Molecules and Cells HW 8

October 20th, 2016

- 1a. ER. The signal for the ER acts while the protein is being trnaslated while the signal for import into the nucleus acts after translation is over.
 - 1b. ER. Same reasoning as above: The ER signal acts during translation rather than after
- 1c. Mitochondria. The retention signal would not work because the protein would never enter the ER to begin with, so the mitochondria signal would work.
- 2a. Yes, in ER. The protein will require post-processing in the Golgi apparatus to be placed in a vesicle, so it must be synthesized in the ER
- 2b. Yes, on ER. For the proteins to travel to the extracellular space, it has to first be placed in a vesicle, so it is translated in the ER.
- 2c. No, in cytosol. Protein is made by free ribosomes floating in the cytosol and moves to nucleus after being translated
- 2d. Yes, the protein is synthesized on the membrane of a vesicle which then goes and binds to the plasma membrane.
- 2e. Yes, on ER. Because the ER is attached to the nucleus, it is very easy for proteins produced here to enter the nuclear envelope.
- 3a. This can be accomplished by changing the ratio of products to reactants. The flow becomes more spontaneous as product is removed or as more reactants are added. For example, as oxaloacetate is produced, it could be shifted into a separate section where it could be used to react with more Acetyl CoA.
 - 3b. The overall δG has to be at most 0, so

$$\Delta G = 0 = \Delta G^{\circ} + RTln(\frac{[NADH][OAA]}{[MAL][NAD^{+}]}$$

which becomes

$$\frac{[OAA]}{[MAL]} = \left(\frac{[NAD^+]}{[NADH]}\right)e^{\frac{-\delta G^{\circ}}{RT}} = 9.8*10^{-5}, \frac{[MAL]}{[OAA]} > = 1.02*10^4$$

4a. From the equation,

$$Rate = \frac{Area}{Thickness}(D)(\Delta C) = (4 * \pi * (1 * 10^{-5}m)^{2}) * 3 * 10^{-10} \frac{m}{s} * (.005M - 0M)$$
$$*1000 \frac{L}{m^{3}} * 6.022 * 10^{23} \frac{molecules}{mol} = 1.135 * 10^{6} molecules/s$$

4b. We can use the Michaelis-Menton equation,

$$Rate = \frac{V_{max}[Glucose]}{K_m + [Glucose]} * 10^5 = \frac{10^4 * 5mM}{1.5mM + 5mM} * 10^5 = 7.69 * 10^8 molecules/s$$

This is about 700 times faster than part a.

5. CO_2 - diffuses the fastest because it is nonpolar and small

 H_2O - polar, so slower than carbon dioxide, but still small

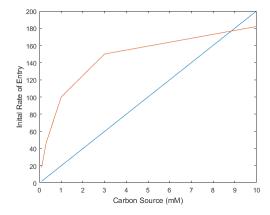
EtOH - Polar and small, but larger than water, so more difficult to diffuse

Glucose - Large, but nonpolar, so slower than the previous, but the fastest large molecule

 Ca^{2+} - small charged molecule, so slower than glucose

RNA - Larger than calcium and charged, so slowest of all

6a.



- 6b. Ethanol has the linear curve because it is small, so it can naturally diffuse across the membrane. Increasing the carbon source would linearly increase how quickly it diffuses. On the other hand, acetate is charged, so its transport needs to be mediated by an enzyme. As the carbon source increases, the enzyme would be saturated and the rate would reach V_{max} .
- 6c. The K_m for acetate is 1 mM and V_{max} is about 200 $\mu mol/min$. Since ethanol does not need an enzyme, its K_m and V_{max} cannot be calculated.
 - 7a. F. They facilitate transport in both directions
 - 7b. T
 - 7c. T
 - 7d. F. A protein without a signal goes to the cytosol
 - 7e. T
 - 7f. T
 - 7g. T
 - 8. E
- 9a. Glycolysis is an anaerobic process it does not need oxygen. Glucose is oxidized, but not necessarily with oxygen. Cells grown anaerobically can still perform glycolysis.
- 9b. Because ethanol is a product of fermentation, more ethanol would be made if the yeast grows anaerobically. Carbon dioxide, on the other hand, is oxidized from carbon, so more carbon dioxide is produced if the yeast grows aerobically.
- 10. As is shown in the graph, the K_m for GLUT4 stays the same, but the V_{max} increases. Therefore, a possible mechanism is that insulin causes GLUT4 to migrate from internal membranes to the plasma membrane, increasing their effectiveness in moving glucose into cells

11a.
$$H^+_{cytosol} \to H^+_{mitochondria}$$

$$\Delta G = \Delta G^{\circ} + 2.3nRTlog(\frac{[H^{+}]_{f}}{[H^{+}]_{i}})$$

$$\Delta \boldsymbol{G}^{^{\circ}} = -nRTln(1) = 0, \Delta \boldsymbol{G} = 2.3RT(pH_i - pH_f) = -2.3nRT\Delta pH$$

11b. At standard conditions, $\Delta V^0 = 0$ since the concentration of proteins is the same on both sides. Therefore,

$$\Delta G = nF\Delta V$$

11c. Once again, at standard conditions, $\Delta p^0=0$ because the concentrations are the same on both sides. Therefore,

$$\Delta p = \frac{\Delta G}{nF} = \frac{nf\Delta V - 2.3nRT\Delta pH}{nF} = \Delta V - \frac{2.3RT}{F}\Delta pH$$