

Summary

Assignment 4_myusuf2

Solution 1.

	Task (Unit Shipping Cost)			Unit	Task	Monthly
	Warehouse (\$ 1	Warehouse (\$ 2	Warehouse (\$ 3	Production Cost (\$)	Warehouse D (Dummy)	Production Capacity
Plant A (Assignee)	22	14	30	600	0	100
Plant B (Assignee)	16	20	24	625	0	120
Monthly Demand	80	60	70		10	

Let D = A Dummy variable, the cost of assigning a dummy machine to a location is 0, and that this assignment doesn't exist.

Let Z represent the total shipping cost

Xij represents the number of truckloads shipped from Plant i to warehouse j

We have 6 decision variables Xij to minimize Z

Objective Function:

Min : Min : $622 xA1 + 614 xA2 + 630 xA3 + 641 xB1 + 645 xB2 + 649 xB3 + 0 xAD + 0 xBD$;

Constraints:

$$xA1 + xA2 + xA3 + xAD = 100;$$

$$xB1 + xB2 + xB3 + xBD = 120;$$

$$xA1 + xB1 = 80;$$

$$xA2 + xB2 = 60;$$

$$xA3 + xB3 = 70;$$

$$xAD + xBD = 10;$$

$$Xij \geq 0$$

The final solution has been solved by R program and that there is a total cost of \$132,790, the Dummy Warehouse will have no allocation from either Plant A or Plant B

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i1 ▾ ##To solve the LP.
i2 ▾ {r}
i3 solve(Heartstart)
i4 ▴

[1] 0

i5 ▾ ##To compute the objective function value.
i6 ▾ {r}
i7 get.objective(Heartstart)
i8 ▴

[1] 132790

i9 ▾ ##To compute the values of decision variables.
i0 ▾ {r}
i1 get.variables(Heartstart)
i2 ▴

[1] 0 60 40 80 0 30 0 10

i3 ▾ ##To compute the values of constraints.
i4 ▾ {r}
i5 get.constraints(Heartstart)
i6 ▴

[1] 100 120 80 60 70 10

```

Solution 2

OBJECTIVE FUNCTION

Min $Z = 1.52 X_{14} + 1.60 X_{15} + 1.40 X_{16} + 1.70 X_{24} + 1.63 X_{25} + 1.55 X_{26} + 1.45 X_{34} + 1.57 X_{35} + 1.30 X_{36} + 5.15 X_{47} + 5.69 X_{48} + 6.13 X_{49} + 5.63 X_{410} + 5.80 X_{411} + 5.12 X_{57} + 5.47 X_{58} + 6.05 X_{59} + 6.12 X_{510} + 5.71 X_{511} + 5.32 X_{67} + 6.16 X_{68} + 6.25 X_{69} + 6.17 X_{610} + 5.87 X_{611};$

SUBJECT TO THE CONSTRAINTS

$x_{14} + x_{15} + x_{16} = 93;$

$x_{24} + x_{25} + x_{26} = 88;$

$x_{34} + x_{35} + x_{36} = 95;$

$x_{47} + x_{57} + x_{67} = 30;$

$x_{48} + x_{58} + x_{68} = 57;$

$x_{49} + x_{59} + x_{69} = 48;$

$x_{410} + x_{510} + x_{610} = 91;$

$x_{411} + x_{511} + x_{611} = 48;$

$x_{412} + x_{512} + x_{612} = 2;$

$x_{14} + x_{24} + x_{34} - x_{47} - x_{48} - x_{49} - x_{410} - x_{411} - x_{412} = 0;$

$x_{15} + x_{25} + x_{35} - x_{57} - x_{58} - x_{59} - x_{510} - x_{511} - x_{512} = 0;$

$x_{16} + x_{26} + x_{36} - x_{67} - x_{68} - x_{69} - x_{610} - x_{611} - x_{612} = 0;x$

```

26
27 ▾ ##To solve the LP.
28 ▾ {r}
29 solve(Oil)
30 ▾

[1] 0

31 ▾ ##To compute the objective function value.
32 ▾ {r}
33 get.objective(Oil)
34 ▾

[1] 1966.68

35 ▾ ##To compute the values of decision variables.
36 ▾ {r}
37 get.variables(Oil)
38 ▾

[1] 93 0 0 0 88 0 28 0 67 30 0 0 91 0 0 57 31 0 0 0 0 17 0 48 0 0 2

39 ▾ ##To compute the values of constraints.
40 ▾ {r}
41 get.constraints(Oil)

```