S_t = s] = \mathbb{E}_{\pi}\left[\sum_{k=0}^{\infty} \gamma^k R_{t+k+1} \mid S_t = s\right], \text{ for all } s \in \mathbb{S},$$

Action value functions

$$q_{\pi}(s, a) \doteq \mathbb{E}_{\pi}[G_t \mid S_t = s, A_t = a] = \mathbb{E}_{\pi} \left[ \sum_{k=0}^{\infty} \gamma^k R_{t+k+1} \mid S_t = s, A_t = a \right].$$

# **Policy**

a policy is a mapping from states to probabilities of selecting each possible action. If the agent is following policy  $\pi$  at time t, then  $\pi(a|s)$  is the probability that  $A_t$  = a if  $S_t$  = s.